

# Dynamic numerical modelling of co-seismic landslides using the 3D distinct element method: insights from the Balta rockslide (Romania)

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## ABSTRACT

Ancient landslides of unknown origin can be found in large numbers in hilly and mountainous regions; some represent valid markers of (pre-)historic natural regimes referring to either long-term evolution or short-term peak events of climatic and seismotectonic nature. The Balta rockslide in the Romanian Carpathian Mountains represents such a key site: its location in the seismically active Vrancea-Buzau region, as well as its morphological features, deep-seated shape and large debris volume, raise the question of its failure history with regard to a possible co-seismic triggering. A 3D volume based reconstruction of the slope morphology together with field measurements of elasto-plastic in-situ rock properties allow to estimate pre-failure conditions of the slope, with special regards to the geological, i.e. flysch bedrock of poor to fair rock quality, and structural, i.e. anti-dip slope bedding crossed by the main joint family, settings of the slope. The reconstructed slope behaviour was tested under static and dynamic forces with the 3D distinct element code 3DEC (Itasca), subsequently used to simulate a failure scenario with a 120 s long real earthquake record that leads to the actual post-failure morphology of Balta. For the latter, we observe a principally joint-guided failure combined with internal fracturing of the intact rock mass. After 230 s of simulated time, the landslide debris reaches the valley bottom with maximum displacements of 1350 m and is marked by a lateral expansion to a broader extent than the source zone width, as observed in the field. Extended analyses of this work to other pre-historic slope failures in the valleys of Vrancea-Buzau can constitute valuable new information for future seismic hazard estimations of the region.

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## 1. Introduction

The characteristics, scale and effects of co-seismic landslides depend on multiple aspects that are linked to the energy of the associated seismic event and to the local settings of the affected rock slope (Keefer, 1984; Khazai and Sitar, 2004; Sassa, 1996; Romeo, 2000). Such factors comprise the shaking intensity of the seismic event, which depends on the epicentral distance, focal mechanism and depth, and the energy transmission to the slope, which is affected by the local geological, structural and morphological setting.

Various site-specific factors are known to intensify the seismic impact on slopes: (1) topographic effects, depending on the slope morphology in terms of steepness, height and curvature, can result in amplification of incident seismic

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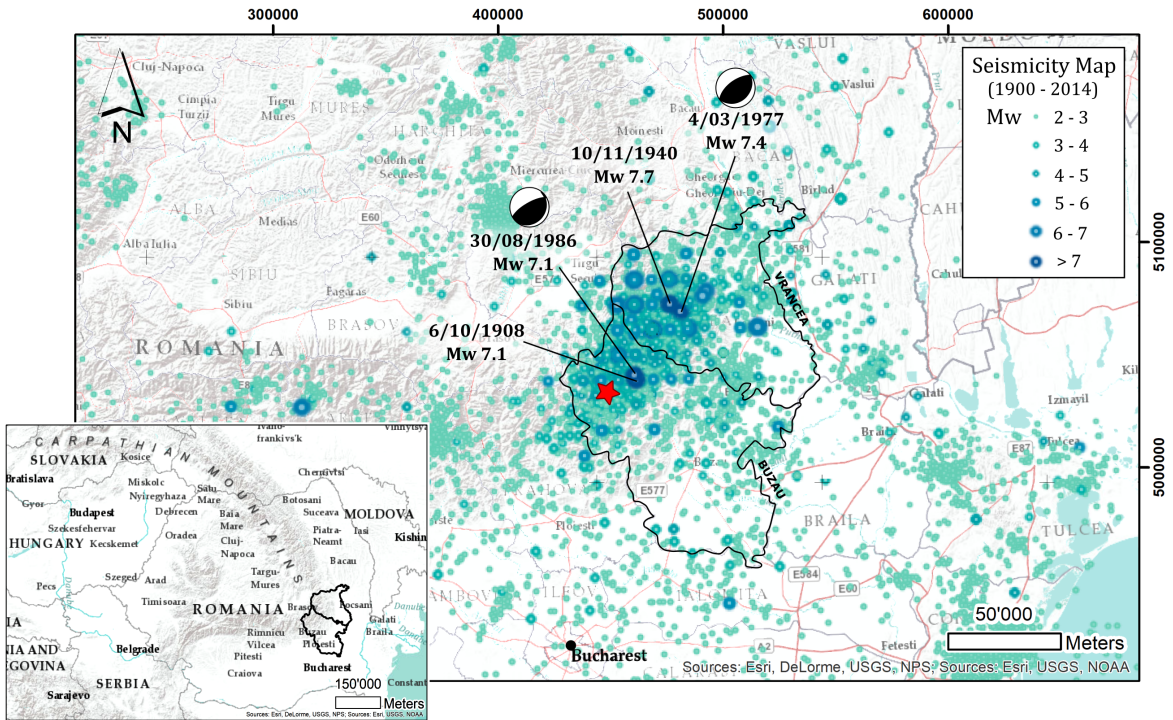
9 waves (especially at slope and mountain crests; cf., Havenith et al., 2003b; Sepúlveda et al., 2005; Meunier et al., 2008;  
 10 Huang et al., 2012; Maufroy et al., 2015); (2) geological and structural effects, comprising lithological predispositions  
 11 (e.g., high impedance contrast between geological formations; cf., Bozzano et al., 2008; Bourdeau and Havenith, 2008;  
 12 Luo et al., 2019) as well as structural settings (e.g., sliding prone dip angle and orientation of bedding planes or discon-  
 13 tinuities, possibly coupled with reduced joint strength; cf., Willenberg et al., 2008; Stead and Wolter, 2015; Scholtès  
 14 and Donzé, 2015); (3) weakened surface material, conditioned by micro- to macro-scale fracturing, weathering or  
 15 long-term fatigue (cf., Moore et al., 2011; Gischig et al., 2015; Burjánek et al., 2018); (4) hydrogeological regime  
 16 changes as a result of intense precipitation events and fluctuating groundwater pressures as well as seismic-induced  
 17 effects such as liquefaction (cf., Iverson et al., 1997; Wang and Sassa, 2003, 2009).

18 Engineering geology models, established with numerical modelling codes, are a common tool to analyse the effects  
 19 of seismic waves on a rock slope (e.g., Bozzano et al., 2008; Pal et al., 2012; Gischig et al., 2015, 2016; Song et al.,  
 20 2020; Luo et al., 2020; He et al., 2020). Numerical simulations are largely applied in the analysis of anisotropic and  
 21 jointed rock slopes (e.g., Kim et al., 2015; Bonilla-Sierra et al., 2015; Che et al., 2016; Li et al., 2019), taking into  
 22 account the discontinuity of rock mass as an important factor for the overall slope stability, as they can be crucial for  
 23 seismic wave propagation as well as amplification and polarization effects.

24 For (pre-)historic seismic landslides, the comprehension of interacting factors that are at the origin of the slope  
 25 failure can be quite challenging. However, as outlined by Crozier (1992) and Jibson (1996), the study of paleoseismic  
 26 landslides allows to better understand the paleoseismicity of a region, provided they can be dated and their co-seismic  
 27 origin can be shown. In general, the failure history of ancient landslides in seismic regions is difficult to infer and  
 28 extensive understanding of past interactions between seismic loads, geological-geomechanical conditions and local site  
 29 effects is required. Various studies back-analyse the development of (pre-)historic rock slope failures with a possible  
 30 seismic history using numerical modelling techniques, such as Singeisen et al. (2020) for the 3.2 ka old Kandersteg  
 31 rock avalanche, Swiss Alps, Bozzano et al. (2011) for the historic Scilla rock avalanche triggered by the 1783 Calabria  
 32 earthquake, South Italy, or Zhu et al. (2019) for the seismically triggered Tahman paleolandslide in the eastern Pamir,  
 33 Northwest China.

34 In this paper, we study a paleo-rockslide in the flysch belt of the Carpathian Mountains of Romania, located in  
 35 the seismic region of Vrancea-Buzau (see Figure 1), which presents morphological features that suggest a co-seismic  
 36 origin (see description of study site in section 2 about the landslide's source area, depth and volume). Furthermore,  
 37 this site allows for an experimental approach of slope reconstruction to pre-failure conditions, and for testing factors  
 38 in the static and dynamic domains that possibly led to the present-day slope shape. In regard to the seismic context of  
 39 the region, we are particularly interested in the effects of dynamic simulations of the slope - in a broader perspective,  
 40 the latter can help to identify slopes such as Balta as marker of the pre-historic seismic activity of the Vrancea-Buzau

41 region in Romania. In earlier works, Lemaire et al. (2020) studied the structural setting of the Balta slope, while Mreyen  
 42 et al. (2021) analysed its geomorphic features and characterized the slide deposits as well as the in-situ sedimentary  
 43 rock with geophysical methods. Here, we estimate a pre-failure state of the rock slope, i.e. prior to landsliding, and  
 44 test the impact of seismic loading in realistic conditions with numerical modelling using 3DEC (3-dimensional distinct  
 45 element code, version 5.2; Itasca, 2016).

