

Improving the Design of Hydraulic Structures

A Unified 1D Simulation Tool for Highly Transient Water Flow

Kerger F.^{1,2}, Archambeau P.¹, Ericum S.¹, Dewals B.J.^{1,2} and Piroton M.¹

¹Laboratory of Hydrology, Applied Hydrodynamics and Hydraulic Constructions, Institute of Civil Engineering, ArGENCo Department, Liège University, Ch. Des Cheveruils 1, B52/3+1, B-4000 Liège

²Belgian Fund for Scientific Research F.R.S-FNRS

Pipe flow general context

It is distinguished three potential kinds of flow in pipes :

- Free surface : sub/super-critical flows
- Pressurized : high celerity pressure wave propagation
- Mixed : simultaneous occurrence of a free-surface and a pressurized flow.

Each one is traditionally simulated with a specific software !

The temporal/spatial scales range of involved phenomena is wide :

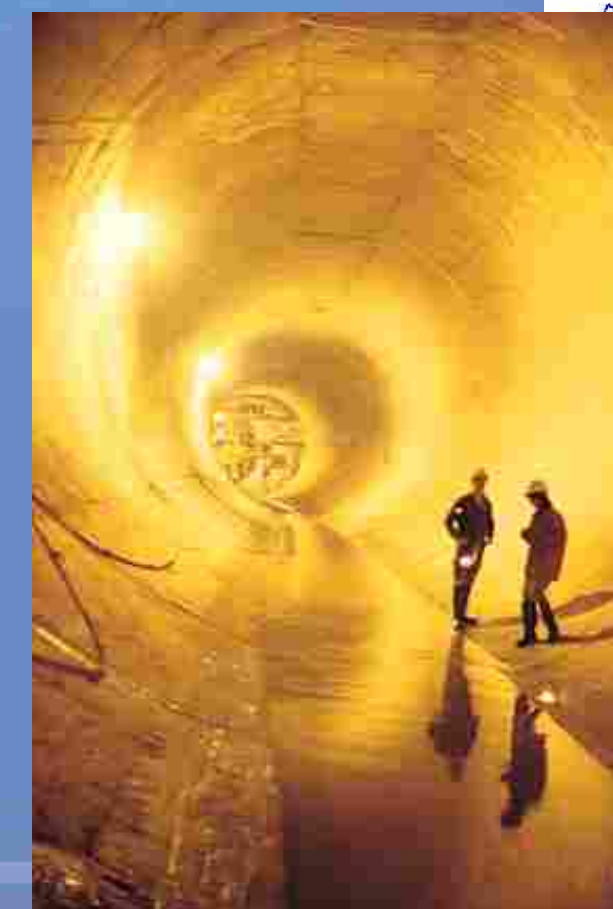
- from (quasi)-stationary flow in large network
- to highly transient flow as water-hammer

Interaction between the water and the air may appear :

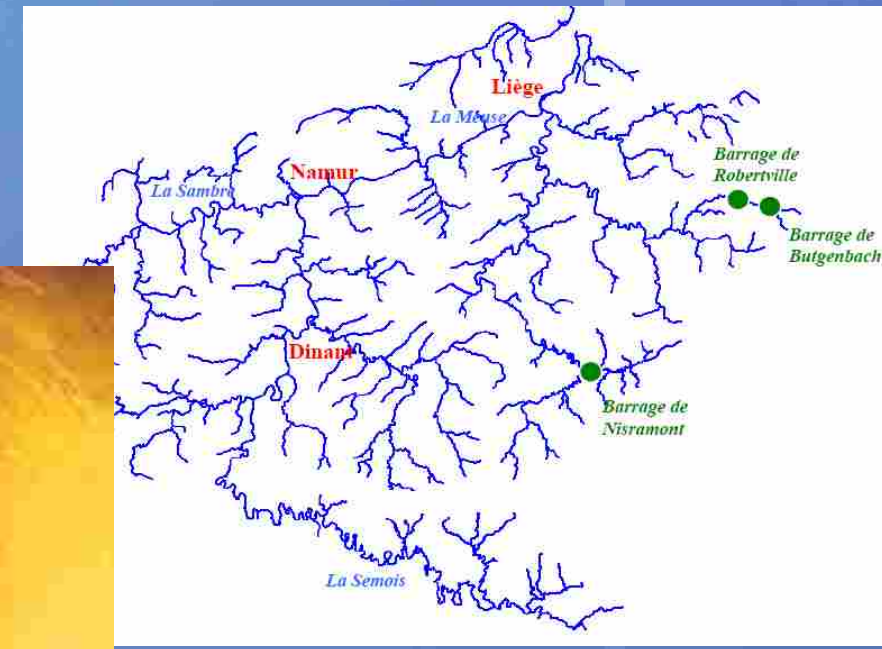
Aeration in a hydraulic jump.
Source : HACH



