

Quantitative magneto-optical investigation of S/F hybrid structures

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Outline

*Quantitative magneto-optical investigation of **S/F hybrid structures***

Introduction

Why study S/F hybrids?

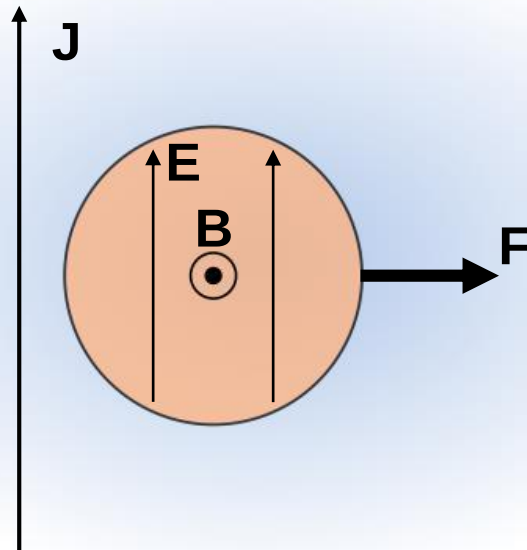
Technique

Quantitative magneto-optical imaging

Results

Superconducting film + magnetic material

Superconducting flux vortices



When a current is applied, a force pushes the vortex:

$$\mathbf{F} = \mathbf{J} \times \mathbf{B}$$

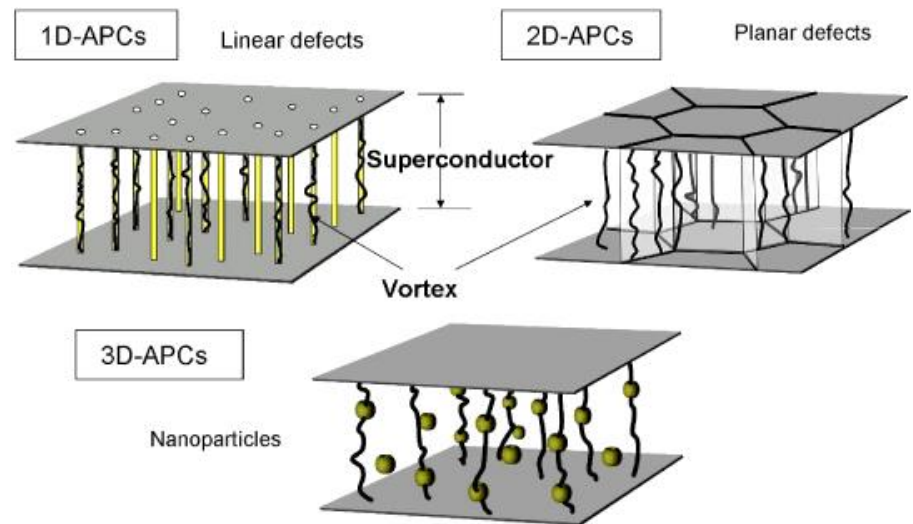
The variation of **B** induces an electric field in the vortex core.

Perfect conductivity disappears as vortices move under the action of a current.

Pinning vortices by defects

Vortices can be anchored by defects *inside* the superconductor.

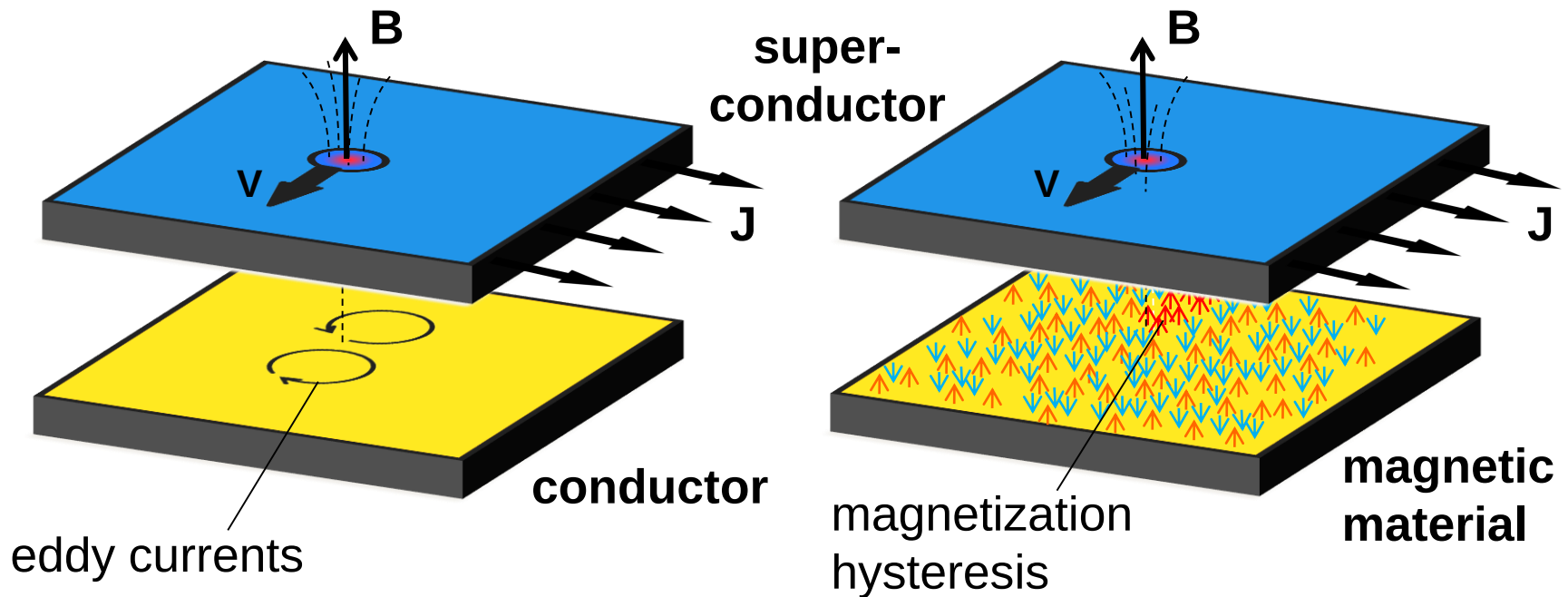
- Random pinning: dislocations, grain boundaries, impurities...
- Artificial pinning: irradiation, implantation, nanofabrication...



In all cases, once the pinning potential is defined, it cannot be changed.

Affecting vortex motion by external structuring

Vortex motion can be influenced through the stray field *outside* the superconductor.

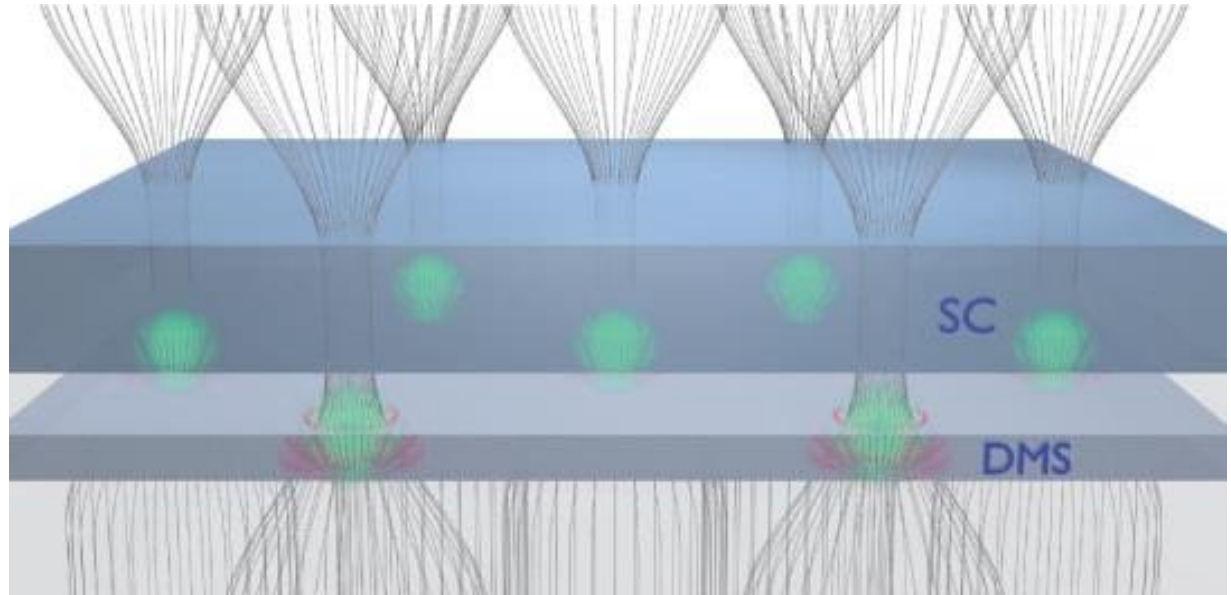
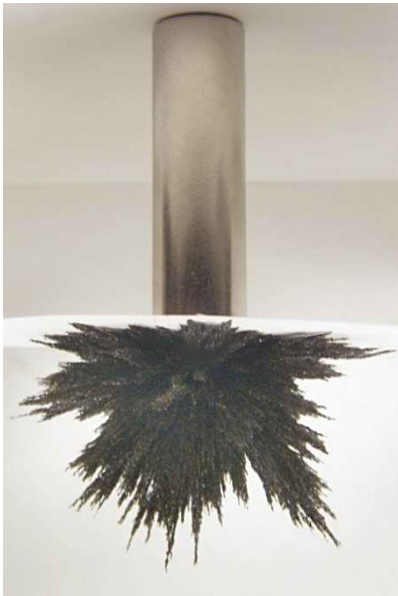
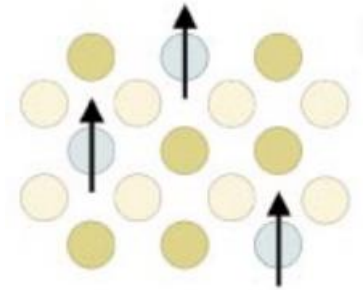


- ✓ Unaltered superconductor
- ✓ Flexible damping

Why study S/F hybrid structures?

1. Superconducting devices

superconductor + diluted magnetic semiconductor



Vortices can either control or be controlled through another material in the vicinity of the superconductor.

Why study S/F structures?

2. Vortex damping - avoid flux avalanches

H increased $\longrightarrow$ vortex motion $\longrightarrow$ dissipation in normal core



T raises locally

efficient heat removal



Flux avalanches

500 μm

**Smooth
flux penetration**

500 μm

The system undergoes a dramatic transition to a state of lower energy.



$V_{\text{avalanches}} \sim 100 \text{ km/s}$

T might largely rise over T_c , thus threatening superconductivity.

Avalanches are harmful to superconductivity and practical applications.

→ **observe, control and avoid** flux avalanches.

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Why study S/F hybrids?

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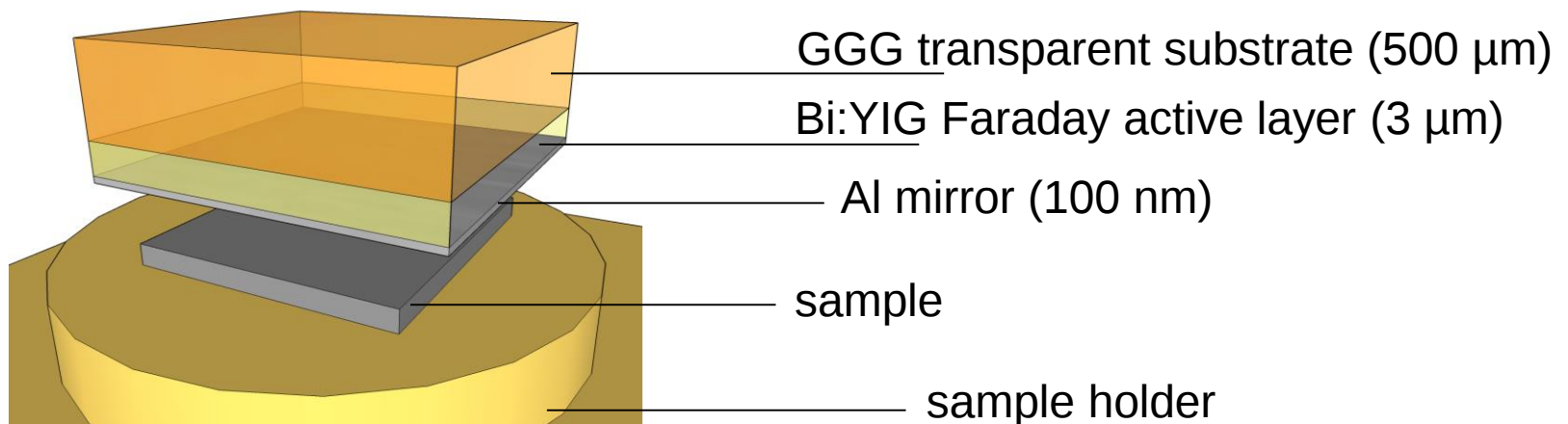
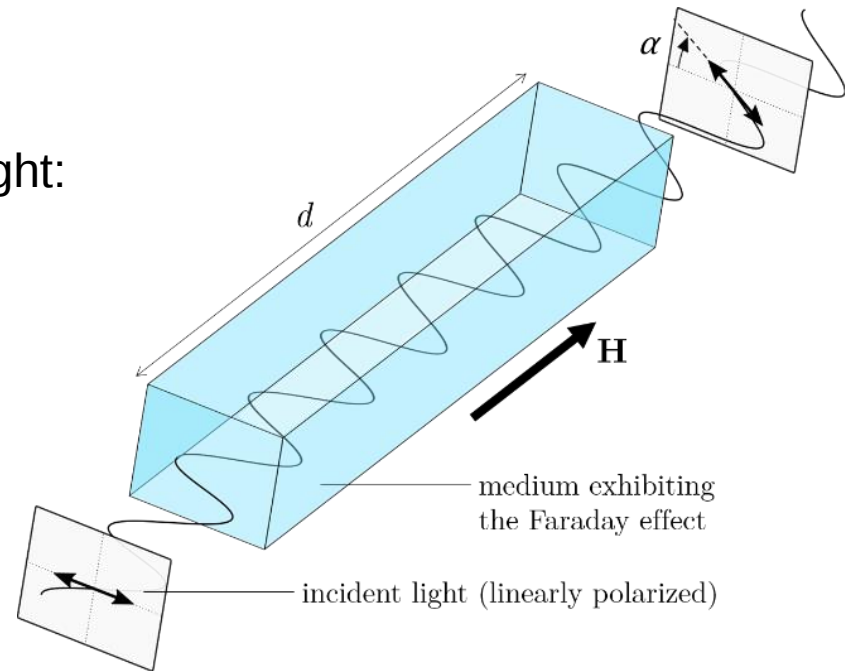
Superconducting film + magnetic material

Faraday effect

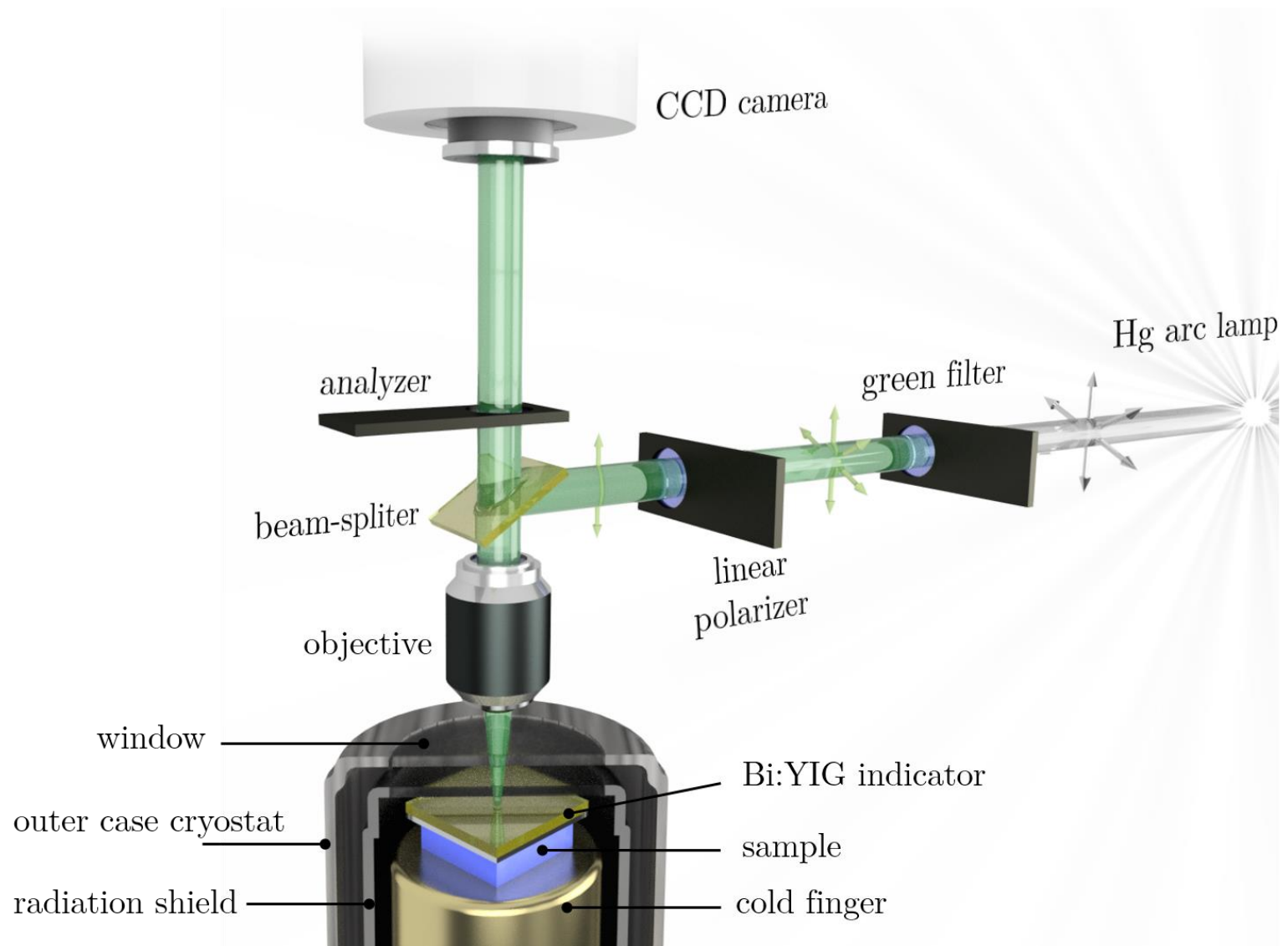
Rotation of the linear polarization of light:

$$\alpha = VdH$$

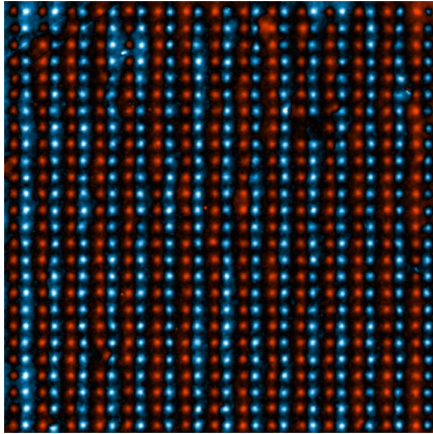
Typical values: $\alpha \sim 1^\circ$ for $B \sim 3$ mT