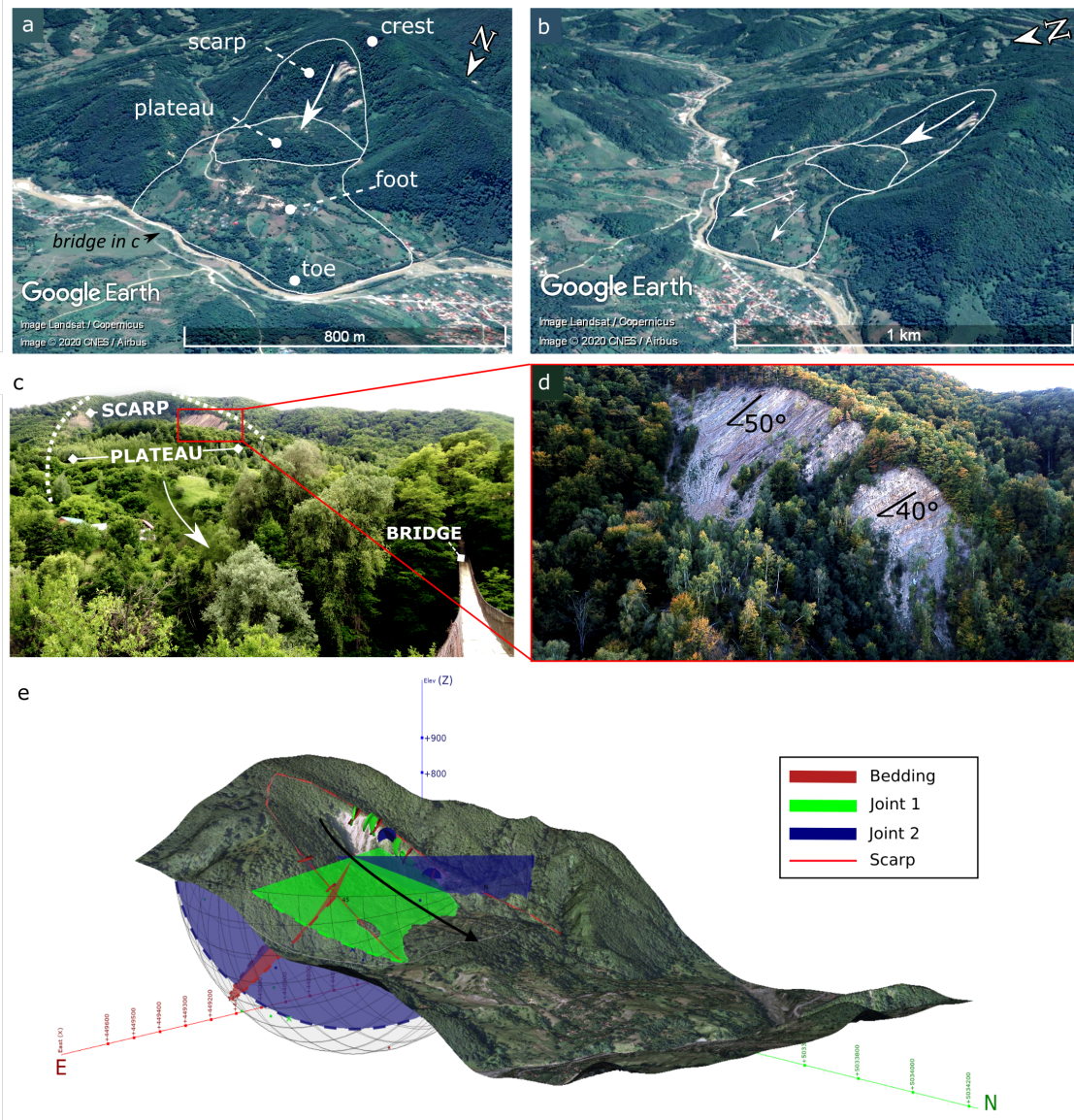


**Figure 1:** Location of the study area (marked by red star) in the seismic region of Vrancea-Buzau, Romania, after Mreyen et al. (2021).

## 46 2. Study site

47 The ancient Balta rockslide can be classified as rock rotational slide (after the classification of Hungr et al., 2014),  
 48 presenting distinct morphologies such as a detachment scarp of approximately 250 m height (visible from the valley)  
 49 and a large plateau area generated by the landslide deposit (Figure 2a and 2c). The studies of Mreyen et al. (2021)  
 50 established a maximum depth of the landslide rupture surface at 70-90 m depth using a combination of active and  
 51 passive seismic methods, and inferred a landslide volume of approximately 28.5-33.5 million m<sup>3</sup>. The geophysical  
 52 measurements highlighted the intense fracturing and fragmentation of the material constituting the landslide body,  
 53 particularly within foot and toe, while more massive sandstone blocks can be found near the source area. In general,  
 54 the flysch rock properties of the study area can be described as weak (estimated GSI of 35-45 after Marinou et al.,

2000); weaker elastic properties were measured at the nearer slope surface (< 50 m) (Mreyen et al., 2021). The slide developed in a Paleogene schistose sandstone flysch formation that is dominated by thick sandstone banks, apparent along the outcropping rupture zone (Figure 2d) and presenting an anti-dip slope bedding (i.e. geological layers dip into the slope - in contrast to a dip slope, where layers dip into the valley). The work of Lemaire et al. (2020) analysed the structural setting of the source rock, i.e. 40-50° inclined bedding planes towards S-SE with a strike of N48°E (marked in red in Figure 2e), and crossing discontinuities, i.e. two joint families, the first predominated by a Fisher mean plane of 56/331 and a secondary, with 74/223 (marked in green and blue in Figure 2e, respectively).



**Figure 2:** Google Earth® imagery of the Balta rockslide: (a) geomorphic overview; (b) expansion and spread of landslide material marked by white arrows. Structural setting of the Balta rockslide: (c) photo taken from the valley in June 2017; (d) UAV image of the outcropping flysch bedding at the scarp after Mreyen et al. (2021); (e) structural model showing the flysch anti-dip slope bedding and crossing joint families after Lemaire et al. (2020).

62 Flysch can be classified as highly anisotropic sedimentary rock, composed of alternating layers of hard (lime-  
 63 stone, sandstone or siltstone) and weaker (claystone, mudstone or marl) materials, which increases the complexity for  
 64 geotechnical parametrisation (cf., Marinos and Hoek, 2001). Stability analyses of flysch slopes have been presented by  
 65 several authors, e.g., Baron et al. (2005); Berti et al. (2017); Kogut et al. (2018); Krawiec and Harba (2019), testing rock  
 66 strength and joint conditions in 2D. In general, numerical analyses of natural slopes have been largely presented in the  
 67 two-dimensional domain; however, three-dimensional analyses of natural slope behaviour are rather scarce, especially  
 68 in a seismic context. An example for the latter are recent studies of Luo et al. (2020), who analyse amplification effects  
 69 over a natural slope affected by seismic shaking in the visco-elastic domain with the 3D distinct element method.

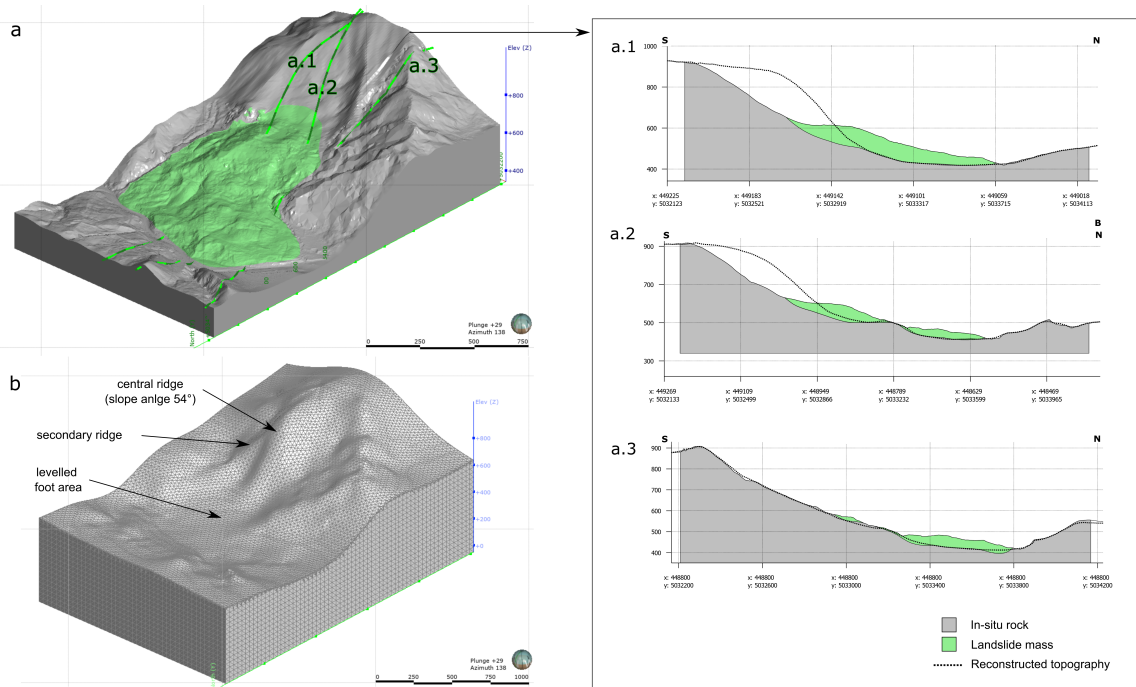
70 The necessity of a three-dimensional back-analysis of the Balta slope is given by its post-failure geometry that is  
 71 marked by the rather narrow, but steep and profound, detachment scarp, while the relatively large volume of landslide  
 72 sediments fans out into the valley (towards N), predominated by a lateral expansion (E-W orientated; cf., Figure 2b).  
 73 The movement is thus presumed to be a three-dimensional problem, that due to the nature of debris distribution cannot  
 74 be solved along a single section. To account for the particular morphological, geological and structural setting in  
 75 conjunction with the seismic context of the study area, the presented analysis tests both static and dynamic forces.

## 76 **3. Methodology**

### 77 **3.1. Slope reconstruction**

78 Based on the volume estimation of debris mass accumulated in the study area, an estimation of the Balta mor-  
 79 phology prior to failure was realised using the established geomodel of the slope (Fig. 3a; cf. Mreyen et al., 2021).  
 80 Various studies attempt reconstructions of pre-event morphologies, such as Singeisen et al. (2020) who used contour  
 81 lines and point cloud interpolations in GIS software. Here, the slope reconstruction was performed using multiple 2D  
 82 cross sections as input for surface mesh construction, and thus accounting for the final 3D volume balance of the slope  
 83 by respecting a mass bulking factor of 15%, i.e. volume gain due to failure, computed similar to recommendations by  
 84 Hungr and Evans (2004); Jaboyedoff et al. (2019). The used 3D volume balancing (difference of elevation models, cf.,  
 85 Zangerl et al., 2015) stands in contrast to the standard 2D volume balance cross section method using one single cross  
 86 section for a respective site ('section area balance', cf., Zangerl et al., 2015). The reason for the application of the 3D  
 87 volume balance method is the central source zone of the failure together with the lateral expansion of the landslide  
 88 mass at the foot of the slope, i.e. mass motion is not exclusively downwards. In this case, a 3D reconstruction allows  
 89 best to establish a correct volume balance between the pre- and post-failure state of the slope (here, computed with the  
 90 Leapfrog Geo software, Seequent, 2021). Figure 3 shows three examples of the 2D cross sections, where the actual  
 91 landslide mass is coloured in green, and the dotted line outlines the reconstructed topography. The section shown in  
 92 Figure 3a.1 marks the most pronounced central crest established in the reconstruction, whereas the defined slope angle

93 diminishes towards West as shown in Figure 3a.2. For sections crossing the lateral expansion of the landslide mass,  
 94 the reconstructed topography results in a negative mass balance, i.e. the pre-failure slope estimates less mass to be in  
 95 place than in its actual state (Figure 3a.3). In total, 25 sections were used to create slope reconstruction curves; these  
 96 latter were interpolated to a 25 m-resolution mesh, using the radial basis function (RBF) implemented in the Leapfrog  
 97 software, that constitutes the modelled pre-failure topography. The reconstructed pre-failure topography displays a  
 98 central N-S orientated ridge along which a maximum slope angle of  $54^\circ$  is noted. A secondary ridge, oriented NE-  
 99 SW, is implemented parallel to alignments of neighbouring mountain ridges (analysed using LiDAR digital elevation  
 100 models of the studied region). The landslide foot area was levelled to 400 m a.s.l, implying that the river valley was  
 101 located south to the actual water course before slope failure. Figure 3b displays the final reconstructed slope model  
 102 that is used as input geometry for the numerical analysis described in the following section.



