

European Joint Programme on Radioactive Waste Management

# Advanced multiphysics of geomaterials: multiscale approaches and heterogeneities

ALERT OZ / EURAD GAS & HITEC Summer School 28 August – 01 September 2023 • Liège (Belgium)

> Pierre BÉSUELLE, <u>Frédéric Collin</u>, Anne-Catherine DIEUDONNÉ



The project leading to this application has received funding from the European Union's Horizon 2020 research and innovation programme under grant agreement n° 847593.



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# Advanced multiphysics of geomaterials: Multiscale modelling of gas flow

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Gilles Corman, Frédéric COLLIN



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#### Geological disposal of radioactive wastes

events years



10 100 1,000 10,000 100,000 1,000,000 excavation open drift waste emplacement backfilling – sealing – repository closure

Conceptual scheme of a deep geological repository.



Conceptual scheme of a deep geological repository.

#### Geological disposal of radioactive wastes

Complex multi-physical (THMC) processes



Major perturbations of the host rock over the lifetime of a geological repository, adapted from *Sillen (2012)*.



Conceptual scheme of a deep geological repository.

#### Geological disposal of radioactive wastes

- Complex multi-physical (THMC) processes
- Interactions between processes



Major perturbations of the host rock over the lifetime of a geological repository, adapted from *Sillen (2012)*.



Conceptual scheme of a deep geological repository.

#### Geological disposal of radioactive wastes

- Complex multi-physical (THMC) processes
- Interactions between processes





Conceptual scheme of a deep geological repository focussing on the gas generation process.

#### Gas migration issue



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Conceptual scheme of a deep geological repository focussing on the gas generation process.

#### Gas migration issue

Bedding Bridging

Gas release



 $\sigma_{\perp,EDZ}$ 

### Excavation damaged zone (EDZ)

 Governed by the hydraulic properties modifications induced by fracturation



Conceptual scheme of a deep geological repository focussing on the gas generation process.

### Gas migration issue



Expected gas transport modes in the EDZ and the sound rock, from ONDRAF/NIRAS (2016).

#### • Sound rock layers

- Governed by the rock structure <u>at a micro-level</u>
- Multi-Scale Model

#### Excavation damaged zone (EDZ)

 Governed by the hydraulic properties modifications induced by fracturation

### Content

## Context

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B Multi-scale modelling approach

Preliminary modelling

**6** Modelling gas injection experiment



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### Background



Phenomenological description of the gas transport processes relevant to low-permeable clayey rocks, adapted from Marschall et al. (2005).

#### **Classical HM two-phase flow models**

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#### **Classical HM two-phase flow models**



Triphasic porous medium



### Bright, Aster, Lagamine, OpenGEOSys, Though2/3

Phases and species

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#### Background



#### Laboratory experiments

#### **Clay-rich material**



Gas-induced fracturing, Wiseall et al. (2015)

#### Callovo-Oxfordian claystone



#### **Boom Clay**





Changes in Boom Clay pore size distribution after air injection, and corresponding FESEM images with zooms on the detected fissures, modified after Gonzalez-Blanco et al. (2022)

### Background



- Introduce stronger coupling between gas flow and mechanical behaviour into the models.
  - Advanced HM models

### Advanced HM models

#### Macroscopic models

- No direct representation of local phenomena
- Enriched with micromechanical effects
- ► Examples:
  - Natural heterogeneity based models Olivella and Alonso (2008)
  - Intrinsic permeability based models
  - Embedded fracture models
  - Explicit fracture based models

Pardoen et al. (2016)

Alonso et al. (2006) Cerfontaine et al. (2015)

![](_page_15_Picture_12.jpeg)

Embedded fracture model, from *Gerard et al (2014)*.

