Assessment of geometric variability effects through a viscous through-flow model applied to modern axial-flow compressor blades



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SAFRAN AERO BOOSTERS

Context

Geometric variability of low-pressure compressor blades

Performance variation





Manufacturing tolerances?

- Need of rigorous/robust definition
- Linked to manufacturing process
- Simplify the treatment of poorly made parts



Methodology & objectives



Outline





Outline





ASTEC: a viscous through-flow model

Circumferential averaged Navier-Stokes equations:



Non-intrusive formulation for CFD solver:

$$\frac{\partial U}{\partial t} + \frac{\partial (F - F_v)}{\partial x} + \frac{\partial (G - G_v)}{\partial r} = S + \left[\frac{(F_v - F)}{b} \frac{\partial b}{\partial x} + \frac{(G_v - G)}{b} \frac{\partial b}{\partial r} \right]$$
Blockage factor terms (known)

Viscous TF model: closure models



Reynolds stress τ_{reys} : standard **turbulence model** (k - l Smith)



 l_t [m]

Viscous TF model: closure models

Circumferential averaged Navier-Stokes equations:

$$\frac{\partial \boldsymbol{U}}{\partial t} + \frac{\partial (\boldsymbol{F} - \boldsymbol{F}_{v})}{\partial x} + \frac{\partial (\boldsymbol{G} - \boldsymbol{G}_{v})}{\partial r} = \boldsymbol{S}$$

Inviscid blade force decomposition *B*_i :

- Reynolds stress
- Inviscid blade force
- Viscous blade force
- Axisymmetric source terms



Closure models: blade forces



Correlations for δ and ω

Deviation angle $\delta \rightarrow$ inviscid blade force

- δ_{TE} from cascade experiments (Lieblein)
- Linear variation with incidence around design conditions
- $\delta = \delta_{TE} \frac{\kappa_{LE} \kappa}{\kappa_{LE} \kappa_{TE}}$ Blade angle

Loss coefficient $\omega \rightarrow$ viscous blade force

• From cascade experiments (Lieblein)

Profile loss only



Outline





Closure model assessment



Closure model assessment



- Good prediction (low margin)
- 600 times faster
- Sources of errors: τ_{circ} , closure model form, δ_{TE} distribution, blockage assumption, turbulence model...

Model able to predict performance

But exact δ , ω unknown in practice...

Correlations assessment

 \succ Error quantification of **correlations** for δ , ω



Correlations assessment

 \succ Error quantification of **correlations** for δ , ω



• Inaccurate when applied to the modern compressor

Correlations assessment

\succ Error quantification of **correlations** for δ , ω



- Rotor deviation angle correction \rightarrow total pressure ratio improvement
- Mach number effect added to loss coefficient

Strong dependence of model prediction with respect to correlation accuracy

Outline





Geometry in through-flow model



Incidence correction

- Avoid flow angle discontinuity
- Modification of blade skeleton @ LE
- Unchanged correlation input





Incidence correction can smooth variability @ LE

Camber line definition



Geometric variabilities

> Assess adequacy to predict performance variation due to geometric variabilities

Preliminary analysis

- @ nominal conditions
- Relative variations
- Stator blades



- LE blade angle variability
- 3D position of undeformed & endwalls deformation



Geometric variabilities: LE blade angle



Geometric variabilities: stagger angle





Geometric variabilities: blade position



Conclusion

Through- flow model

- Reliable low-fidelity method
- Good prediction of performance
- Strong **dependence** between performance prediction and **correlation accuracy**
- Promising approach to drastically reduce CPU cost compared to 3D RANS for multi-fidelity approach and UQ

Geometrical variability	 Modeling aspects (incidence correction and camber line definition) smear variability propagation @ LE Global good agreement for performance variation Promising first step towards the use of TF modeling for geometric uncertainty quantification
Future work	 Correlation improvement @ high incidence Thorough analysis of geometric variability propagation Strength and weakness of the model

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BACK-UP

Geometry in through-flow model



Indirect impact on correlations byflow quantities