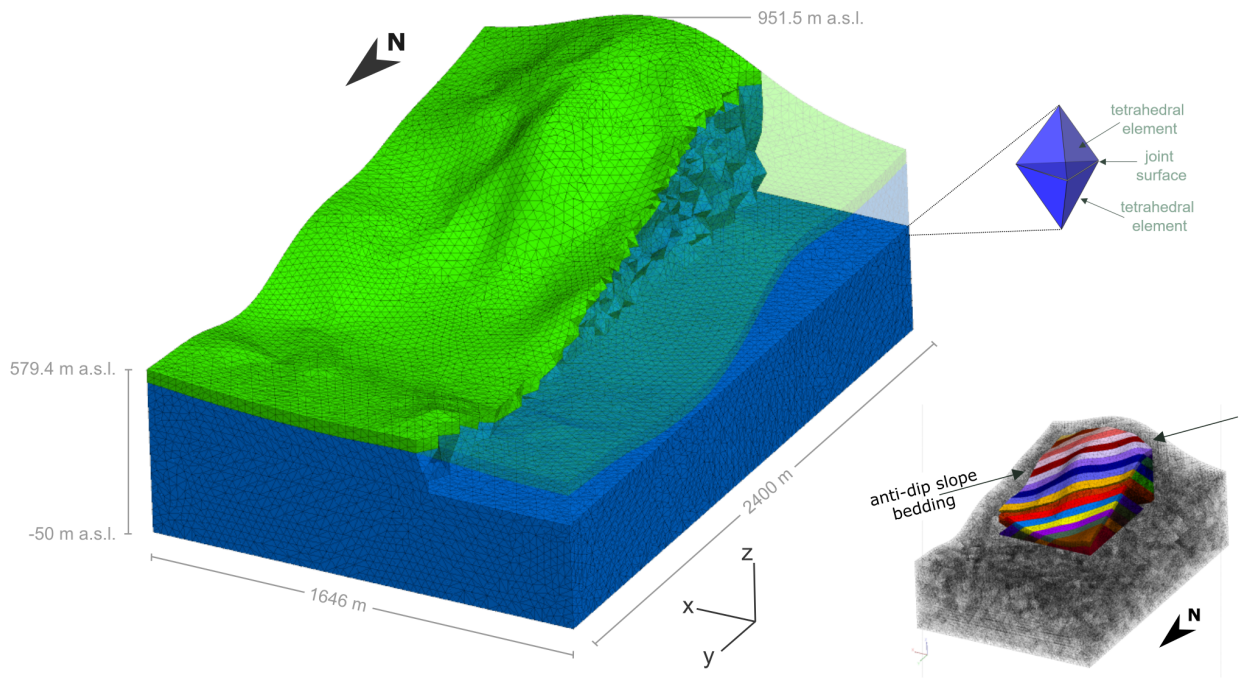
**Figure 3:** Slope reconstruction of the Balta landslide: (a) actual, i.e. post-failure (presented in Mreyen et al., 2021), morphology with landslide mass marked in green - the three cross sections (a.1-3) show exemplary 2D reconstruction curves; (b) reconstructed, i.e. pre-failure, morphology with surface mesh resolution of 25 m.

## 103 3.2. Distinct element modelling

### 104 3.2.1. Model setup

105 In a first step, the created pre-failure surface mesh was processed with the CAD software Rhino 5.0 (McNeel  
 106 et al., 2010) and the Itasca plug-in Griddle 1.0 (Itasca, 2019). In Rhino, the lateral and basal surface boundaries of  
 107 the 3D model were created and merged with the pre-failure morphology to create a closed 3D block model; another

108 surface, that is later used to distinguish the weaker near-surface material (cf., description of the study site and Mreyen  
 109 et al., 2021), was modelled by duplicating the topographic mesh 50 m below its origin. Further structural elements,  
 110 notably the rock bedding planes (cf. model composition shown in Figure 6b), were also implemented in the CAD  
 111 software to facilitate element discretization. An unstructured surface and volume mesher were applied to the model  
 112 domain, creating tetrahedral elements with edge lengths of 30 to 90 m, while the smallest elements are located close  
 113 to the model surface to optimally emulate the topography. The created source area model was imported into 3DEC  
 114 5.2 (Itasca, 2016); it covers a surface of 1646 m width and 2400 m length and spans a vertical range of -50 to 992.4  
 115 m a.s.l. (see Figure 4) with the model bottom fixed at a sufficiently large depth in order to guarantee full wave length  
 116 transmission from bottom to top for the dynamic slope analysis. The model orientation is defined by the x-axis in E-W  
 117 direction, y-axis in N-S direction and the vertical z-axis. Distinct elements were made deformable by creating uniform  
 118 finite-difference (FD) tetrahedral zones of 30 m edge length within the polyhedron blocks (fixed according to Eq. 7).



**Figure 4:** Model setup of the Balta slope in 3DEC; green and blue differentiate the near-surface and intact bedrock material, respectively. The inset figure in the lower right illustrates the modelled anti-dip slope layering of the flysch bedrock.

119 The model domain was defined for elasto-plastic Mohr-Coulomb (M-C) material behaviours of rock mass, while  
 120 the discontinuities were Coulomb-slip enabled. Table 1 lists the physical properties used for the rock block material;  
 121 the elastic rock parameters were defined on the basis of the geophysical surveys performed in the study area, presented  
 122 in Mreyen et al. (2021). Due to the lack of laboratory tests (given the challenge of extracting a rock sample adequate

**Table 1**

Elastic and Mohr-Coulomb (M-C) material parameters of the rock mass for the near-surface and the intact bedrock.

Rock mass		Near-surface	Intact bedrock
Elastic	Density $\rho$ [ $kg/m^3$ ]	2000	2400
	Young's modulus $E$ [ $GPa$ ]	1.7	10.7
	Bulk modulus $K$ [ $GPa$ ]	2.1	9.6
	Shear modulus $G$ [ $GPa$ ]	0.6	4.1
	Poisson's ratio $\nu$ [–]	0.37	0.31
	P-wave velocity $V_p$ [ $m/s$ ]	1200	2500
	S-wave velocity $V_s$ [ $m/s$ ]	550	1300
M-C	Cohesion $C$ [ $MPa$ ]	0.01	1
	Tension $\sigma_T$ [ $MPa$ ]	0.005	0.5
	Internal friction angle $\phi$ [ $^\circ$ ]	42	45

**Table 2**

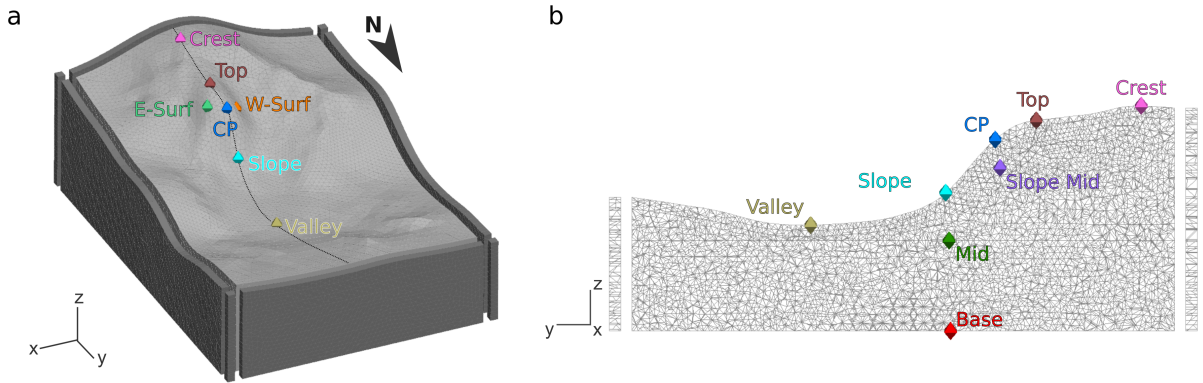
Strength properties of the discontinuities for the near-surface and the intact bedrock.

Discontinuities		Near-surface	Intact bedrock
Coulomb slip	Joint normal stiffness $Jk_N$ [ $GPa$ ]	0.1	1
	Joint shear stiffness $Jk_S$ [ $GPa$ ]	0.05	0.5
	Cohesion $c$ [ $kPa$ ]	5	10
	Residual cohesion $c_r$ [ $kPa$ ]	0	0
	Tensile strength $T$ [ $kPa$ ]	0.1	1
	Residual tensile strength $T_r$ [ $kPa$ ]	0	0
	Friction angle $\varphi$ [ $^\circ$ ]	40	42
	Residual friction angle $\varphi_r$ [ $^\circ$ ]	28	30

123 for geotechnical laboratory testing) and the scale discrepancy between laboratory and field conditions, the plastic  
 124 rock mass parameters were indirectly derived using average rock properties for similar lithotypes (mi=15, UCS=75  
 125 MPa) provided in the RocLab software database (Rocscience, 2002), and considering a GSI of 35-45 (based on field  
 126 estimates). Due to the rather weak and highly strained in-situ flysch bedrock and as observed for the landslide debris  
 127 mass in the field, we aim to simulate fracturing of "intact" bedrock material, an approach that is revised by Donati et al.  
 128 (2018) and applied, e.g., in the study of Gischig et al. (2015) simulating rock fatigue after repeated seismic stresses  
 129 of a 2D slope using Voronoi tessellation. In our case, this approach allows to reproduce internal fracturing of the  
 130 landslide material that takes into account the behaviour of the flysch rock mass itself next to the structural aspects  
 131 of the slope. The strength properties of the discontinuities, thus representing the defined joint structures as well as  
 132 boundary conditions between blocks, are listed in Table 2 (note, the interfaces between tetrahedrals were assigned the  
 133 same properties as the discontinuity sets to account for the intense structural damage that characterize the rock mass).  
 134 The values assigned to the 50 m thick near-surface layer (see green layer in Figure 4) account for the poor material  
 135 and joint strength due to weathering effects and possibly tectonic fatigue, as observed by geophysical tests on in-situ  
 136 rock in the study area (cf. Mreyen et al., 2021). Residual values are assigned by the system as soon as initial slip has  
 137 occurred.



