

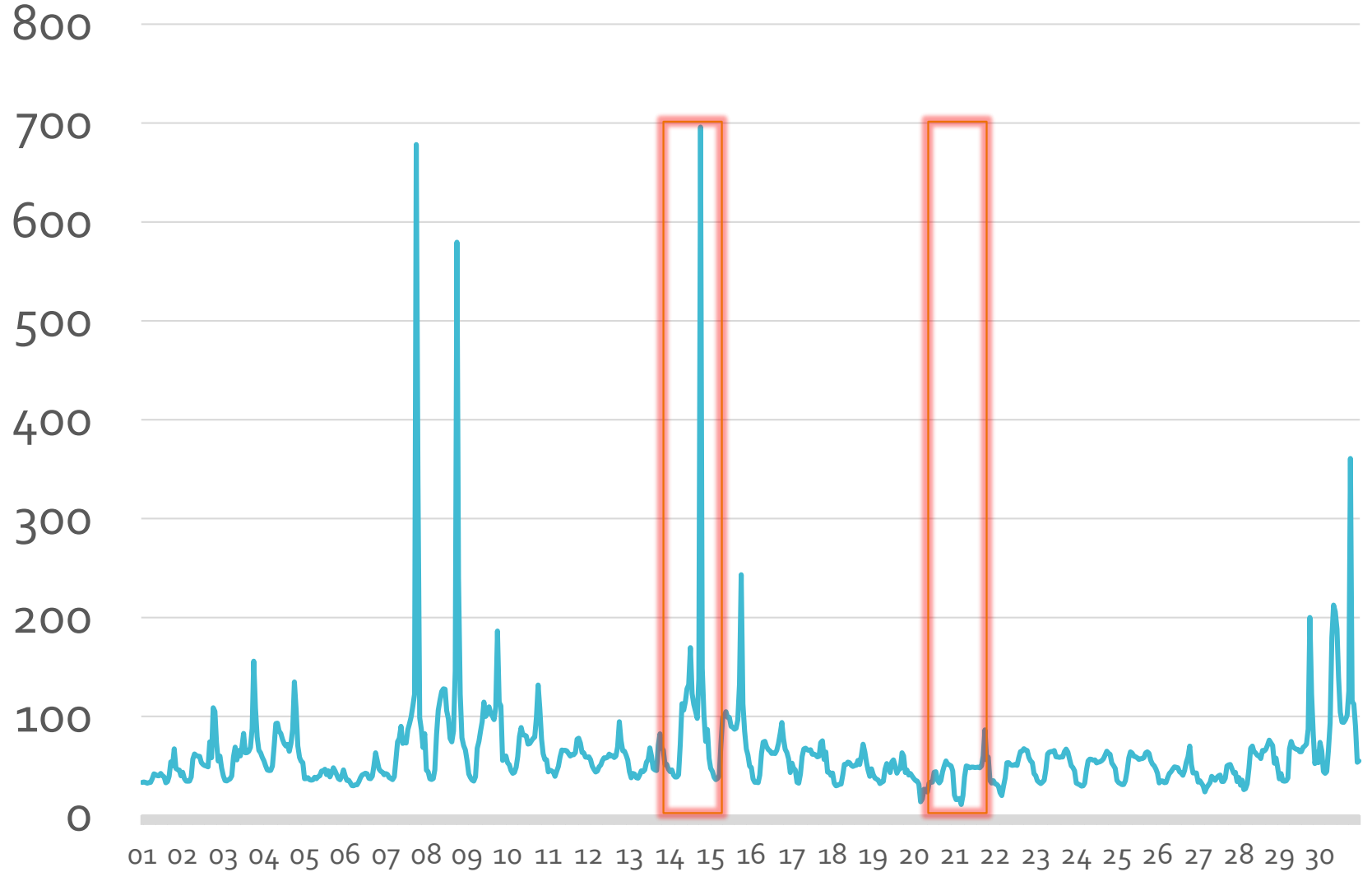
Optimising workforce and energy costs by exploiting production flexibility

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Context

What if November 2016 becomes usual?

Electricity price in Belgium [€/MWh]



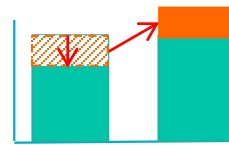
Steel mill consumption: ~ 50 MWh / 100 tonnes

Cost: 35,900€ for 100 tonnes

Thus...

electrical flexibility

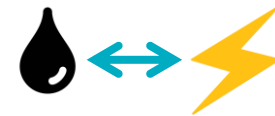
- Flexibility is about **exploiting those price fluctuations** to lower the costs
- Some possible answers?
 - **Load shifting**: produce later
 - **Load shedding**: avoid producing
 - **Fuel switching**: gas instead of electricity, e.g.



Load
shifting



Load
shedding



Fuel
switching

What we want

Use the machines when the prices are low



What limits flexibility?

- **Price prediction:** highly dependent on weather
 - Good predictions for a few days
 - Useless after a week
- **Processes are not always flexible**
 - Some cannot be switched on and off on demand, e.g.
- What about the **workers?** They **need:**
 - Schedule predictability
 - Schedules that barely impact health

Overview of this talk

- InduStore
- Methodology
 - Production model
 - HR model
- Evaluation
- Conclusions and future work

InduStore

Two goals: **quantify** and **exploit** electrical flexibility



<http://www.industore-project.be/>

InduStore
highlights
energy
flexibility in
industrial
sites

How sizeable is
flexibility?

How to exploit this
flexibility by optimal
production planning?

InduStore

How to reconcile
flexibility and workers
well-being?

How to bring flexibility
on the energy market?



