

NUMERICAL INVESTIGATION OF THE CONTINUOUS FIBER GLASS DRAWING PROCESS

Q. Chouffart and V. E. Terrapon

Multiphysics and Turbulent Flow Computation Research Group

University of Liège, Belgium



P. Simon

3B The fibreglass company – Binani Group, Belgium



2nd International Glass Fiber Symposium
Aachen - 30 May 2014

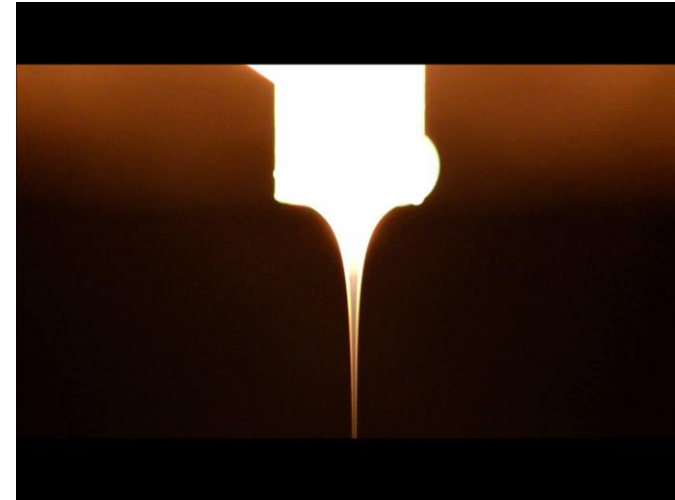
-
- **Motivation**
 - Physical model
 - Numerical investigation
 - Conclusion & future work
-

Motivation & objectives

Main challenge of the process: **fiber breakage**



- **Shut down** of forming position
- Unrecyclable glass **waste**
- **Barrier** to optimization



Overall goal:

→ Understand the **fiber breaking**

Step 1

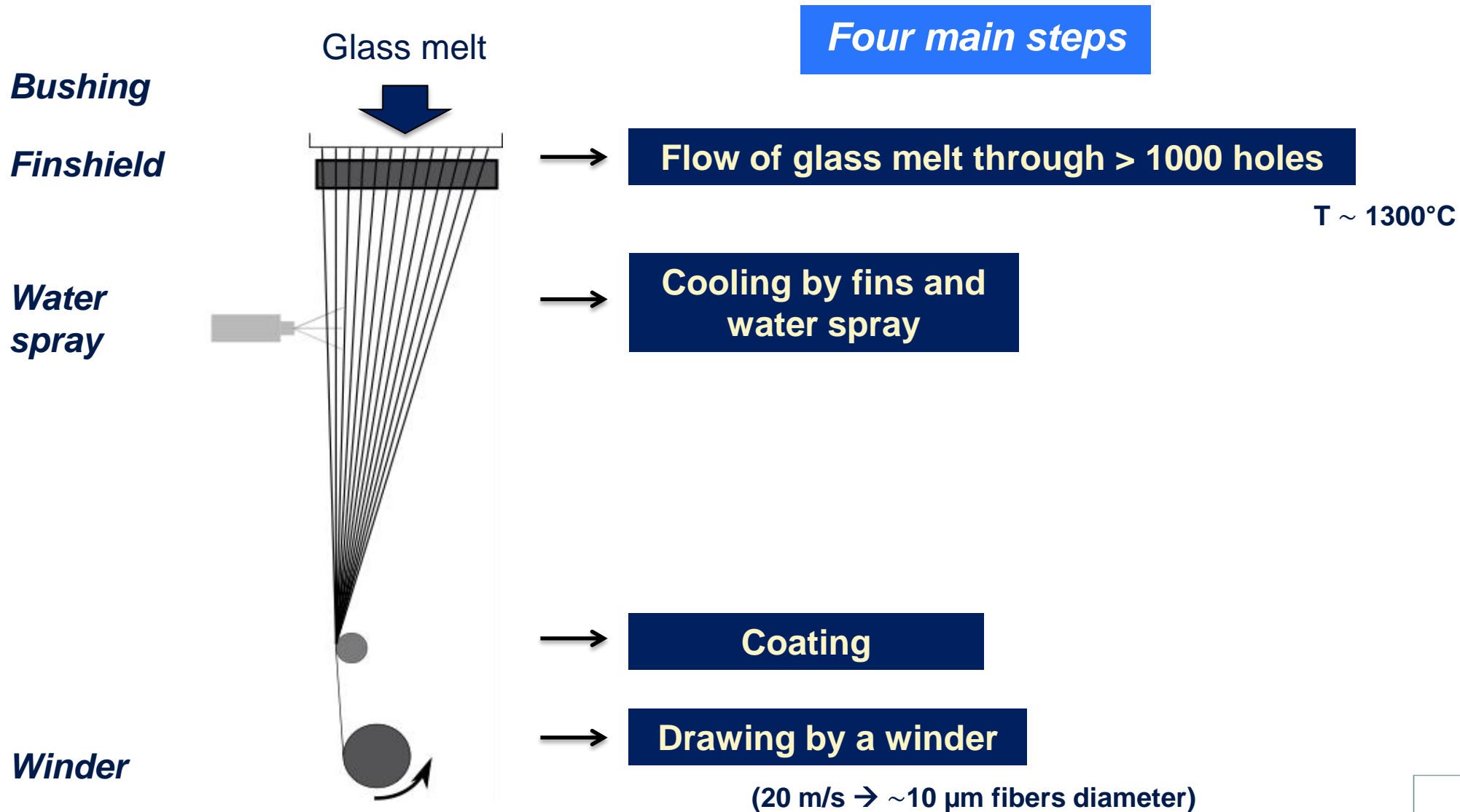
Physical modeling of forming glass

Step 2

Characterization of breaking mechanisms

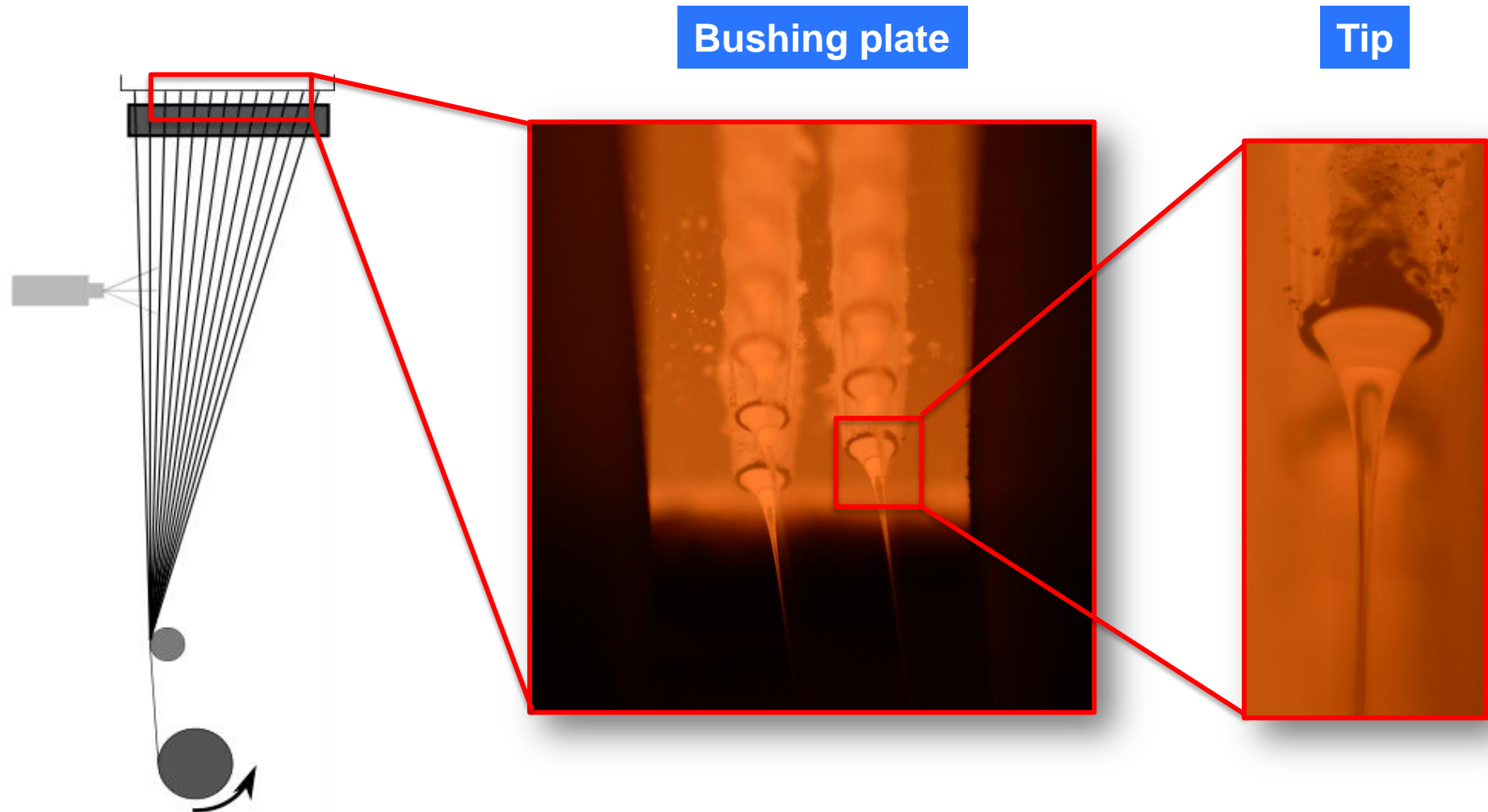
Fiberglass drawing process

General steps



Fiberglass drawing process

Bushing plate & tips



-
- Motivation
 - **Physical model**
 - Numerical investigation
 - Conclusion & future work
-