Photo : HACH



Chicago TARP system
Source : A. S. Leon



Wallonie river network
Source : HACH- P. Archambeau



The HACH research unit has been developing for over ten years two types of complementary activities, leading to an expertise in physical modelling of various hydraulic structures as well as in numerical simulation relying on the self-developed modeling system WOLF

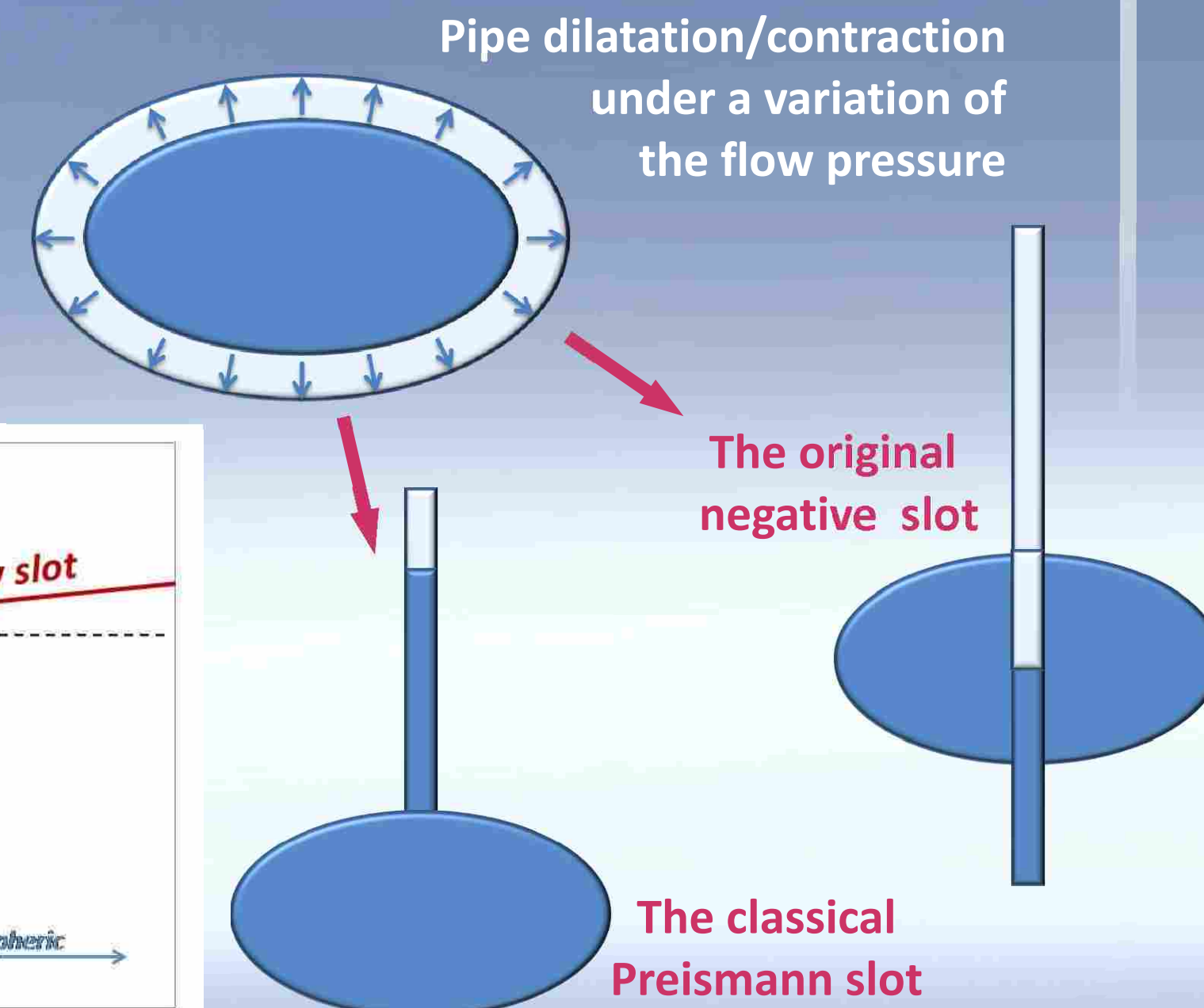
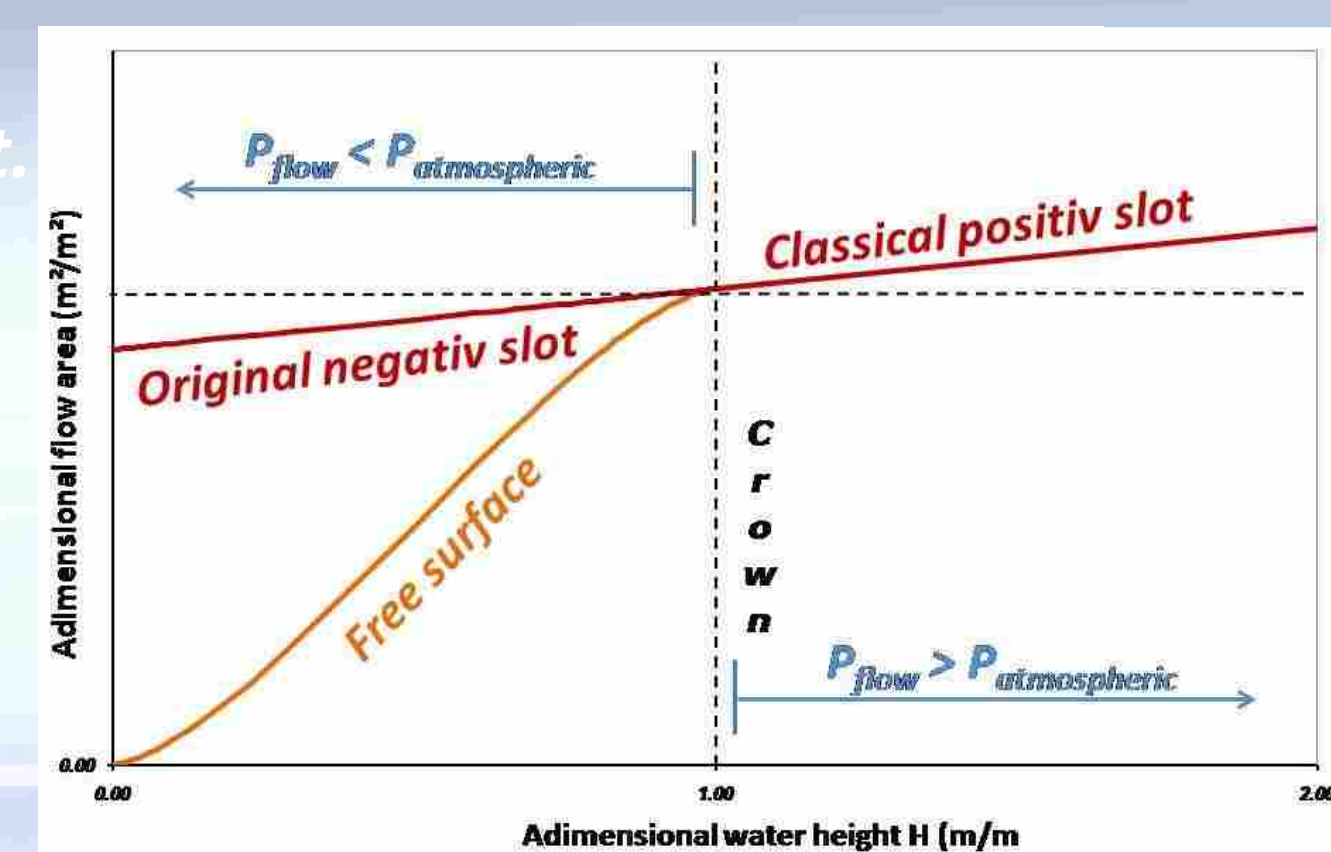
Theoretical development

1. The classical Preismann hypothesis sets out that a pressurized flow can be equally simulated through the free surface flow set of equations by adding a narrow slot at the top of the pipe.