![](_page_15_Figure_14.jpeg)

![](_page_15_Picture_15.jpeg)

![](_page_15_Picture_16.jpeg)

#### Advanced HM models

Microscopic models

- Direct modelling of all the microstructure complexity at very low scale
- Useful for modelling at the process scale
- ► High computational expense at the scale of a repository

![](_page_16_Picture_6.jpeg)

From pore network to molecular model, from Yu et al. (2019).

![](_page_16_Figure_8.jpeg)

Study of the the physico-chemical properties of dissolved gases in several configurations of a hydrated clay system, from Owusu et al. (2022).

#### Advanced HM models

Micro-macro based models

- ► Combines the benefits from large- and small-scale modelling strategies
- Explicit description of all the constituents on their specific length scale through a REV definition

![](_page_17_Figure_5.jpeg)

Conceptual scheme of micro-macro based models, with microstructure definitions of a microcracked material, after (a) Levasseur (2013), (b) François (2010), and (c) van den Eijnden (2016).

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![](_page_18_Picture_6.jpeg)

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#### Overview

- Macro-to-micro scale transition: Localisation of the macro-scale deformations to the micro-scale
- Resolution of the boundary value problem at the micro-scale
- Micro-to-macro scale transition: Homogenisation of the micro-scale stresses to compute the macroscopic quantities
- Resolution of the boundary value problem at the macro-scale

![](_page_19_Figure_6.jpeg)

Conceptual scheme of the iterative process for the multiscale model

#### Hybrid developed tool

- Complete hydraulic system implemented and solved at the micro-scale
- Mechanical effects addressed at the macro-scale and implicitly integrated at the lower scale through HM couplings

![](_page_19_Picture_11.jpeg)

### Model formulation at the macroscopic scale

Clay material treated as a porous medium

![](_page_20_Figure_3.jpeg)

**Balance equations** 

Momentum

$$\frac{\partial \sigma_{ij}}{\partial x_j} + \rho g_i = 0$$

Water  
$$\underbrace{\dot{M}_{w} + \frac{\partial f_{w,i}}{\partial x_{i}}}_{\text{Liquid water}} - Q_{w} = 0$$

• Gas  $\underbrace{\dot{M}_{g} + \frac{\partial f_{g,i}}{\partial x_{i}}}_{\text{Dry gas}} + \underbrace{\dot{M}_{dg} + \frac{\partial f_{dg,i}}{\partial x_{i}}}_{\text{Dissolved gas}} - Q_{g} = 0$  Constitutive equations

Total stress definition

$$\sigma_{ij} = \sigma'_{ij} + b_{ij} \left[ S_{r_w} p_w^M + (1 - S_{r_w}) p_g^M \right] \delta_{ij}$$

Variation of solid density

$$\frac{\dot{\rho}_{s}}{\rho_{s}} = \frac{(b_{ij} - \phi)(S_{r}^{w}\dot{p}_{w} + S_{r}^{g}\dot{p}_{g}) + \dot{\sigma}'}{(1 - \phi)K_{s}}$$

![](_page_20_Picture_14.jpeg)

Unsaturated triphasic porous medium and definition of phases and species

#### Macro-to-micro scale transition: Localisation

Decomposition of the micro-kinematics:

 Macro-pressure fields (
<sup>M</sup>) of water and gas must be identical to the micro-quantities (
<sup>m</sup>) for any point of the material

$$p_w^M(\hat{P}) = p_w^m(\hat{P}) \qquad \qquad p_g^M(\hat{P}) = p_g^m(\hat{P})$$

 For any point P close to P̂, at the macroscopic scale:

$$p_w^M(P) \approx p_w^M(\hat{P}) + \frac{\partial p_w^M(\hat{P})}{\partial x_j} \left( x_j - \hat{x}_j \right) \qquad p_g^M(P) \approx p_g^M(\hat{P}) + \frac{\partial p_g^M(\hat{P})}{\partial x_j} \left( x_j - \hat{x}_j \right)$$