138 The kinematic behaviour of blocks during numeric cycling is monitored using seven history points at surface and  
 139 three history points inside the model, set to log displacement, velocity, and acceleration in the x (i.e. East-West), y  
 140 (i.e. North-South), and z directions (see Figure 5).



**Figure 5:** Position of history points at the model surface (a) and within the model (b); position of cross section is marked by the projected line in (a).

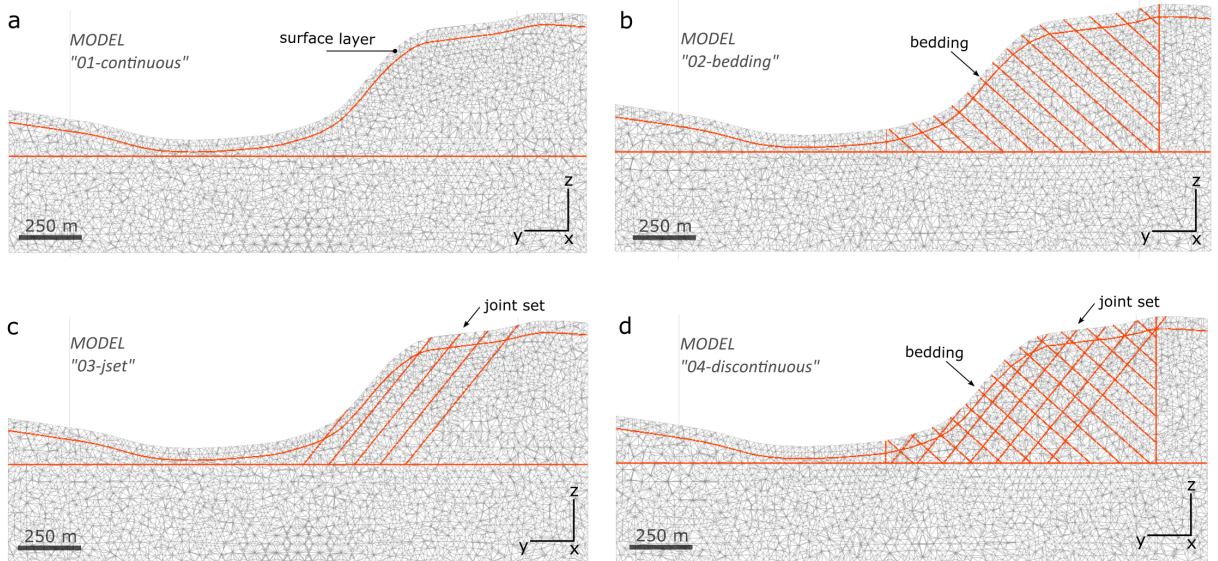
141 In total, six different internal model structures were tested during the numerical analysis of Balta as illustrated in  
 142 Figure 6 along a 2D cross section of the slope. The complexity of model structure was increased progressively during  
 143 the modelling process as they depend on computational capacities. The basic structure consists of the slope material  
 144 (intact bedrock) and the near-surface material presenting weaker material strength (Figure 6a). The other structures  
 145 (Figure 6b-d) intend to analyse, separately and jointly, the effect of bedding planes and joint sets in the slope. Dip angles  
 146 and orientations of discontinuities were assigned in accordance to the field measurements (presented in Lemaire et al.,  
 147 2020).

### 148 3.2.2. Static conditions

149 The static modelling domain seeks a (non-inertial) model solution of static force-equilibrium under gravitational  
 150 forces as well as in-situ and applied stresses. In our simulations, only gravitational stresses were considered, while  
 151 no other natural in-situ stresses were assumed to have an influence on the slope behaviour. The boundary conditions  
 152 chosen for the static model domain fix the velocity normal to the boundaries (lateral borders and bottom of the model).  
 153 The static equilibrium state is measured with the maximum out-of-balance force, i.e. the net nodal force vector at each  
 154 gridpoint of block, compared to the total applied forces. In a first stage, models were run to a static equilibrium (i.e.  
 155 unbalanced force ratio  $<10^{-5}$ ) under gravity loading ( $z = -9.81 \text{ m/s}^2$ ); auto damping was applied and mass scaling was  
 156 enabled.

157 A strength reduction analysis of block material and joint surfaces was performed for the geomechanical parameters  
 158 that quantify plastic deformation. This analysis evaluates the sensitivity of the chosen values in terms of static slope

## Seismic failure of a mountain slope



**Figure 6:** Cross section of the structural model configurations with continuous rock mass (*01-continuous*; a), with implemented flysch bedding planes only (*02-bedding*; b), with joint set only (*03-jset*; c), and setup with bedding planes and crossing joint set combined (*04-discontinuous*; d); cf. inset figure in Figure 4. Note, the near-surface layer pointed out in (a) was modelled in all configurations and represents the weaker material and joint strength at the slope surface (cf. Tab. 1 and 2).

159 stability with the factor of safety (FoS). The FoS solution implemented in the Itasca codes uses the strength reduction  
 160 method that is commonly applied in slope stability analyses; it is based on the Mohr-Coulomb failure criterion and the  
 161 Coulomb-slip model employing a progressive reduction of material or joint strength until failure occurs.

162 The strength reduction thereby concentrates on the parameters of cohesion  $C$  and friction angle  $\phi$  (separately or  
 163 combined) according to:

$$C^{trial} = \frac{1}{FoS^{trial}} C \quad (1)$$

164 and

$$\phi^{trial} = \arctan\left(\frac{1}{FoS^{trial}} \tan \phi\right) \quad (2)$$

165 where the superscript *trial* designates the trial values used during the strength reduction calculations.

166 The bracketing approach implemented in the software uses a similar technique to Dawson et al. (1999) that de-  
 167 termines initial stable and unstable bracketing states for the system. These brackets are then progressively narrowed

168 by reducing the space between stable and unstable solutions below a specified tolerance (default value of 0.005); as  
 169 a result, a stable or unstable solution is found. The number of used solution cycles thereby varies according to the  
 170 characteristic response time of the model (depending on the assigned material strength). Over one averaged current  
 171 span of cycles, a mean value of force ratio is calculated and compared with the mean force ratio of the previous span  
 172 of cycles; the cycling stops when the bracketing tolerance is reached, otherwise another loop is executed. The stable  
 173 solution designates a system in equilibrium state, while an unstable solution indicates a system in continuing motion.  
 174 In a static analysis, for a system at zero stress rate (i.e. no external stresses are applied), only gravity is considered as  
 175 system load during FoS calculations.

176 For this analysis, we used the basis model structure (cf. Figure 6a) with uniform slope material in order to test  
 177 the sensitivity of the selected model parameter; calculations were performed within a range of 25% of the peak and  
 178 residual values, respectively.

### 179 3.2.3. *Dynamic conditions*

180 The dynamic modelling domain aims for a model solution under dynamic loads that generate and dissipate kine-  
 181 matic energy for a short duration and high frequency (e.g., seismic or explosive loads). Two different boundary condi-  
 182 tions are used for the model bottom and lateral boundaries, i.e. viscous and free-field conditions, respectively. At the  
 183 lateral model boundaries, we define boundary conditions that account for free-field motion without lateral constraints  
 184 (infinite model). The latter, originally introduced by Cundall et al. (1980), allows upwards propagating energy to fully  
 185 move as plane wave without being absorbed at the model boundaries. A non-reflecting viscous boundary is applied at  
 186 the model base as it uses independent absorption points at the model borders, i.e. scattering of outgoing wave energy  
 187 back inside the model is suppressed (Lysmer and Kuhlemeyer, 1969). For earthquake simulations, a common approach  
 188 to overcome the non-reflecting boundary at the model bottom is the introduction of wave energy in form of a stress  
 189 instead of velocity history according to:

$$\sigma_n = 2(\rho V_P) C_n \quad (3)$$

190 and

$$\sigma_S = 2(\rho V_S) C_S \quad (4)$$

191 where  $\sigma_n$  and  $\sigma_S$  are the applied normal and shear stress,  $\rho$  the mass density, and  $V_P$  and  $V_S$  the P-wave and S-wave

192 propagation through the medium, respectively.  $C_n$  and  $C_s$  represent the input normal and shear velocity, respectively,  
 193 and are given by:

$$C_p = \frac{K + 4G/3}{\rho} \quad (5)$$

194 and

$$C_s = \sqrt{G/\rho} \quad (6)$$

195 where  $K$  is the bulk modulus,  $G$  the shear modulus and  $\rho$  the dry density of the material.

196 In this regard, the finite-difference (FD) element size is defined following the law of Kuhlemeyer and Lysmer  
 197 (1973) to guarantee accurate numeric wave transmission through the medium according to:

$$\Delta l \leq \frac{\lambda}{10} \quad \text{to} \quad \frac{\lambda}{8} \quad (7)$$

198 where  $\Delta l$  is the FD spatial element size and  $\lambda$  the wavelength associated with the highest frequency component of  
 199 input wave. For the presented models, the latter relation allows a complete energy transmission in the frequency range  
 200 of 1.8 to 5.5 Hz for the chosen FD element size of 30 m.

201 A common approach for synthetic reproduction of earthquake signals is the Ricker wavelet which is able to ap-  
 202 proximate the spectral content of recorded earthquake signals (cf., Gholamy and Kreinovich, 2014). The function was  
 203 introduced by Ricker (1953) as follows:

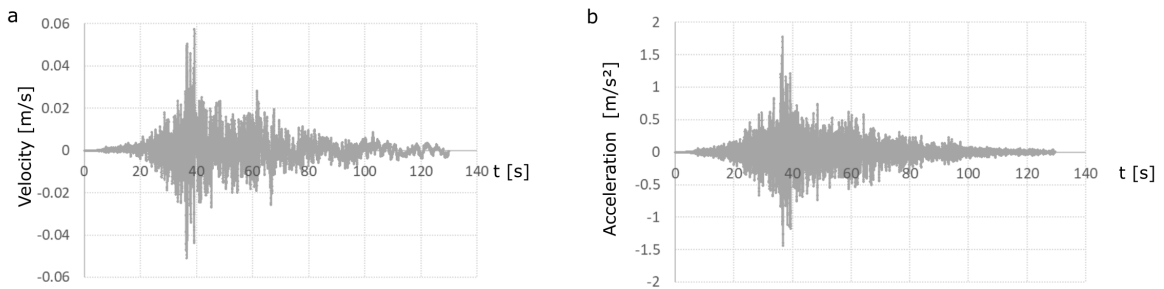
$$A = (1 - 2\pi^2 f^2 t^2) e^{-\pi^2 f^2 t^2} \quad (8)$$

204 where  $A$  is the amplitude,  $f$  the central frequency and  $t$  the time.