2. An original negativ slot is proposed to take into account sub-atmospheric flow.

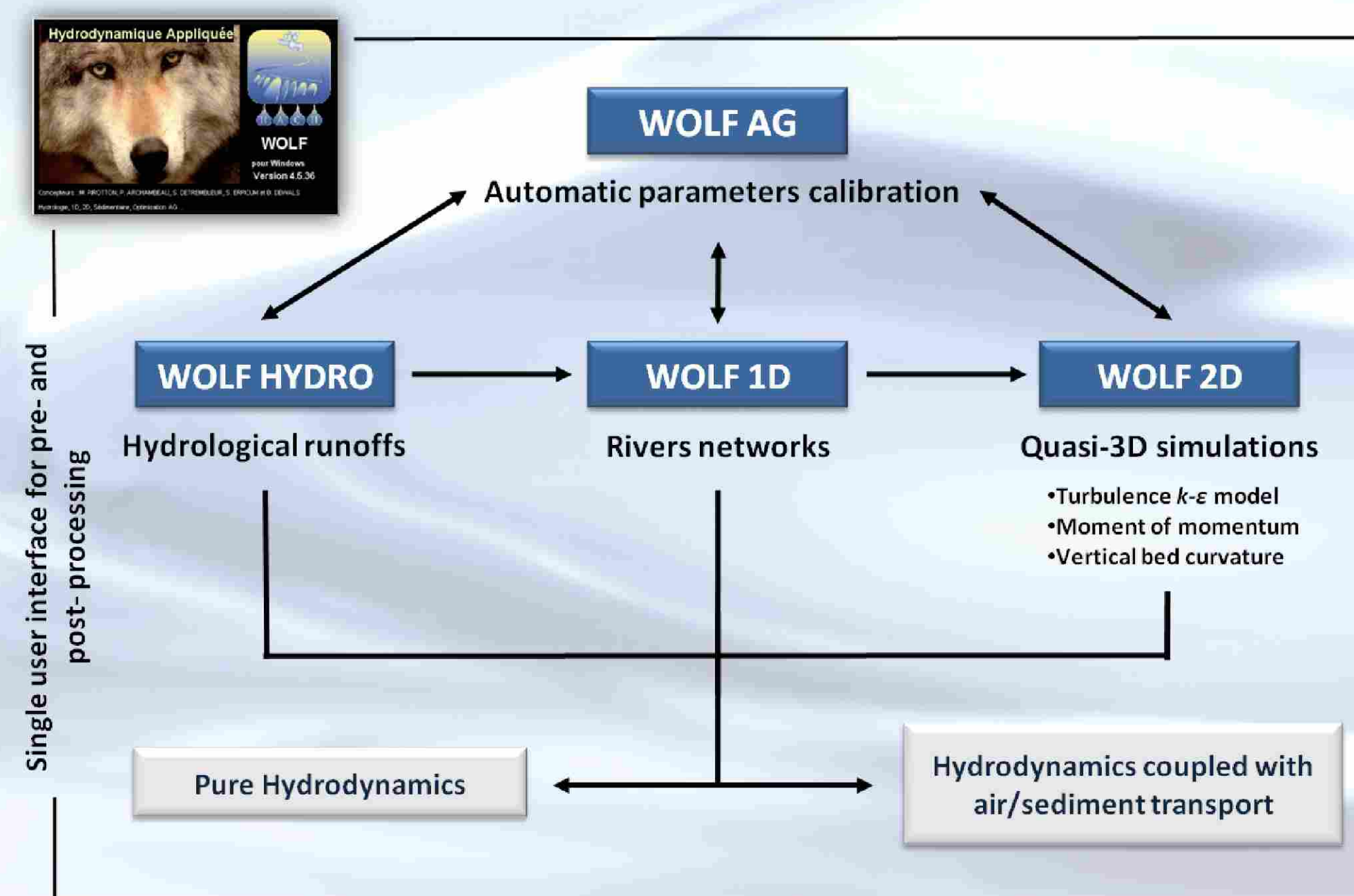
3. All the relevant geometrical information is implemented through the relation between

- the flow area,
- the water height.