Higher-order terms neglected

at the microscopic scale:

$$p_w^m(P) \approx p_w^M(\hat{P}) + \frac{\partial p_w^M(\hat{P})}{\partial x_j} \left( x_j - \hat{x}_j \right) + p_w^f(\hat{P}) \qquad p_g^m(P) \approx p_g^M(\hat{P}) + \frac{\partial p_g^M(\hat{P})}{\partial x_j} \left( x_j - \hat{x}_j \right) + p_g^f(\hat{P})$$

Fluctuation fields to replace higher-order terms

#### Separation of scales

 Approach restricted to situations where the variations of the macroscopic fields is large compared to the variations of micro-scale fields

$$\frac{\partial p_w^M(\hat{P})}{\partial x_j} \left( x_j - \hat{x}_j \right) + p_w^f(\hat{P}) \ll p_w^M(\hat{P})$$
$$\frac{\partial p_g^M(\hat{P})}{\partial x_j} \left( x_j - \hat{x}_j \right) + p_g^f(\hat{P}) \ll p_g^M(\hat{P})$$

### Micro-scale boundary value problem

REV generation in general

- Representative of the microstructure
  - Large enough to represent the microstructure
  - Small enough to satisfy the principle of scale separation

![](_page_22_Figure_6.jpeg)

Representativeness of an elementary volume applied to the concept of porosity, *Bear (1972).* 

- Spatial repetition of a very small part of the whole microstructure
  - Relevant statistical representation of any random part of the micro-scale
  - Not a unique choice

![](_page_22_Figure_11.jpeg)

Examples of two rectangular unit cells, Anthoine (1995)

![](_page_23_Figure_0.jpeg)

#### Micro-scale boundary value problem

Balance equations at the micro-scale

![](_page_24_Figure_3.jpeg)

![](_page_24_Figure_4.jpeg)

![](_page_24_Figure_5.jpeg)

$$\begin{split} \dot{M}_{g}^{m} & \dot{M}_{dg}^{m} & \dot{M}_{w}^{m} \\ f_{w_{i}}^{m} &= \rho_{w} q_{w_{i}} \\ f_{g_{i}}^{m} &= \rho_{g} q_{g_{i}} \\ f_{dg_{i}}^{m} &= \rho_{dg} q_{w_{i}} + i_{dg_{i}} \end{split}$$
 Wass flows

 Mechanical effects: computed at the macro-scale and transferred to the micro-scale through <u>HM couplings</u>

![](_page_24_Picture_8.jpeg)

#### Micro-scale boundary value problem

Constitutive equations: Hydraulic problem considering a channel flow model (Navier-Stokes equations)

Advective component: 

![](_page_25_Figure_4.jpeg)

![](_page_25_Figure_5.jpeg)

![](_page_25_Figure_6.jpeg)

Laminar fluid flow profiles between two parallel plates

![](_page_25_Figure_8.jpeg)

Gas flow in between of water flows in a fracture space

Diffusive component

![](_page_25_Figure_11.jpeg)

 $k_{r_w} = \frac{S_r^2}{2}(3 - S_r)$  $k_{r_g} = (1 - S_r)^3$ 

![](_page_25_Figure_12.jpeg)

 $k_{r_w} = S_r^2$  $k_{r_g} = (1 - S_r)^2$ 

![](_page_25_Figure_13.jpeg)

![](_page_25_Figure_14.jpeg)

Gas flow in between of water flows in a circular pipe

$$d_{dg_i} = -S_{r_w} \,\bar{\tau} \, D_{dg/w} \, \rho_w \, \frac{\partial}{\partial x_i} \left( \frac{\rho_{dg}}{\rho_w} \right)$$

![](_page_25_Picture_19.jpeg)

#### Micro-scale boundary value problem

Constitutive equations: Hydro-mechanical couplings

Stress-dependent evolution of micro-elements aperture 

$$\Delta \sigma' = K_n \Delta h \qquad \Delta \sigma' = K \Delta D_b$$
$$K_n = \frac{K_n^0}{\left(1 + \frac{\Delta h}{h_0}\right)^2} \qquad K = \frac{2G}{D_0}$$