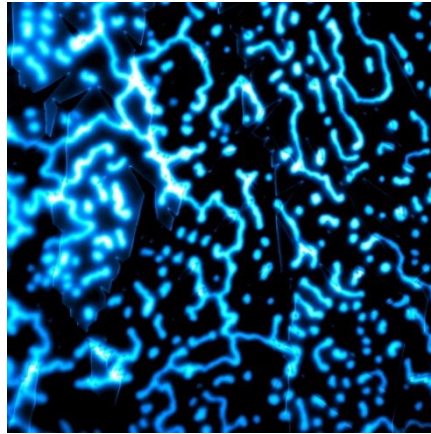
Magneto-optical imaging (MOI) setup



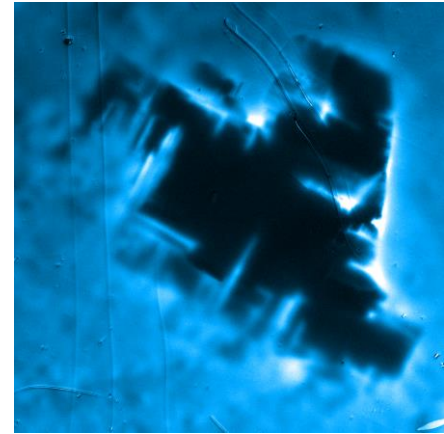
Examples of magneto-optical images



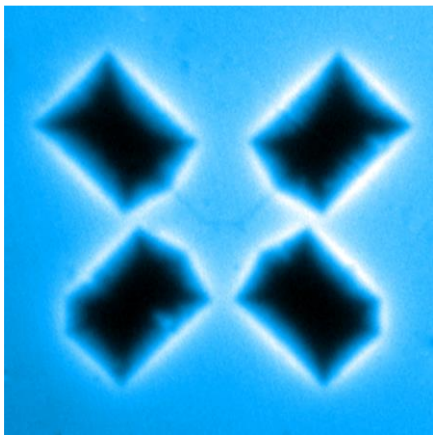
Magnetic Co bars



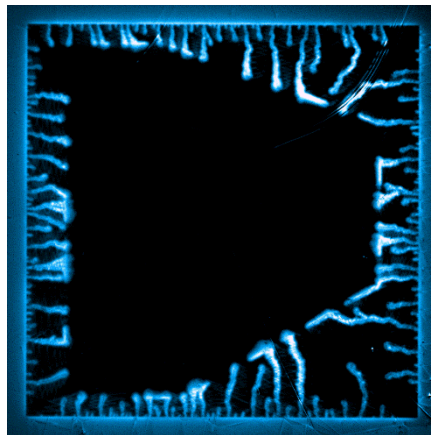
Pb bulk



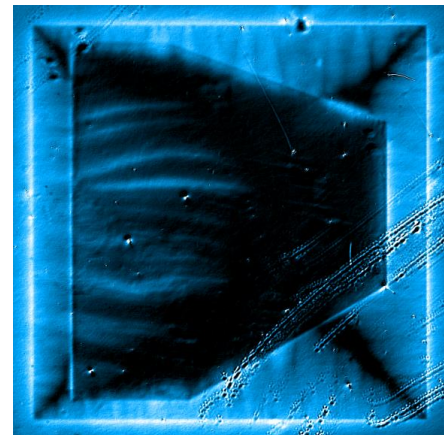
FeSe



LCCO

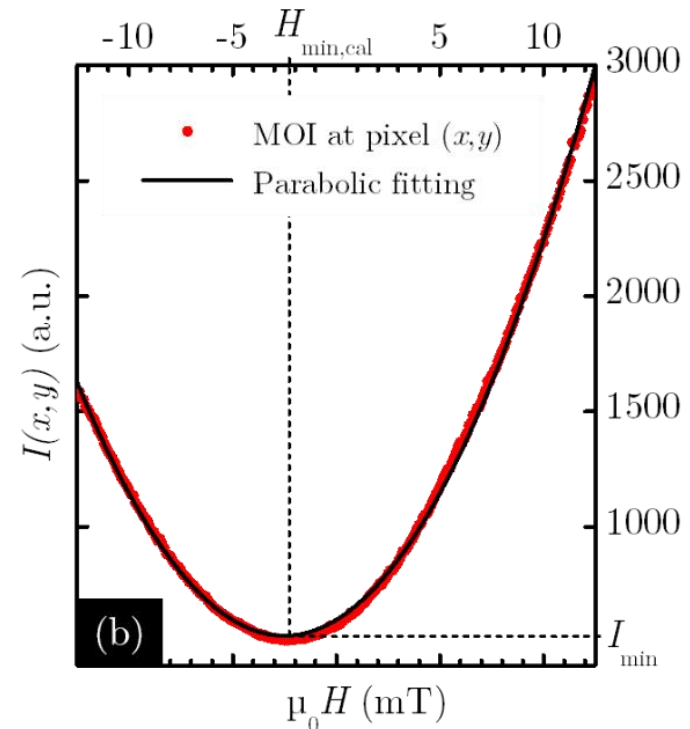
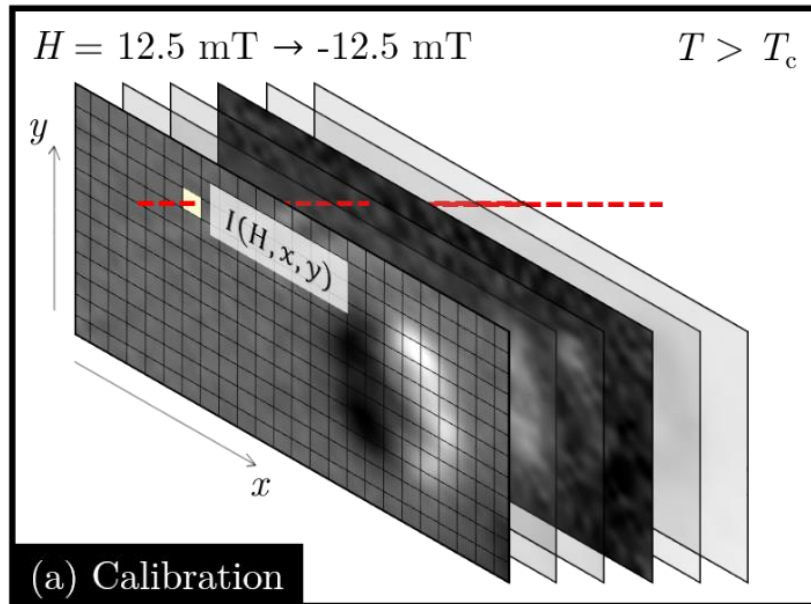


Nb + Cu



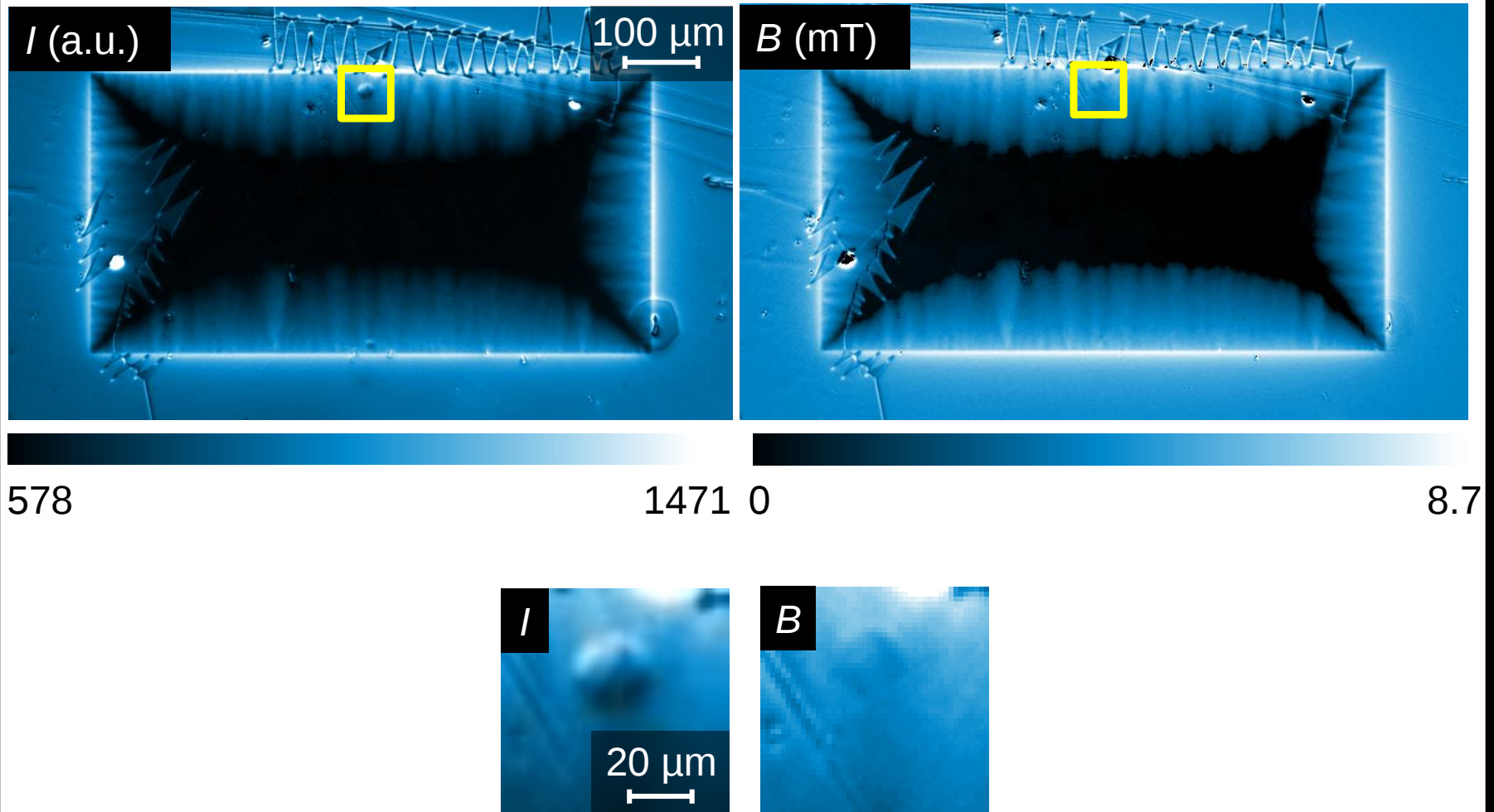
Nb + Py

Conversion from I to B



Conversion from I to B : compare the intensity with the calibration curve at every pixel.

Conversion from I to B



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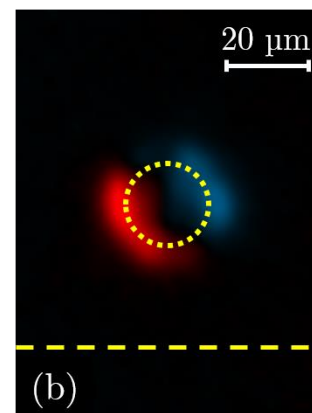
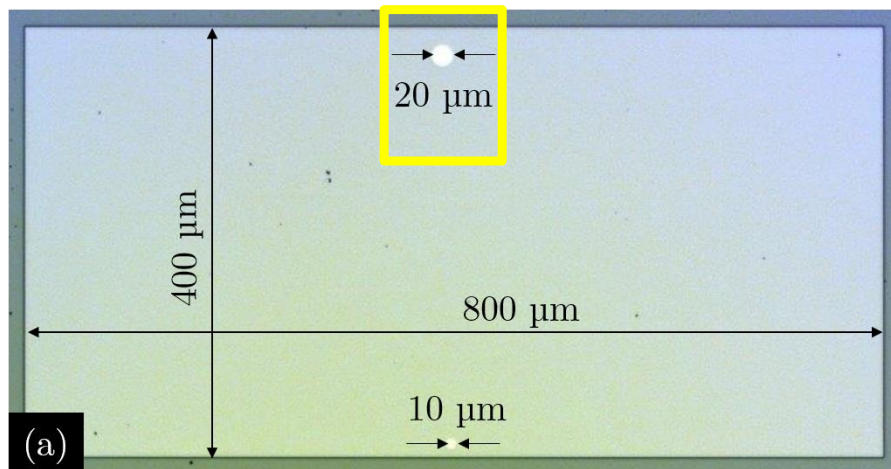
Technique

Quantitative magneto-optical imaging

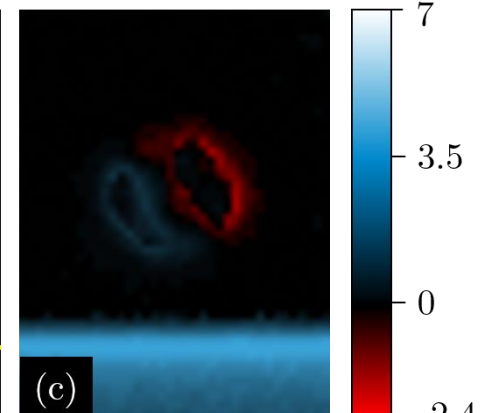
Results

Superconducting film + magnetic material

Nb film + Co magnetic disk

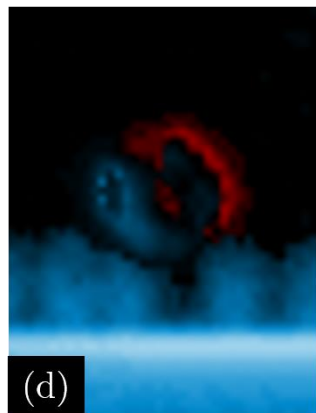


$\mu_0 H = 0$ mT

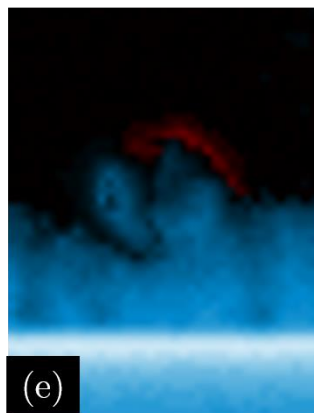


$\mu_0 H = 1$ mT

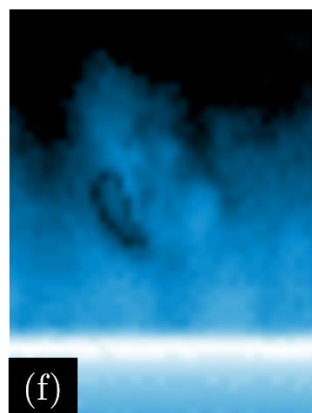
B_z (mT)



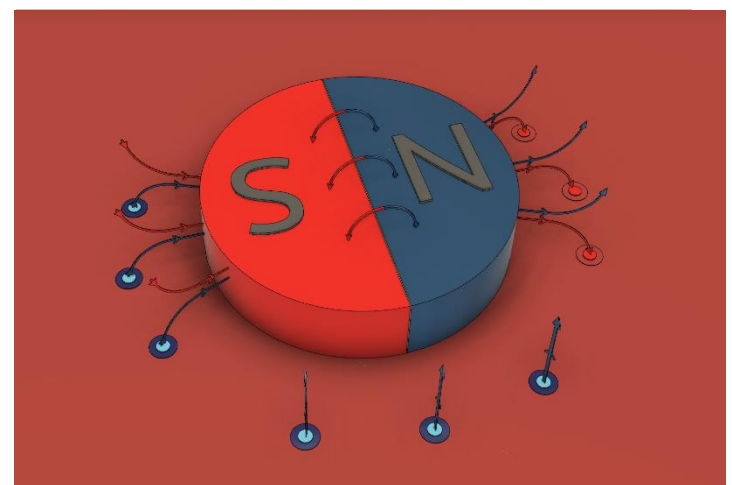
$\mu_0 H = 1.5$ mT



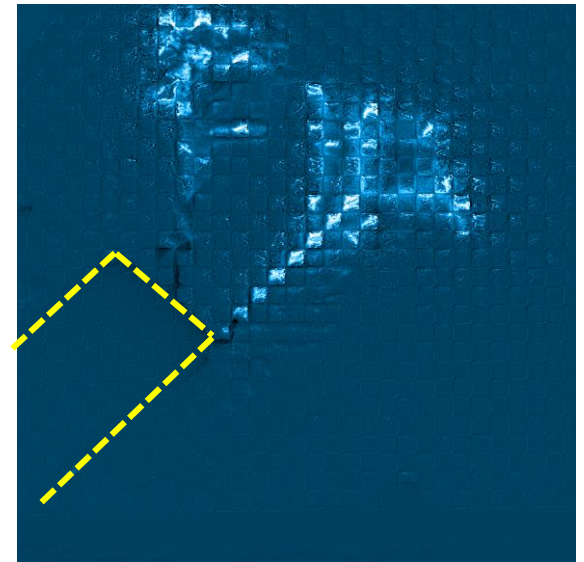
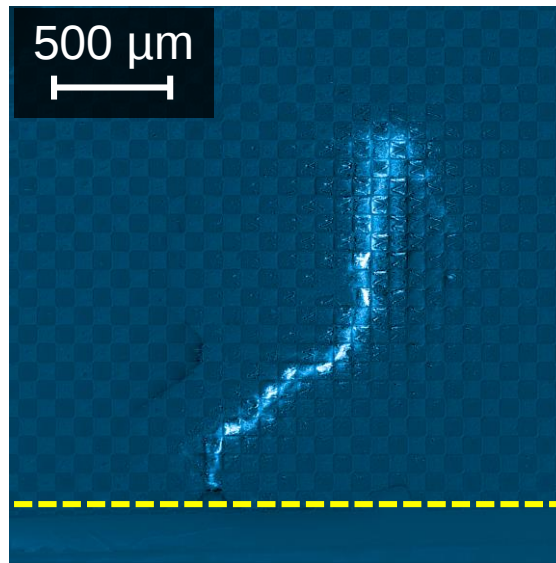
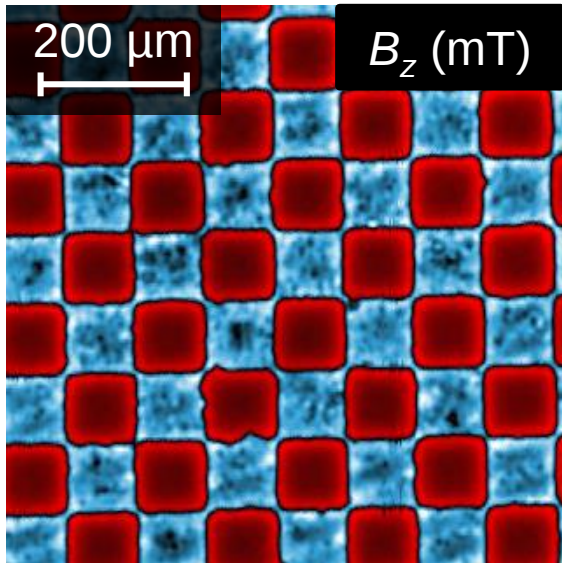
$\mu_0 H = 1.8$ mT



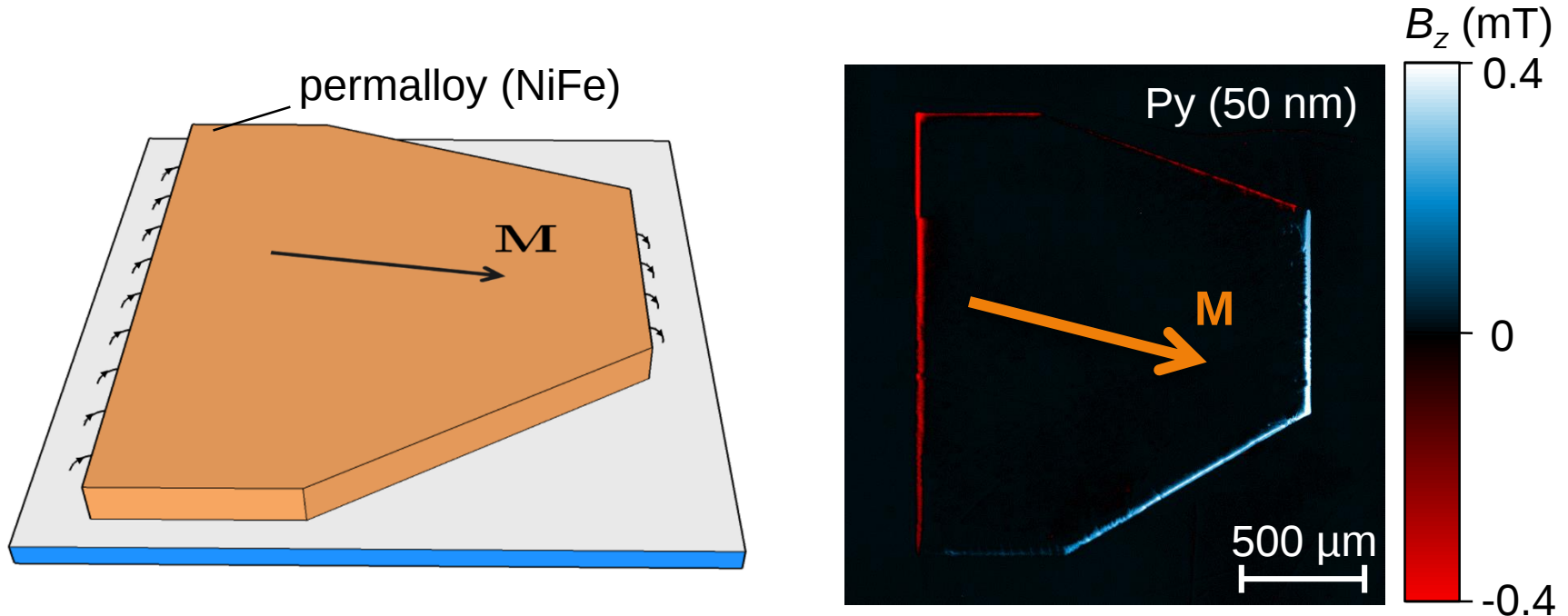
$\mu_0 H = 2.5$ mT



Nb film + NdFeB ferromagnetic layer

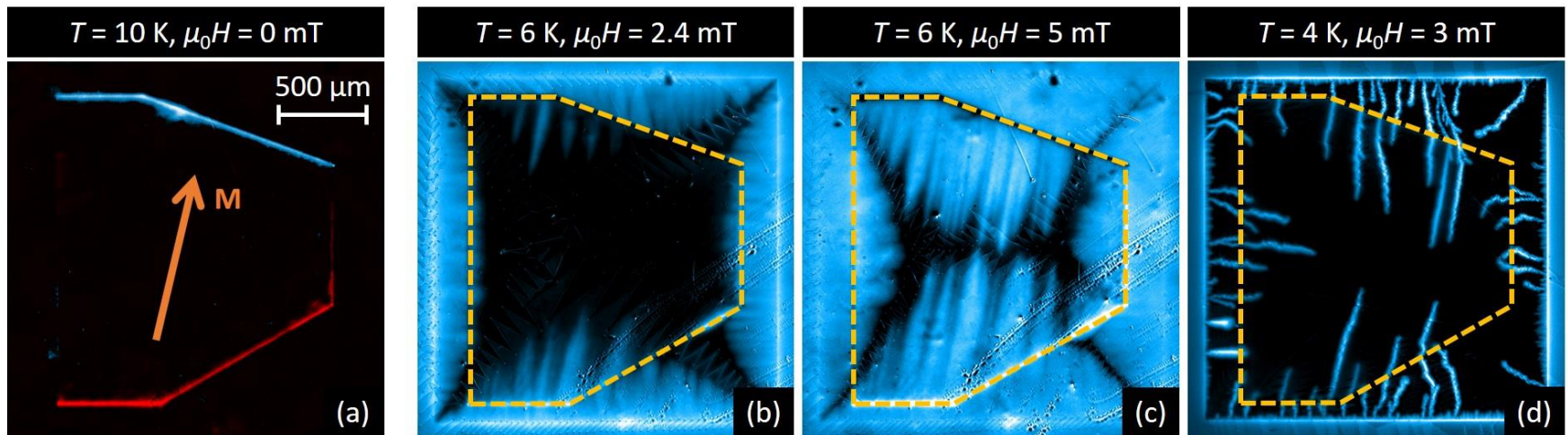


Nb film + permalloy (Py) layer



The direction of magnetization is easily controlled with in-plane fields ~ 1 mT.