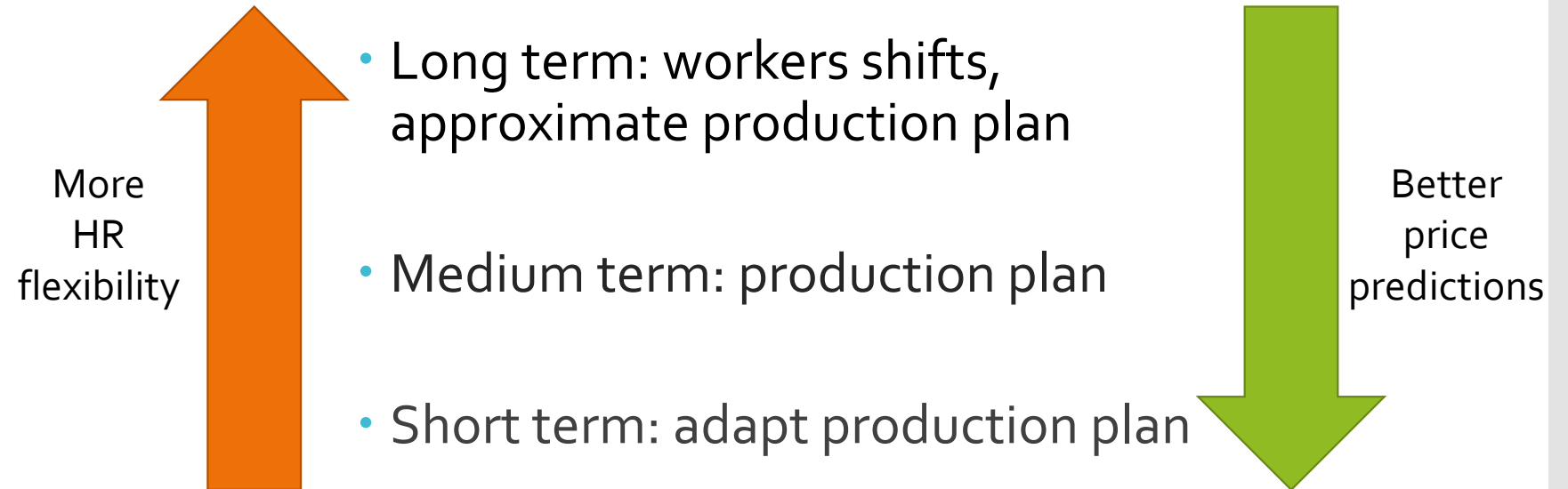
Our methodology

How to exploit electrical flexibility in industrial sites?



Three different time scales

- Hence, decompose in three steps:

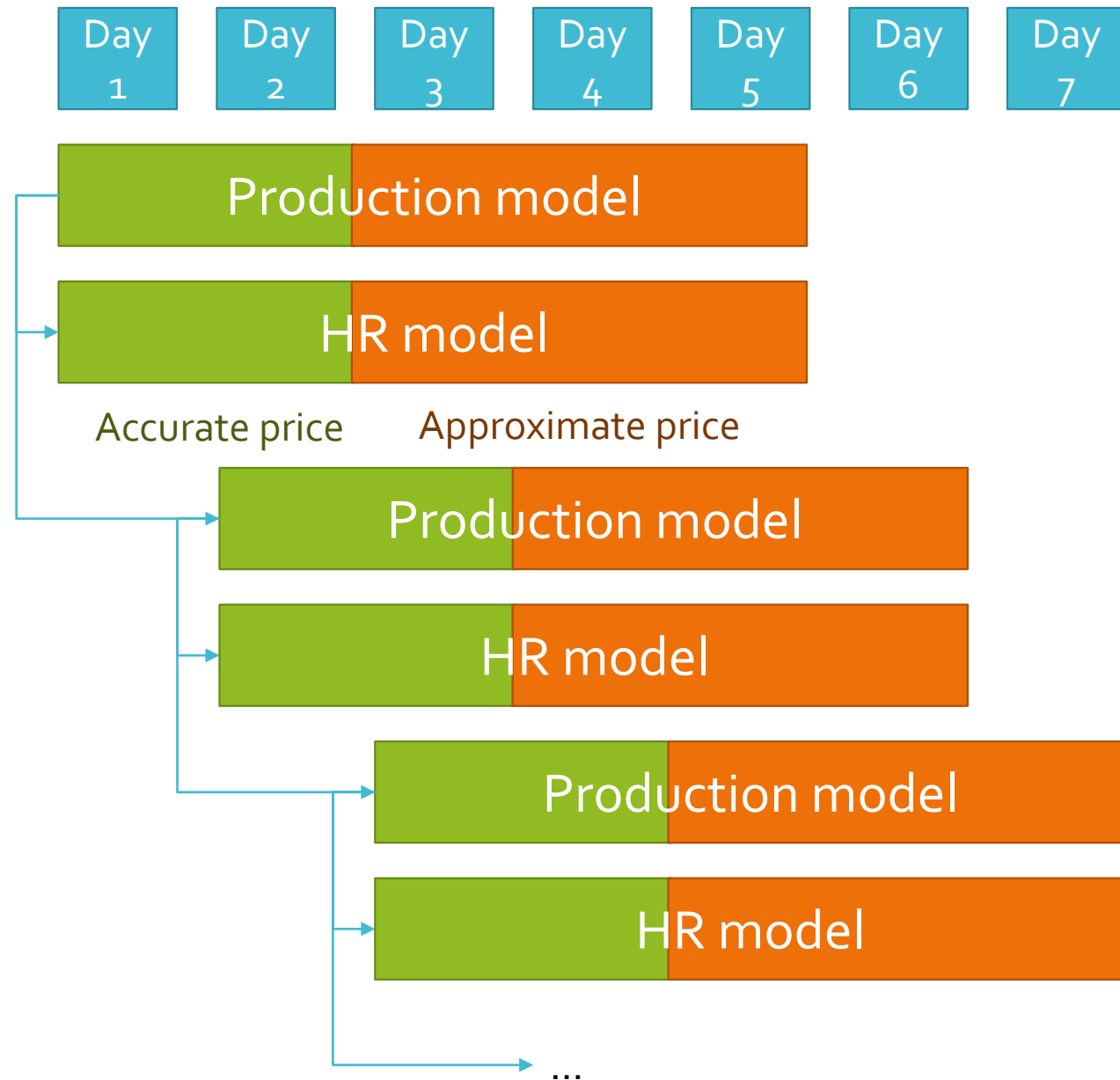


- Focus on long-term planning

How do we exploit flexibility?