2G $\overline{D_0}$ 

![](_page_26_Figure_5.jpeg)

Constitutive law describing the normal behaviour of a rough rock joint, Cerfontaine (2015)

Stress-dependent formulation of the transmissivity and the entry pressure of micro-elements

![](_page_26_Figure_9.jpeg)

Definitions of the hydraulic and the mechanical aperture in reality (left) and in the modelling (right), Marinelli (2016)

#### Micro-scale boundary value problem

General principles for numerical resolution of the hydraulic system

- Hydraulic network respecting these conditions:
  - Anti-symmetric boundary fluxes
  - Macroscopic pressure gradient between the boundaries ٠
- Hydraulic problem established through mass balance on each node (j)
- Hydraulic problem solved
  - For a given configuration
  - Under steady-state conditions
  - By applying the macro-pressure to one node

![](_page_27_Figure_11.jpeg)

![](_page_27_Figure_12.jpeg)

Example of a channel network with the mass balance on node j

#### Micro-scale boundary value problem

General principles for numerical resolution of the hydraulic system

- Hydraulic network respecting these conditions:
  - Anti-symmetric boundary fluxes
  - Macroscopic pressure gradient between the boundaries

=> Channel (fracture or tube) mass fluxes of water and gas

 $\omega_{w} = -\underbrace{\frac{\rho_{w}k_{r_{w}}}{\mu_{w}}\kappa\frac{\partial p_{w}^{m}}{\partial s}}_{\text{Advection of liquid water}}$   $\omega_{g} = -\underbrace{\frac{\rho_{g}k_{r_{g}}}{\mu_{g}}\kappa\frac{\partial p_{g}^{m}}{\partial s}}_{\text{Advection of gaseous gas}} - \underbrace{H_{g}\frac{\rho_{g}k_{r_{w}}}{\mu_{w}}\kappa\frac{\partial p_{w}^{m}}{\partial s}}_{\text{Advection of dissolved gas}}$   $-\underbrace{S_{r_{w}}\bar{\tau}D_{dg/w}\frac{H_{g}}{\rho_{w}}\left(\frac{\rho_{w}\rho_{g,0}}{\rho_{g,0}}\frac{\partial p_{g}^{m}}{\partial s} - \frac{\rho_{g}\rho_{w,0}}{\chi_{w}}\frac{\partial p_{w}^{m}}{\partial s}\right)}_{\text{Advection of dissolved gas}}$ 

Diffusion of dissolved gas

![](_page_28_Figure_9.jpeg)

#### Micro-scale boundary value problem

General principles for numerical resolution of the hydraulic system

- Hydraulic problem established through mass balance on each node (j)
  - Mass conservation principle, *i.e.* for each node of the network, the sum of the input flows is equal to the sum of the output flows

$$\frac{d\omega_{\alpha}^{i}}{ds^{i}} = 0 \qquad \Leftrightarrow \qquad \omega_{\alpha}^{i-1} + \omega_{\alpha}^{i} + \omega_{\alpha}^{i+1} = 0$$
$$\alpha = w, g \qquad \text{Liquid or gaseous phase}$$

Well-posed hydraulic system to solve

$$\begin{bmatrix} G_{ww} \end{bmatrix} \left\{ p_w^m \right\} = 0 \qquad \begin{bmatrix} G_{gg} \end{bmatrix} \left\{ p_g^m \right\} + \begin{bmatrix} G_{gw} \end{bmatrix} \left\{ p_w^m \right\} = 0$$

- For a given configuration
- Under steady-state conditions
- By applying the macro-pressure to one node

![](_page_29_Figure_11.jpeg)