Numerical environment for practical development

Implementation within the 1D module of the WOLF modelling system :



WOLF 1D

Navier-Stokes equations integrated on the flow area :

$$\frac{\partial \Omega}{\partial t} + \frac{\partial Q}{\partial x} = -q_l$$

$$\frac{\partial Q}{\partial t} + \frac{\partial}{\partial x} \left(\frac{Q^2}{\Omega} \right) + g\Omega \frac{\partial Z}{\partial x} = -J$$

Upwind Finite Volume Discretization
- Convective term : upstream
- Pressure term : downstream

Ω = flow area
 Q = flow discharge
 q_l lateral discharge
 Z = free surface elevation
 J = friction slope

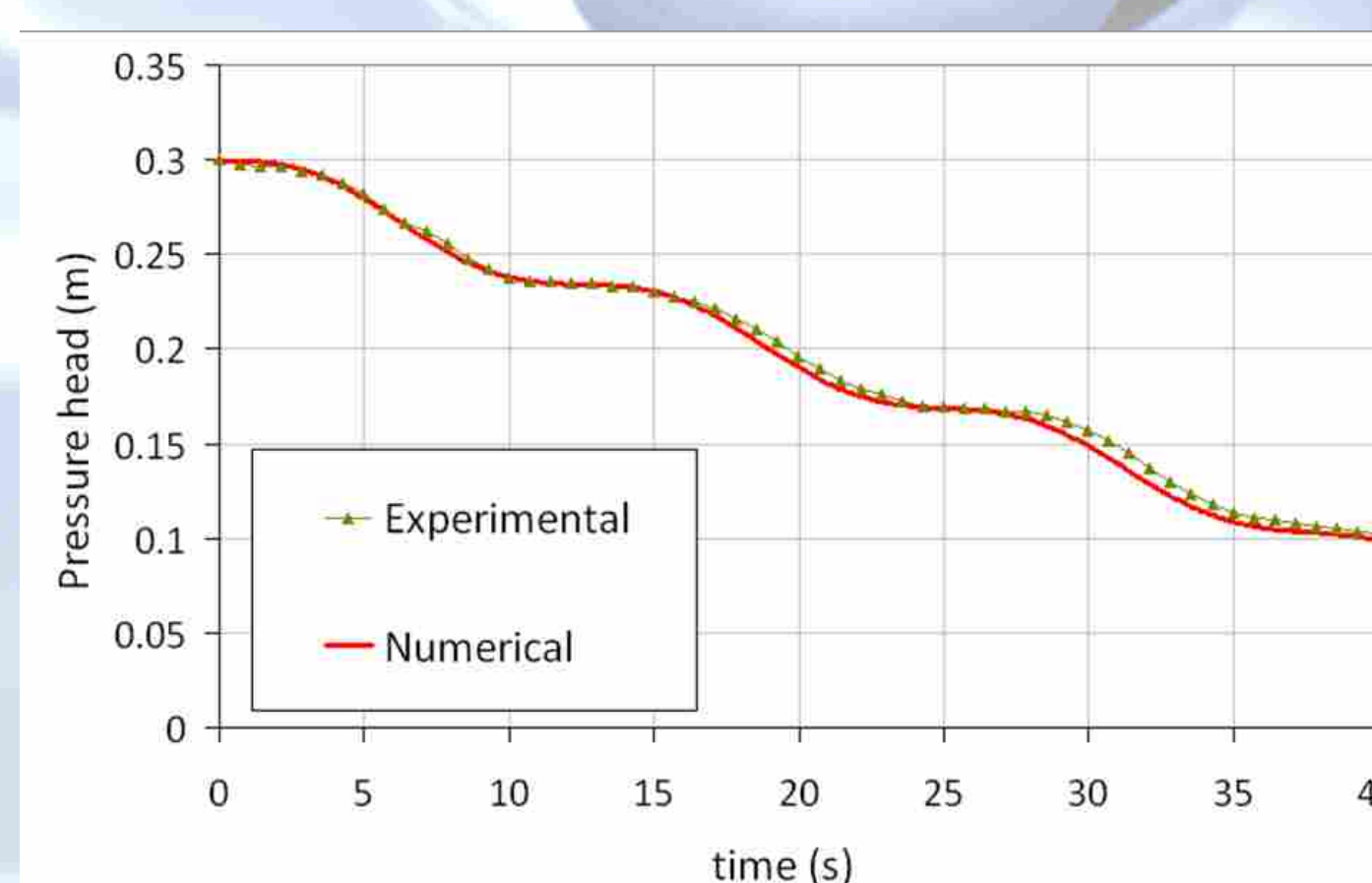
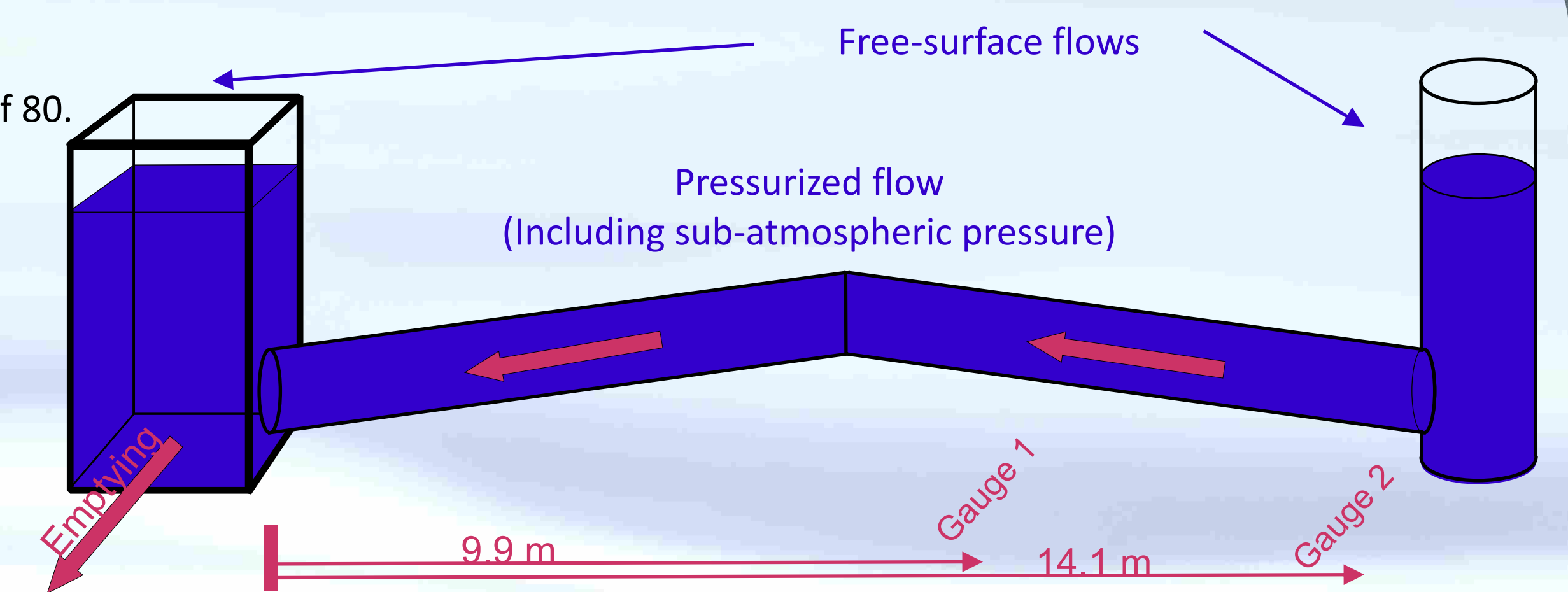
Model assessment on published benchmark

Experimental apparatus (Vasconcelos - 2005) :