205 In the frame of this work, a synthetic Ricker multiplier that combines a low- and a high-frequency part, notably  
 206 with the central frequencies 1.4 and 3.5 Hz, was used to test the seismic loading of the Balta slope. The signal is  
 207 applied at the model base as stress-time history during three excitation sequences (total duration of 14 seconds). The  
 208 applied stress amplitude is 1 MPa in x- and y-directions, reproducing a shear stress in lateral directions and resulting

209 in an input acceleration of  $1 \text{ m/s}^2$ , i.e. approximately  $0.1g$ .

210 In addition, the effect of real ground acceleration data on the modelled Balta pre-failure slope was tested with an  
 211 event record from the 2014 Iquique earthquake (Chile), which accounts for subduction zone mechanisms as observed  
 212 in the Vrancea seismic zone (cf., Bokelmann and Rodler, 2014). The offshore  $M_W$  8.2 earthquake of April 1, 2014,  
 213 occurred 94 km NW of Iquique at the western coast of North Chile in 25 km depth. It can be described as megathrust  
 214 event caused by the convergence the Nazca and South America plates (Piña-Valdés et al., 2018; USGS, 2020). The  
 215 data used for our simulations was recorded 170.2 km distant from the epicenter (Chusmiza station, National Seismic  
 216 Network of Chile); the input signal is shown in Figure 7 in terms of applied velocity and acceleration. The earth-  
 217 quake record was implemented at the model bottom as stress-time history in x- and y-direction (representing upwards  
 218 propagating shear stresses) during 120 seconds.



**Figure 7:** 2014 Iquique event (a) velocity and (b) acceleration record used for the dynamic loading of the reconstructed Balta slope.

219 The mechanical damping applied in a dynamic analysis should account for the energy loss in the natural system dur-  
 220 ing dynamic loading, while for a natural ground (soils and rocks), damping can be considered as frequency-independent  
 221 (cf., Cundall, 1976). Rayleigh damping offers a numerical solution to overcome this limitation and provides a approx-  
 222 imately hysteretic solution over a defined frequency range (cf., Bathe et al., 1975; Biggs, 1964); here, a Rayleigh  
 223 damping of 2% is applied (for geological materials a Rayleigh damping of 2-5% is recommended, cf., Biggs, 1964).

224 In order to quantify the site effects of the modelled Balta slope, we computed standard spectral ratios (SSR) of  
 225 acceleration records between two points of the model domain with seismic Ricker loading. The numerical SSR's  
 226 compare the signal response of the original input wave (here, at the model basis) with the signal response at a chosen  
 227 observation point (here, at the model surface) in the frequency domain. Such analysis is applied in multiple numerical  
 228 studies to quantify the site effects of landslide prone slopes, e.g., Havenith et al. (2002); Gischig et al. (2015); Luo et al.  
 229 (2020). The SSR analysis was performed for two case scenarios, i.e. SSR01 that was constructed with intact bedrock  
 230 material, and SSR02 that uses both, near-surface and intact bedrock material (cf. Tab. 1). For both SSR analyses, the  
 231 dynamic input was modelled with a shear stress propagating from the model bottom upwards in y-direction (i.e. N-S,

direction of the slope), in x-direction (i.e. E-W) and combined in x-y-direction. The acceleration record at the model base was used as artificial reference station (signal amplitudes multiplied by two); the reference signal is compared to the record at the slope surface and top (cf. Figure 5; history points 'slope' and 'top').

## 4. Results

### 4.1. Static strength reduction analysis

For all models, a static solution was obtained with the used input parameters; the slope is considered as initially stable and does not suggest failure in its in-situ conditions. The static model response was tested in terms of joint strength with elastic block material. As shown on the right column of Figure 8, the static model exclusively responds to changes of the joint's friction angle  $\varphi$ . While the overall slope is evaluated with a FoS of 2.23 with  $\varphi = 42^\circ$  (used for the intact bedrock material in our simulations), its stability decreases to a FoS of 1.32 with  $\varphi = 28^\circ$  (used for the surface material in our simulations). By decreasing  $\varphi$  to  $21^\circ$ , i.e.  $28^\circ$  reduced by 25%, the overall slope is classified as unstable (FoS = 0.95). For the variations in joint cohesion  $c$  (using a constant  $\varphi$  of  $42^\circ$ ), the slope shows a FoS of 2.23 for all calculations, demonstrating that the joint strength is conditioned by the selected  $\varphi$ .

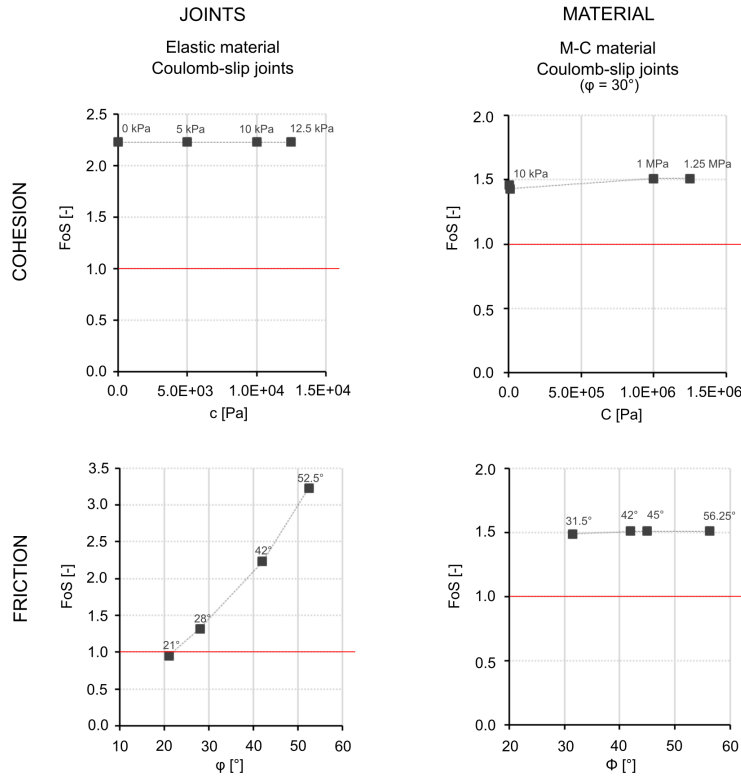
The sensitivity of material parameters was evaluated in terms of block internal cohesion  $C$  and internal friction angle  $\phi$ . For these tests, the Mohr-Coulomb criterion and a constant joint friction angle  $\varphi$  of  $30^\circ$  were chosen. As shown in the right column of Figure 8, the FoS calculations of the material variations all show the constant result of 1.51 (with a negligible decrease to 1.49 for the minimum value of internal block cohesion). Again, the FoS result of 1.51 is controlled by the joint friction angle  $\varphi$  of  $30^\circ$  rather than by the varied material strength.

### 4.2. Ground acceleration and amplification analysis

Based on the initial stress state of the model, the slope model is analysed in terms of dynamic wave transmission that simulates ground acceleration. Here, the excitation with the Ricker input signal accounts for the elastic response of the slope; results are shown in Figure 9 for the two scenarios of the *01-continuous* model configuration (cf. Figure 6a), i.e. the uniform material model of bedrock and a layered model with a surface-near weaker material (that was observed in the field and is used herein for the failure simulations). The uniform model reaches a PGA of 0.35g and 0.2g in y- and x-direction, respectively, at the model surface (recorded at the history point 'top', cf. locations in Figure 5). The two-layered model produces PGA values of 0.5g and 0.4g in y- and x-direction, respectively; the implication of a surface-near layer with reduced material strength results thus in more pronounced acceleration values at the slope surface.

The numerical computation of standard spectral ratios between two reference points in the model (notably the model base vs slope surface 'slope' and crest 'top', cf. history point locations in Figure 5) is used to further analyse

## Seismic failure of a mountain slope

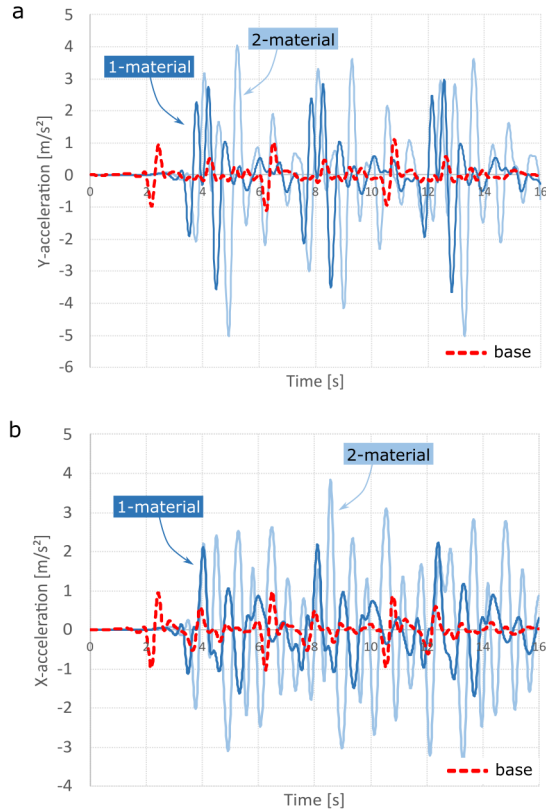


**Figure 8:** Strength reduction analysis of plastic parameters of joints (left column) and block material (right column).

262 the dynamic amplification potential of the reconstructed slope; results are presented in the frequency-domain (see  
 263 Figure 10). SSR01 (Figure 10a; uniform bedrock material) shows relatively low amplitude frequency responses at the  
 264 slope; however, at the top, we notice a pronounced amplification at 1 Hz of amplitude 5 for y-orientated (i.e. N-S)  
 265 excitation, and a pronounced amplification at 2 Hz of amplitude 4 for the combined x-y-excitation. Similar to the  
 266 uniform material model, SSR02 (Figure 10b; with surface-near weaker material) indicates no significant amplification  
 267 at the slope receiver. For the top, pronounced amplifications of amplitude >4 appear at 0.8 Hz and 1.5 Hz for the  
 268 y-excitation (N-S), at 1 Hz for the x-excitation (E-W) and at 2-2.5 Hz for the combined x-y-record.

