The effect of failure criteria on risk-based inspection planning of offshore wind support structures

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1. Introduction

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In risk-based inspection planning, the conventional through-thickness failure criterion is conservative for some redundant structures like jacket type OWTs. Thus, the use of a Failure Assessment Diagram (FAD) as a limit state function has been receiving increasingly attention. This work explores the influence of fracture mechanics models and failure functions on optimal inspection planning. The risk-based inspection framework is analysed with different FM models and failure functions for the case of a tubular joint and the effect of failure criteria on the optimal inspection plan is examined.

Research Aim: To identify the optimal inspection planning strategy

Impact: O&M cost ($\approx 25\%$ LCOE), Design optimization (Reduction of safety factor)

2. Deterioration Modelling (Fatigue Model and Fracture Mechanics Model)

Imperfections in the welding process can be considered as initial cracks and they grow under cyclic loading in a harsh environment. **Paris-Erdogan's law** is widely used in Linear Elastic Fracture Mechanics (LEFM) to model the crack growth

$$\frac{da}{dN} = C (\sqrt{\pi a} \Delta \sigma Y_a)^m$$
$$\frac{dc}{dN} = C (\sqrt{\pi a} \Delta \sigma Y_c)^m$$

Since the design of offshore substructures is based on fatigue model and the inspection planning demands for the crack growth, FM models are calibrated to the SN model. Initial crack size and crack growth parameters are calibrated for each FM model so that the reliability according to SN and FM approaches are similar over the lifetime.

SN-Miner's model - Variables

| Variable | Distribution | Parameters |
|-----------------------------------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| m_1 | Deterministic | 3 |
| m_2 | Deterministic | 5 |
| $\log_{10}(a_1)$ | Normal | $\mu=12.48$; $\sigma=0.2$ |
| $log_{10}(a_2)$ | Normal(Fully correlated) | $\mu=16.13$; $\sigma=0.2$ |
| Δ | Lognormal | $\mu=1$; $CoV=0.3$ |
| q(*) | Normal | $\mu=6.4839$; $\sigma=0.2$ |
| | | |
| h | Deterministic | 0.8 |
| h 1-D fractu | Deterministic re mechanics mo | 0.8 odel - Variables |
| h 1-D fractu Variable | Deterministic re mechanics mo Distribution | 0.8 odel - Variables Parameters |
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| h 1-D fractu Variable a ₀ log(Ca) | Deterministic re mechanics mo Distribution Exponential Normal | 0.8 odel - Variables $\mu = 0.1235$ $\mu = -27.7903; \sigma = 0.3473$ |
| h 1-D fractu Variable a ₀ log(Ca) q (calibrated) | Deterministic re mechanics mo Distribution Exponential Normal Normal | 0.8 odel - Variables $\mu = 0.1235$ $\mu = -27.7903; \sigma = 0.3473$ $\mu = 6.4839; \sigma = 0.2$ |
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2-D fracture mechanics model - Variables

| Variable | Distribution | Parameters | |
|-----------|---------------|----------------------------------|--|
| a_0 | Exponential | $\mu = 0.1603$ | |
| log(Ca) | Normal | $\mu=-27.6302$; $\sigma=0.4599$ | |
| a_0/c_0 | Deterministic | 0.2 | |
| DOB | Deterministic | 0.81 | |
| C_a/C_c | Deterministic | 1 | |



| <i>a_{crit}</i> Deterministic 16 | m | Deterministic | 3 | |
|------------------------------------------|-------------------|---------------|----|--|
| | a _{crit} | Deterministic | 16 | |



3. Inspection and Cost Modelling

Uncertainties of the inspection outcomes are modelled by Probability of Detection (PoD) curves. The figure below shows the PoD curves for the Eddy Current (EC) inspection in different working conditions.



The total expected cost is comprised of failure cost inspection cost and repair cost.

4. Results

Conventional through-thickness failure criterion Simplified FAD failure criterion



In 1-D FM + through thickness criterion, the optimal interval is 8 years and two inspections have to be carried out. The total cost is **7057 money units**. In 2-D FM + FAD criterion, the optimal plan is to inspect only once at year 11, resulting the total cost of **3825 money units**.



Failure cost: 10⁶ money units

Inspection cost: 10³ money units

Repair cost: 10⁴ money units

• Discount rate: 6%



5. Conclusion

The choice of failure criteria and FM models affect the optimal inspection planning strategy. For redundant structures with high fracture toughness, using FAD failure criteria yields less total expected cost. The decision maker(s) should keep it in mind and the appropriate failure criterion should be wisely chosen.

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