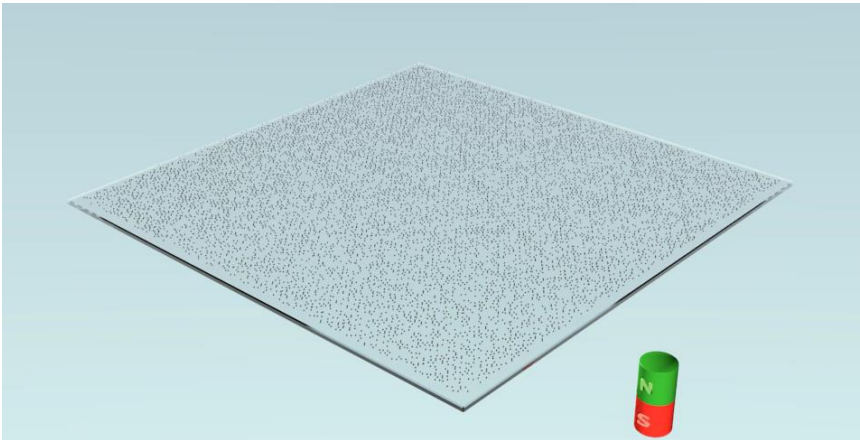
Guiding vortex motion



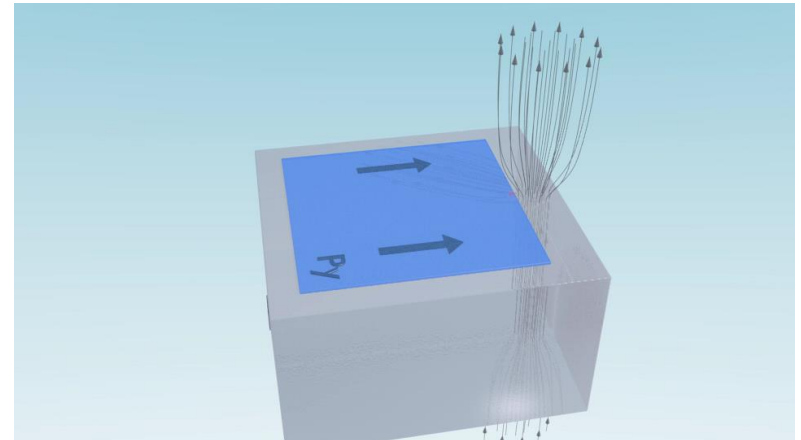
Imprinting magnetic fields



Idea: use a magnetic layer to record the vortex trajectories.



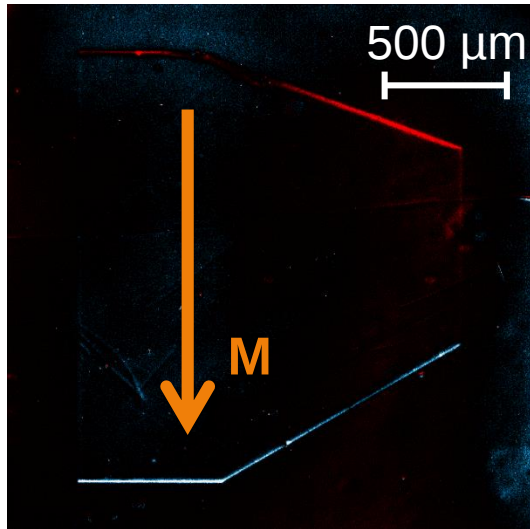
magnet + iron fillings



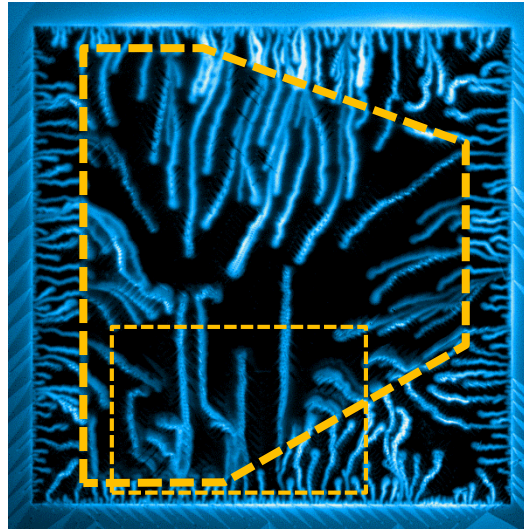
vortex + magnetic layer

Imprinting flux avalanches

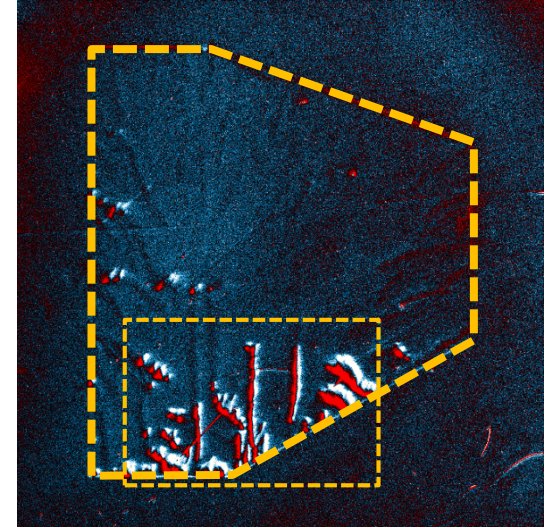
Before, $T = 10$ K
 $\mu_0 H = 0$ mT



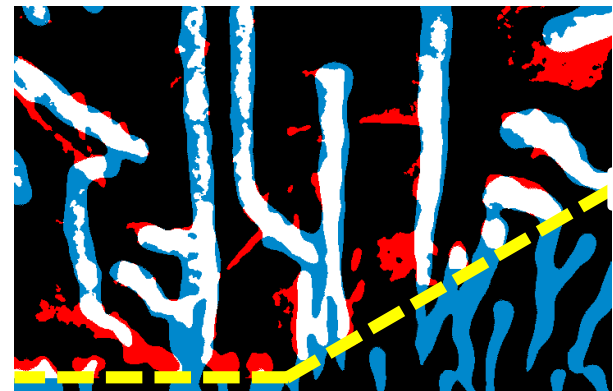
$T = 4$ K
 $\mu_0 H = 4.8$ mT



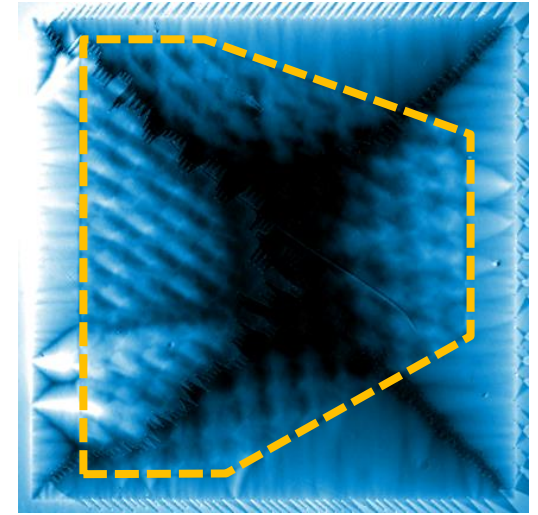
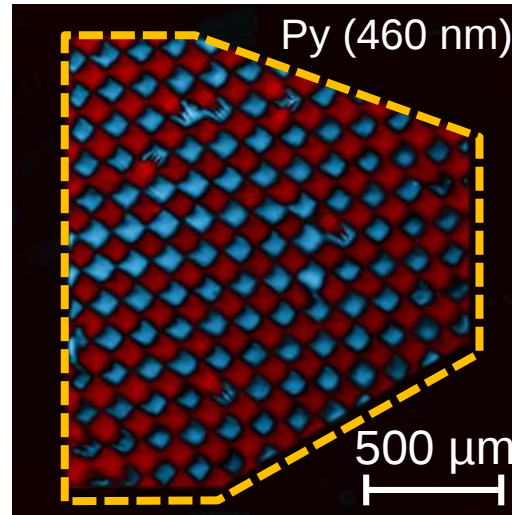
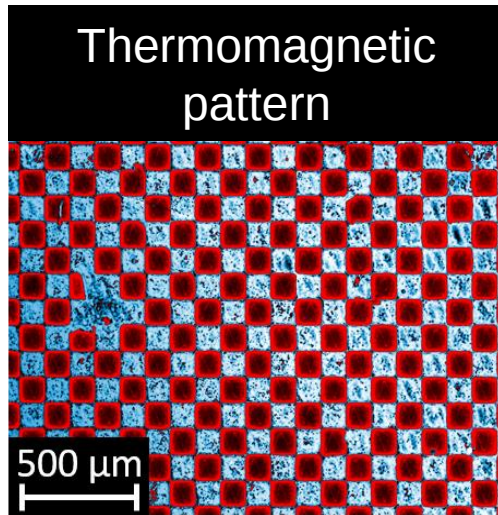
After, $T = 10$ K
 $\mu_0 H = 0$ mT



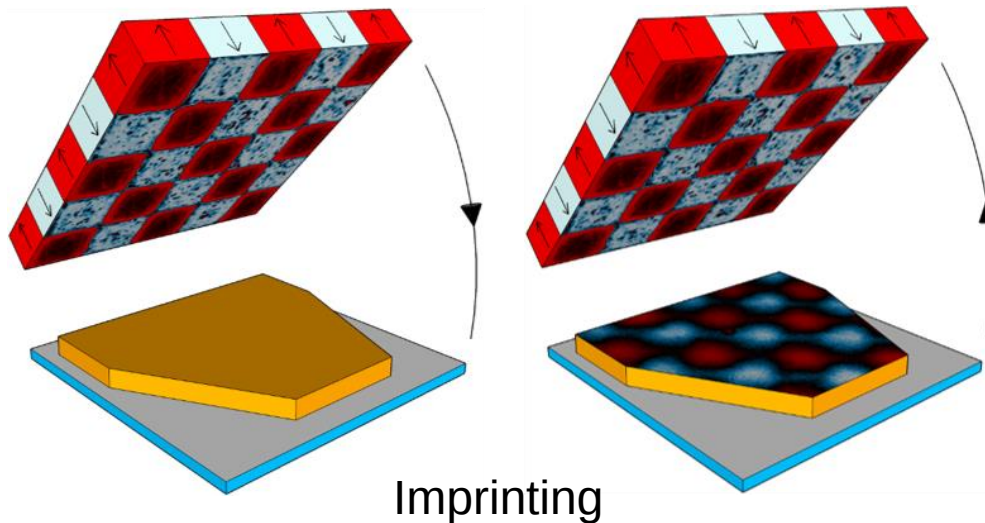
Printings are stable, even up to room temperature!



Room temperature imprinting



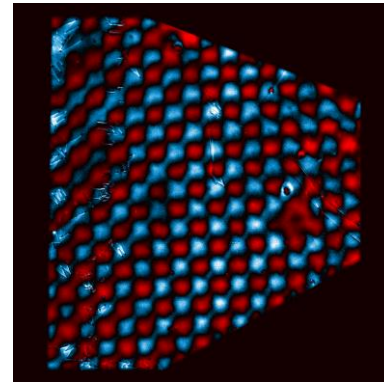
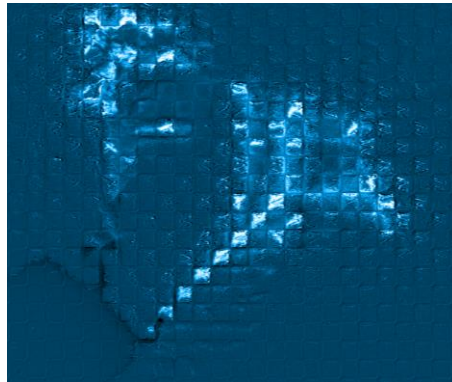
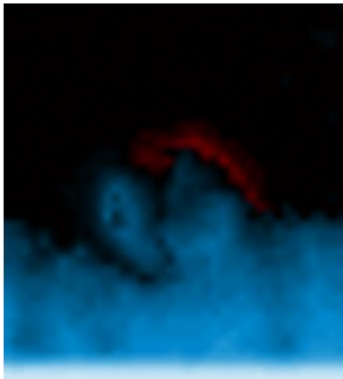
$$T = 6 \text{ K}, \mu_0 H = 4.8 \text{ mT}$$



Imprinting works also
at room temperature
→ tune the magnetic
landscape at will

Conclusion and perspectives

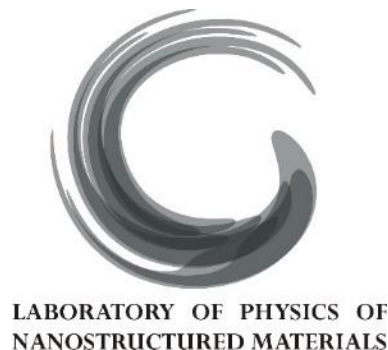
- ✓ Quantitative MOI allows to isolate the magnetic field of a superconductor, even when it is buried in a stronger magnet field.
- ✓ Magnetic flux can be guided and imprinted in a magnetic layer.
- ✓ Tunable pinning landscapes can be obtained by imprinting a magnetic template in a Py layer.



Perspectives:

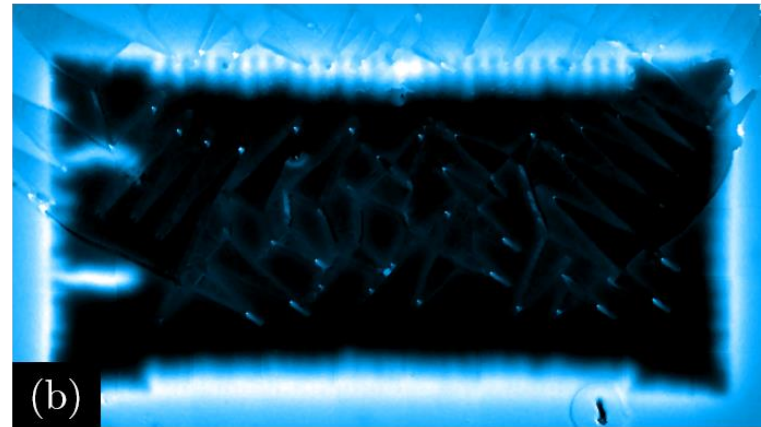
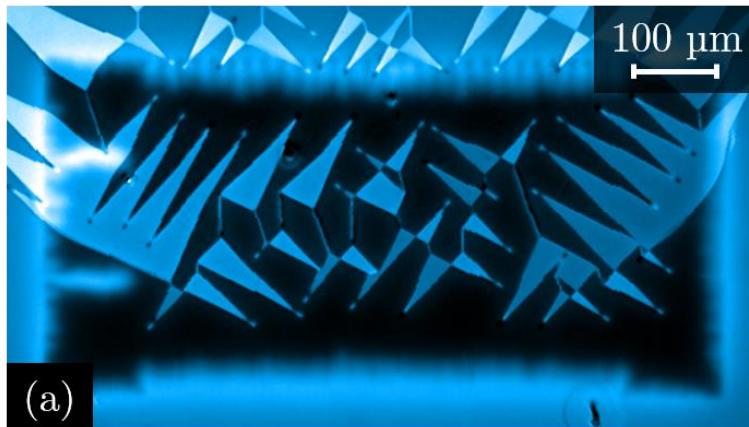
- ✓ Improve the magnetic recording
- ✓ Tune the magnetic landscape at will to guide flux/avalanches
- ✓ Contributions to magnetic damping: hysteresis, magnons...

Thank you for your attention!