269 For the top receiver, we notice a doubling in the amplification factor for the characteristic ~2 Hz peak at x-y-  
 270 orientated excitation between the SSR01 and SSR02 scenarios. This shows that, even if amplification of seismic waves  
 271 is due to topographic effects at the slope crest, the weaker near-surface layer intensifies shaking effects. The same  
 272 phenomenon can be noticed for the x-orientated excitation at the top. Note, the amplification results of both scenarios  
 273 at the top receiver in the frequency range of 1.2-1.5 Hz and 2-2.5 Hz have been observed by actual measurements  
 274 that we performed at the crest and analysed in terms of HVSr (presented in Mreyen et al., 2021) and confirms the  
 275 numerically produced 1.2-2 Hz frequency peaks at the hill crest. The latter validates the model response in terms of  
 276 seismic wave transmission at the original mountain crest.

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**Figure 9:** Elastic model response of the *01-continuous* model configuration (cf. Figure 6a) in terms of (a) y-acceleration and (b) x-acceleration at the model base (red curve) and model top (blue curves; cf. history point locations in Figure 5). The 1-material test refers to a uniform bedrock material model; the 2-material test adds the near-surface material with weaker properties in the upper 50 m (see Table 1).

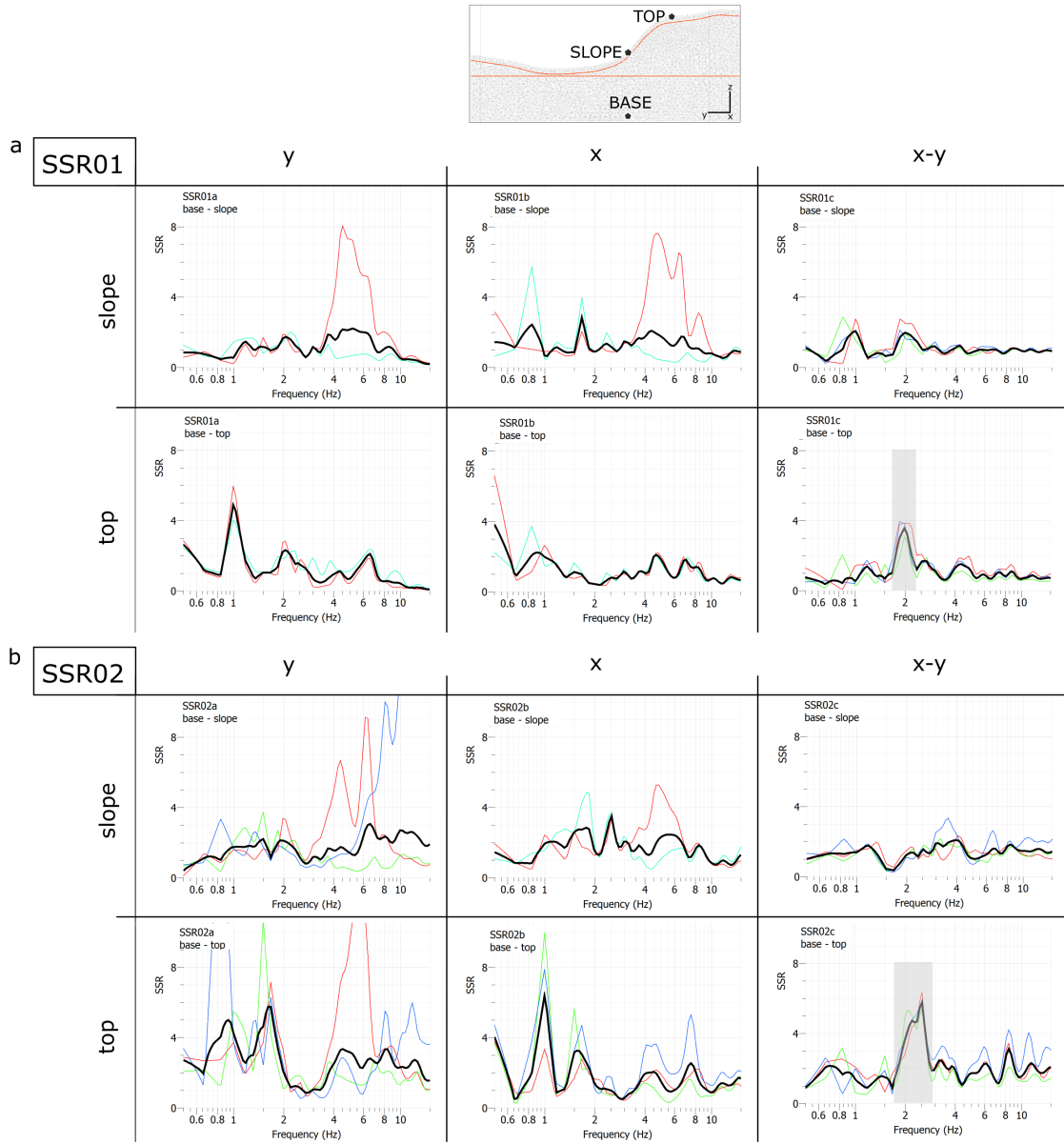
### 277 4.3. Reproduction of slope failure

278 For the numerical simulation with seismic loading, we use the beforehand introduced Ricker excitation (cf. Eq. 8)  
279 as well as the earthquake record of the 2014 Iquique event (Chile; cf. Figure 7) simulating a thrust event of intermediate  
280 depth. In Figure 11, we show the model behaviour of the slope with implemented discontinuities after 14 s of ground  
281 acceleration (three successive Ricker wavelets in x- and y-direction, producing PGA values of 0.1 to 0.2 g at the  
282 model surface) with a changed displacement pattern for the two different structural configurations, i.e. with joint  
283 set only, model *03-jset*, and with bedding planes crossed by the joint set, model *04-discontinuous* (cf. Figure 6c  
284 and d, respectively). The *03-jset* model shows most pronounced values at the frontal part of the slope, while the  
285 *04-discontinuous* model triggers block motion in larger depth; the model reaction is thus highly influenced by the  
286 implementation of bedrock bedding planes.

287 In the following, the *04-discontinuous* model configuration was chosen for the slope failure simulations as it rep-  
288 represents the most realistic conditions. Moreover, in order to overcome the numerical limitations of creating a natural

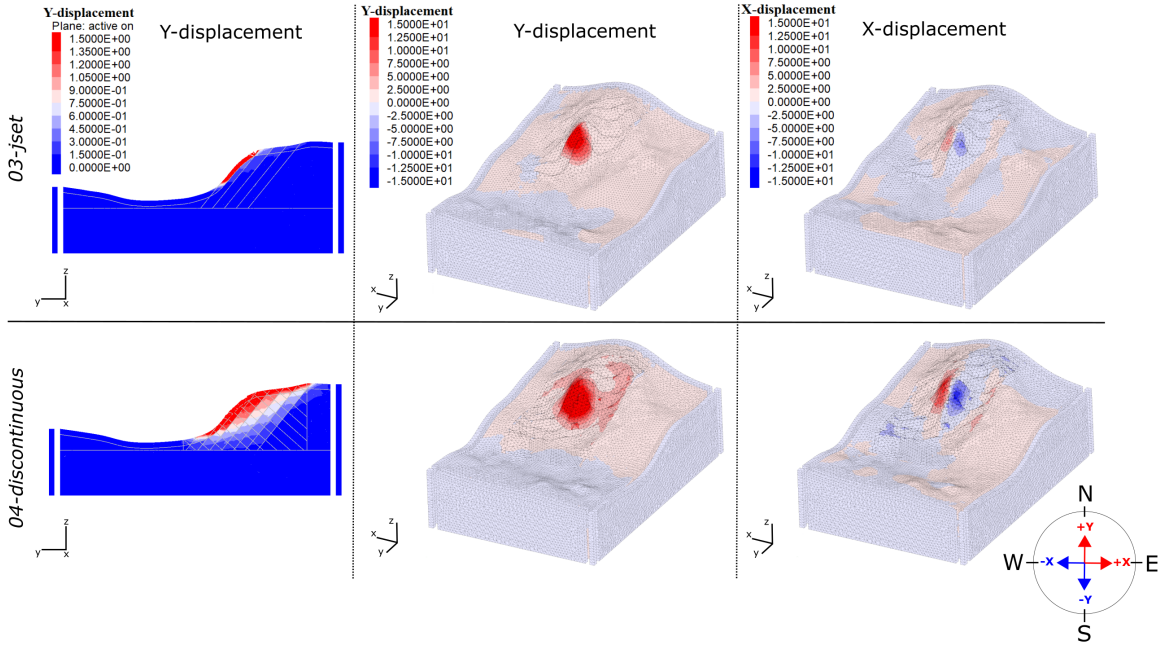


## Seismic failure of a mountain slope



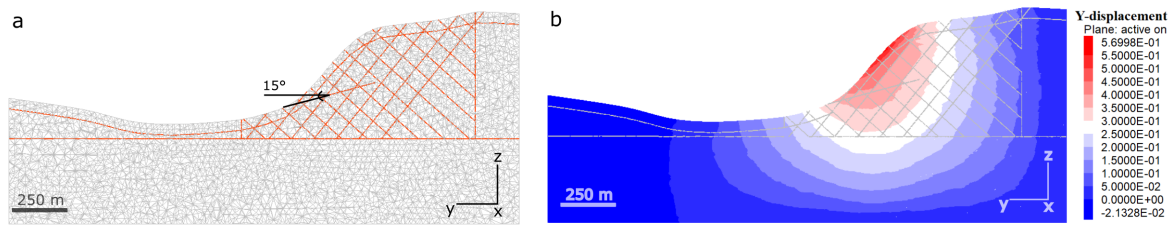
**Figure 10:** Site effect analysis in the elastic domain: (a) uniform material configuration SSR01 and (b) two-layered configuration with weaker surface material SSR02. The black line represents the averaged SSR response. The grey bars mark a characteristic frequency response of  $\sim 2$ Hz for all models at the top receiver.