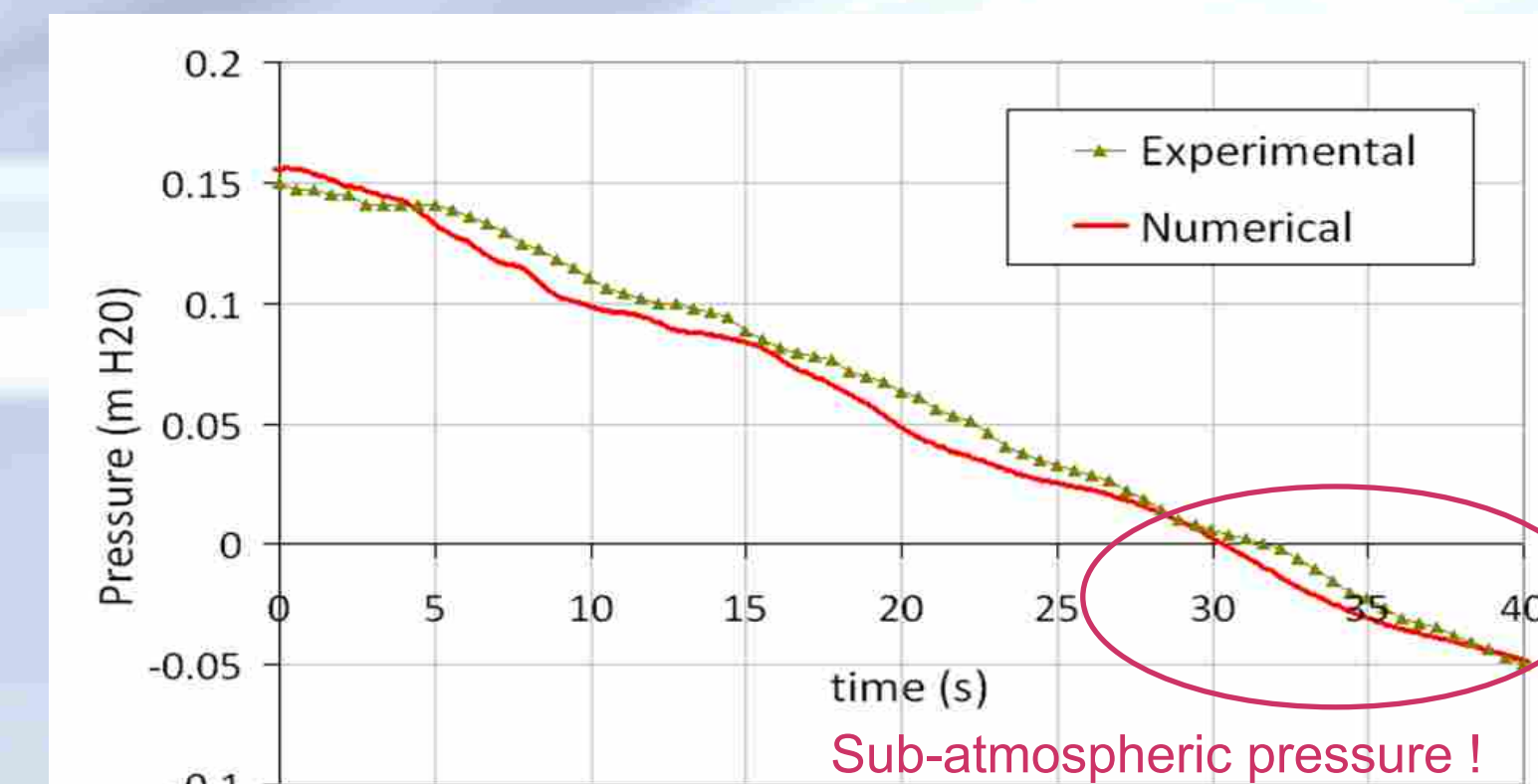
1. 2 storage towers connected by a pipe.
2. The pipe has a length of 14.1 m, a diameter of 9.4 cm and a Manning-Strickler coefficient of 80.
3. The pipe reaches its top 15 cm above the basic level.