Physics of the forming of a single fiber

Glass state

Rheology

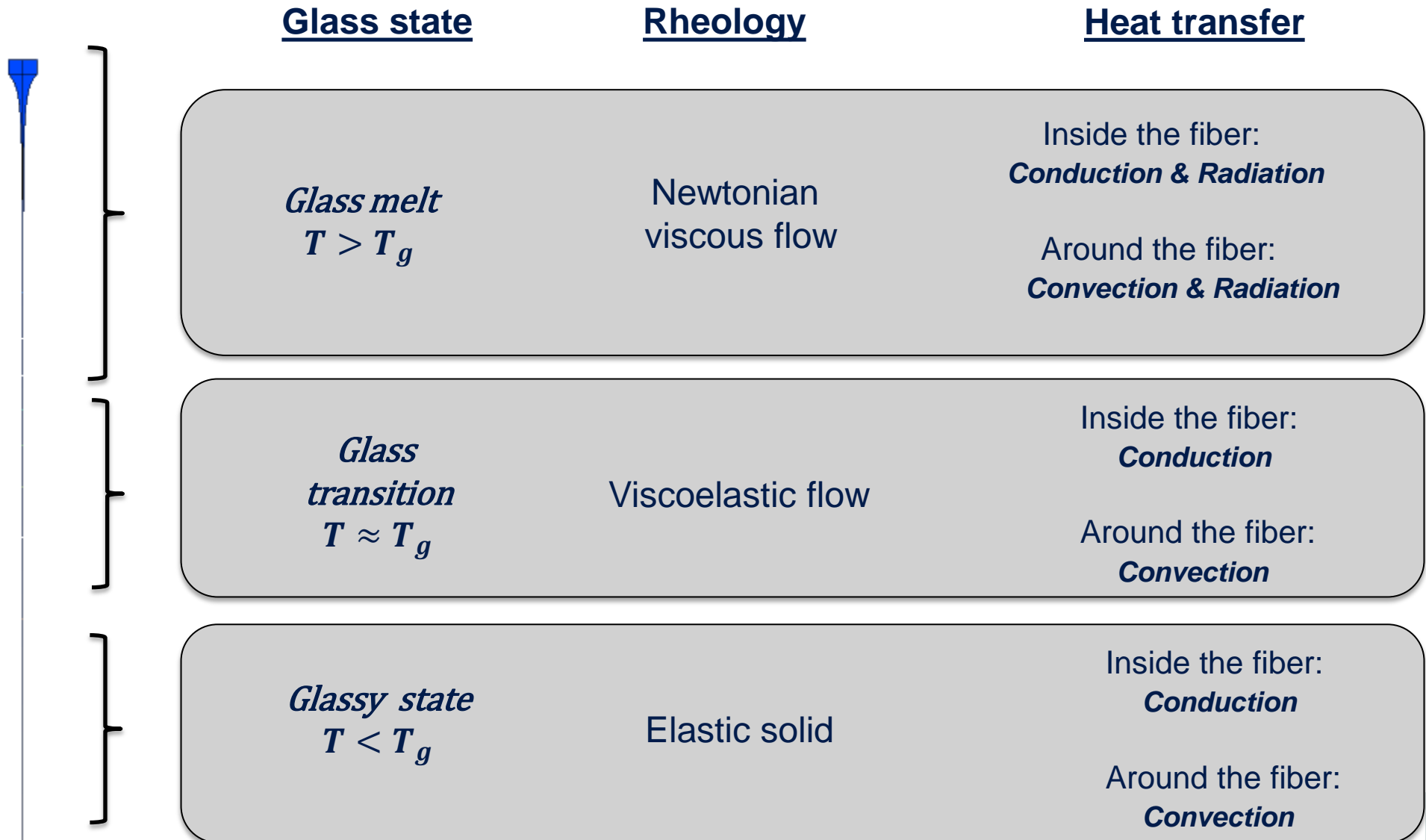
Heat transfer



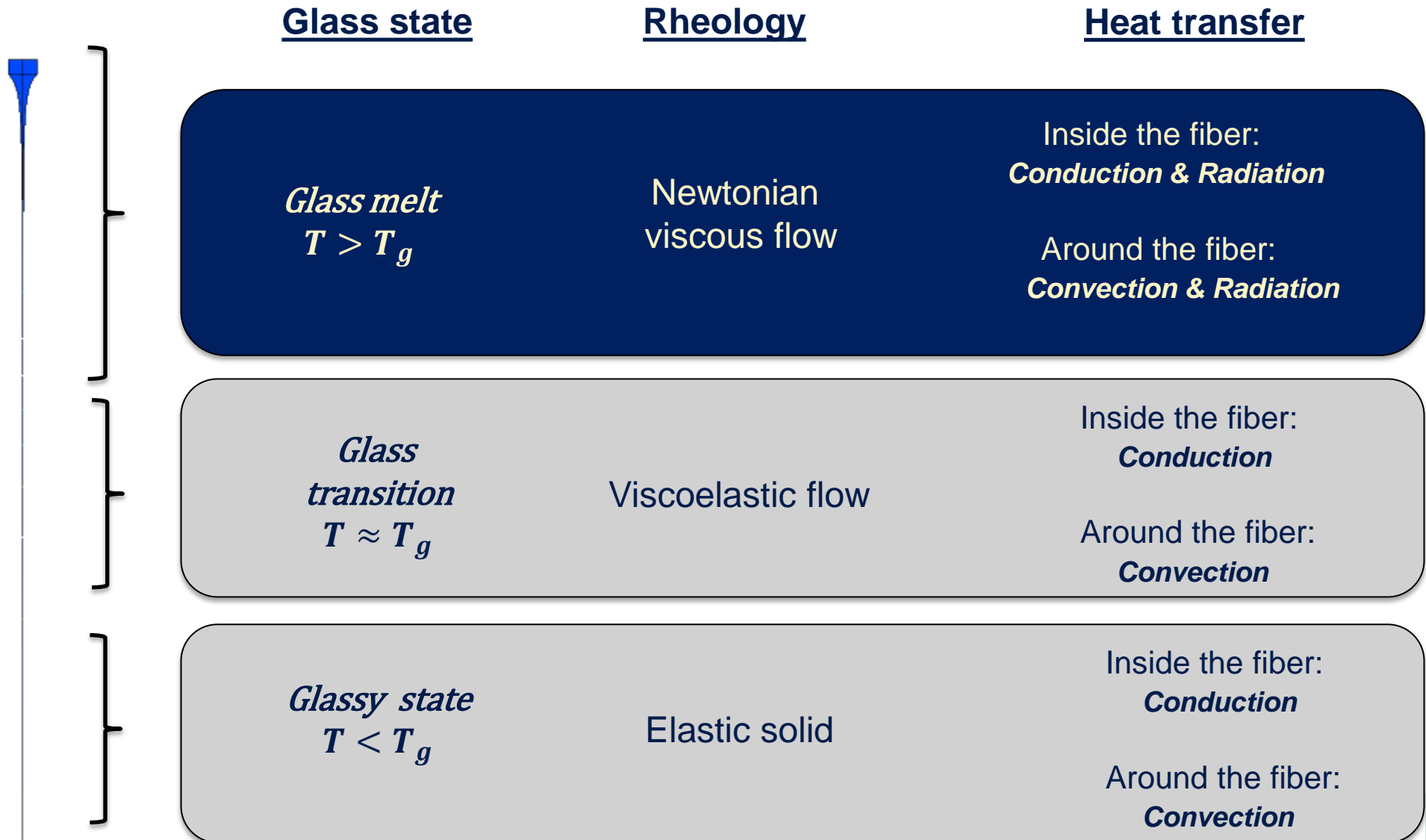
Coupling



Physics of the forming of a single fiber



Physics of the forming of a single fiber



Mass conservation:

$$\frac{D\rho}{Dt} = 0$$

Momentum conservation:

$$\frac{D(\rho\mathbf{v})}{Dt} = \nabla \cdot \boldsymbol{\sigma} + \mathbf{f}$$

Energy conservation:

$$\frac{D(\rho C_p T)}{Dt} = \boldsymbol{\sigma} : \nabla \mathbf{v} - \nabla \cdot (\mathbf{q}_{cond} + \mathbf{q}_{rad})$$

Assumption: Internal radiation \rightarrow neglected

Mass conservation:

$$\frac{D\rho}{Dt} = 0$$

Momentum conservation:

$$\frac{D(\rho\mathbf{v})}{Dt} = \nabla \cdot \boldsymbol{\sigma} + \mathbf{f}$$

Newtonian flow:

$$\boldsymbol{\sigma} = -p\mathbf{I} + 2\eta\mathbf{D}$$

Energy conservation:

$$\frac{D(\rho C_p T)}{Dt} = \boldsymbol{\sigma} : \nabla \mathbf{v} - \nabla \cdot (\mathbf{q}_{cond} + \mathbf{q}_{rad})$$

Assumption: Internal radiation \rightarrow neglected

Mass conservation:

$$\frac{D\rho}{Dt} = 0$$

Momentum conservation:

$$\frac{D(\rho\mathbf{v})}{Dt} = \nabla \cdot \boldsymbol{\sigma} + \mathbf{f}$$

Energy conservation:

$$\frac{D(\rho C_p T)}{Dt} = \boldsymbol{\sigma} : \nabla \mathbf{v} - \nabla \cdot (\mathbf{q}_{cond} + \mathbf{q}_{rad})$$

Assumption: Internal radiation \rightarrow neglected

Newtonian flow:

$$\boldsymbol{\sigma} = -p\mathbf{I} + 2\eta\mathbf{D}$$

coupled through
viscosity

Fulcher law

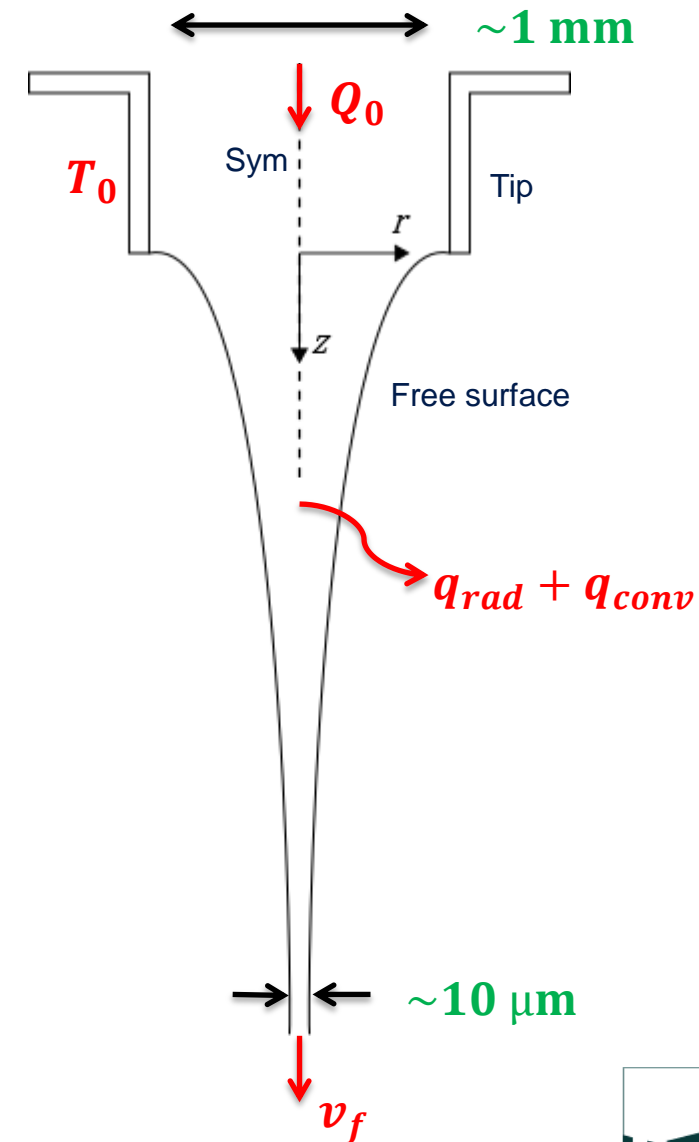
$$\eta = 10^{-A + \frac{B}{T-T_0}}$$

(η = dynamic viscosity)