- Long term: two optimisation models
 - First, **production**: when are workers required?
→ Workers are modelled as a cost
 - Second, **HR**: who works when?
→ Well-being-related constraints

How do we deal with the long-term planning?



Production model

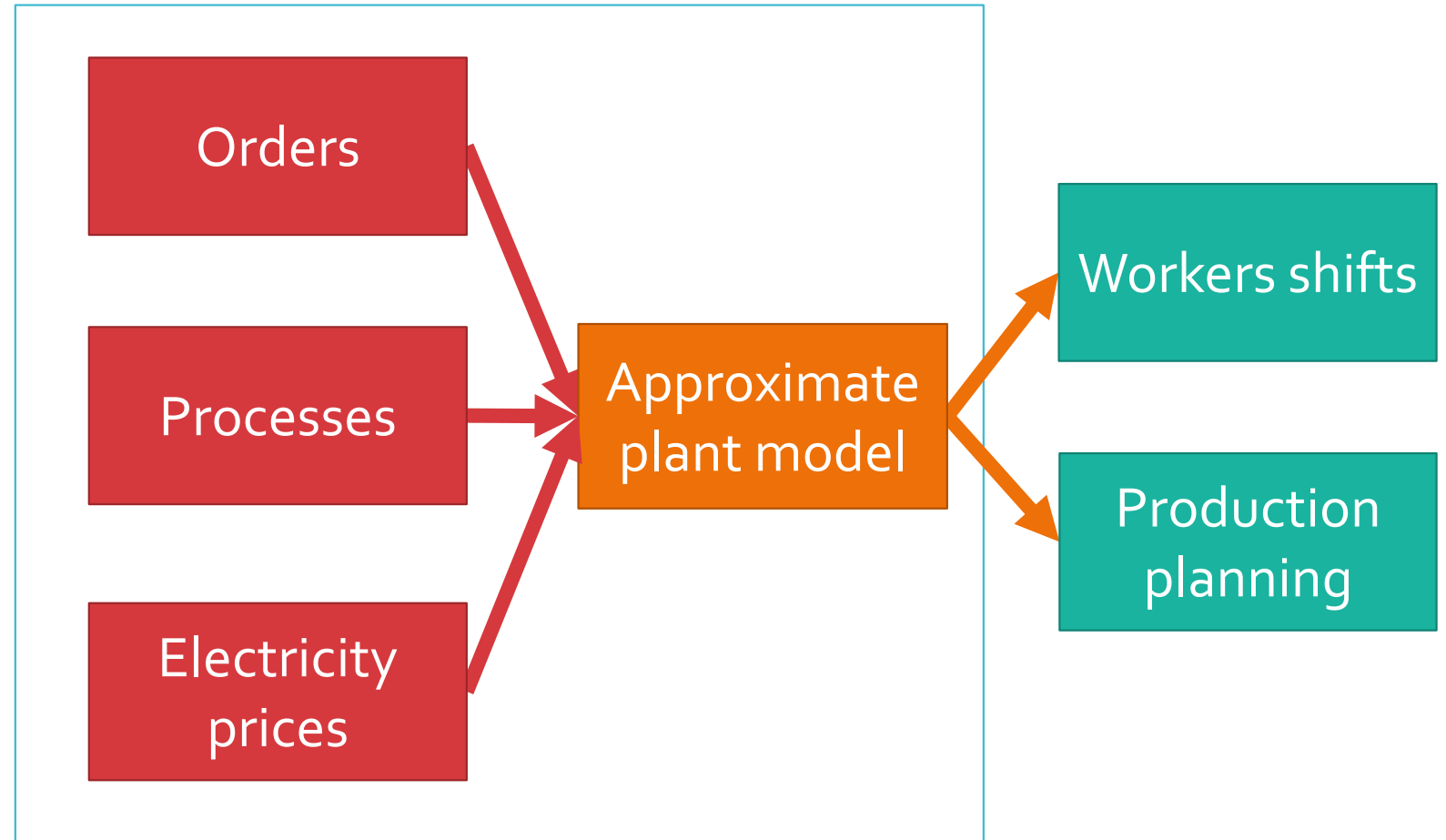
Goals:

- Estimate a production planning
- Determine when workers are needed

Production model

Determine a production planning

Production model



Which level of details for the plant?

Rough model	Fine model
Any process lasts 1 h	Some processes take 30 min, others 45 min
Consumption is constant with production, fixed batch size	Consumption is linear, quadratic...
Some stages are ignored	All stations are included
No wait time between processes	Wait time can be optimised

- A rough model is enough
 - Except if a process is not well approximated
- The details are for shorter-term optimisation

A glimpse of the MILP formulation

- Decision variables:
 - Are workers required? $\text{shiftOn}_s \in \{0,1\}, \forall s$
 - Is the process on? $\text{processOn}_{t,p} \in \{0,1\}, \forall t, \forall p$
 - What quantity is being processed? $\text{quantity}_{t,p} \geq 0, \forall t, \forall p$
- Objective: minimise costs
$$\min \sum_s \text{cost}_s \text{shiftOn}_s + \sum_t \text{price}_t \sum_p \text{processOn}_{t,p}$$
- Constraints:
 - Process started only if workers are present
 - Process succession
 - Fixed batch size
 - Order book



HR model

Goal: assign shift to worker teams

Respect legal and well-being constraints

HR model

Assign teams to shifts



Shift workers must have some rest between two shifts

HR model

Assign teams to shifts



Shift workers also need a WE,
i.e. a pair of days off every so often

HR model

Assign teams to shifts



Shift workers should work no more than 50 hours per week

- Otherwise, overtime

MILP model so far

- Decision variable:
 - Is a team assigned to a shift? $\text{assigned}_{s,t} \in \{0,1\}, \forall s, \forall t$
- Constraints:
 - Assign workers when they are needed
 - Rest between shifts: if working shift s , cannot work any shift within the set of forbidden shifts $FS(s)$
 - WE: detect pairs of days off; at least one pair for each period of nine consecutive days
 - 50 hours per week: less than 50 hours per week... plus slack (for overtime)

Objective function

- Maximise well being, i.e. minimise:
 - Hours overtime
 - Number of changes against previous solution
 - Unfairness in the number of shifts for each team