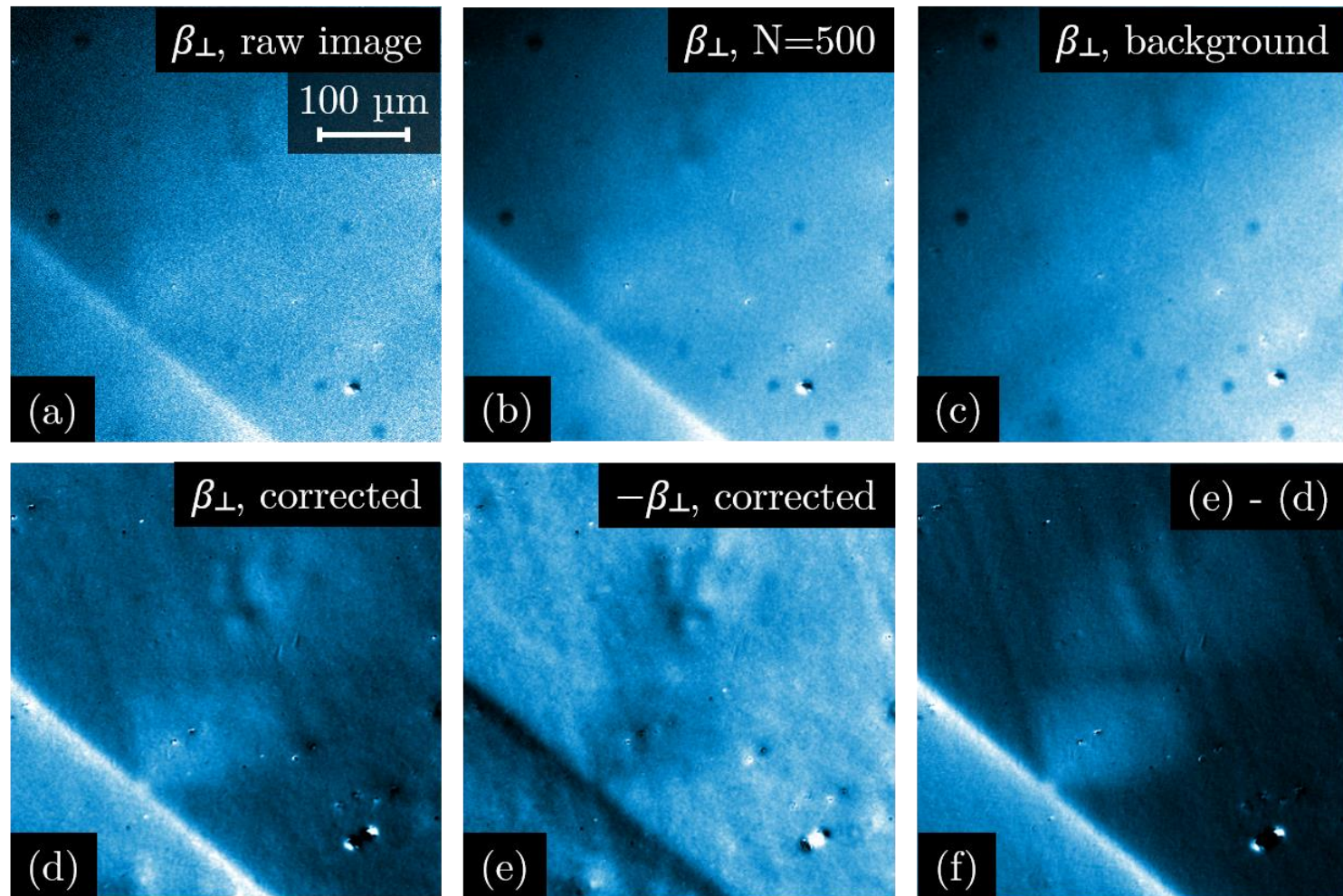


Supplementary materials

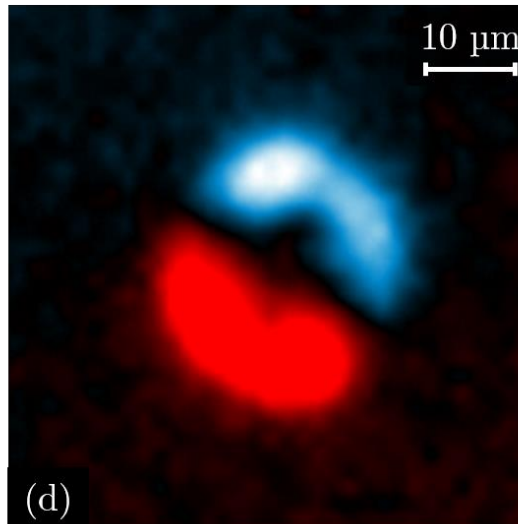
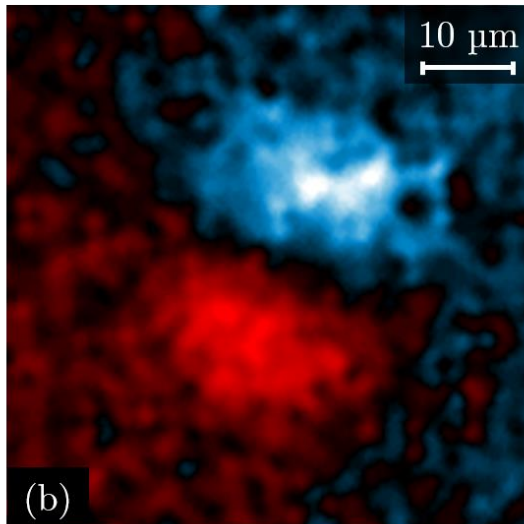
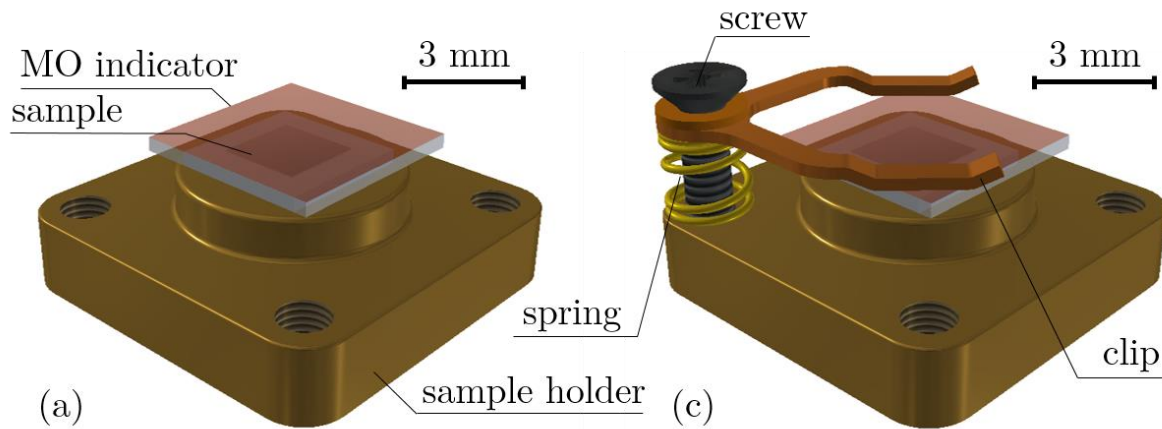
Correction for the indicator magnetic domains



Improvement of raw MO images

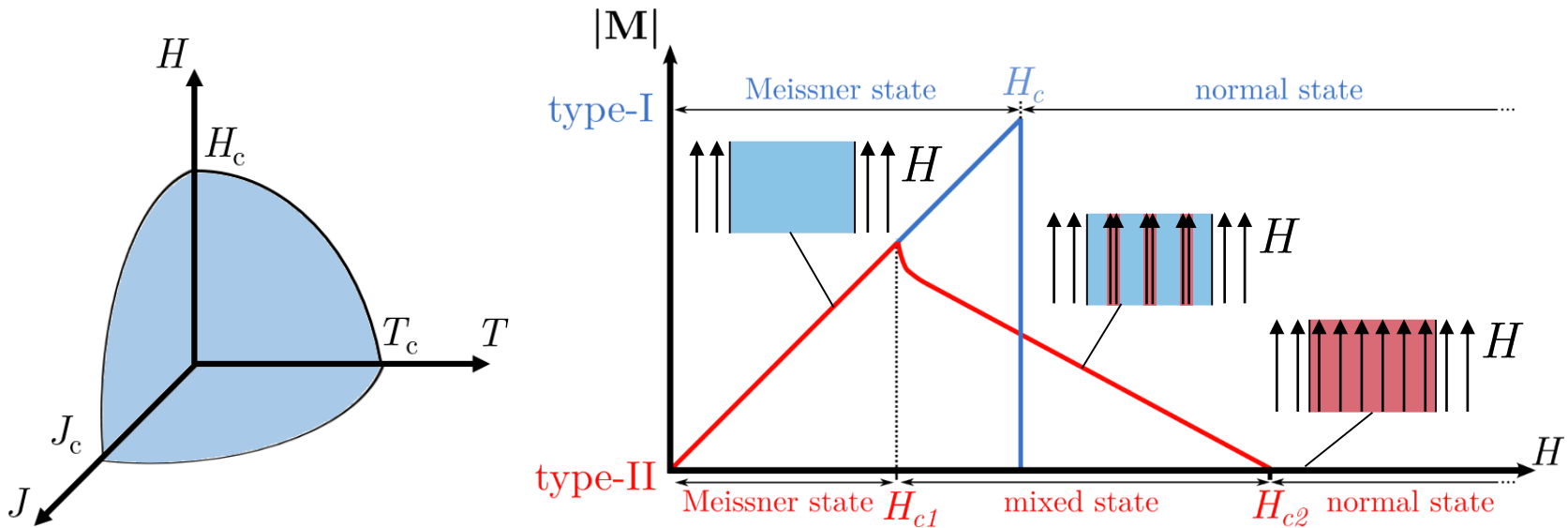


Improvement of the indicator/sample assembly

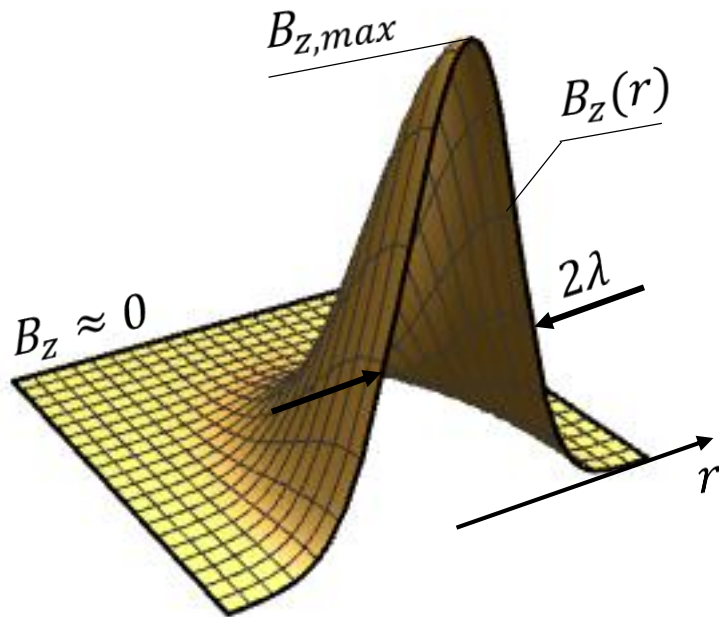


Theoretical background

Type I vs type II superconductivity

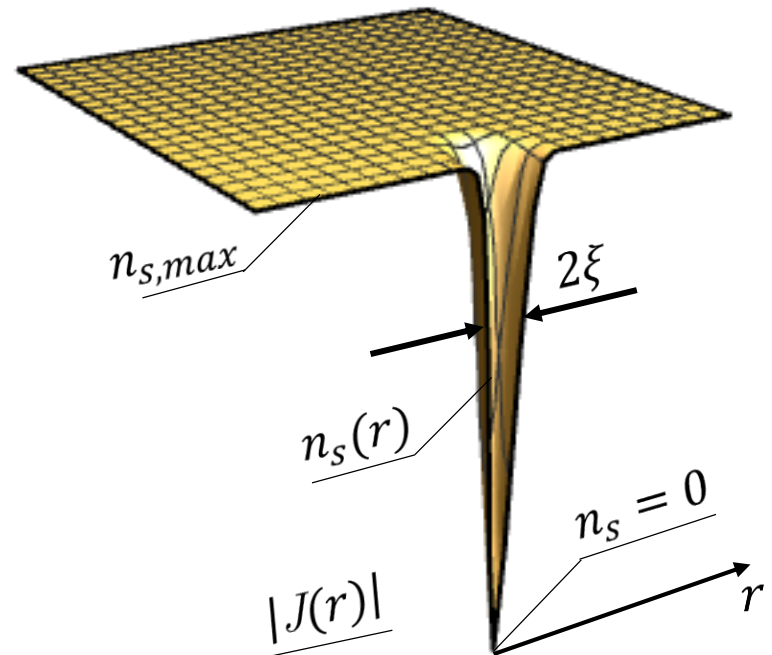
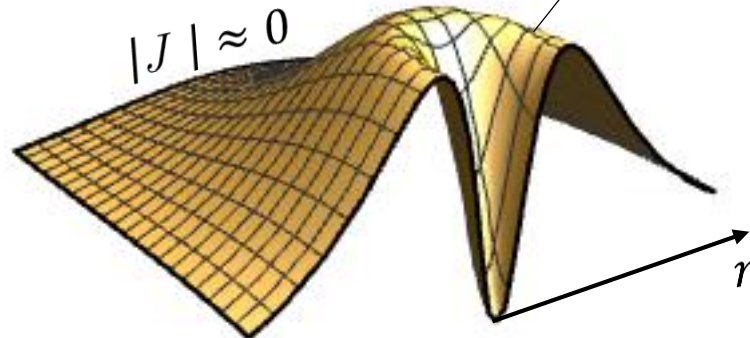


Single vortex

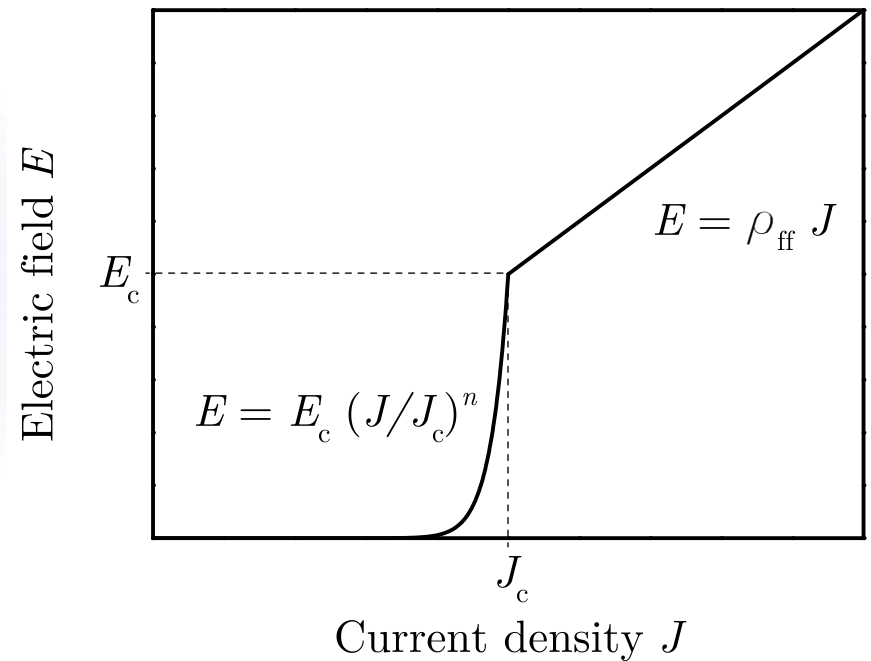
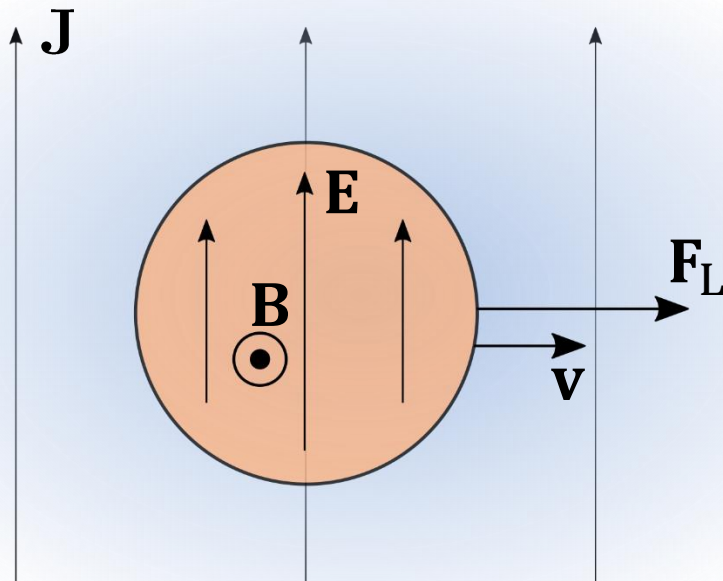


$$B_z(r) = \frac{\phi_0}{2\pi\lambda^2} K_0\left(\frac{r}{\lambda}\right)$$

$$J(r) = \frac{\phi_0}{2\pi\mu_0\lambda^3} K_1\left(\frac{r}{\lambda}\right)$$



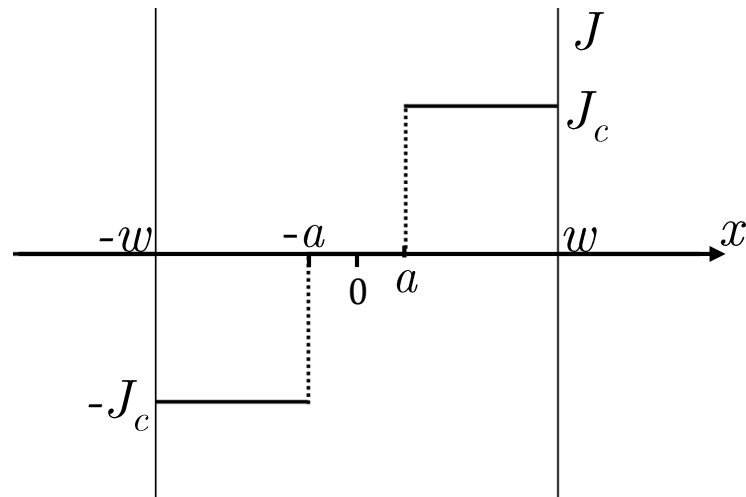
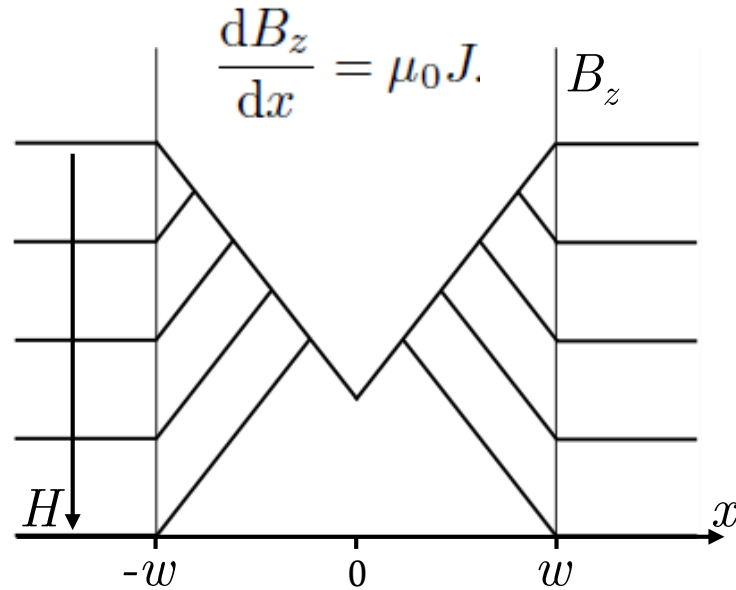
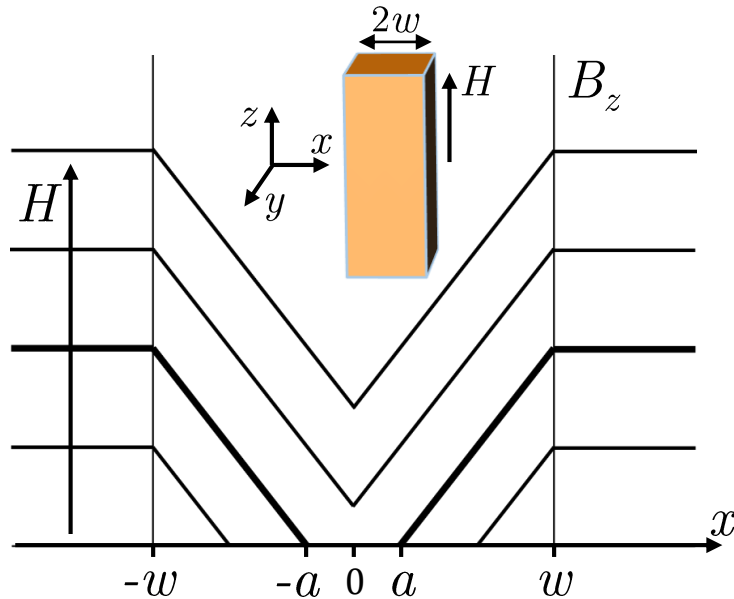
Dissipation in the vortex core



n is the creep exponent

ρ_{ff} is the resistivity in the flux flow regime

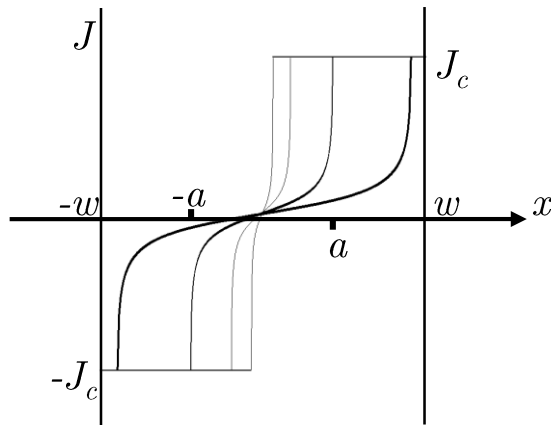
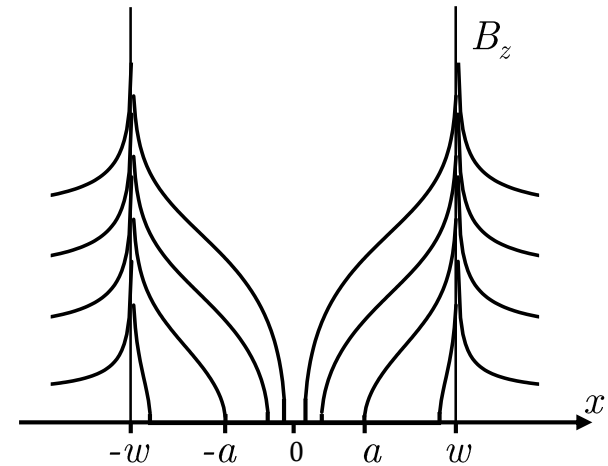
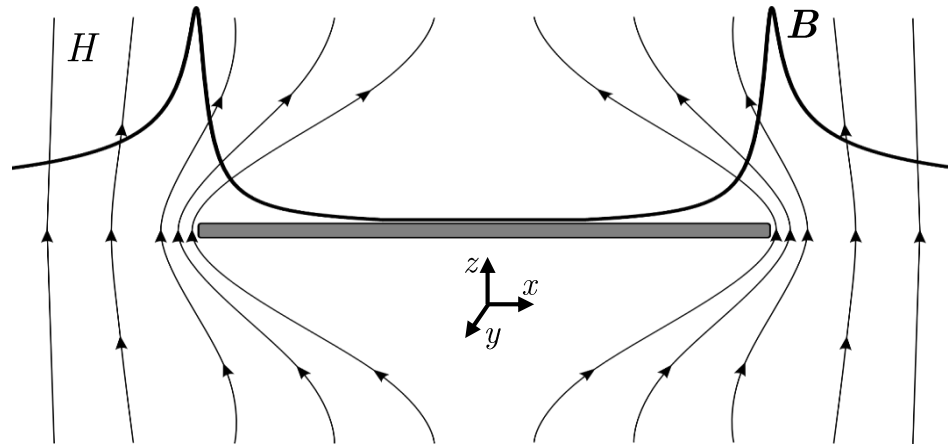
Smooth flux penetration (Bean model)



$$B_z(x) = \begin{cases} \mu_0 H & \text{if } |x| > w \\ \mu_0 (|x| - a) J_c & \text{if } w > |x| > a \\ 0 & \text{if } |x| < a. \end{cases}$$

$$J(x) = \begin{cases} \frac{x}{|x|} J_c & \text{if } w > |x| > a \\ 0 & \text{if } |x| < a. \end{cases}$$