Physical model

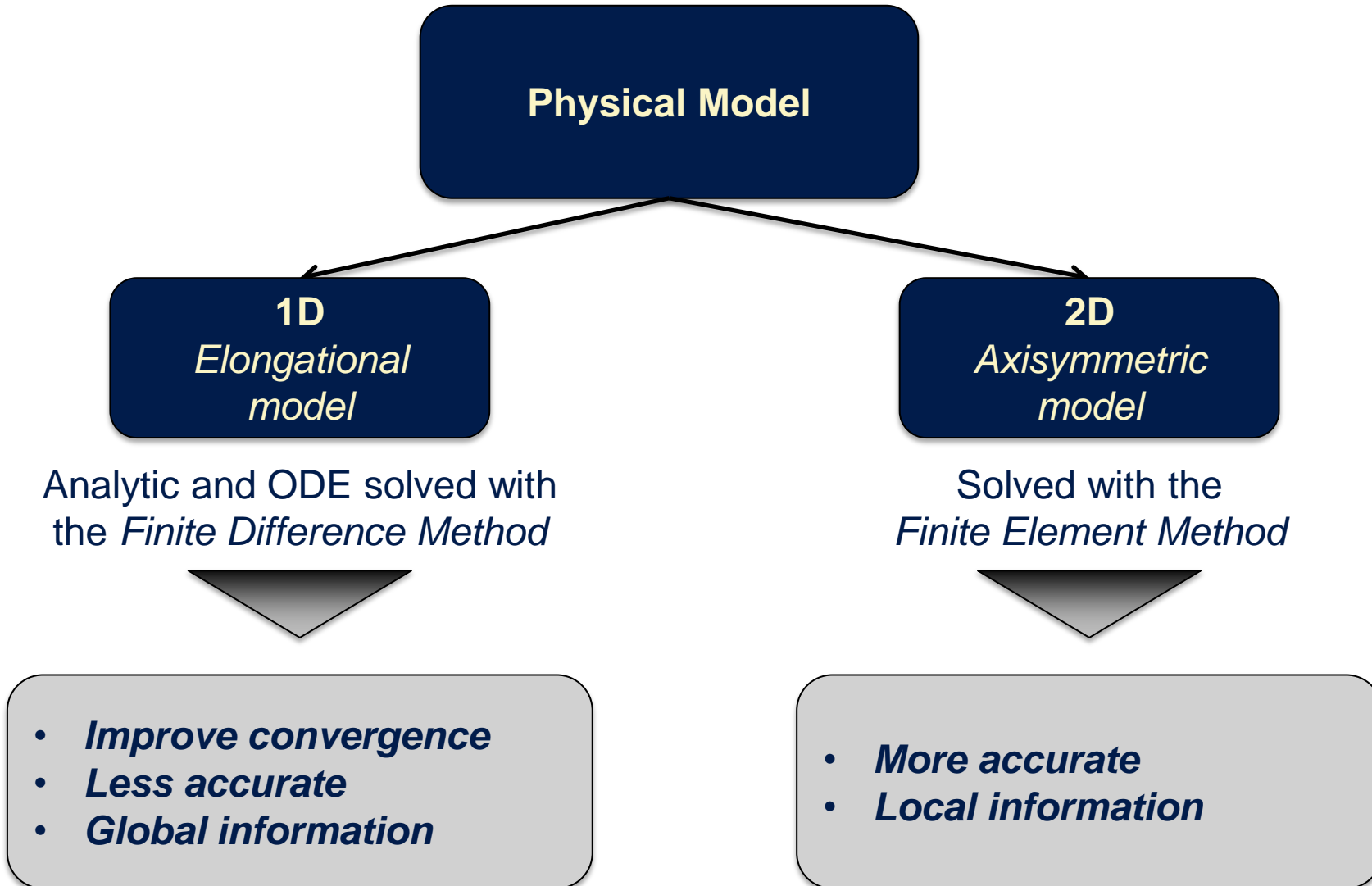
Boundary conditions

- **At tip:**
 - Volumetric flow rate (Poiseuille law)
 - T_0 constant
- **At surface:**
 - Free surface conditions & surface tension
 - $q = \underbrace{\varepsilon\sigma(T^4 - T_{ext}^4(z))}_{\text{Radiation}} + \underbrace{h(z)(T - T_{ext}(z))}_{\text{Convection}}$
- **At outlet:** Drawing velocity



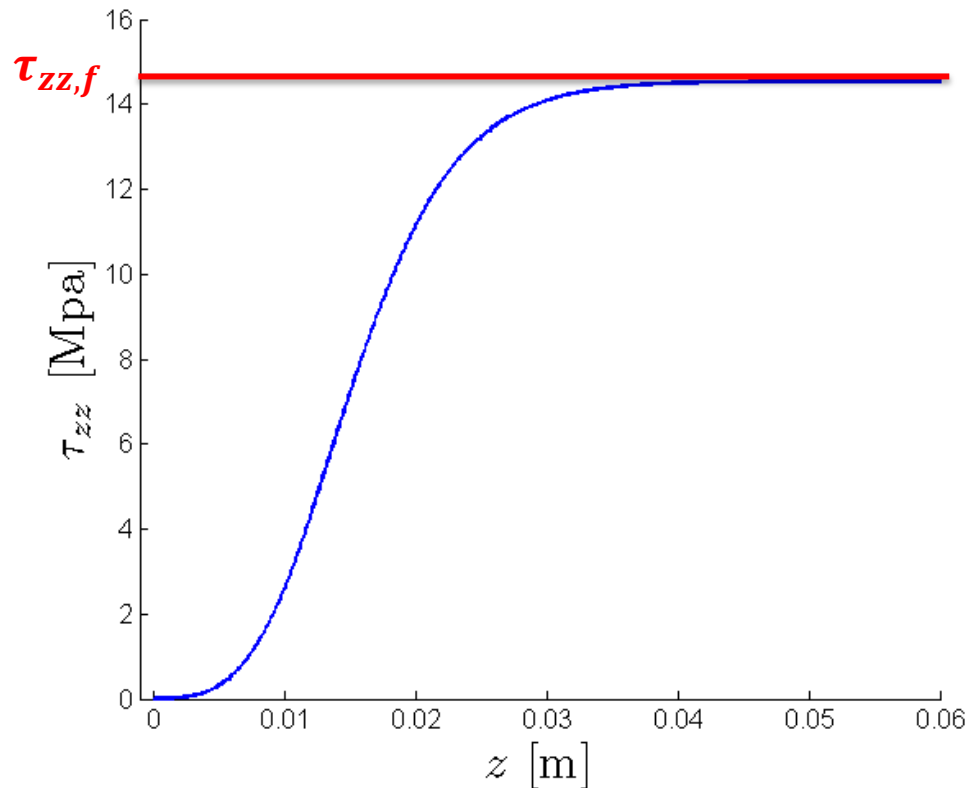
-
- Motivation
 - Physical model
 - **Numerical investigation**
 - Conclusion & future work
-