289 rupture surface in a tetrahedral block environment and to facilitate initial detachment of rock mass, an auxiliary rup-  
 290 ture surface was modelled in form of a fixed joint plane, i.e. allowing for strength reduction of joint material only  
 291 after initial block motion occurred (using residual geomechanical parameters); a similar approach has been applied by  
 292 Havenith et al. (2003a) and Gischig et al. (2016) in the 2D domain. This pre-determined rupture surface was imple-  
 293 mented with a dip of  $15^\circ$  in slope direction, while the strength properties assigned to the plane account for a superior



**Figure 11:** Y- and x-displacement of blocks after 14 seconds of dynamic loading with the Ricker multiplier for the jset model configuration (*03-jset*; cf. Figure 6c) and the jset-bedding model configuration (*04-discontinuous*; cf. Figure 6d).

294 joint friction angle, i.e.  $\varphi$  of  $20^\circ$ , and a residual  $\varphi$  of  $17.5^\circ$  that is only assigned after initiation of motion. A cross  
 295 section of the model structure with integrated auxiliary sliding plane is given in Figure 12a. Figure 12b shows the  
 296 displacement magnitude of block centroids after reaching static equilibrium; maximum displacements concentrate on  
 297 the slope front (approximately 0.6 m), whereas no significant sliding occurs along the pre-determined rupture surface.  
 298 The slope is thus considered as statically stable.



**Figure 12:** Cross section of the *04-discontinuous* model: (a) model structure with integrated  $15^\circ$  dip ( $\varphi = 20^\circ$ ) auxiliary rupture surface; (b) y-displacement contours in static equilibrium state.

299 **4.3.1. Ricker excitation**

300 The triple Ricker wavelet excitation was introduced at the model base in x- and y-direction. The total duration  
 301 of cycling was set to 60 seconds of which the first 14 seconds account for the dynamic input duration (i.e. simulated  
 302 time, calculated by the time step of one numerical cycle); block displacement, velocity and acceleration are recorded

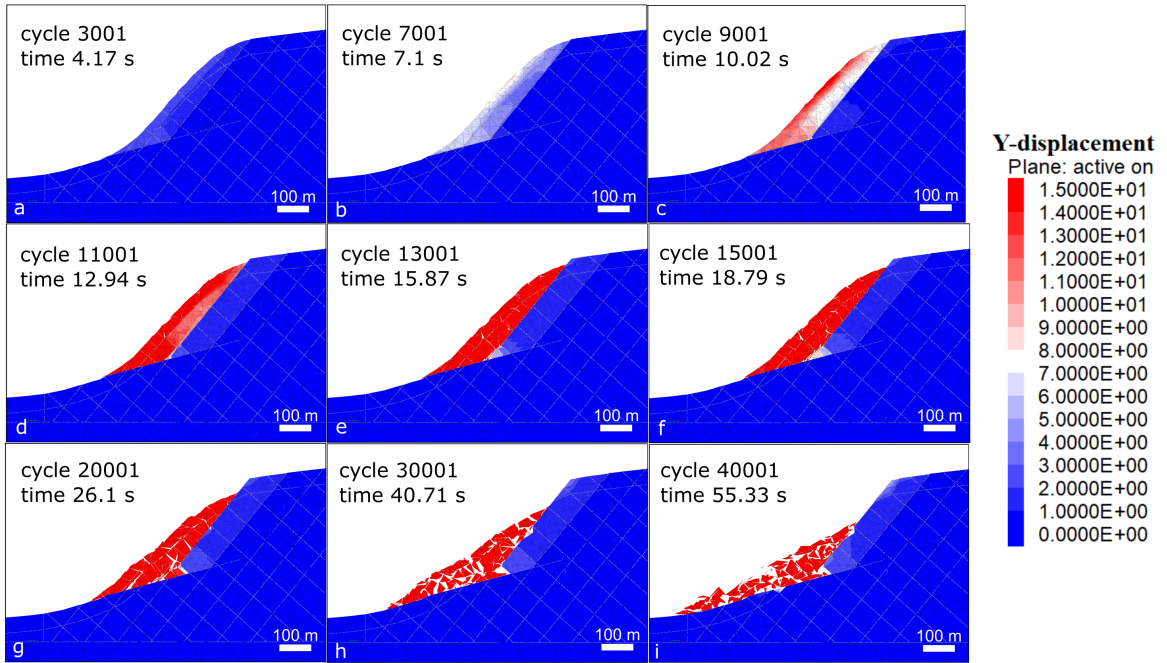
303 at the defined history points. The critical time of first block detachment is monitored by the shear displacement along  
 304 the rupture surface using two history points: a first history point is located at 15 m (i.e. in the near-surface layer),  
 305 and a second at 250 m from the model surface along the auxiliary joint plane. For the shear displacement along the  
 306 sliding horizon, a first block detachment is recorded after 1.2 seconds (shear displacement of 0.15 m) at the surface  
 307 near history point, and after 9.3 seconds (shear displacement of 9.92 m) at the second point; i.e. in comparison to the  
 308 intact bedrock, failure of the weaker near-surface layer initiates after a relatively short period of seismic vibrations.

309 In Figure 13, y-displacement of blocks is shown along a cross section at different stages. After the synthetic Ricker  
 310 loading (first 14 simulated seconds), the layer limited by the first joint plane is completely detached and forms an initial  
 311 scarp of approximately 15 m height (Figure 13e). The initial failure can be characterized as shear dominated, while  
 312 tension driven failure of blocks is only secondary. With further cycling, the blocks stay in motion due to the residual  
 313 velocity of blocks. After the triggering of the first block layer, we notice the dragging of the second block layer due to  
 314 the mass movement and the collateral stability reduction at the top and foot of the layer. After 60 seconds of cycling (i.e.  
 315 simulated time), an initial detachment scarp height of approximately 150 m is produced (Figure 13i), approaching the  
 316 actual scarp height of 250 m of the Balta rockslide. Maximum displacement occurred at the history point 'CP', which  
 317 is the point of highest curvature at the slope surface (cf. location in Figure 5), with a total displacement magnitude  
 318 of 423.03 m (of which 327.18 m account for y-displacement, i.e. in slope direction, 109.28 m for x-displacement,  
 319 i.e. E-W, and 244.87 m for negative z-displacement, i.e. downwards). The highest velocity magnitude was reached at  
 320 'CP', while maximum acceleration were measured at the history point 'E-Surf' that monitors kinematic behaviour at  
 321 the eastern slope surface.

### 322 **4.3.2. Earthquake simulation**

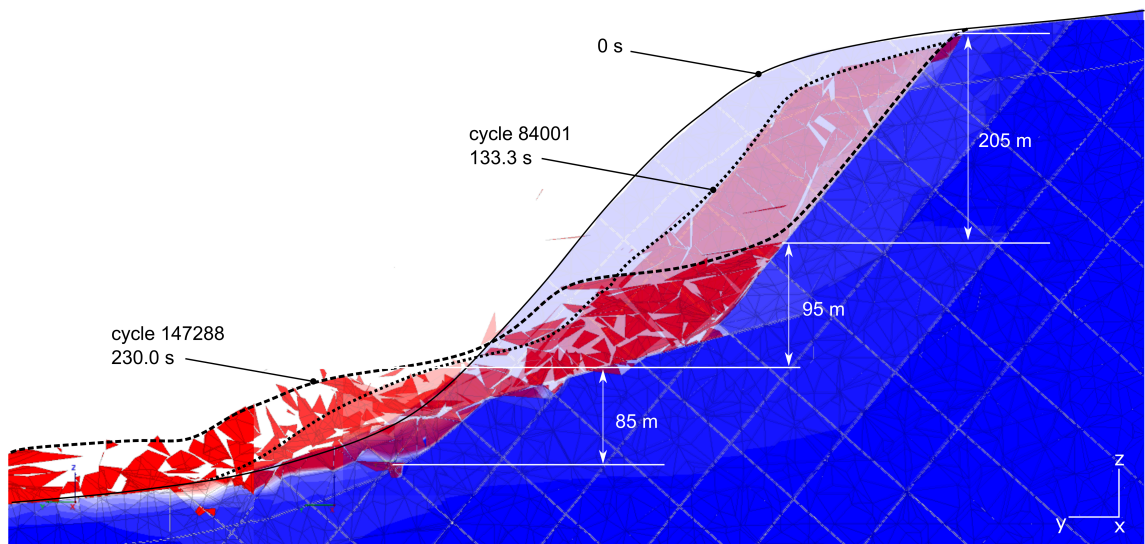
323 The Iquique earthquake record (cf. Figure 7) was introduced at the model basis in x- and y-direction with a duration  
 324 of 120 seconds and model computations were maintained during additional 110 seconds. Figure 14 shows the result  
 325 of block motion along a central cross section during different cycling periods (note, seconds relate to the simulated  
 326 time). A first detachment scarp is visible after approximately 10 seconds of induced seismicity and a superficial  
 327 layer of rock collapses during the first 60 seconds of ground acceleration. In the course of this collapse, the material  
 328 bulges up at the central part of the slope, before running down to the valley. The failure of underlying block layers  
 329 initiate at the foot of the modelled sliding plane, while motion also accentuates at the upper front of the slope. We  
 330 also notice expulsion of smaller blocks along the sliding plane and fracturing of the material during their down slope  
 331 displacement. Recorded maximum displacements accentuate at the 'CP' history point (see location in Figure 5) with  
 332 a three-component magnitude of 925.9 m (absolute values of 94.9 m, 857.2 m and 344.2 m in x-, y-, and z-direction,  
 333 respectively). Maximum x-displacement was recorded at the eastern slope flank with 342.21 m at the history point of

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**Figure 13:** Cross section showing Y-displacement contours of blocks during dynamic loading with Ricker wavelet; duration of dynamic load is 14 simulated seconds, i.e. landslide triggering (a-d), and residual block motion after seismic shaking (e-i).

334 the eastern slope flank 'E-surf' as well as highest peak acceleration. Highest velocity occurred at the history point of  
 335 the western slope flank 'W-Surf', i.e. the surface point of the western slope flank.



**Figure 14:** Simulation of the Balta failure after 0, 133.3 and 230 simulated seconds (of which the first 120 s account for dynamic loading with the 2014 Iquique signal) shown on a central cross section.

336 A large mass of debris reached the valley after a total cycling duration of 120 seconds. Furthermore we observe a  
 337 pronounced lateral spread of material; the eastern slope flank tends to collapse in a purely eastwards motion, before the  
 338 debris runs out towards the valley to the NE, while the western slope seems to be predominated by a NW-orientated  
 339 motion.