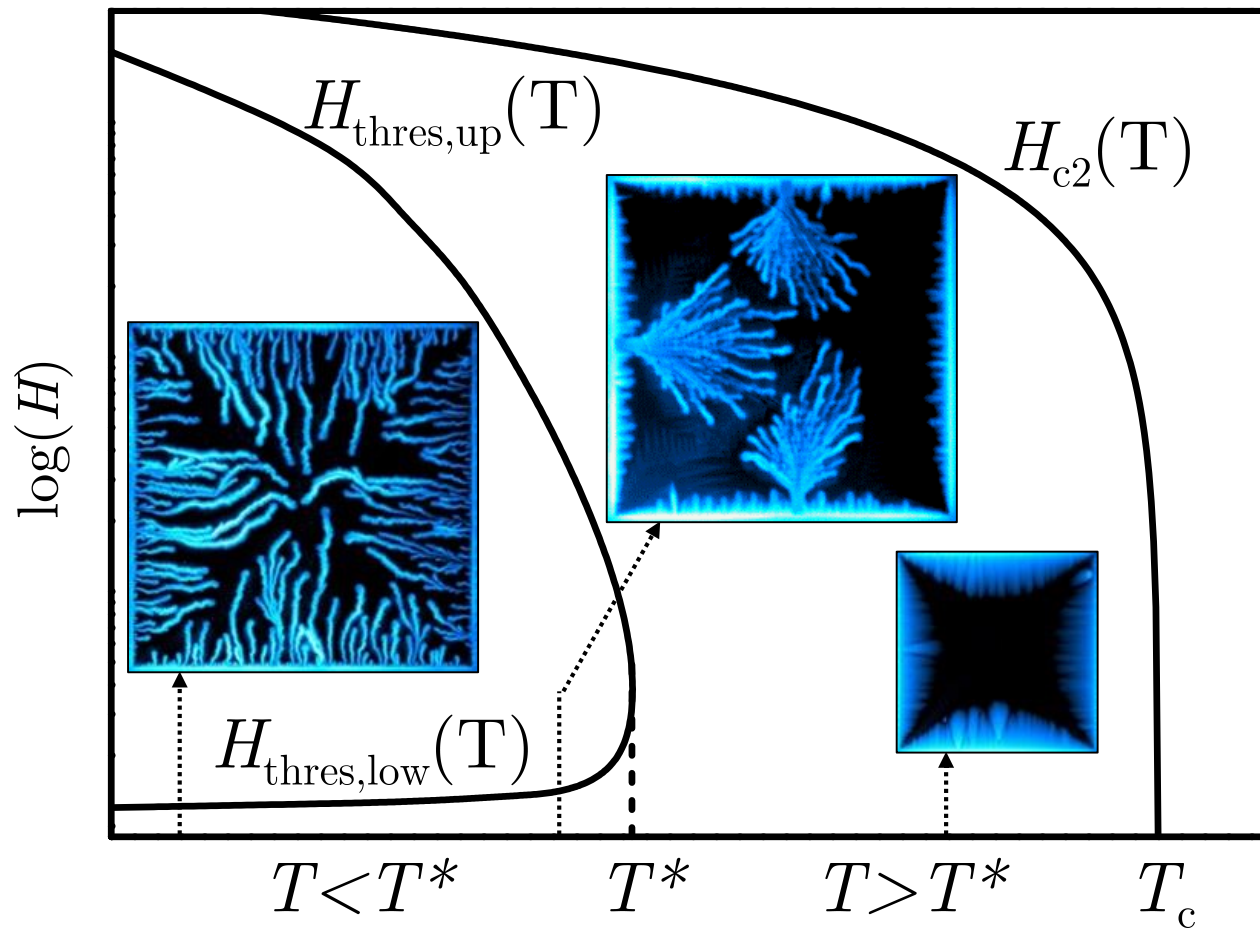
Smooth flux penetration (thin films)



$$B_z(x) = \begin{cases} \mu_0 H_g \operatorname{arctanh} \left(\frac{|x|}{w} \sqrt{\frac{w^2 - a^2}{x^2 - a^2}} \right) & \text{if } |x| > w \\ \mu_0 H_g \operatorname{arctanh} \left(\frac{w}{|x|} \sqrt{\frac{x^2 - a^2}{w^2 - a^2}} \right) & \text{if } w > |x| > a \\ 0 & \text{if } |x| < a, \end{cases}$$

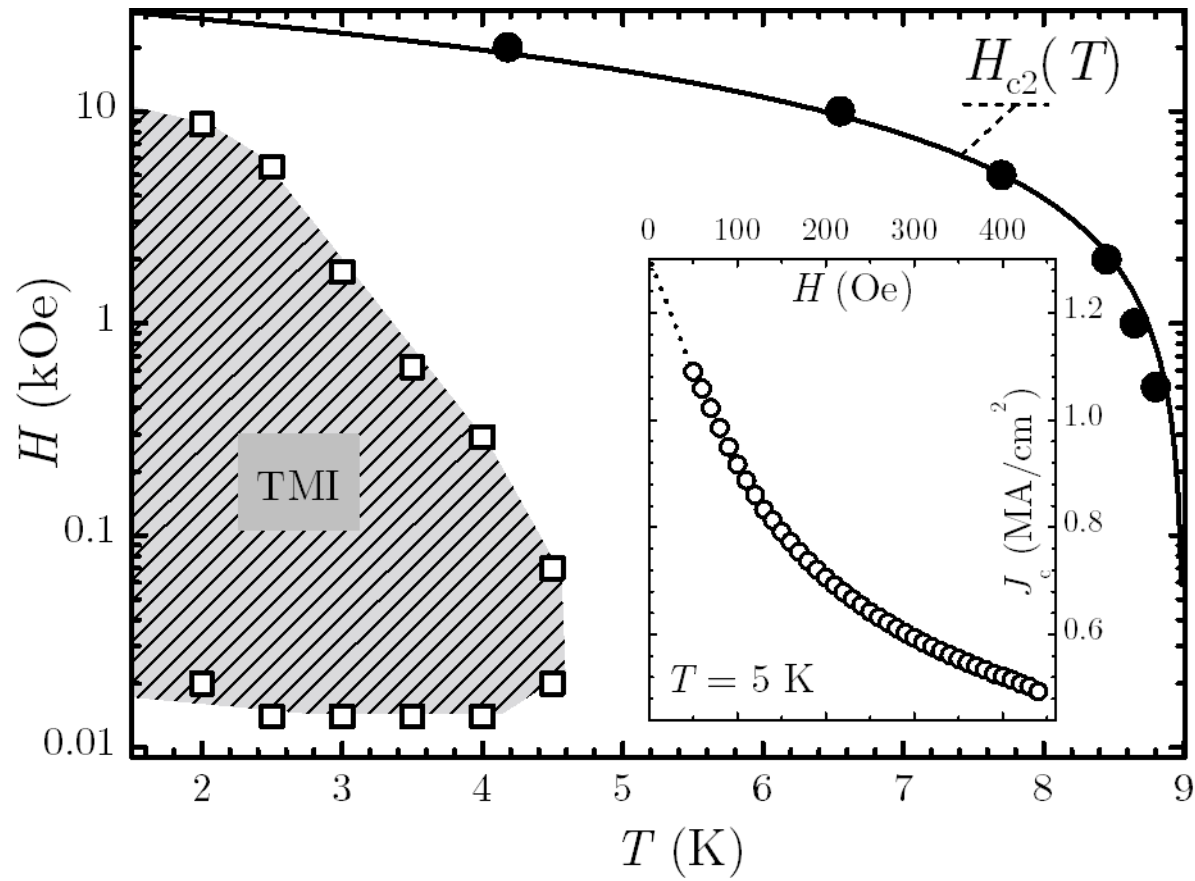
$$J(x) = \begin{cases} \frac{x}{|x|} J_c & \text{if } w > |x| > a \\ \frac{2}{\pi} \arctan \left(\frac{x}{w} \sqrt{\frac{w^2 - a^2}{a^2 - x^2}} \right) J_c & \text{if } |x| < a. \end{cases}$$

Flux avalanches phase diagram



Flux avalanches phase diagram

$2 \times 2 \text{ mm}^2$ Nb film (140 nm thick)



Flux avalanches equations

$$\nabla \times \mathbf{E} = -\frac{d\mathbf{B}}{dt}$$

$$\nabla \cdot \mathbf{B} = 0$$

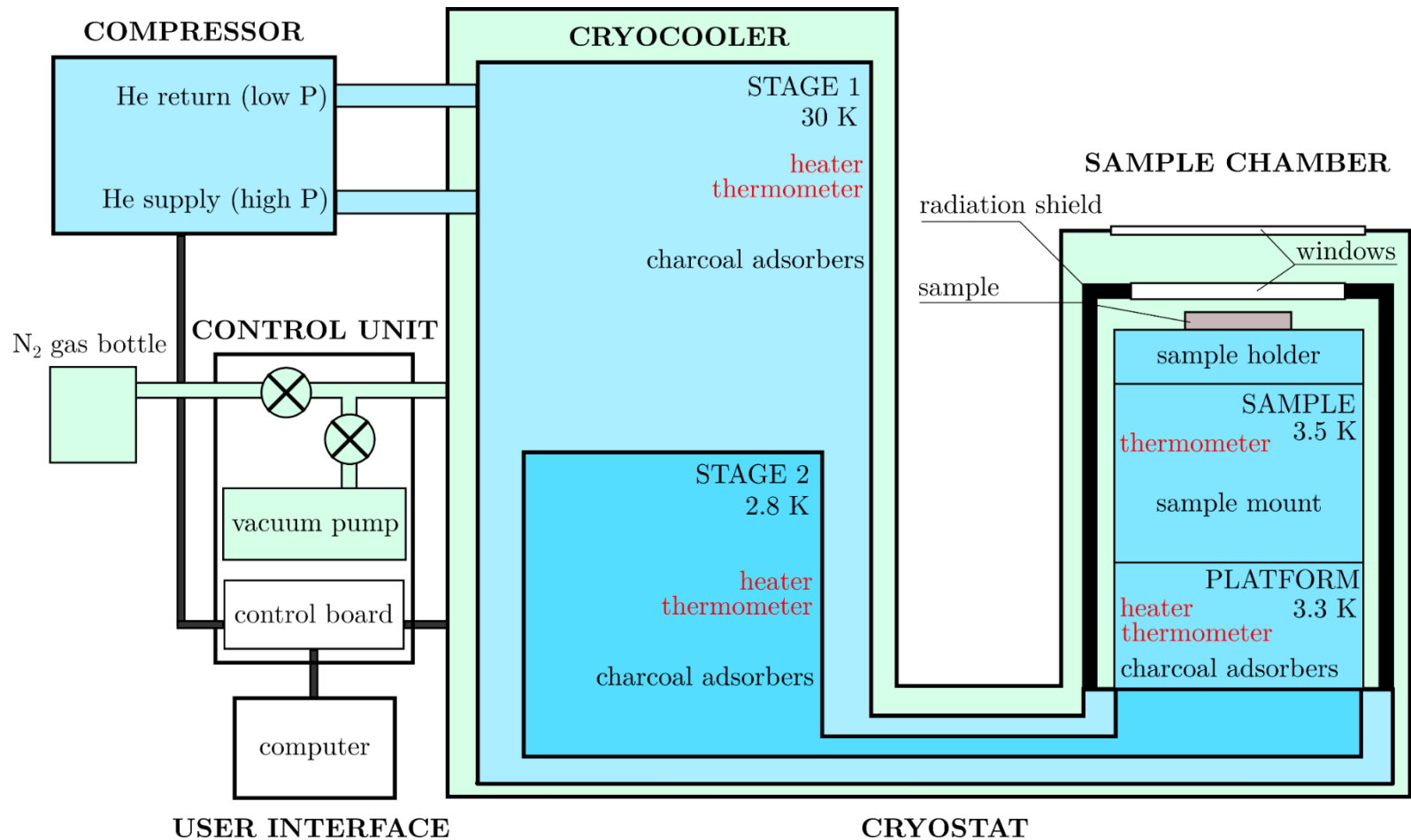
$$\nabla \times \mathbf{B} = \mu_0 \mathbf{j} \delta(z)$$

$$c \frac{dT}{dt} = \kappa \nabla^2 T - \frac{h_0}{t} (T - T_0) + \frac{\mathbf{j} \cdot \mathbf{E}}{t}$$

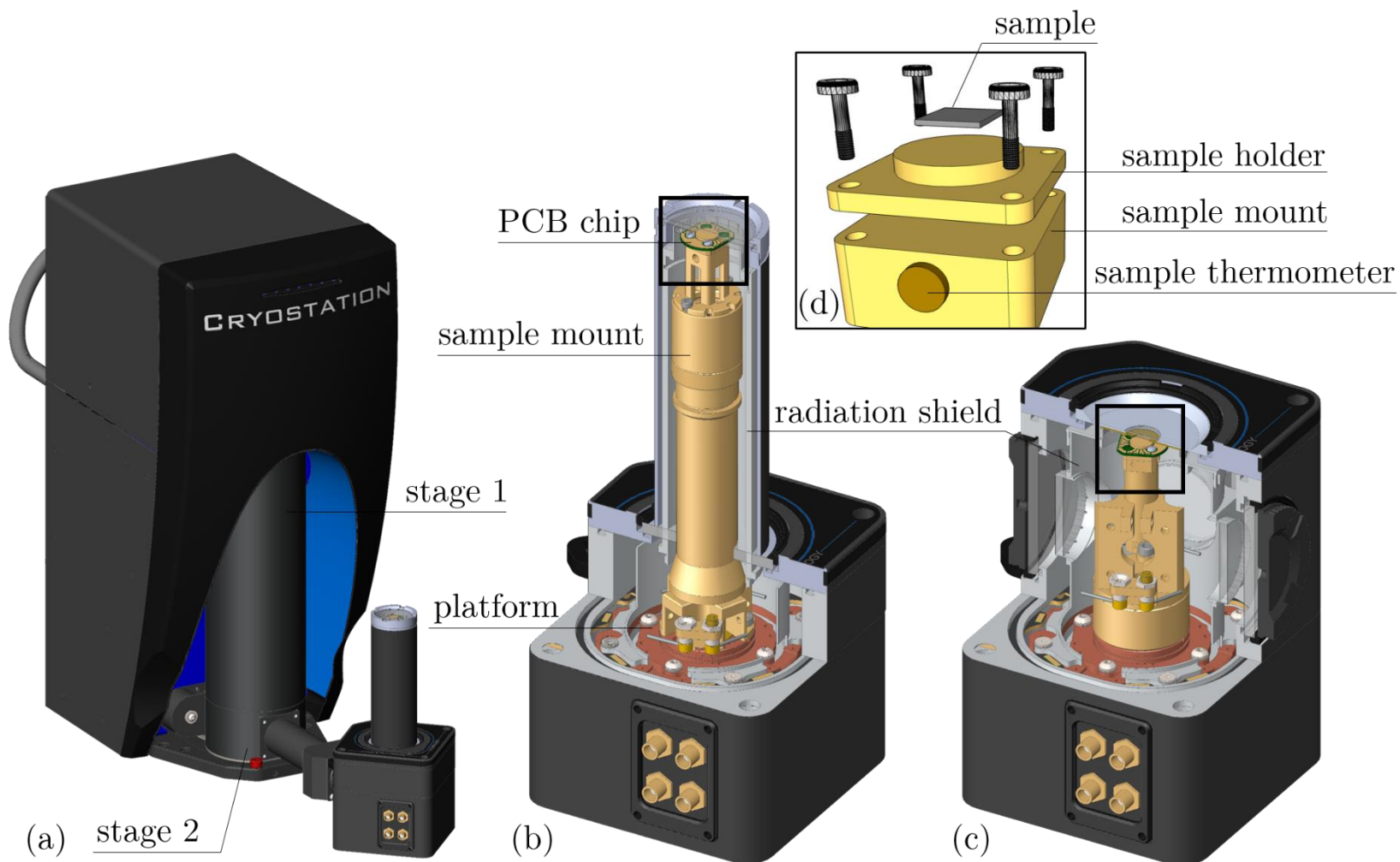
$$H_{\text{thres}} = \frac{J_c t}{\pi} \arccos \left(\frac{w}{w - l^*} \right) \quad l^* = \frac{\pi}{2 \left(\sqrt{\frac{E J_c}{\kappa T^*}} - \sqrt{\frac{2 h_0}{\kappa n t}} \right)}$$