Solution of the physical model



Numerical investigation

3. Axial stress



$$\tau_{zz,f} = \frac{3}{\varphi_g} v_f \ln\left(\frac{v_f}{v_0}\right)$$

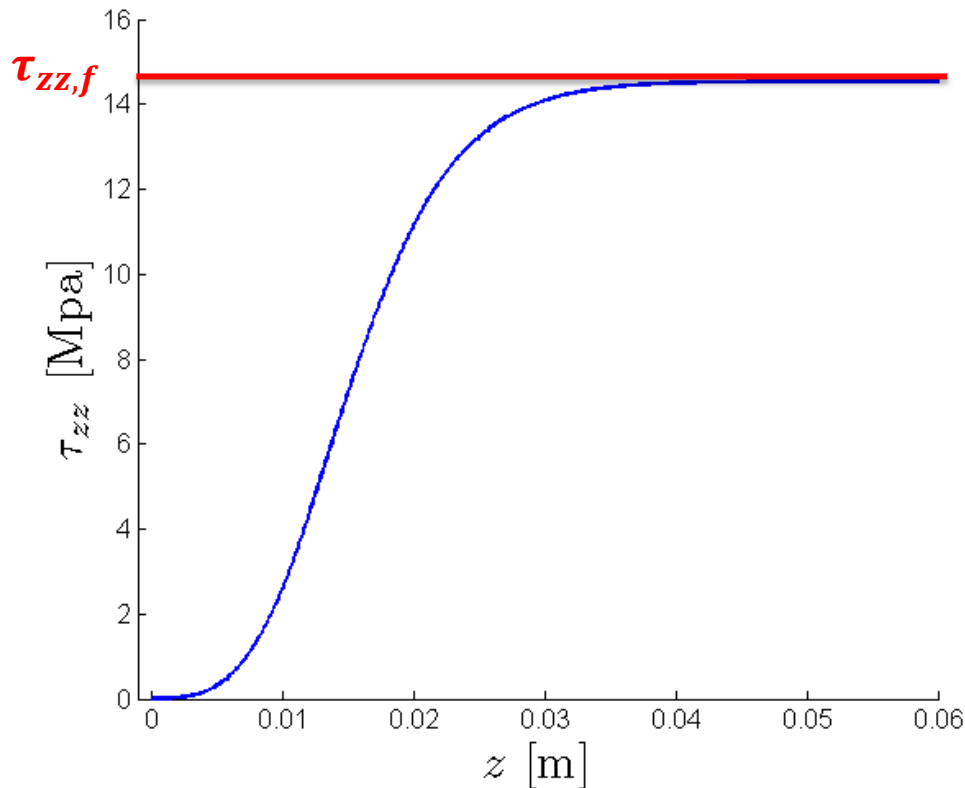
Stress depends on:

- Diameter ratio
- Drawing velocity
- Fiber cooling

Stress is a good indicator of the robustness

Numerical investigation

3. Axial stress



Key questions

- What are the **key process parameters** controlling the stress?
- How can the operating window be adjusted in order to reduce the stress?

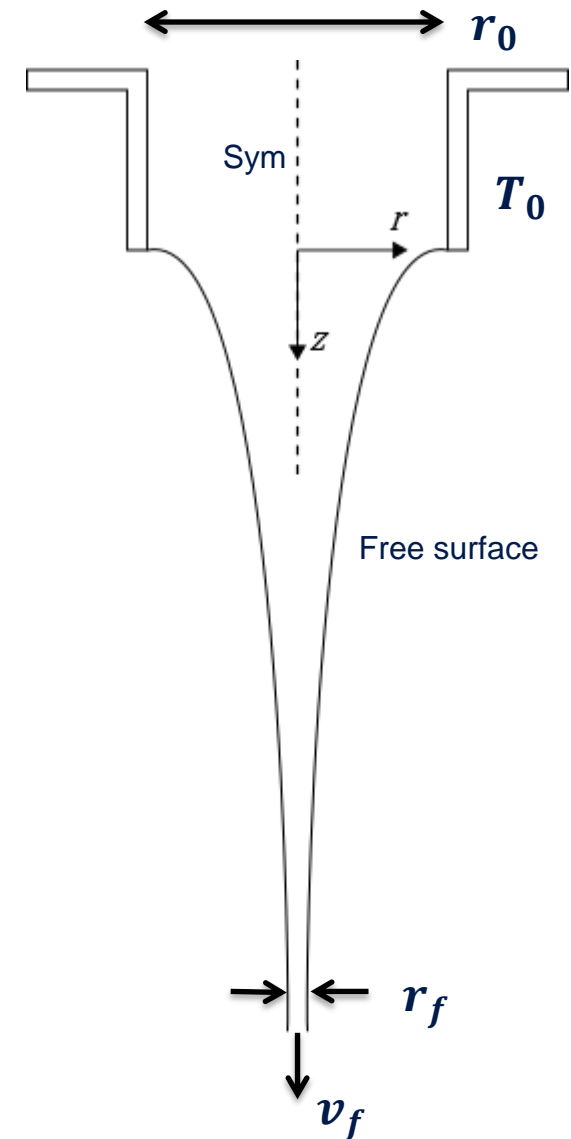
Stress is a good indicator of the robustness

Numerical investigation

The control process parameters:

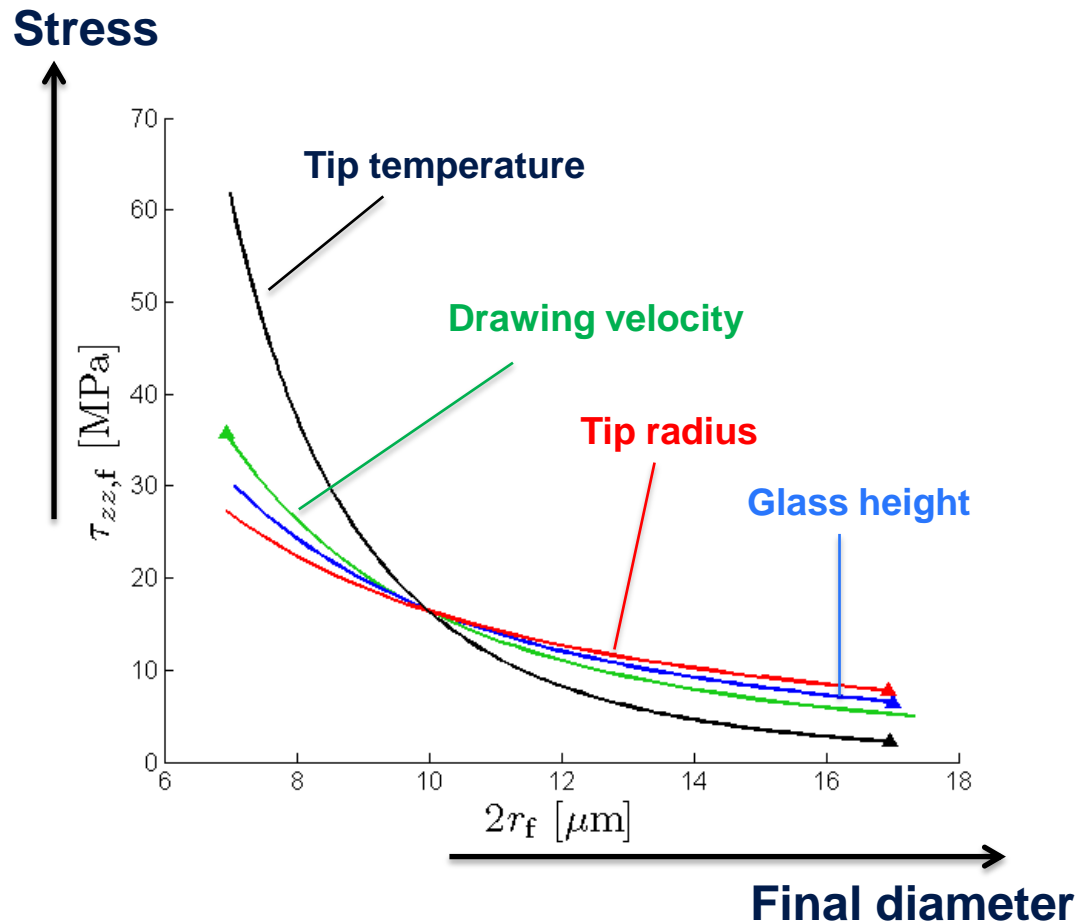
- Tip temperature T_0 impacting φ_g and v_0
- Tip radius r_0 impacting v_0
- Drawing velocity v_f
- Glass height above the bushing plate impacting v_0