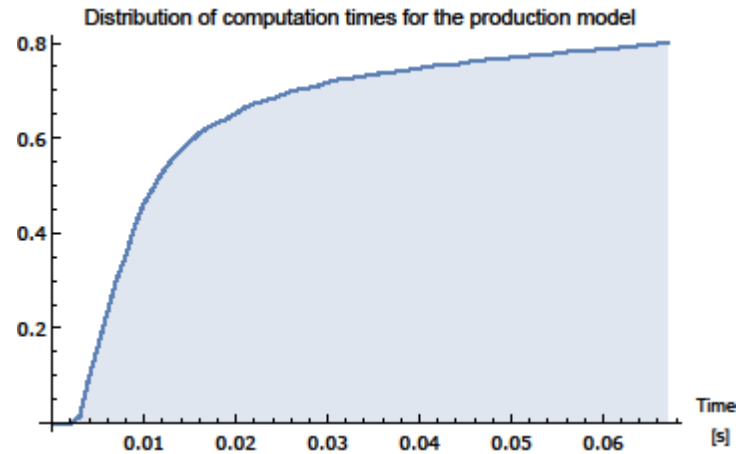
Evaluation

Axes:

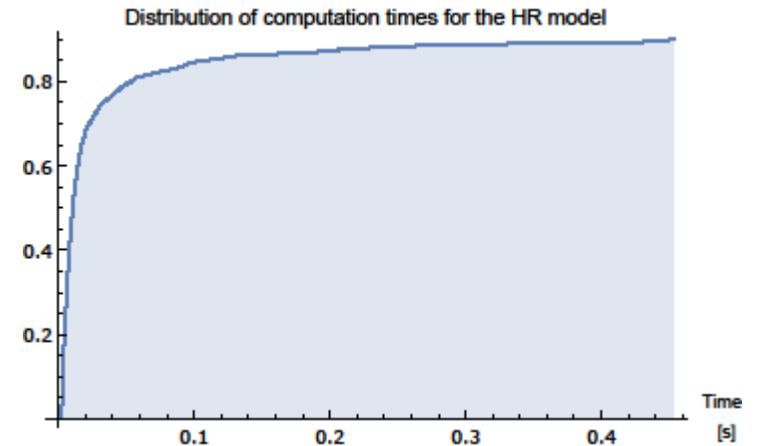
- Computation times
- Monetary gains

Computation times

- These problems are easy to solve
 - Mixed-integer programs with a horizon of 2 weeks
 - Mill used 50-85% of the time, staffed with 5 teams



Production model: 90% below 0.1s,
100% below 30s



HR model: 90% below 0.5s,
100% below 5 minutes

Statistics based on 6 order books, 18 price scenarios, 4 penalisation weights

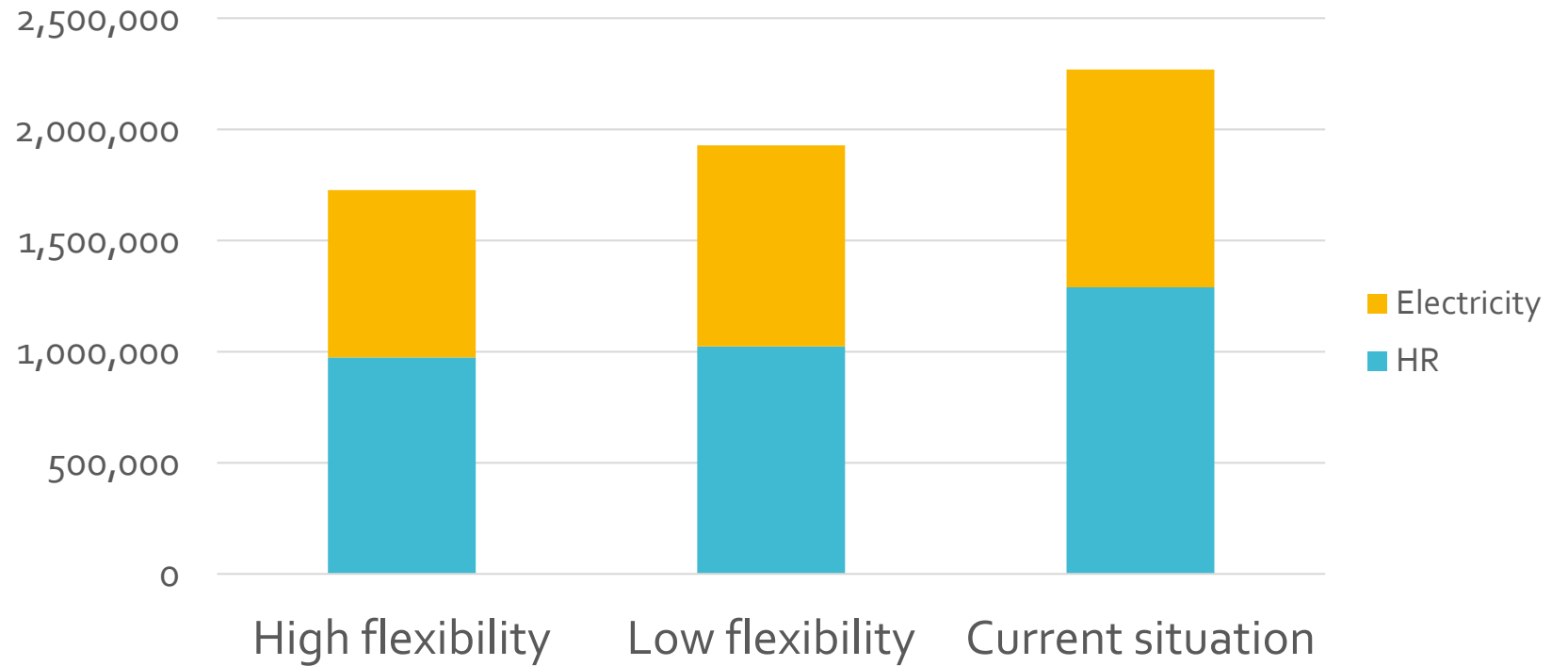
Monetary gains

Compare this “smart” approach to:

- A usual industrial scenario
 - Independent of price scenario
 - No flexibility
- A softened version of our approach:
 - Cannot reconsider shifts once they are decided
 - Weaker flexibility

Monetary gains

Approaches	HR cost		Electricity cost		Total cost	
High flexibility	974,426		752,689		1,727,114	
Low flexibility	1,023,973	+ 5.1%	904,324	+ 20.1%	1,928,297	+ 11.6%
Current situation	1,289,920	+ 32.4%	979,200	+ 30.0%	2,269,125	+ 31.4%





Conclusions and future work



Conclusion

- From 20th-century planning to full flexibility:
 - Could **save 30%** in costs!
- **Implementation must be discussed:**
 - Complete mentality change
 - Workers and directors not always ready
- **Objective** elements to foster thinking
- Try it for yourself!
<https://github.com/dourouco5/IndustrialProcessFlexibilisation.jl>



Future work

- Some HR flexibility not yet exploited:
 - What about **variable** shift lengths?
 - E.g., if 4 consecutive hours are very cheap
 - For now: fixed to 8 hours, distinction between morning/afternoon/night shifts
- Price uncertainty not explicitly modelled



Thank you for your
attention!

Questions?



Back up

Production model

1/4

- Main decision variables:
 - Are workers required?
 $\text{shiftOn}_s \in \{0,1\}, \forall s \in \text{shifts}$
 - Is the process on?
 $\text{processOn}_{t,p} \in \{0,1\},$
 $\forall t \in \text{time steps}, \forall p \in \text{processes}$
 - What quantity is being processed?
 $\text{quantity}_{t,p} \geq 0,$
 $\forall t \in \text{time steps}, \forall p \in \text{processes}$

Production model 2/4

- Objective: minimise the costs

$$\begin{aligned} \min & \sum_{s \in \text{shifts}} \text{cost}_s \text{shiftOn}_s \\ & + \sum_{t \in \text{time steps}} \text{price}_t \sum_{p \in \text{processes}} \text{processOn}_{t,p} \end{aligned}$$

- Could have more precise consumption model:
linear, quadratic, etc.

Production model

3/4

- Constraints:
 - A process can be on only if workers are present
$$\text{processOn}_{t,p} \leq \text{shiftOn}_s,$$
$$\forall p \in \text{processes}, \forall s \in \text{shifts}, \forall t \in s$$
 - A process can be used only if it is on; the batch size is fixed
$$\text{quantity}_{t,p} = \text{quantity}_p^{\max} \text{processOn}_{t,p},$$
$$\forall p \in \text{processes}, \forall t \in \text{time steps}$$

Production model

4/4

- Constraints:

- The processes follow each other and last one time step

$$\begin{aligned} \text{quantity}_{t,lf} &= \alpha \text{quantity}_{t-1,eaf}, \\ \text{quantity}_{t,cc} &= \text{quantity}_{t-1,lf}, \\ \text{quantity}_{t,out} &= \text{quantity}_{t-1,cc}, \\ &\forall t \in \text{time steps} \end{aligned}$$

- Transformation factor between EAF and LF: some losses between the input raw material and the molten steel
- The order book must be respected

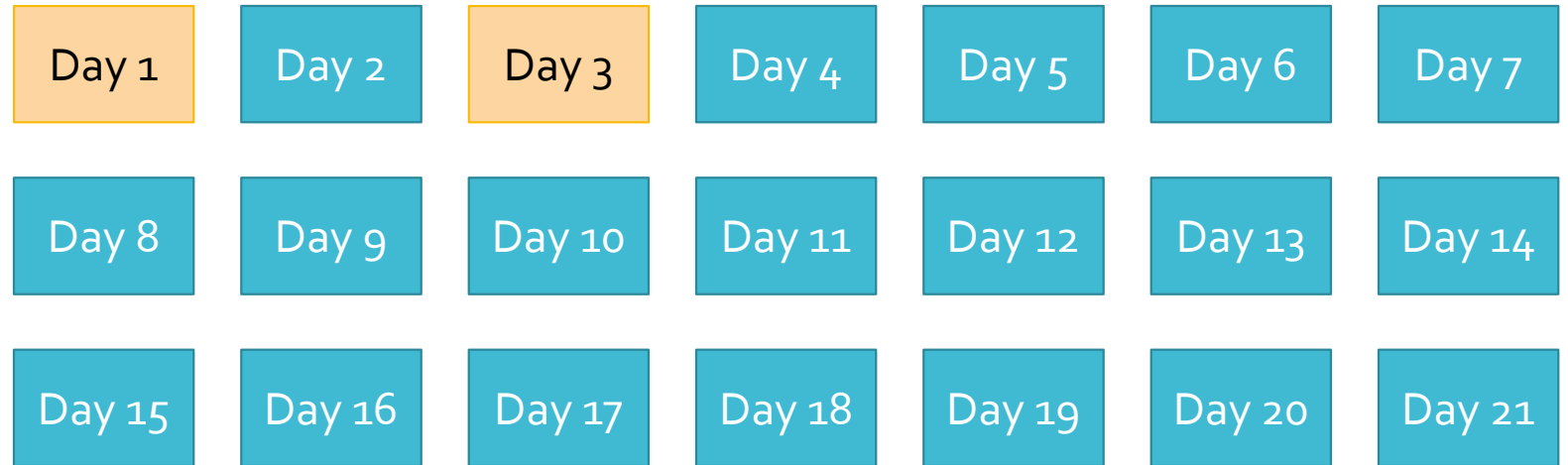
$$\sum_{\tau \leq t} \text{quantity}_{\tau,out} \geq \text{totalOrderedQuantityUpTo}_t, \\ \forall t \in \text{time steps}$$

HR model (1/6)

- Decision variable:
 - Is a team assigned to a shift?
 $\text{assigned}_{s,t} \in \{0,1\},$
 $\forall s \in \text{shifts}, \forall t \in \text{teams}$
- Major constraint: are workers required?
$$\sum_{t \in \text{teams}} \text{assigned}_{s,t} = \text{required}_s,$$

 $\forall s \in \text{shifts}$

HR model (2/6)