### Micro-to-macro scale transition: Homogenisation

Fluid fluxes

$$f_{w_i}^{M} \frac{\partial p_{w}^{\star,M}}{\partial x_i} = \frac{1}{\Omega} \int_{\Omega} f_{w_i}^{m} \frac{\partial p_{w}^{\star,M}}{\partial x_i} d\Omega = \frac{1}{\Omega} \int_{\Gamma} \bar{q}_{w}^{m} p_{w}^{\star,M} d\Gamma$$
$$= \frac{1}{\Omega} \frac{\partial p_{w}^{\star,M}}{\partial x_i} \int_{\Gamma} \bar{q}_{w}^{m} x_i d\Gamma$$
$$= \frac{1}{\Omega} \int_{\Gamma} \bar{q}_{w}^{m} x_i d\Gamma$$

$$M_{w}^{M} = \frac{1}{\Omega} \int_{\Omega_{w}^{int}} \rho_{w} d\Omega$$
  
=  $\rho_{w} S_{r_{w}} \phi_{n}$   
$$M_{g}^{M} = M_{g}^{m} + M_{dg}^{m}$$
  
=  $\frac{1}{\Omega} \left( \int_{\Omega_{g}^{int}} \rho_{g} d\Omega + \int_{\Omega_{w}^{int}} \rho_{dg} d\Omega \right)$   
=  $\rho_{g} (1 - S_{r_{w}}) \phi_{n} + \rho_{dg} S_{r_{w}} \phi_{n}$ 

$$f_{g_i}^M + f_{dg_i}^M = \frac{1}{\Omega} \int_{\Gamma} \bar{q}_g^m x_i d\Gamma$$

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#### Macro-scale boundary value problem

• Under matrix form:

$$\begin{bmatrix} \begin{bmatrix} K_{ww}^{M} \end{bmatrix}_{(3\times3)} & \begin{bmatrix} K_{wg}^{M} \end{bmatrix}_{(3\times3)} \\ \begin{bmatrix} K_{gw}^{M} \end{bmatrix}_{(3\times3)} & \begin{bmatrix} K_{gg}^{M} \end{bmatrix}_{(3\times3)} \end{bmatrix} \begin{cases} \left\{ \begin{array}{c} \delta \nabla p_{w}^{M} \\ \delta p_{w}^{M} \end{array} \right\}_{(3)} \\ \left\{ \begin{array}{c} \delta \nabla p_{g}^{M} \\ \delta p_{g}^{M} \end{array} \right\}_{(3)} \end{cases} = \begin{cases} \left\{ \begin{array}{c} \delta f_{w}^{M} \\ \delta \dot{M}_{w}^{M} \end{array} \right\}_{(3)} \\ \left\{ \begin{array}{c} \delta f_{g}^{M} \\ \delta \dot{M}_{g}^{M} \end{array} \right\}_{(3)} \end{cases}$$

Summarized as:

$$\left[A^{M}\right]_{(10\times10)}\left\{\delta U^{M}\right\}_{(10)}=\left\{\delta\varSigma^{M}\right\}_{(10)}$$

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## Context

2 From experimental evidence to modelling

B Multi-scale modelling approach

Preliminary modelling

**6** Modelling gas injection experiment

![](_page_32_Picture_6.jpeg)

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### **One-element simulation**

Bedding plane separation:

• 300µm

#### Bedding plane aperture:

• 0.1µm

Tubes diameter → Distribution curve

Bridging plane aperture  $\rightarrow$  not considered

![](_page_33_Figure_8.jpeg)

Injection test

- Mechanically blocked
- Water pressure increase
  - 3MPa to 5MPa
- Gas pressure imposed at 3MPa

![](_page_33_Picture_14.jpeg)

![](_page_34_Figure_1.jpeg)

![](_page_35_Figure_2.jpeg)

![](_page_36_Figure_2.jpeg)

![](_page_37_Figure_2.jpeg)

![](_page_38_Figure_2.jpeg)

![](_page_39_Figure_2.jpeg)