340 Subsequent mass entrainment was observed during the additional seconds after ground acceleration as a result from  
 341 residual block velocity; especially the inner slope and slope top (history points 'slope mid' and 'top') are subject to  
 342 these entrainments with an increased velocity magnitudes during 60-80 seconds after the initial ground acceleration.  
 343 In Figure 14 the slope morphology is shown along a central cross section for three different stages of cycling; the  
 344 morphology is marked by the additional downhill orientated motion of blocks as well as the material bulging below  
 345 the scarp and at the middle part of the slope; here, we also observe the fracturing of the material at the landslide basis,  
 346 i.e. the former slope surface, resulting in a larger thickness of collapsed material in addition to the source zone's debris.  
 347 The final modelled landslide thickness reaches values of 85-95 m. The scarp formation follows the inclination of the  
 348 modelled joint planes and reaches a height of approximately 200 m after 230 s of cycling, approaching its actual height  
 349 of 250 m. Figure 15 shows the final model result after the simulated time of 230 s (of which the first 120 s account for  
 350 the seismic loading with the Iquique signal).

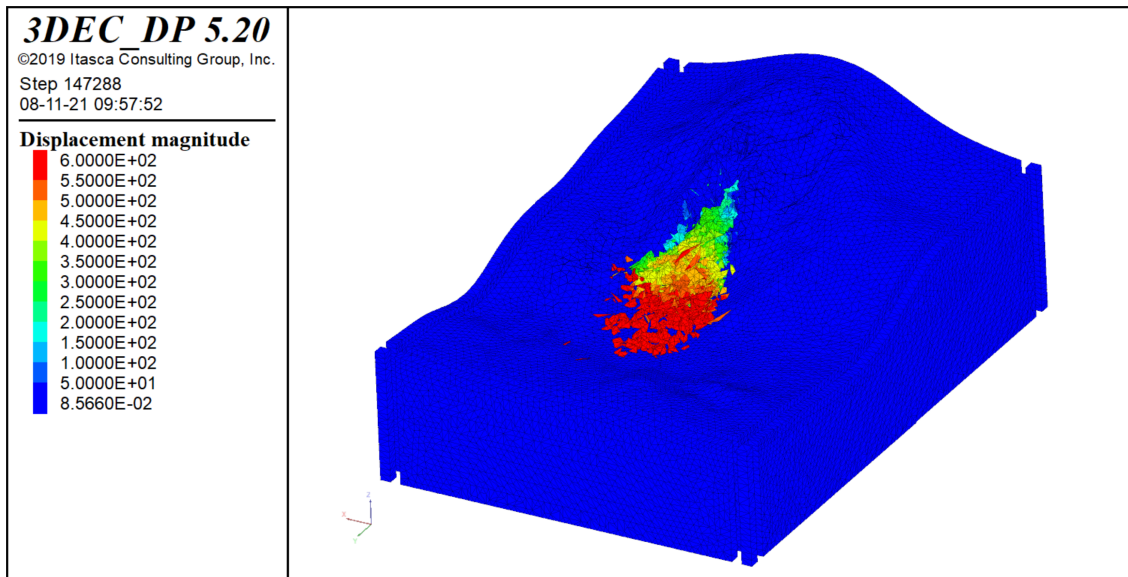


Figure 15: Balta failure after 230 simulated seconds, shown in terms of block displacement magnitude [m].

## 351 5. Discussion

352 For the slope reconstruction of Balta, we used a three-dimensional volume balancing approach that proved efficient,  
 353 nevertheless also presents uncertainties, i.e. other than the determined landslide volume, we have no quantifiable  
 354 control over the original morphology prior to landsliding. We can only estimate, on the one hand, the material loss  
 355 as a consequence to slope and river erosion, and on the other hand, the volume expansion as a cause of material  
 356 detachment (expressed in terms of bulking factor). The presented solution is one out of multiple possible scenarios;  
 357 nevertheless, the chosen pre-failure model is considered to be representative, since it allows to understand the relation  
 358 of in-situ geomechanical properties and structural settings that were derived from field measurements. Furthermore,  
 359 it is based on a realistic morphology reproducing neighbouring slope shapes that are not affected by landsliding. In  
 360 addition, seismic wave transmission and amplification tests could show the validity of the model domain by numerically  
 361 reproducing seismic site effects similar to those measured at the in-situ rock above the source zone of the landslide.

362 The geomechanical approach to simulate failure development of the Balta slope (including simulated internal frac-  
 363 turing of rock mass) is principally based on measurements and field observations, i.e. the structural setting of the flysch  
 364 bedrock, the fracture degree of landslide debris, the elasto-plastic properties as well as the fair to poor rock quality  
 365 of in-situ rock. Even though we allow for internal fracturing of rock, in the dynamic domain, we observe a failure  
 366 development that is predominated along the discontinuities cutting through the rock mass and the modelled sliding  
 367 surface. This can be due to the tetrahedral form of the model elements constituting the rock mass; once the rock mass  
 368 is mobilised, an internal fracturing of rock mass can be noted. However, observations on co-seismic rockslides in Cen-  
 369 tral Asia by Strom (2010) could show a similar sequential deposition mechanism of landslide mass, supposedly guided  
 370 by discontinuities such as joints or rock stratigraphy. The impact of modelled joint dip angle and orientation is further  
 371 outlined by the parametrical studies of the Balta slope in the 2D domain presented in Lemaire et al. (2020), where it  
 372 is shown that the displacement pattern of seismically induced motion strongly depends on the defined structures. The  
 373 actual case of Balta, as implemented in this work (with 55° anti-dip slope bedding and counter cutting joint planes), is  
 374 marked by a lenticular displacement contour indicating rotational sliding. A failure shape even closer to the actual state  
 375 could possibly be produced by implementing more closely spaced joint planes, while this solution would significantly  
 376 increase the related computational effort and was not feasible in the frame of this work.

377 For the Iquique earthquake simulation, the general block motion is directed towards the valley; however, the x-  
 378 component of block displacements demonstrates a 3D effect probably due to the morphology of the modelled pre-  
 379 failure slope topography and the combined x-y-orientated stress induced at the model bottom. This effect causes  
 380 lateral expansion of landslide debris to a broader extent than the source zone width at the relatively narrow head scarp  
 381 - a result that is in accordance with the actual post-failure debris distribution apparent in our study area. Subsequently  
 382 to the period of ground acceleration, the run-out kinematics of the material are driven by the residual block velocity

383 leading to mass entrainment during an extended period of time.

384 In terms of travel distance, the debris mass reaches the valley bottom after the modelled 230 seconds; considering  
 385 the rapid and voluminous failure, the Balta rockslide could possibly have caused the blockage of the river. As mentioned  
 386 in Mreyen et al. (2021), the opposite slope of Balta was also subject to former landsliding, which in case of simultaneous  
 387 triggering, could even have led to the formation of a temporary barrier lake in the valley. As the computed slope  
 388 behaviour shows a layered detachment of rock along the modelled joint planes, it can be concluded that the debris  
 389 reaching the valley originates from the upper surface-near slope layers, and is supposedly marked by a high fracture  
 390 degree due to the long travel distance (>500 m) from depletion to accumulation zone. Rock layers located in more  
 391 profound depths only initiate significant motion after the collapse of the former. The source zone of the rock mass  
 392 forming the *plateau* area is thus supposedly located in the inner slope as demonstrated by the models; according to  
 393 our geophysical prospections (cf., Mreyen et al., 2021), the rock mass might consequently be less fractured due to  
 394 the relatively higher rock strength at the inner slope, as well as the limited travel distance to the depositional area  
 395 (supposedly caused by the increasing friction of rockslide debris along the rupture surface and related kinetic energy  
 396 loss).

397 The numerical modelling results provide valuable insights in the kinematics and possible processes implicated in  
 398 the landslide development. While the morphological shape of the actual Balta slope could be simulated close to the  
 399 observed one, it could not be entirely reproduced (especially in terms of scarp height and depth). As mentioned above,  
 400 more detailed structural modelling, e.g. closer and more numerous joint planes, could possibly increase post-failure  
 401 accuracy. Another key element to be discussed in this regard is the possible effect of soil moisture and groundwater  
 402 in the pre-failure slope, that supposedly could have an important impact on dynamic modelling results due to elevated  
 403 water pressures. This latter aspect was not considered due to the computational complexity of the 3D dynamic domain,  
 404 but also the uncertainty related to the local pre-historic groundwater regime given the advanced age of the landslide.  
 405 Indeed, the region of the Flysch Carpathians is marked by a rather humid continental climate and the aspect of ground-  
 406 water fluctuations, supposedly reducing slope stability of the area significantly, should not be neglected. Still, we  
 407 suggest that extensive rainfall periods and elevated water saturation cannot be considered as unique trigger factors for  
 408 the deep-seated Balta slope failure, as these climatic phenomena typically cause rather superficial slides and flows in  
 409 the region. Based the numerical analyses presented in this work, we consider one or multiple seismic events, possibly  
 410 combined with climatic factors (long- to short-term), to be at the origin of the Balta slope failure.

## 411 6. Conclusions

412 The pre-historic Balta rockslide in the seismically active part of the Romanian Carpathian Mountains was back-  
 413 modelled to pre-failure conditions in terms of topographical, structural and geomechanical settings and introduced

414 to a 3D distinct element environment. Static analyses could show that the estimated pre-failure slope acts as stable  
 415 under gravitational loading. Seismic shaking was modelled with a synthetic Ricker wavelet and a real earthquake  
 416 record of a subduction event; the introduced signals are characterized by PGA values of 0.1-0.2 g at the model surface  
 417 in x- and y-directions, and produce frequency peaks of 1.2-2.5 Hz at the hill crest (a frequency range that was also  
 418 measured by actual seismic tests above the slope crown). The reproduction of slope failure could be simulated with  
 419 the implementation of rupture surface at the landslide basis and several seconds of seismic shaking. The sliding  
 420 motion is thereby predominately guided by the implemented joint planes, while internal failure of rock mass initiates  
 421 in form of brittle fracturing after the triggering of block motion by seismic shaking. During this back-analysis, specific  
 422 morphological markers, such as the landslide scarp and central *plateau* area, could be reproduced; the material reaches  
 423 the valley with maximum displacements of approximately 1350 m and marked by a lateral, slightly E-accentuated,  
 424 expansion. Provided that the chosen pre-failure model approximates real conditions, our analyses show a probable  
 425 co-seismic development of the Balta slope; the latter might be extended to other pre-historic slope instabilities in the  
 426 valleys of Vrancea-Buzau and the Carpathian mountains. Such an extended analysis would constitute valuable new  
 427 information for future seismic hazard estimations of the region.

## 428 7. Acknowledgements

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 431 Belgium in the frame of the FNRS-SNF collaboration project '*4D seismic response and slope failure*'. We further  
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