- Shift workers must have some rest between two shifts
- Notion of “forbidden shifts”
 - If working shift s , cannot work any shift within FS

$$\sum_{u \in \text{FS}(s)} \text{assigned}_{t,u} \leq 1 - \text{assigned}_{t,s},$$

$$\forall s \in \text{shifts}$$

HR model (3/6)



- Shift workers also need a WE, i.e. a pair of days off every so often

- Detect *pairs* of days off

- New variable: does the team work in the given pair of days?
 $\text{inPair}_{d,t} \in \{0,1\}, \forall d \in \text{days} \setminus \{\text{last day}\}, \forall t \in \text{teams}$

- Detect those pairs with shifts (6 shifts for 2 days off):

$$\text{inPair}_{d,t} \leq 1 - \frac{\sum_{s \in d} \text{assigned}_{t,s}}{6}, \forall d \in \text{days} \setminus \{\text{last day}\}, \forall t \in \text{teams}$$

- For each period of nine days, at least one pair:

$$\sum_{\delta=d}^{d+8} \text{inPair}_{\delta,t} \geq 1, \forall d \in \text{days} \setminus \{9 \text{ last days}\}, \forall t \in \text{teams}$$

HR model (4/6)



- Shift workers should work no more than 50 hours per week
 - Otherwise, overtime
- Overtime is still allowed, though!
 - New variable: amount of overtime
 - One shift lasts 8 hours

$$\sum_{s \in W} 8 \text{ assigned}_{t,s} \leq 50 + \text{overtime}_{t,w},$$
$$\forall w \in \text{weeks}, \forall t \in \text{teams}$$

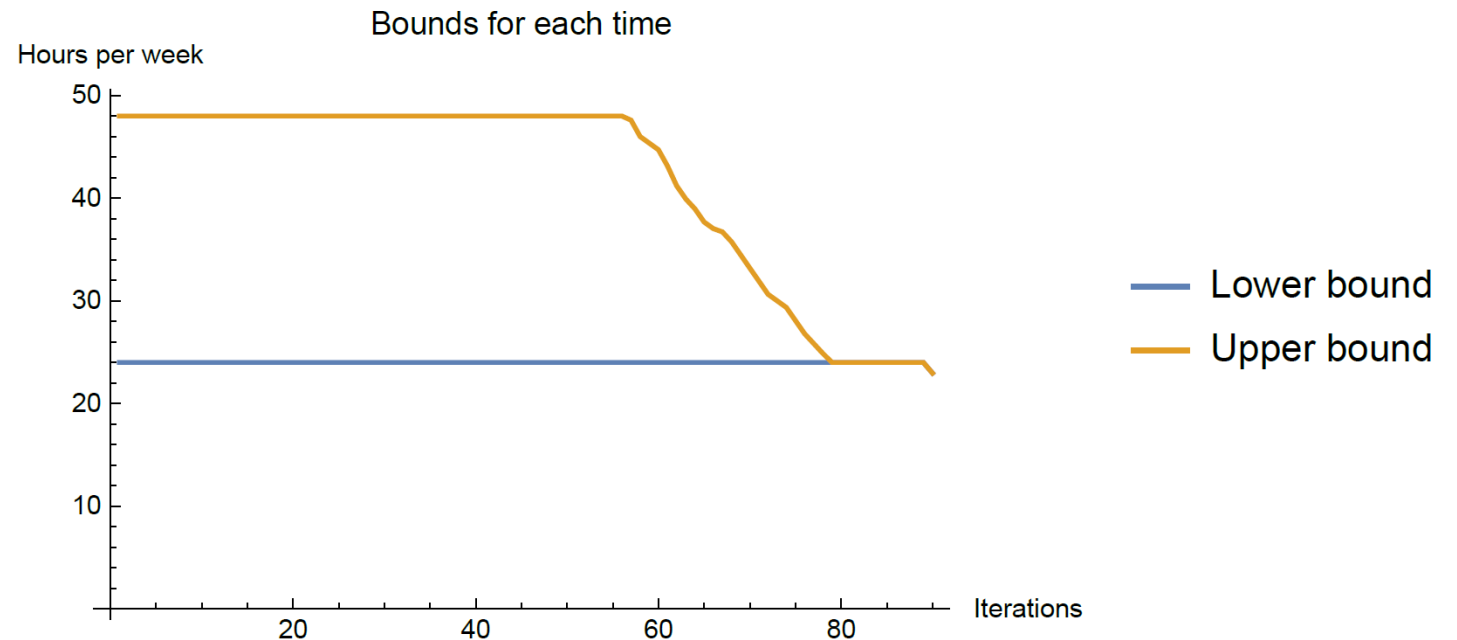
HR model (5/6)



- On average, shift workers should work 38 hours per week
 - The average is computed on 13 weeks
 - Hard to implement! Need for a trick!

Budget of hours

- Use a *heuristic* 2-week budget
 - Try to have **at least X** hours, **at most Y** hours
 - Minimise budget violation
- Leaves some freedom for the current 2 weeks
- Keep margin for the weeks to come



HR model (6/6)

- The implementation of the budget of hours is straightforward:

$$\min \leq \sum_{s \in \text{shifts}} 8 \text{ assigned}_{t,s} \leq \max$$

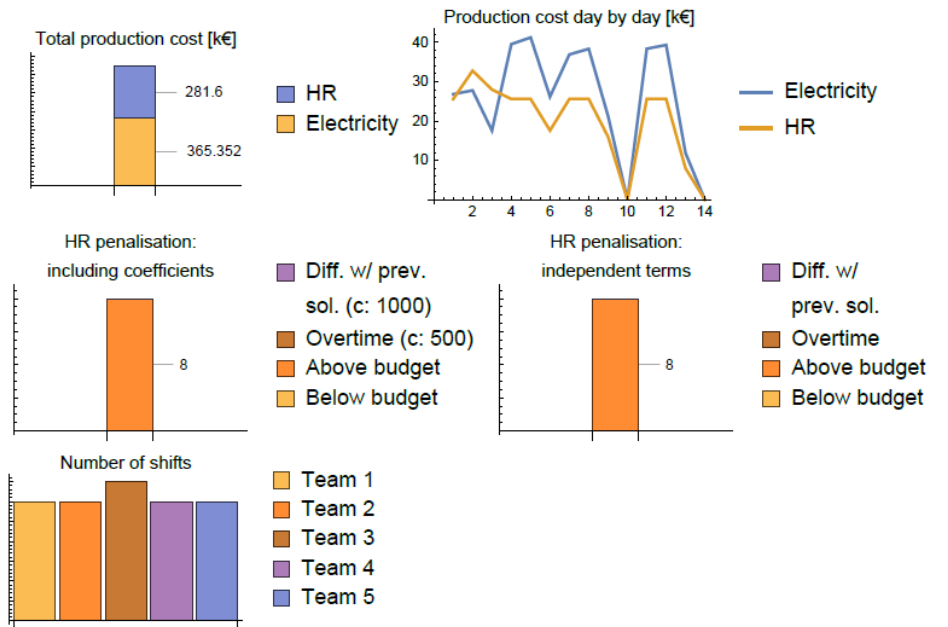
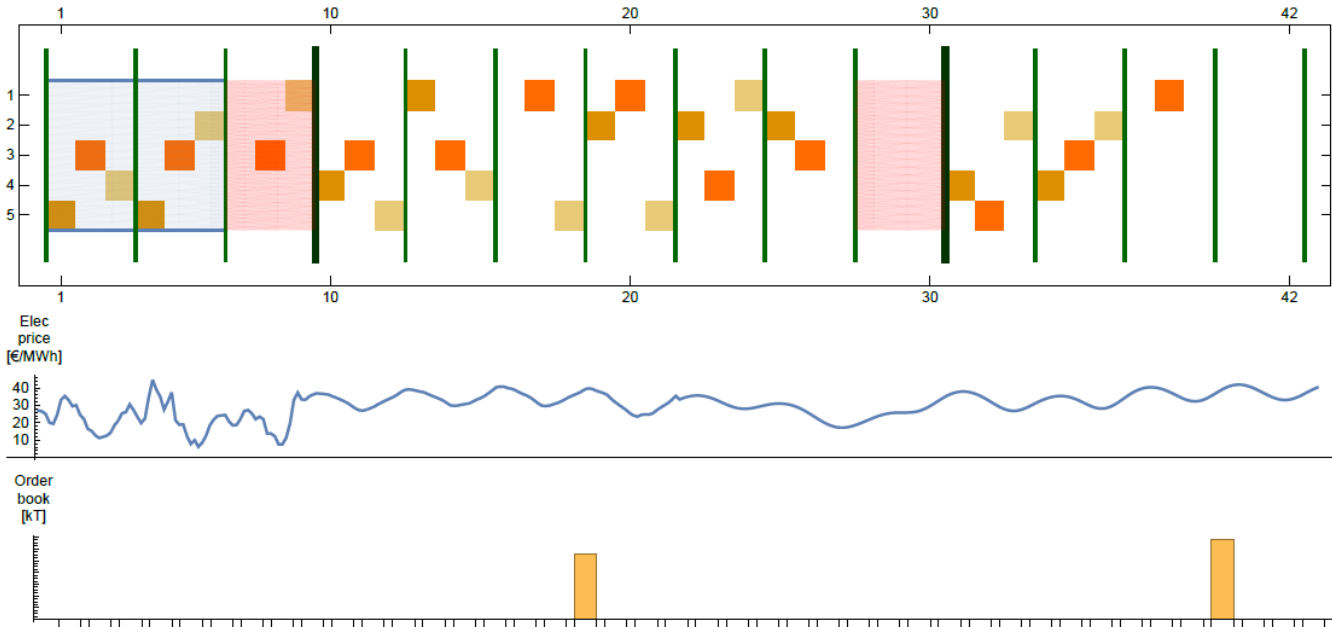
- In practice: with slacks to avoid too quick infeasibility

Working conditions

Monitor several KPIs:

- Physiological KPIs
- Social KPIs
- Economical KPIs

Summarised in a complete visualisation



Physiological KPIs (14 days)