### **Model verification**

### Comparison with a macro-scale THM coupled model

Geometry

![](_page_40_Figure_3.jpeg)

### **Model verification**

### Comparison with a macro-scale THM coupled model

#### Water-related results

![](_page_41_Figure_3.jpeg)

### **Model verification**

### Comparison with a macro-scale THM coupled model

#### Gas-related results

![](_page_42_Figure_3.jpeg)

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![](_page_43_Picture_6.jpeg)

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Characterisation of the microstructure parameters

- ► 1. Size of the REV
- Bedding plane separation  $w = 300 \ \mu m$

![](_page_44_Figure_4.jpeg)

![](_page_44_Figure_5.jpeg)

W

![](_page_44_Figure_6.jpeg)

Fitting of the pore size distribution Effect of small-size pores (Tortuosity = Calibration factor)

![](_page_44_Figure_8.jpeg)

![](_page_44_Figure_9.jpeg)

![](_page_45_Figure_1.jpeg)

#### Characterisation of the microstructure parameters

![](_page_46_Figure_2.jpeg)

 5. Retention curve Van Genuchten (1980)

![](_page_46_Figure_4.jpeg)

► 6. Normal stiffness of the fracture Goodman (1976)

![](_page_46_Figure_6.jpeg)

#### Geometry and boundary conditions

![](_page_47_Figure_2.jpeg)

#### Parameters

#### Reservoirs

	Stiff el Highly Flat re	ements: conductive: tention curve:	E = 10000MPa n = 0.5 $P_{entry} = 0.01MPa$	v = 0.3 $k = 10^{-10}m^2$
Boo	om Cl	ay matrix		
•	Mechanical:		E = 200 - 400 MPa	v = 0.33
•	Hydraulic:			
	•	Initial aperture:	$0.80 - 1.27 \cdot 10^{-7}m$	
	•	Initial permeability:	$2.0 - 4.0 \cdot 10^{-19} m^2$	
	•	Initial porosity:	0.363	

#### Boom Clay Zone of Fracture Development (ZFD)

![](_page_47_Figure_7.jpeg)

**Simulation stages** 

![](_page_48_Figure_2.jpeg)

![](_page_49_Figure_1.jpeg)

![](_page_50_Figure_1.jpeg)

![](_page_51_Figure_1.jpeg)

![](_page_52_Figure_1.jpeg)

![](_page_52_Figure_2.jpeg)

![](_page_52_Picture_3.jpeg)

![](_page_52_Figure_4.jpeg)

![](_page_53_Figure_0.jpeg)

![](_page_54_Figure_1.jpeg)

### Injection and recovery pressures

![](_page_55_Figure_2.jpeg)

![](_page_55_Figure_3.jpeg)

![](_page_55_Figure_4.jpeg)

### Injection and recovery pressures

![](_page_56_Figure_2.jpeg)

![](_page_56_Figure_3.jpeg)

#### Effect of the connectivity of the planes

![](_page_57_Figure_2.jpeg)

![](_page_57_Figure_3.jpeg)

### Gas injection experiment

### Effect of the connectivity of the planes

![](_page_58_Figure_3.jpeg)

![](_page_58_Picture_4.jpeg)

![](_page_58_Picture_5.jpeg)

![](_page_58_Picture_6.jpeg)

![](_page_58_Picture_7.jpeg)

![](_page_58_Figure_8.jpeg)

Air dissipation

![](_page_58_Figure_11.jpeg)

### Gas injection experiment

#### Effect of the connectivity of the planes

![](_page_59_Figure_3.jpeg)

![](_page_59_Picture_4.jpeg)

![](_page_59_Picture_5.jpeg)

![](_page_59_Picture_6.jpeg)

Around 50000s

![](_page_59_Figure_7.jpeg)

Air dissipation

![](_page_59_Picture_9.jpeg)

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### Gas injection experiment