Cryostat

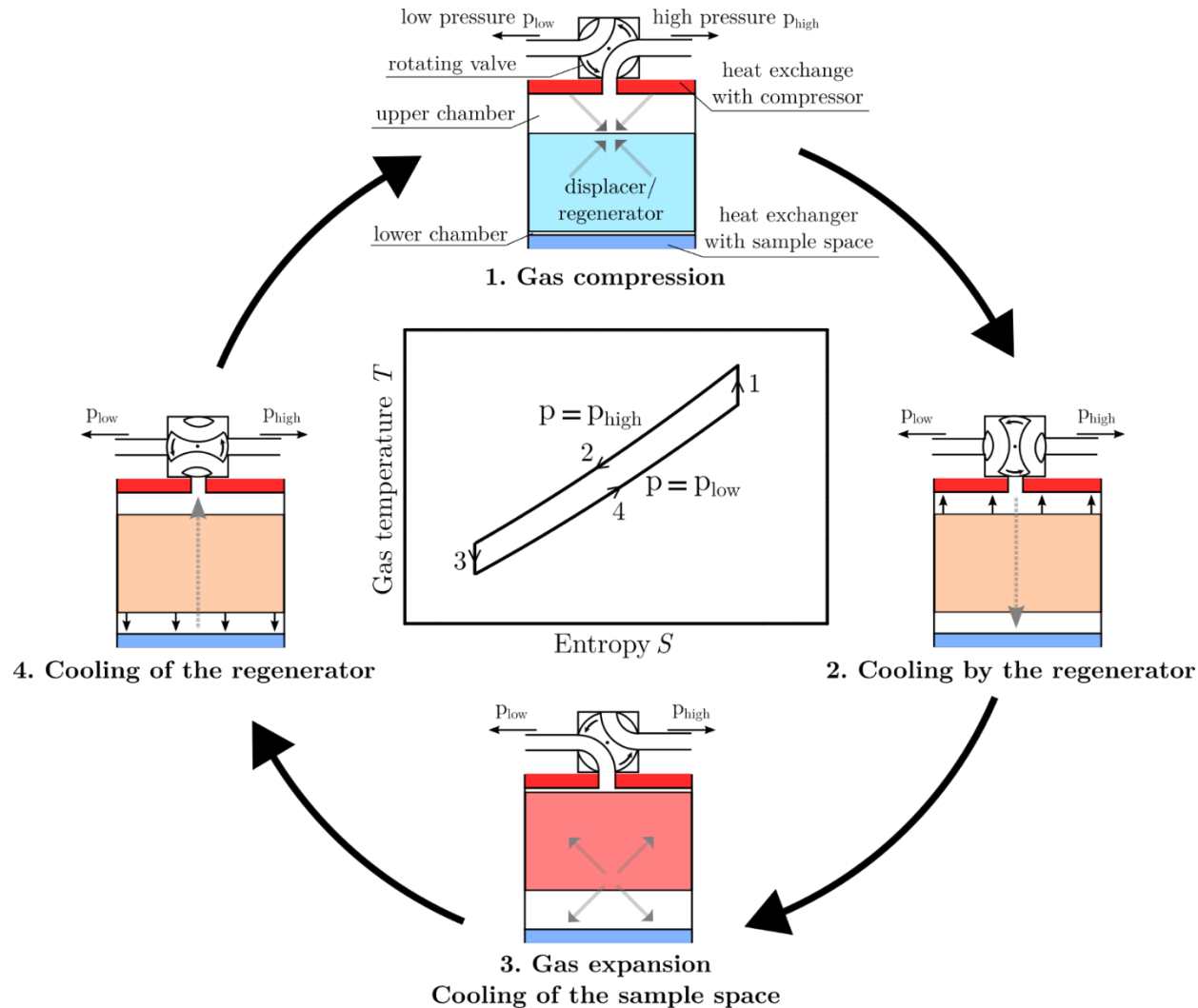
Cryostat overview



Cryostat

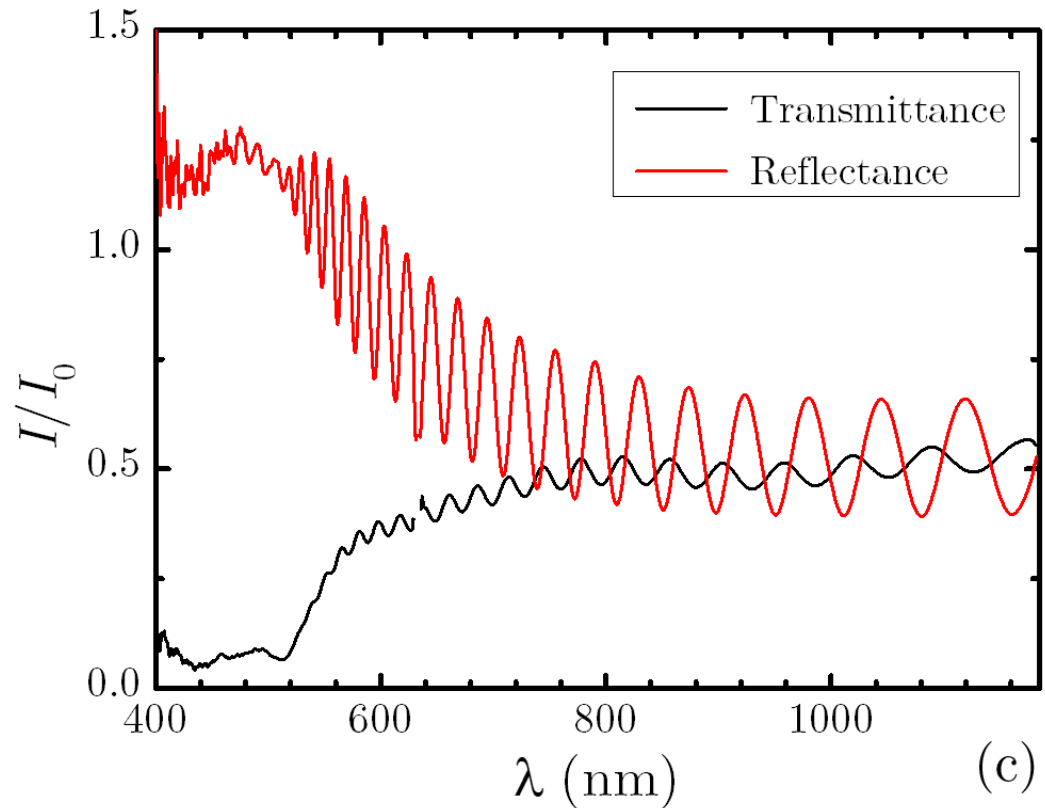
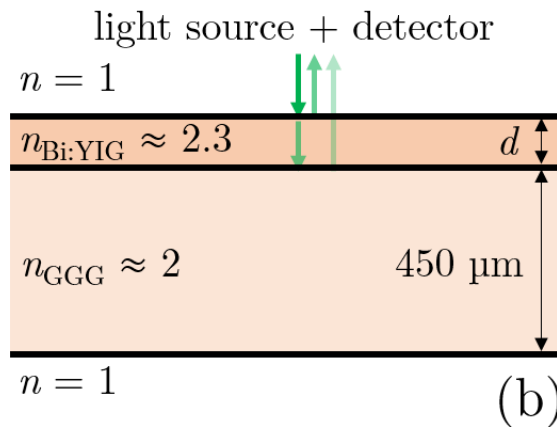
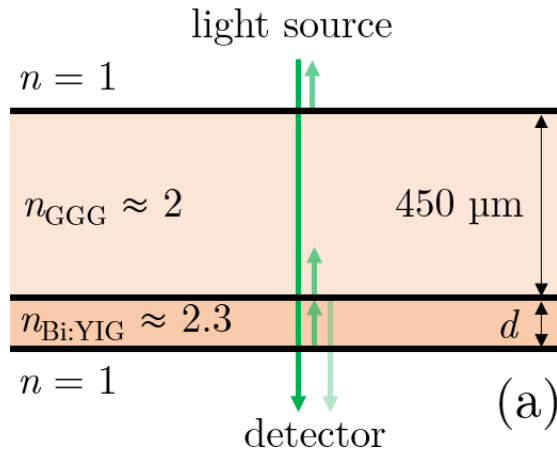


Gifford-McMahon cooling cycle

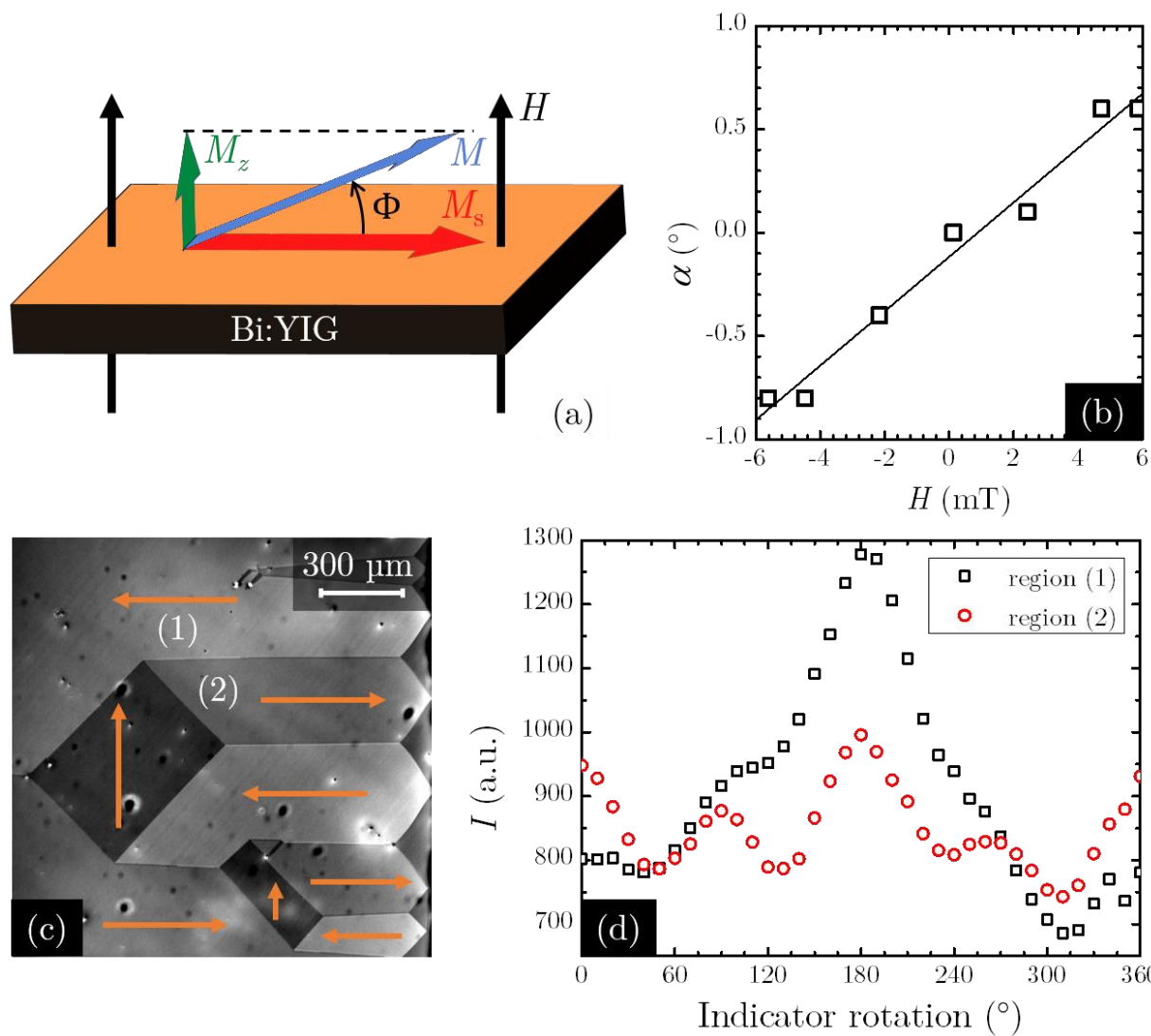


Magneto-optical imaging

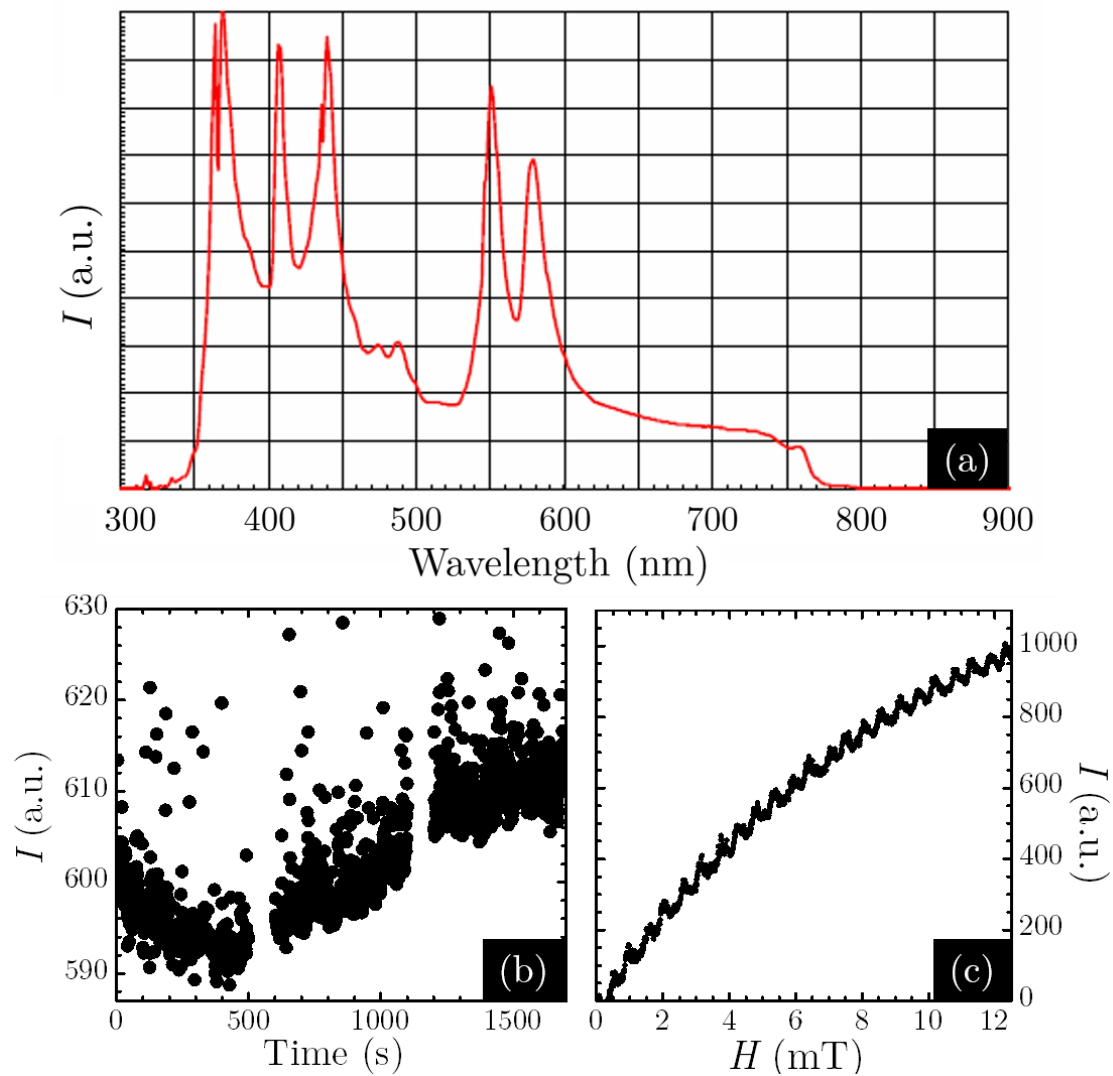
Characterization of the indicator



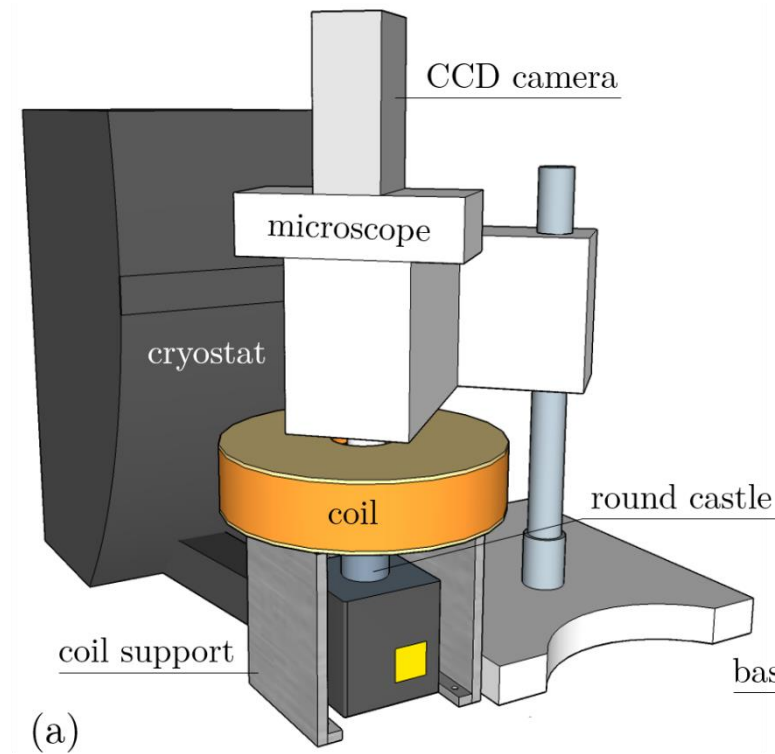
Magnetization of the indicator



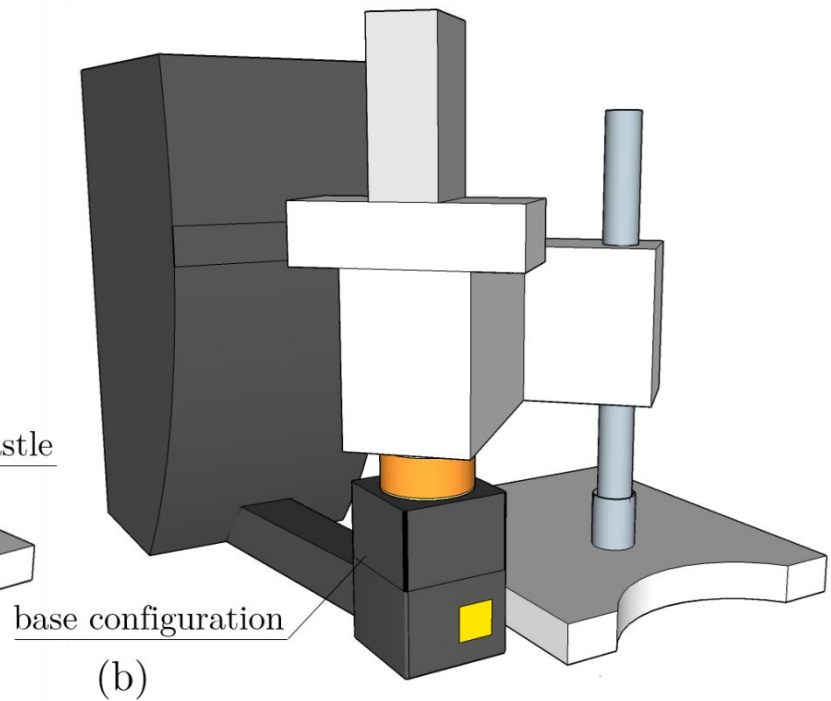
Microscope light source



Setup configuration

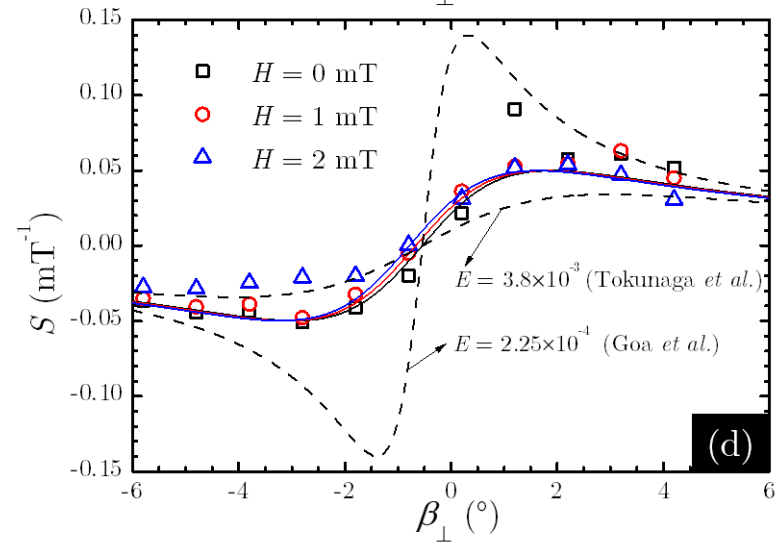
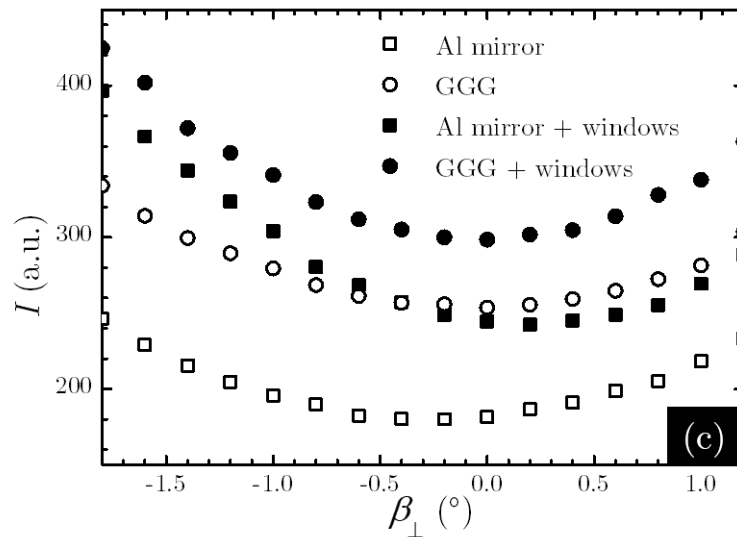
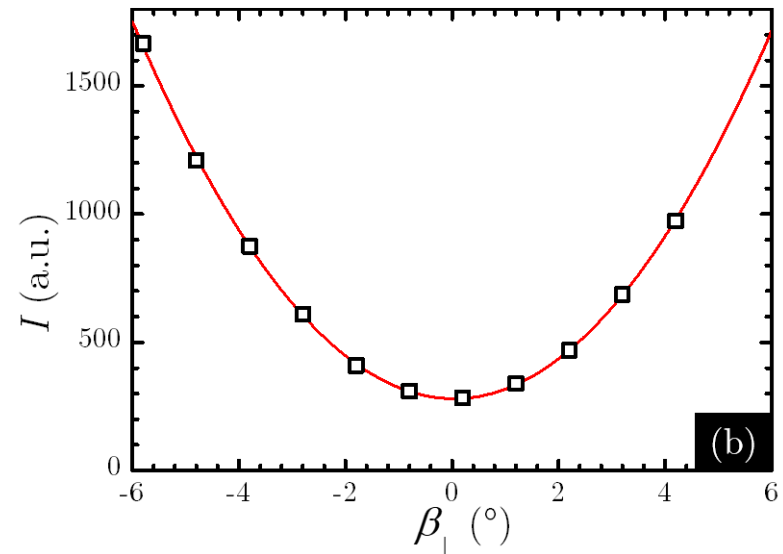
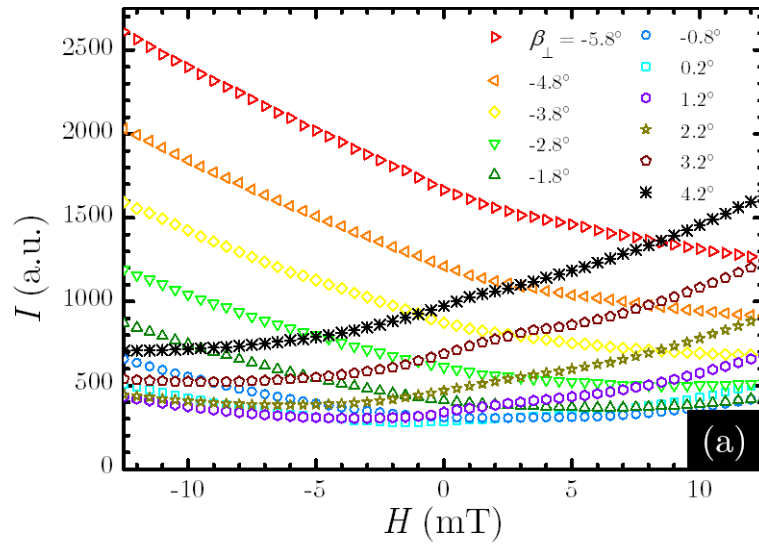