How is the stress affected by these parameters?



Numerical investigation

4. Stress sensitivity due to the variation of the control parameters



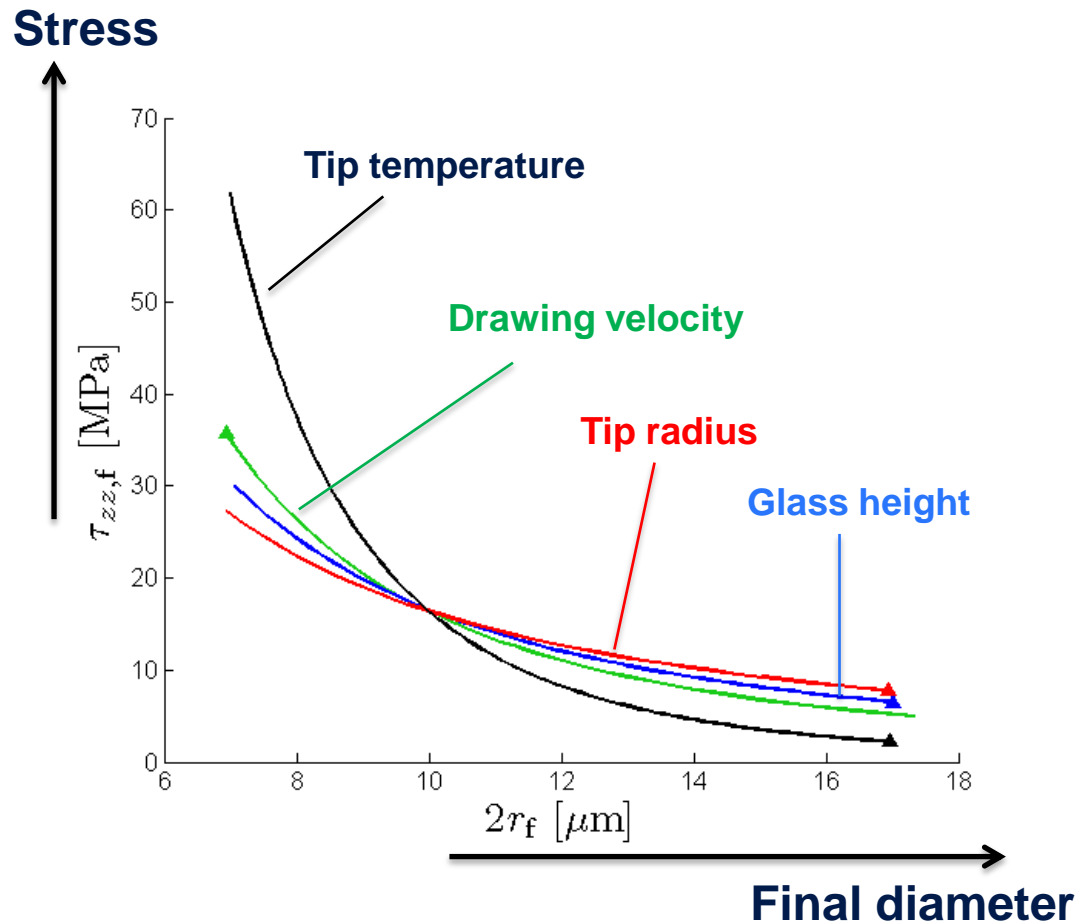
Sensitivity study

- Each parameter is varied independently, while keeping the others constant
- Range of variation is set to have the final radius between 7 and 17 μm

- **Stress increases** when the **diameter decreases**
- **Glass height** and **tip radius** have almost the **same effect**
- **Tip temperature** is the most **critical** parameter

Numerical investigation

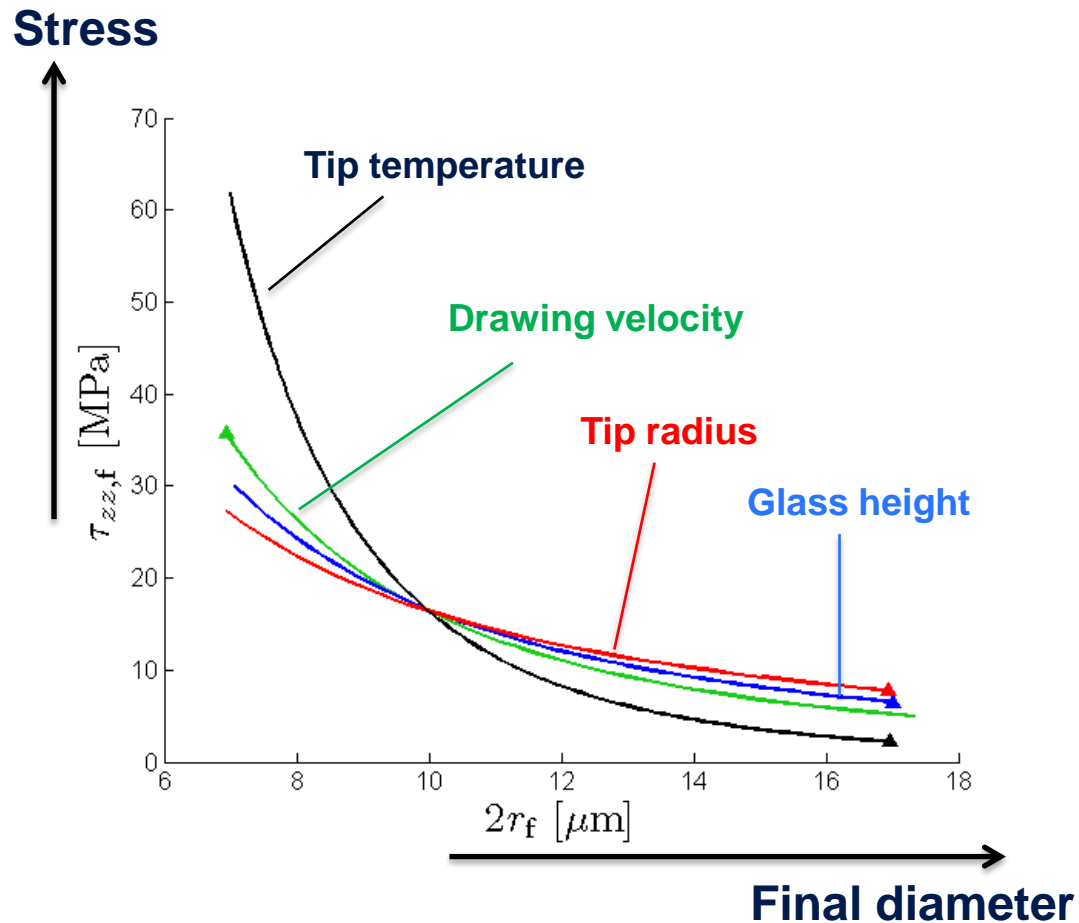
4. Stress sensitivity due to the variation of the control parameters