#### Effect of the connectivity of the planes

![](_page_60_Figure_3.jpeg)

![](_page_60_Picture_4.jpeg)

Start injection

![](_page_60_Picture_6.jpeg)

<u></u>

Breakthrough Around 50000s

![](_page_60_Figure_9.jpeg)

![](_page_60_Figure_10.jpeg)

Air dissipation

![](_page_60_Figure_12.jpeg)

eurac

### Gas injection experiment

### Effect of the connectivity of the planes

![](_page_61_Figure_3.jpeg)

![](_page_61_Picture_4.jpeg)

Start injection

![](_page_61_Picture_6.jpeg)

![](_page_61_Picture_7.jpeg)

Breakthrough Around 50000s

![](_page_61_Picture_9.jpeg)

![](_page_61_Figure_10.jpeg)

Air dissipation

![](_page_61_Picture_12.jpeg)

![](_page_61_Picture_13.jpeg)

![](_page_61_Figure_14.jpeg)

Effect of the connectivity of the planes under up-scaling

![](_page_62_Figure_2.jpeg)

![](_page_62_Picture_3.jpeg)

Effect of the connectivity of the planes under up-scaling

![](_page_63_Figure_2.jpeg)

![](_page_63_Figure_3.jpeg)

Effect of the connectivity of the planes under up-scaling

![](_page_64_Figure_2.jpeg)

![](_page_64_Figure_3.jpeg)

![](_page_64_Figure_4.jpeg)

ction Breakthrough Around 100000s

![](_page_64_Picture_6.jpeg)

Air dissipation

Effect of the connectivity of the planes under up-scaling

![](_page_65_Figure_2.jpeg)

![](_page_65_Figure_3.jpeg)

![](_page_65_Figure_4.jpeg)

Around 100000s

![](_page_65_Figure_5.jpeg)

![](_page_65_Figure_6.jpeg)

Air dissipation

eurac

Effect of the connectivity of the planes under up-scaling

![](_page_66_Figure_2.jpeg)

![](_page_66_Figure_3.jpeg)

![](_page_66_Figure_4.jpeg)

Start injection

![](_page_66_Picture_6.jpeg)

Breakthrough Around 100000s

![](_page_66_Figure_8.jpeg)

Air dissipation

eurac

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![](_page_66_Figure_10.jpeg)

Effect of the connectivity of the planes under up-scaling

![](_page_67_Figure_2.jpeg)

![](_page_67_Picture_3.jpeg)

Start injection

![](_page_67_Picture_5.jpeg)

![](_page_67_Picture_6.jpeg)

![](_page_67_Picture_7.jpeg)

Breakthrough Around 100000s

![](_page_67_Picture_9.jpeg)

Air dissipation

![](_page_67_Picture_11.jpeg)

![](_page_67_Picture_12.jpeg)

![](_page_67_Picture_13.jpeg)

![](_page_67_Picture_14.jpeg)

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![](_page_68_Picture_6.jpeg)

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# Conclusions

### We developed a multi-scale model able to

- 1. Simply idealise the microstructure of the rock with fractures and tubes
- 2. Reproduce mechanisms inherent to gas migrations in sound rock layers

### We **showed** that

- 1. Macro-pores, bedding planes and bridging planes play different roles in gas flows
- 2. Preferential flow paths can be generated through fractures with weaker properties
- 3. Different gas mechanisms occur in the presence of weaker bridging planes

![](_page_70_Picture_0.jpeg)

European Joint Programme on Radioactive Waste Management

# Advanced multiphysics of geomaterials: multiscale approaches and heterogeneities

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### Pierre BÉSUELLE, <u>Frédéric Collin</u>, Anne-Catherine DIEUDONNÉ, Sebastia OLIVELLA

![](_page_70_Picture_5.jpeg)

The project leading to this application has received funding from the European Union's Horizon 2020 research and innovation programme under grant agreement n° 847593.