Round castle configuration



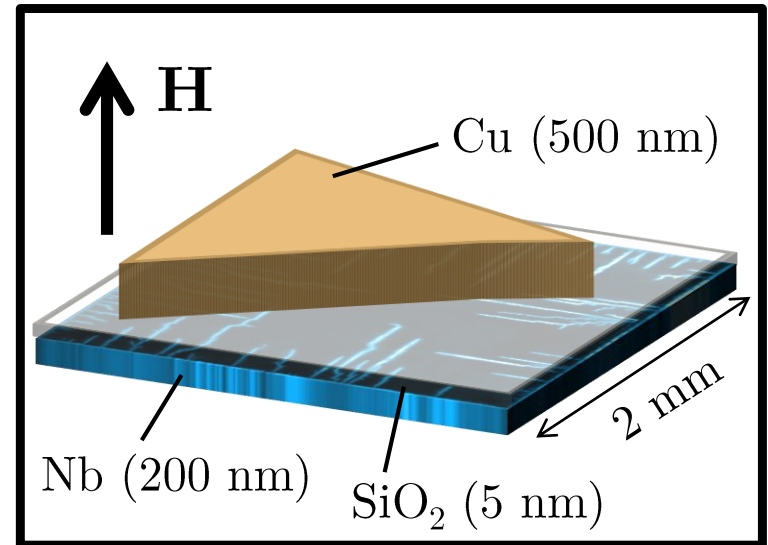
Base configuration

Optical characterization of the MOI setup



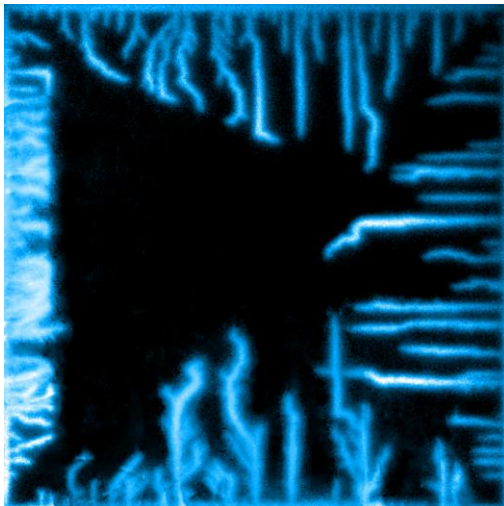
Superconductor + conductor

Avalanche deflection



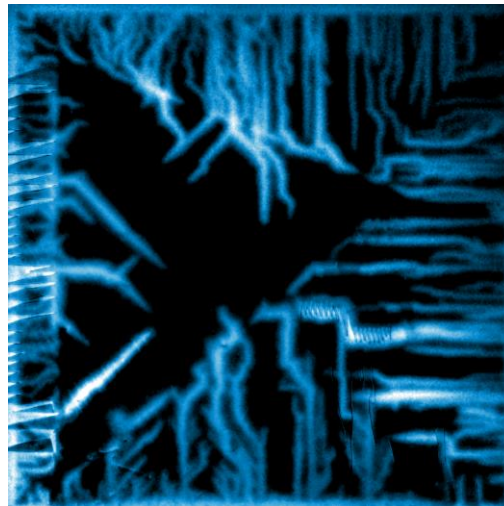
ZFC

$T = 2.5 \text{ K}, \mu_0 H = 1 \text{ mT}$



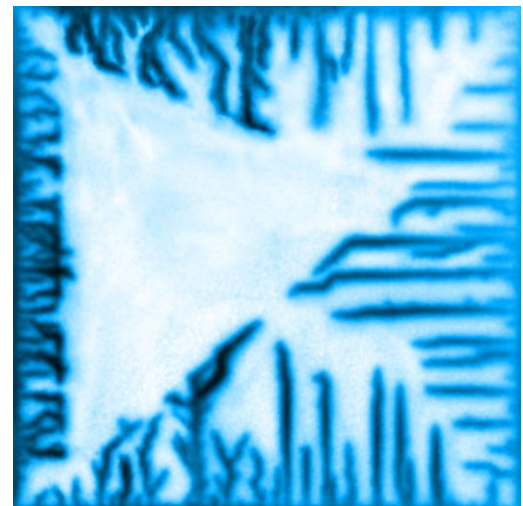
ZFC

$T = 2.5 \text{ K}, \mu_0 H = 2 \text{ mT}$

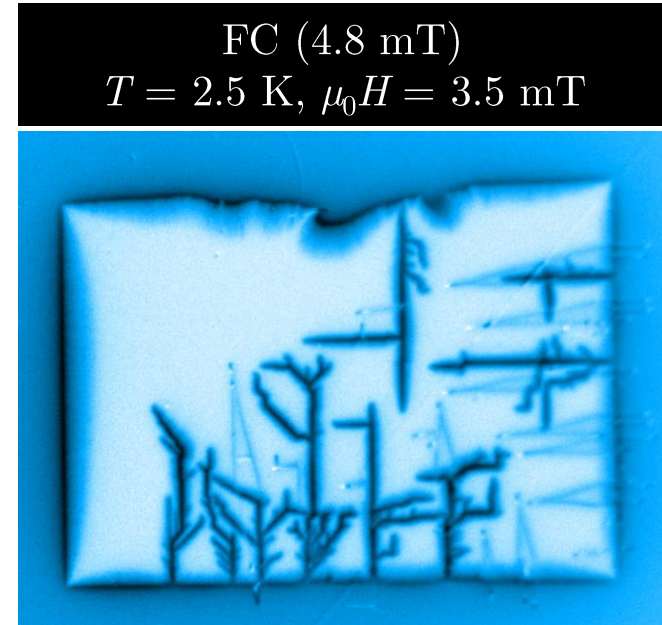
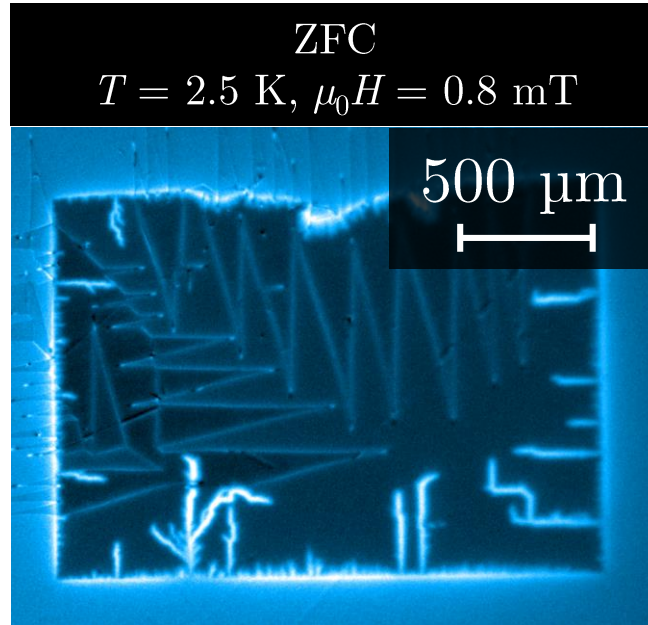
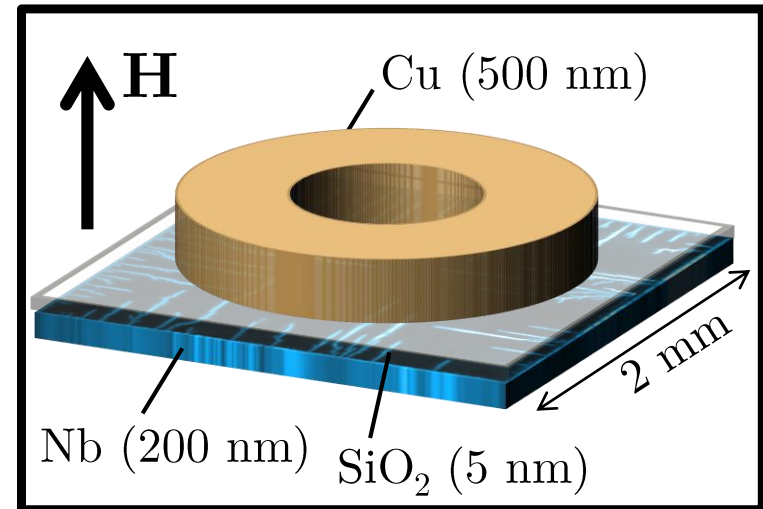


FC (1 mT)

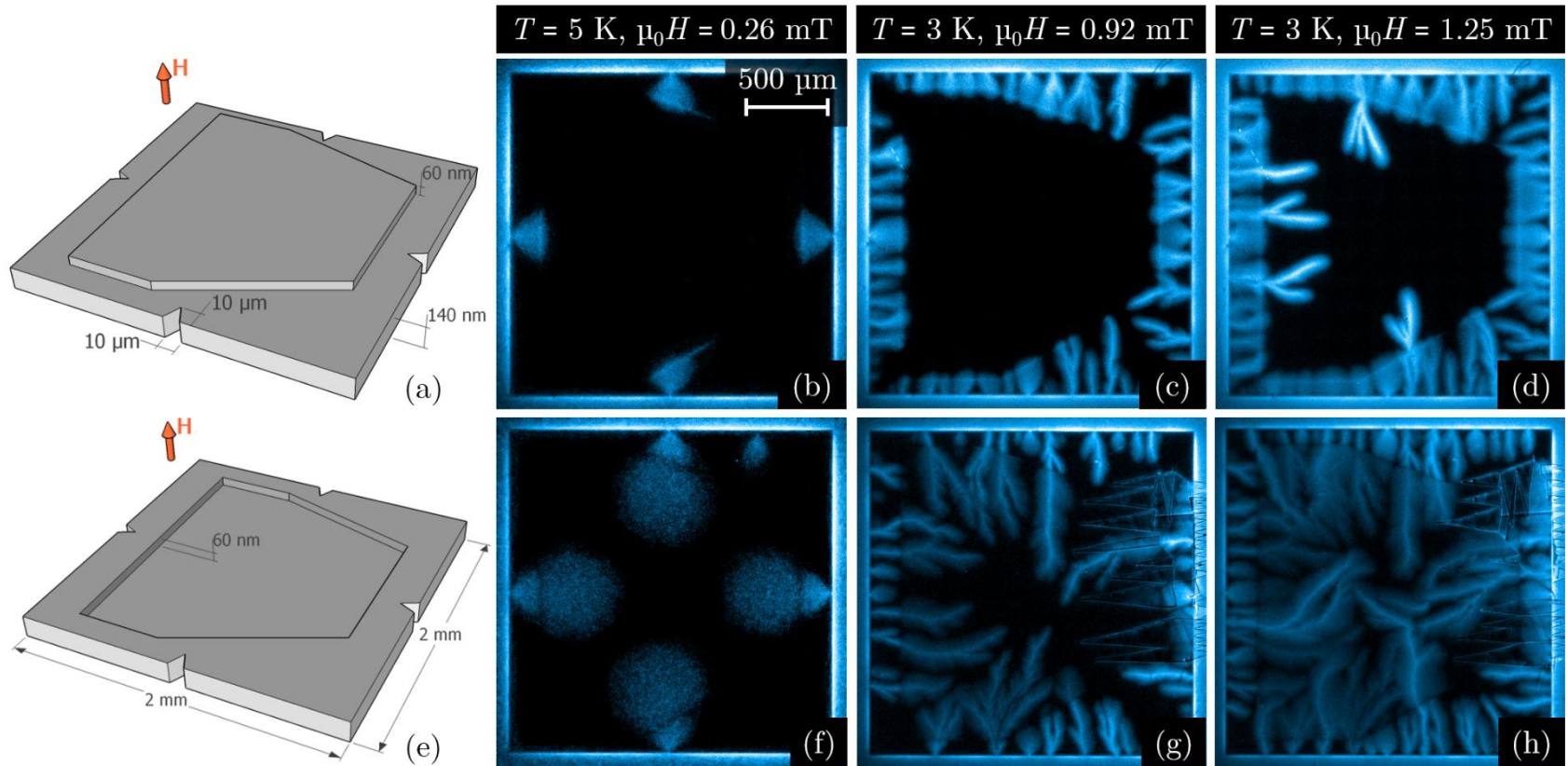
$T = 2.5 \text{ K}, \mu_0 H = 0 \text{ mT}$