- Decrease in temperature leads to a large stress increase
- The **opposite** is observed when the temperature increases

Numerical investigation

4. Stress sensitivity due to the variation of the control parameters

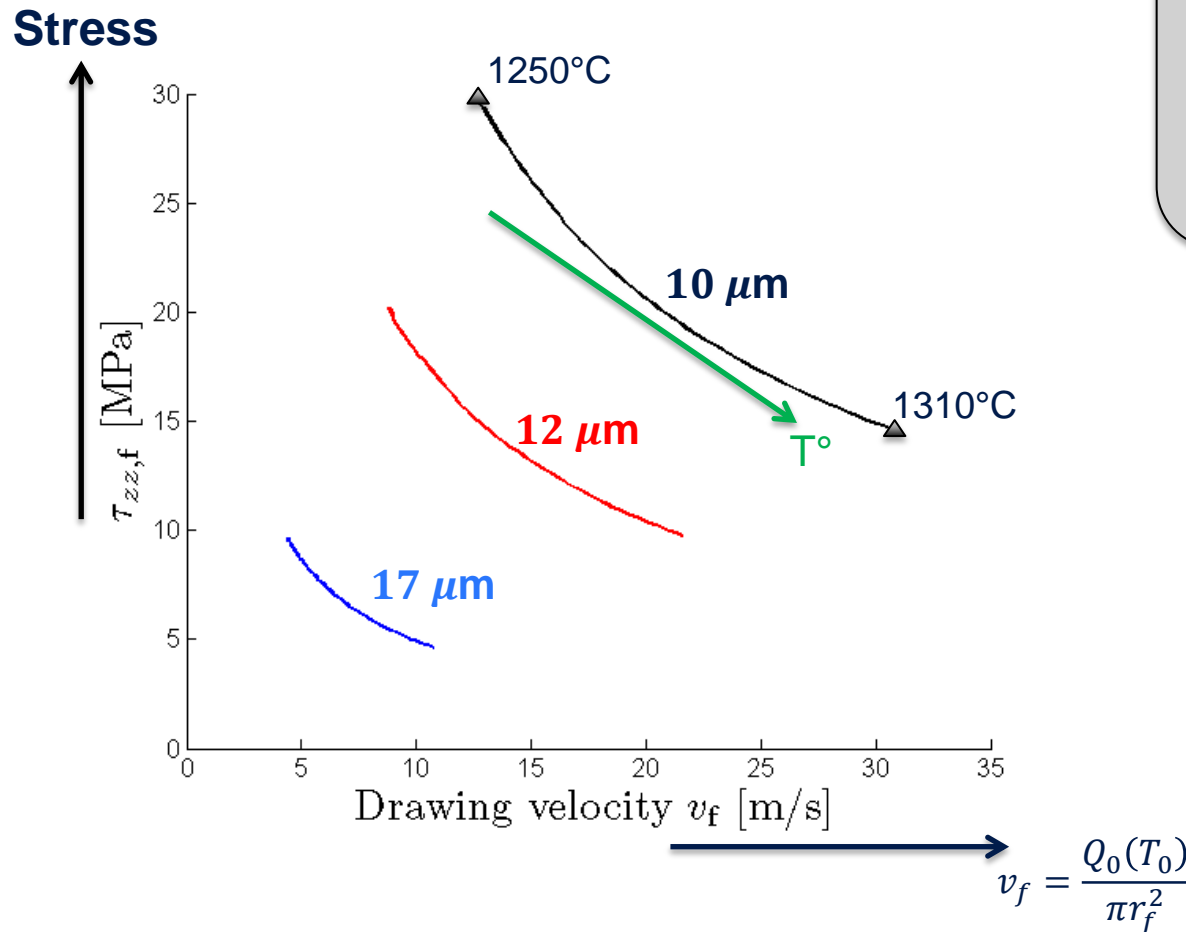


- Decrease temperature leads to a large stress increase
- The **opposite** is observed when the temperature increases

Given a target radius, what are the **velocity** and **temperature** leading to a lower stress?

Numerical investigation

5. What is the optimal choice for the velocity and the temperature?



Drawing velocity

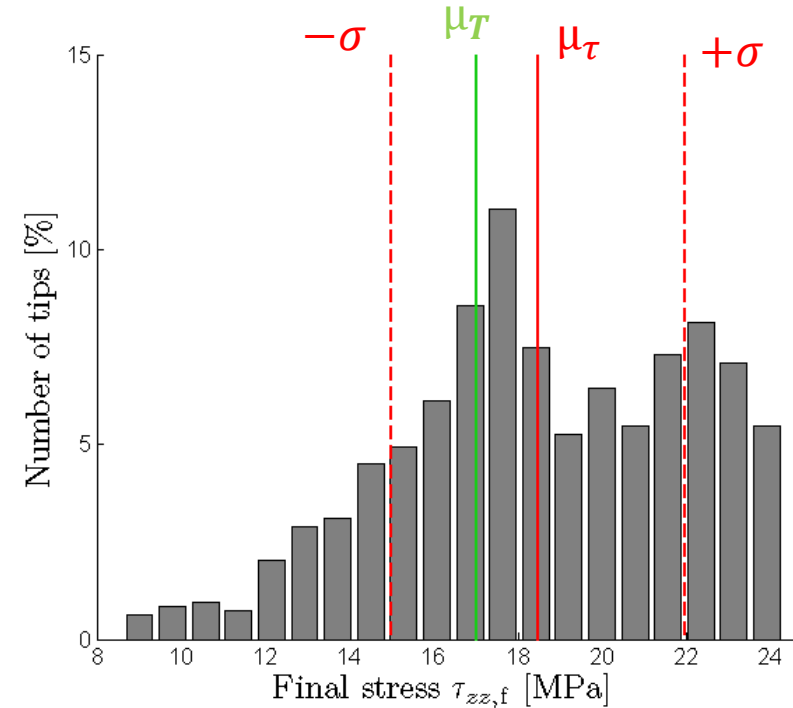
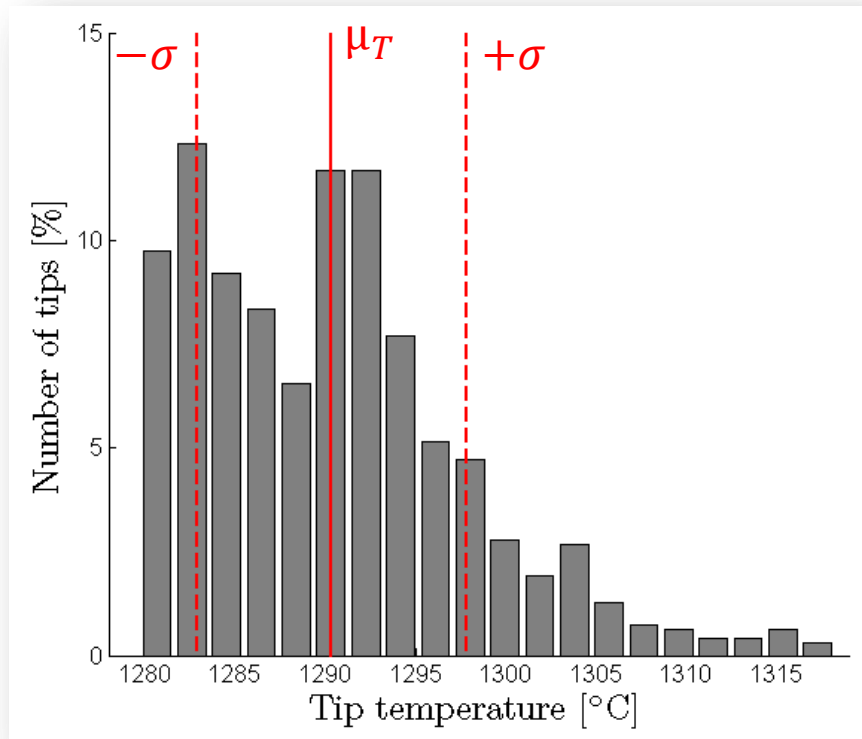
$$Q_0(T_0) = \pi r_f^2 v_f$$