Experimental procedure :

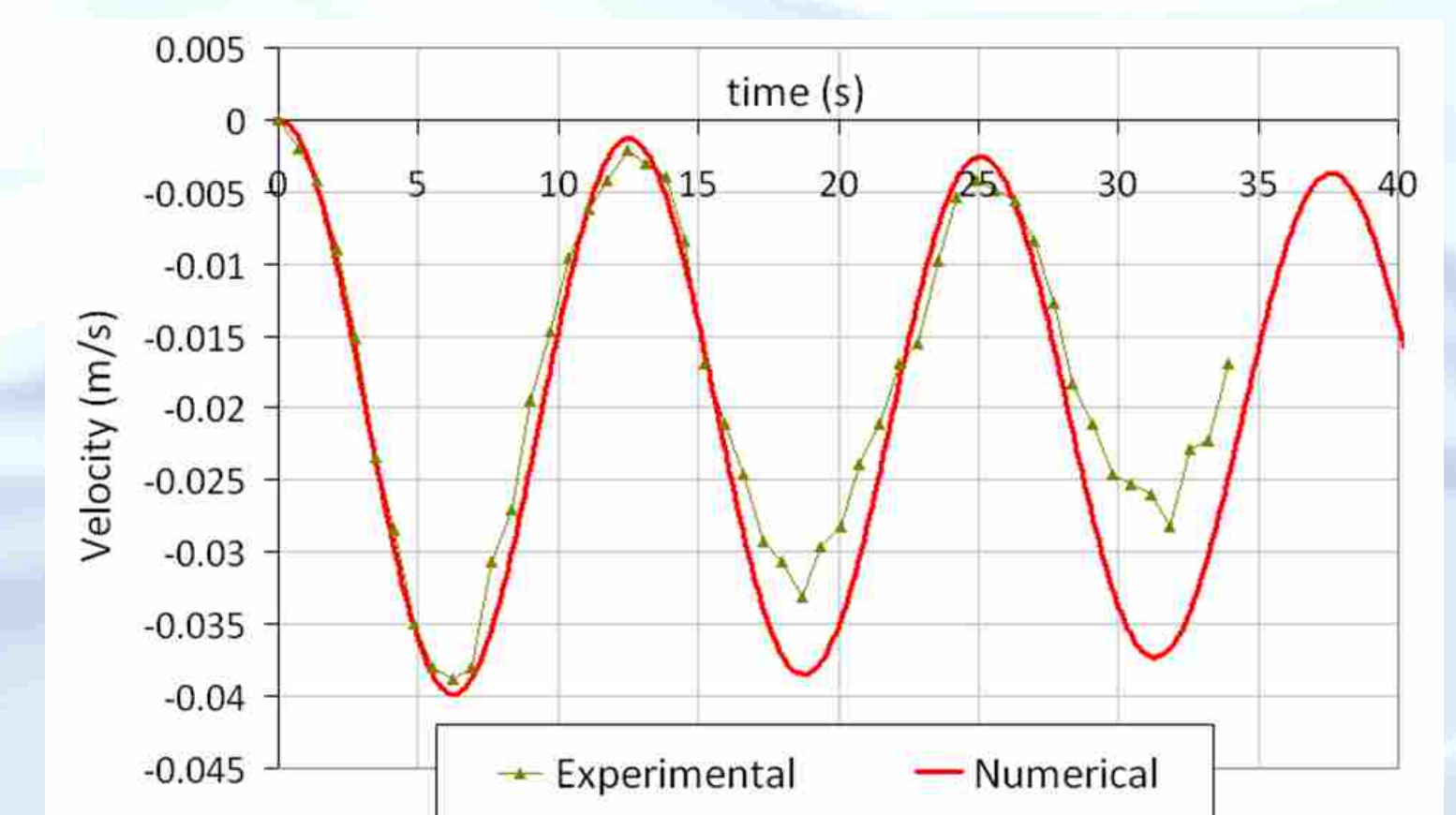
- the initial level of water is 30 cm,
- a controlled valve is opened at the bottom of the cubical storage tower resulting in the emptying of the pipe at a rate of 0.45 l/s
- the combination of the water level decrease and the fluid velocity increase creates a sub-atmospheric pressure at the top of the pipe.
- the temporal evolution of the pressure head is measured by the gauge 1 and 2
- the temporal evolution of the velocity is followed at the gauge 1.



Gauge 2 : pressure head



Gauge 1 : Pressure head



Gauge 1 : Velocity