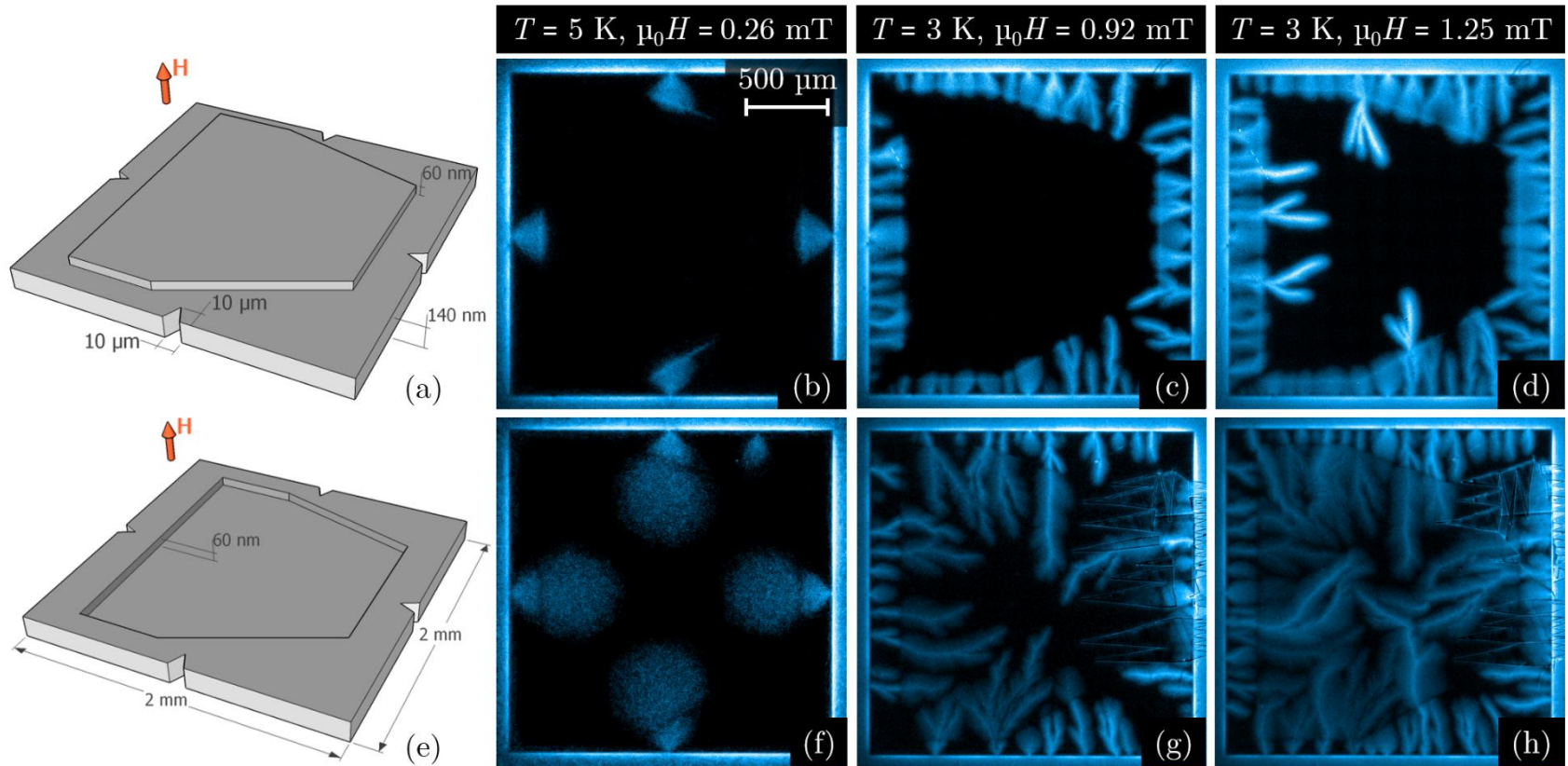
Avalanche deflection



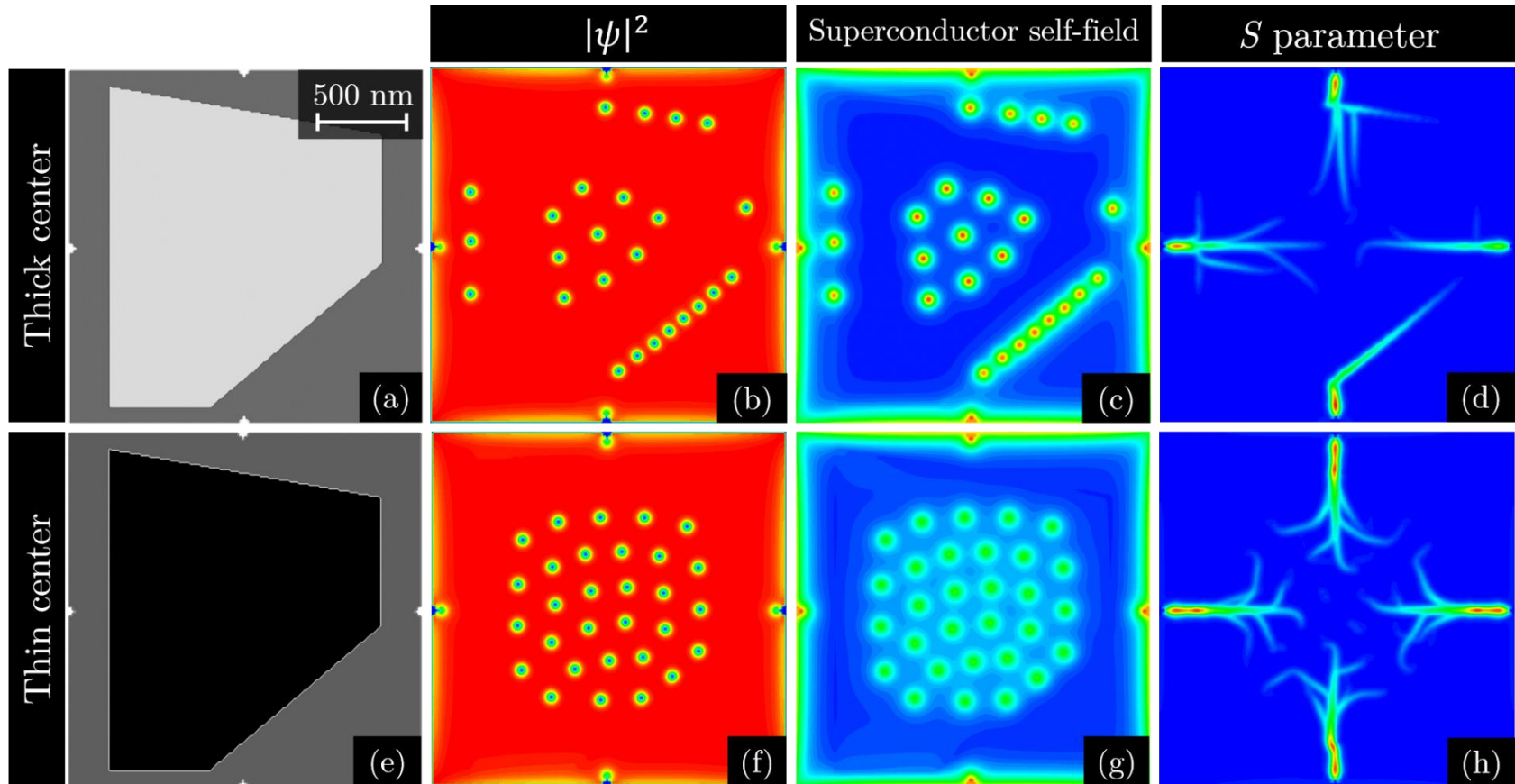
Superconductor with thickness step



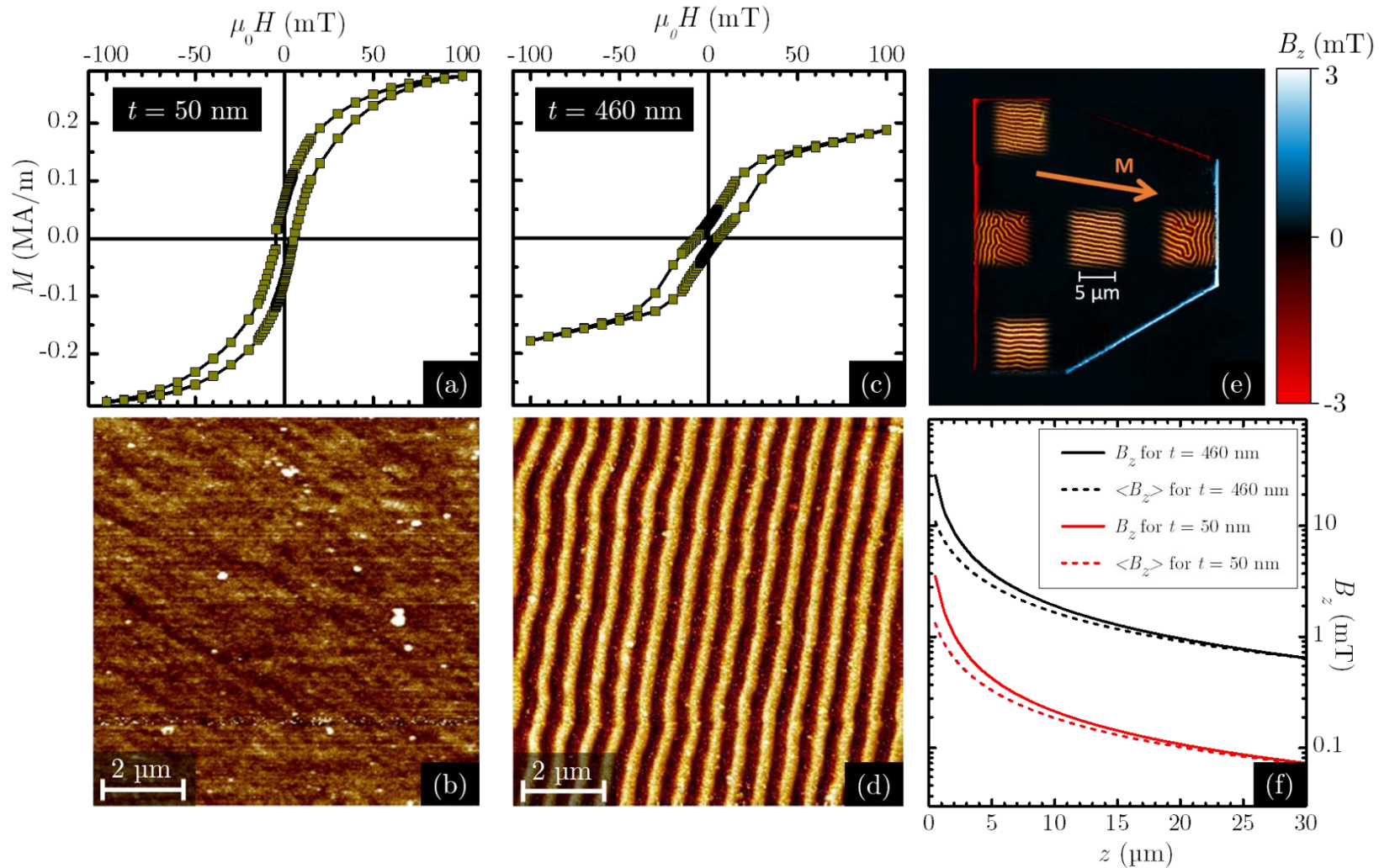
Superconductor with thickness step



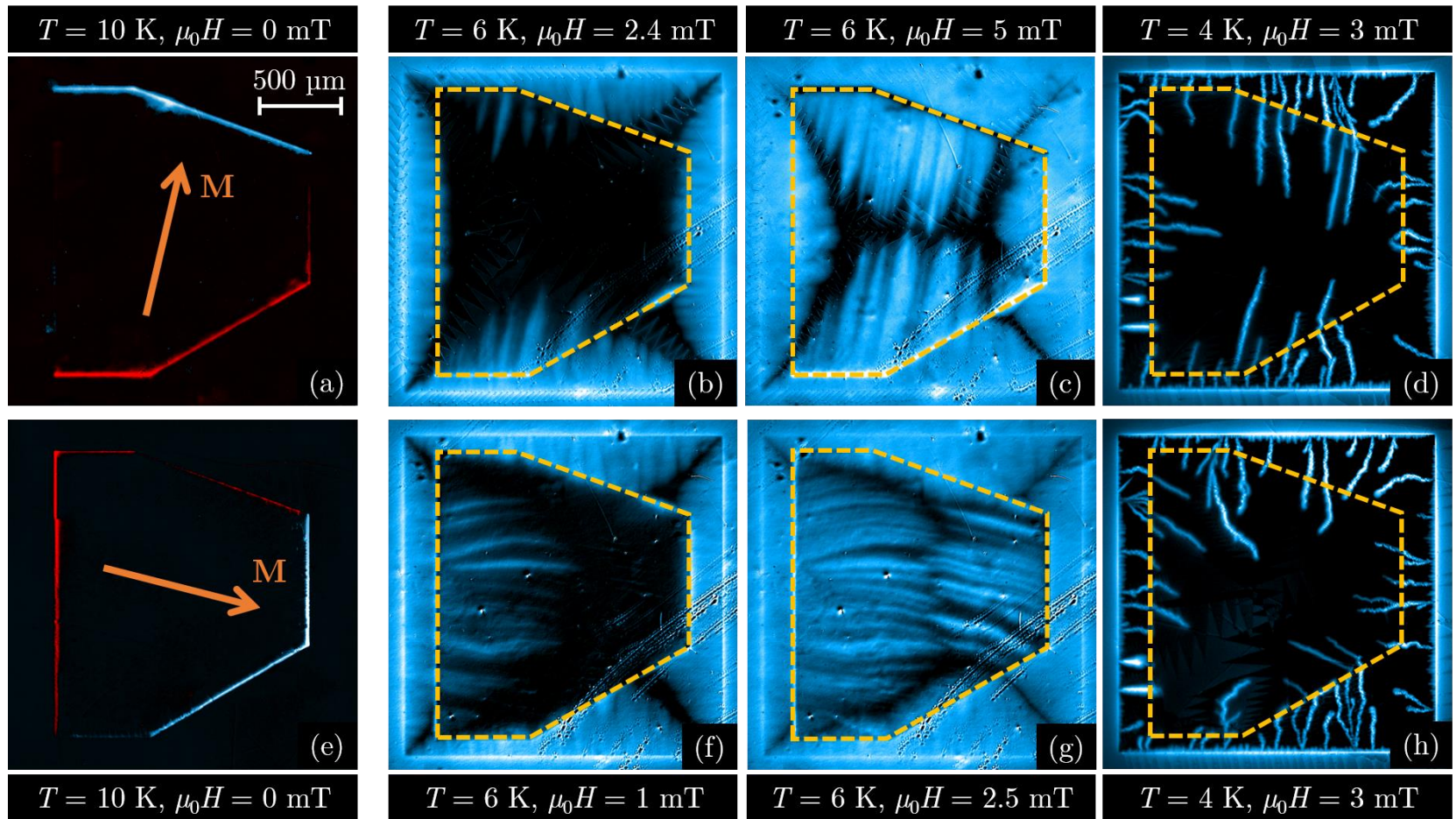
Time-dependent Ginzburg-Landau simulations



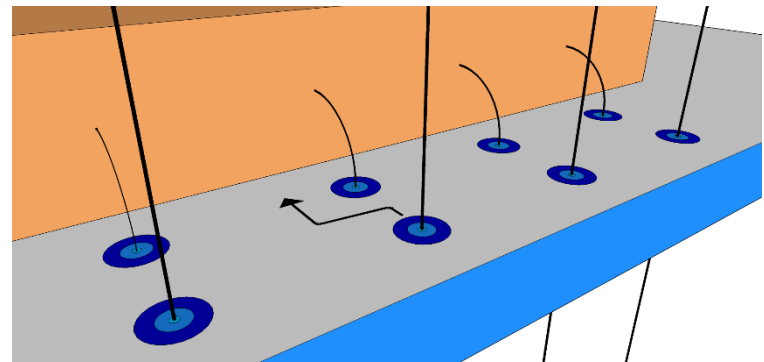
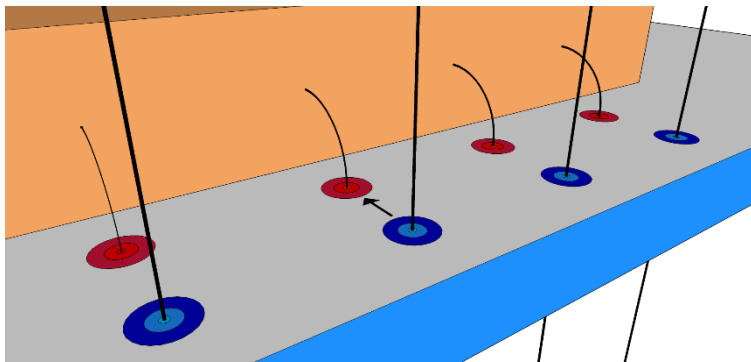
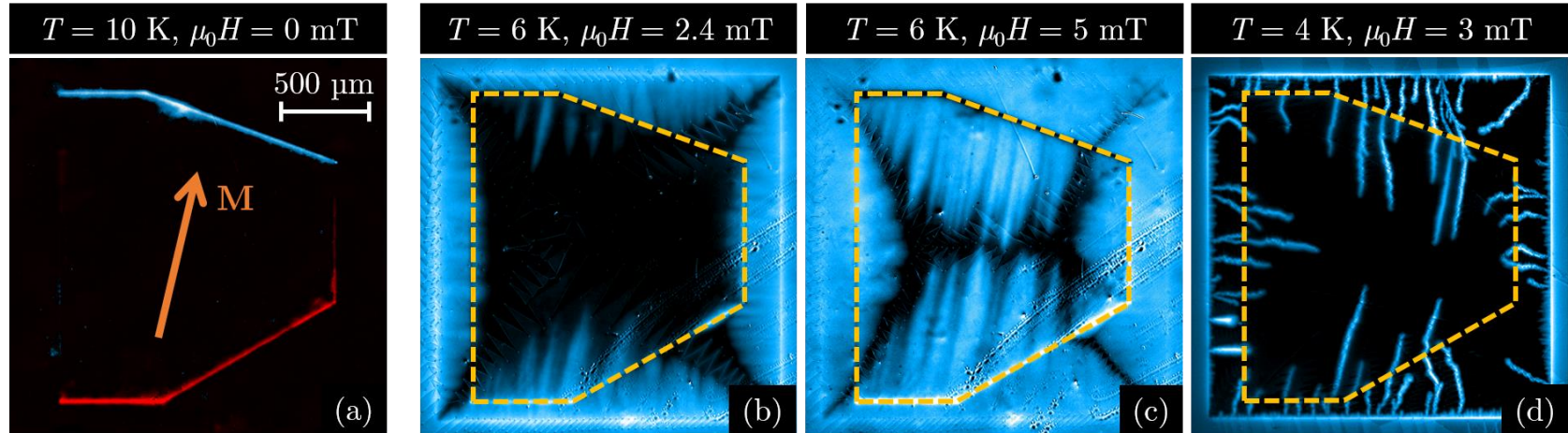
Characterization of the Py layers



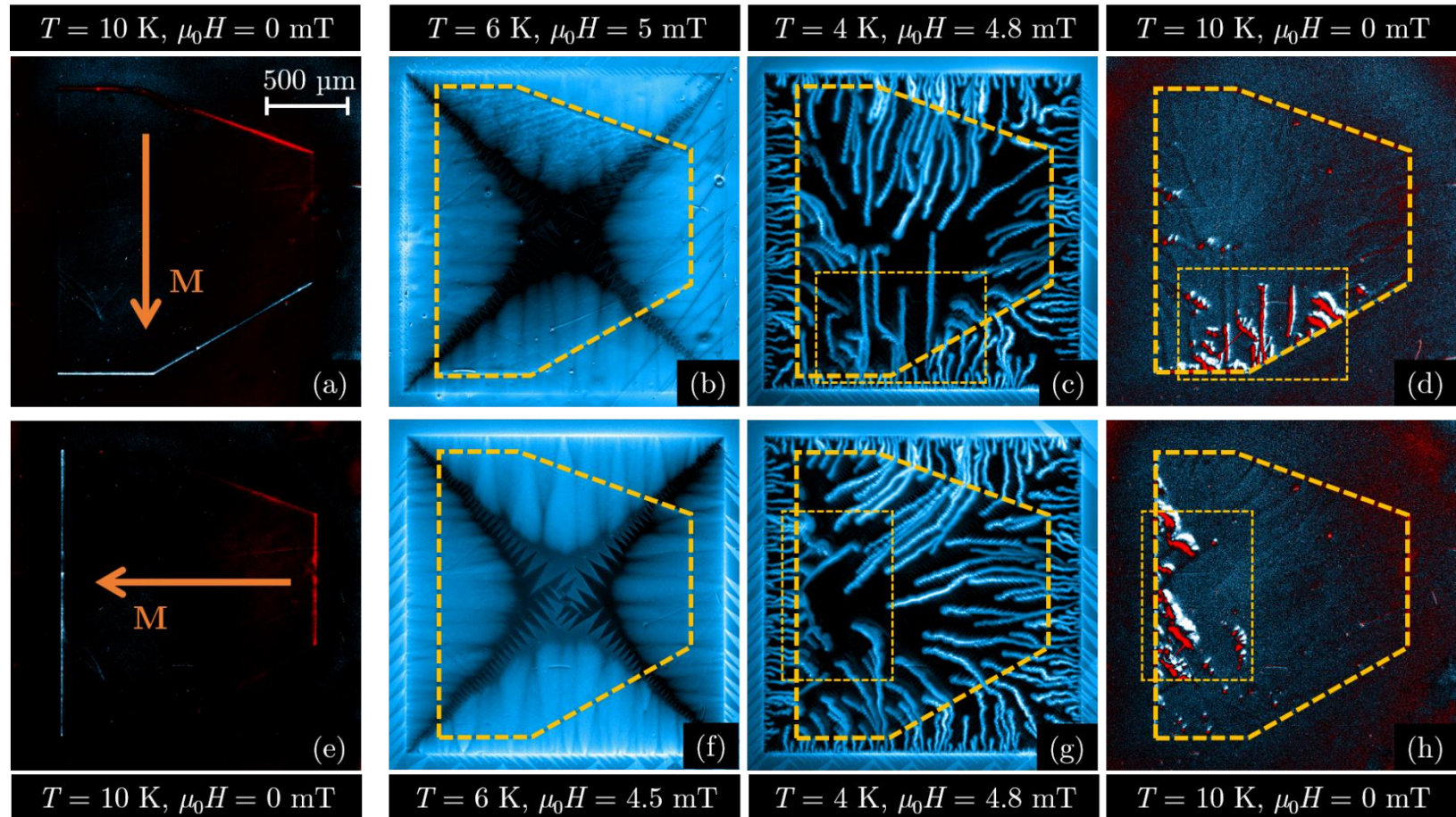
Anisotropic flux penetration in a thick Py layer



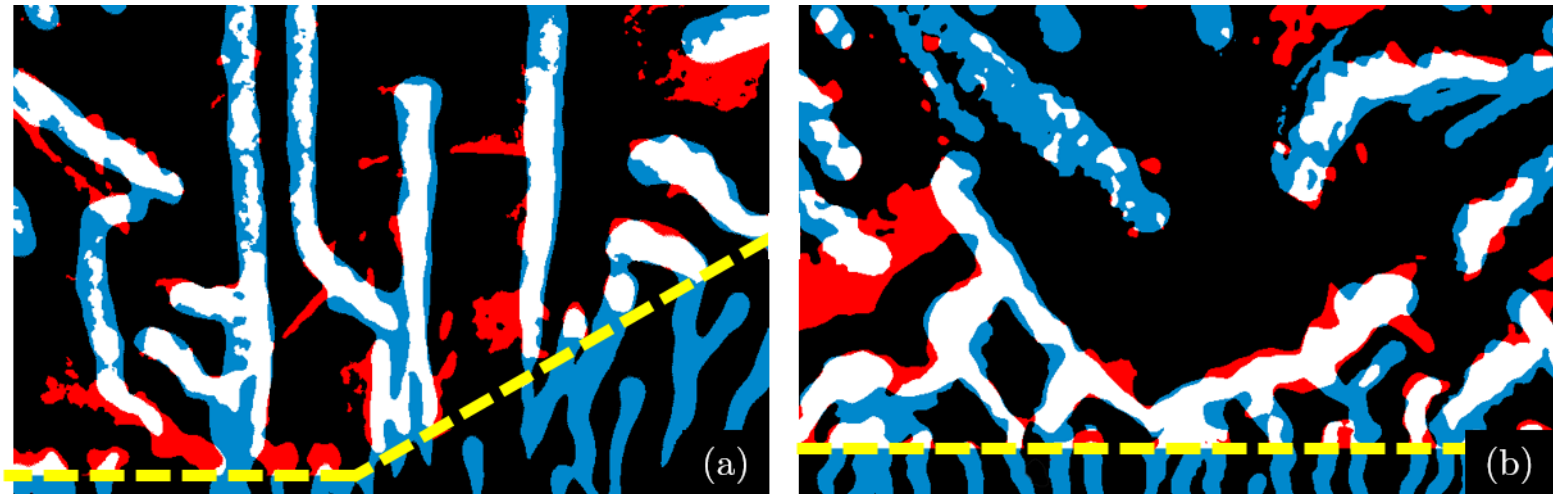
Anisotropic flux penetration in a thick Py layer



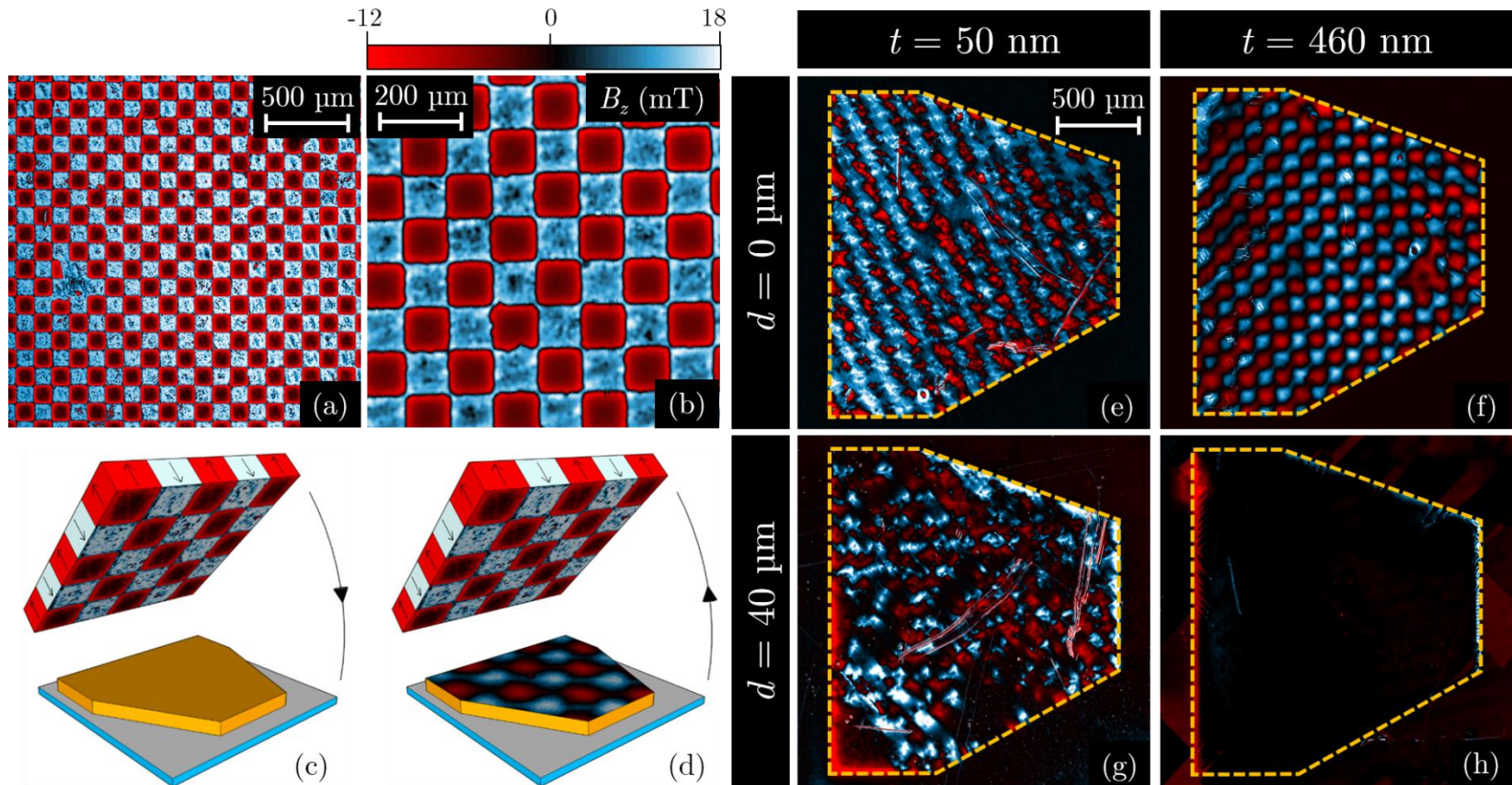
Imprinting flux avalanches in a Py layer



Imprinting flux avalanches in a Py layer



Imprinting thermomagnetic patterns at room temperature



Tuning at will the pinning landscape