$$\rightarrow v_f = \frac{1}{\pi r_f^2} Q_0(T_0)$$

- Smaller radius amplifies the impact of the temperature on the stress
- Increasing the tip temperature decreases the stress, even if the drawing velocity increases

Bushing: problem statement

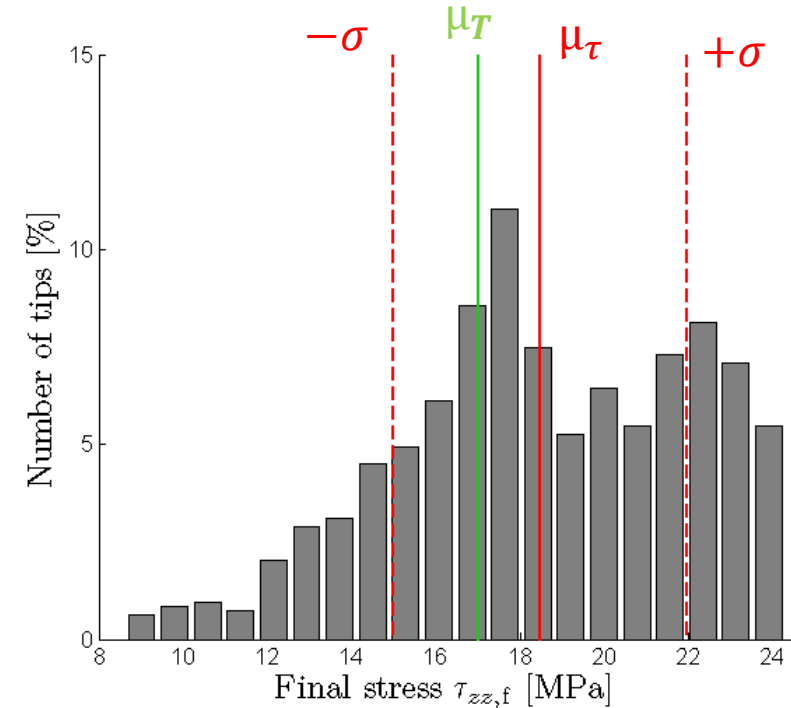
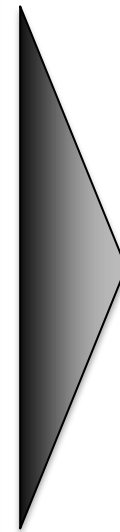
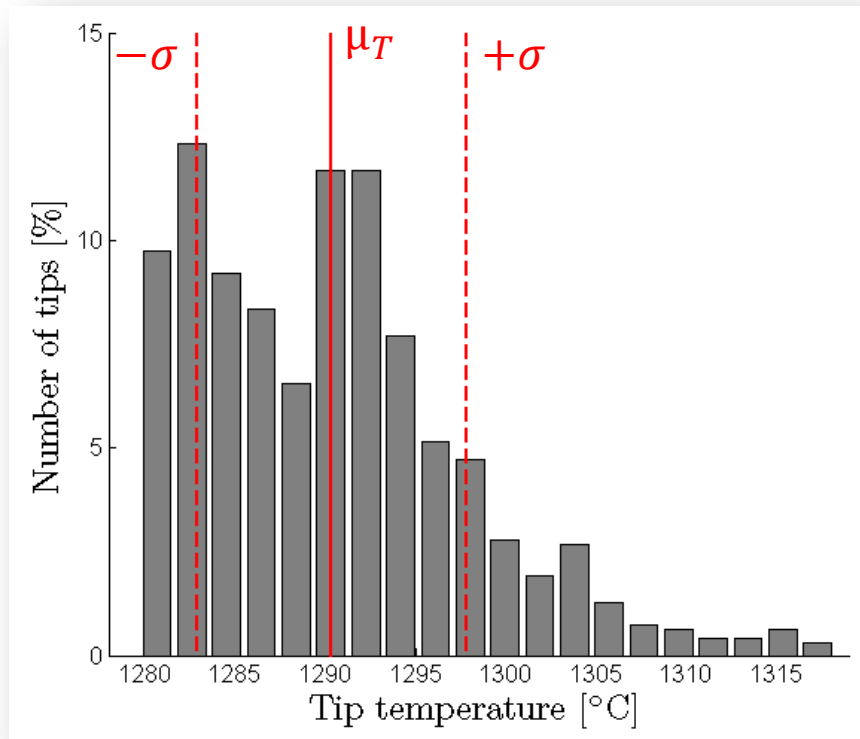
6. Temperature inhomogeneity on a 6000 tips bushing plate



- **Temperature inhomogeneity leads to a distribution of fiber radius**
- **And leads to a large variation in stress**
- **Mean stress is larger than the stress corresponding to the mean temperature**

Bushing: problem statement

6. Temperature inhomogeneity on a 6000 tips bushing plate



→ Heat pattern on the bushing plate is critical

-
- Motivation
 - Physical model
 - Numerical investigation
 - **Conclusion & future work**
-

Conclusion

- **Physical model** of single fiber drawing has been developed
- **Numerical solutions** help to **understand the process**
- **Fiber** forming is strongly affected by the **temperature at the tip**
- **Stress** is a good indicator to understand the **robustness** of the process
- **Temperature inhomogeneity** across the bushing plate leads to a **large distribution** of stress

Further work

- Add a **radiation model** for the heat transfer inside the glass
- Investigate the **glass transition** region
- Link the **breaking rate** with the stress

- **Our industrial partner:** *3B – the fibreglass company, Binani group*
- **Financial support:** *3B – the fibreglass company & Walloon region*
- **R&D team from 3B:** *D. Laurent, Y. Houet, B. Roekens, V. Kempenaer and technicians*