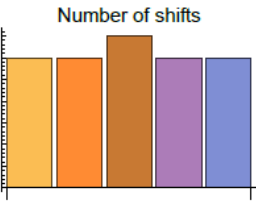
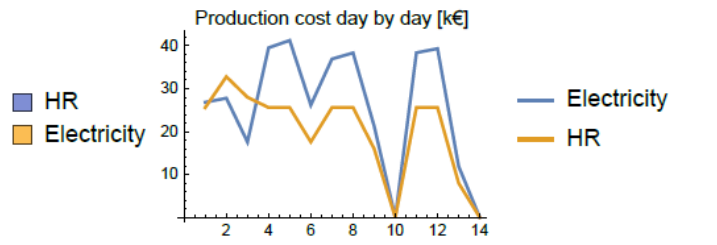
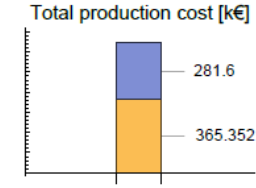
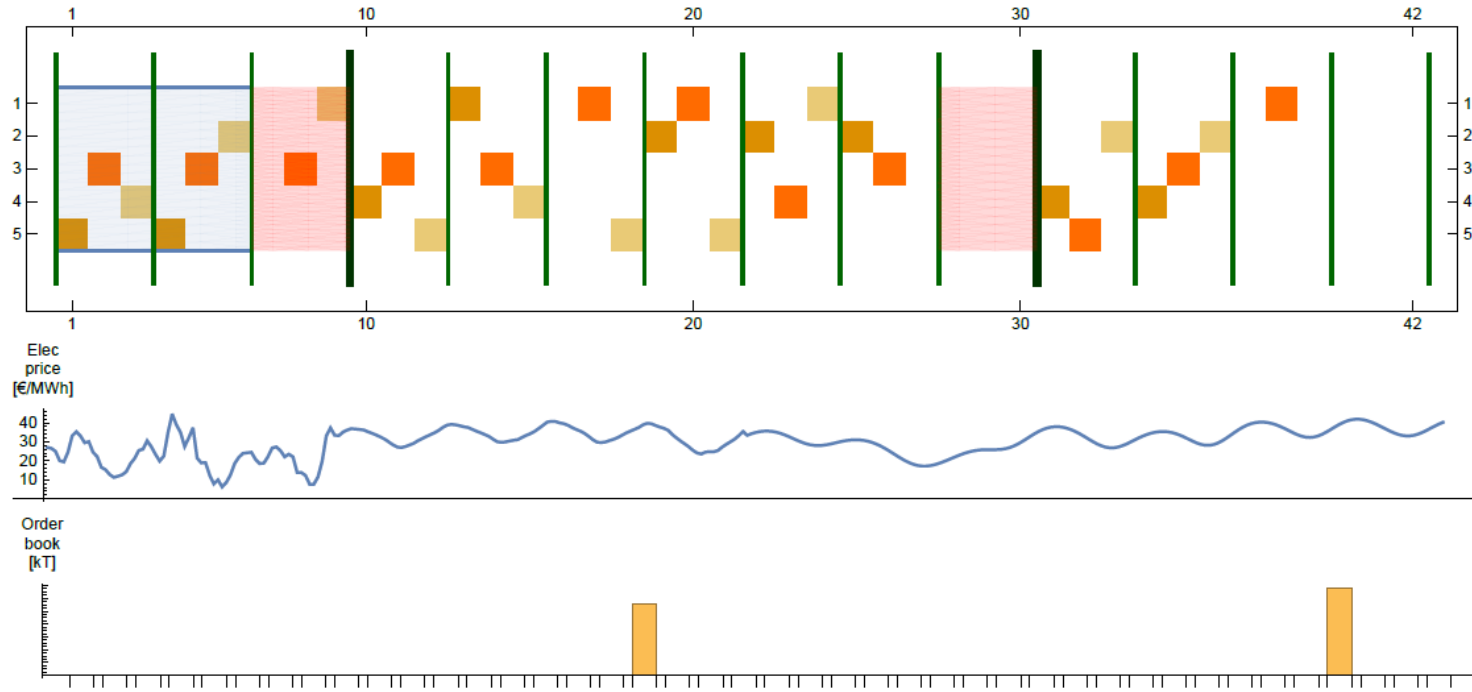
Team	#1	#2	#3	#4	#5
Sequence night–rest	0	0	0	0	0
Sequence rest–night	0	0	0	0	0
Clockwise transitions (MA, AN, NM)	0	0	0	0	0
Counterclockwise transitions (AM, MN, NA)	0	0	0	0	0
No transition (MM, AA, NN)	1	3	4	1	2
Night shifts	2	3	0	2	3
Average hours per day	3.4	3.4	4.0	3.4	3.4

Social KPIs (14 days)

Team	#1	#2	#3	#4	#5
Morning shifts	1	3	0	3	2
WE shifts	0	0	0	0	0

Economical KPIs (14 days)

Team	#1	#2	#3	#4	#5
Total shifts	6	6	7	6	6
Diff. with max (%)	14.2857	14.2857	0.	14.2857	14.2857
Total wage	6000.	6000.	7000.	6000.	6000.
Diff. with max (%)	14.2857	14.2857	0.	14.2857	14.2857
Hourly wage	125.	125.	125.	125.	125.



Physiological KPIs (14 days)

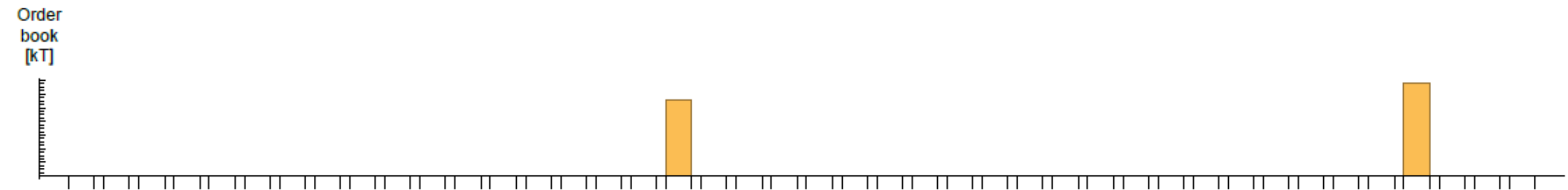
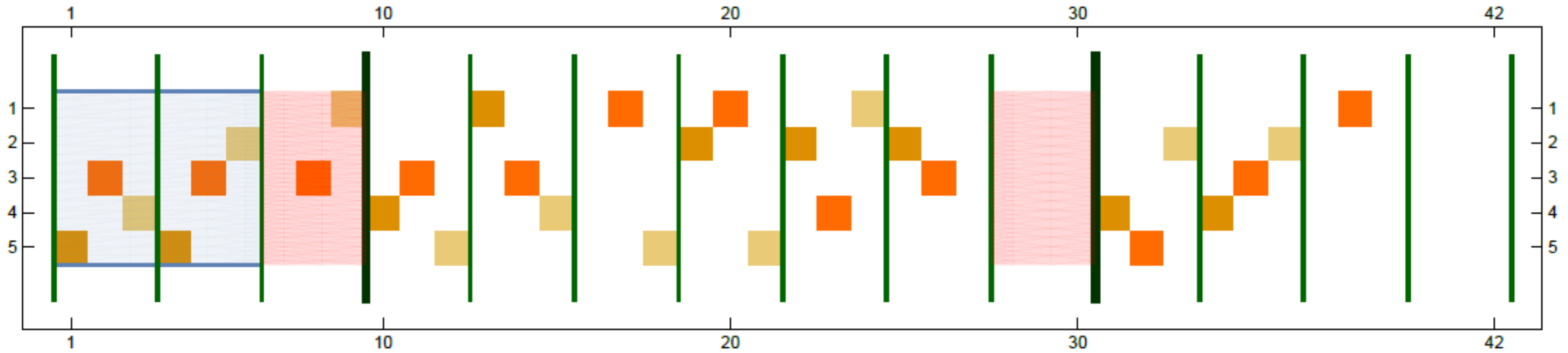
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Sequence night–rest	0	0	0	0	0
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Social KPIs (14 days)

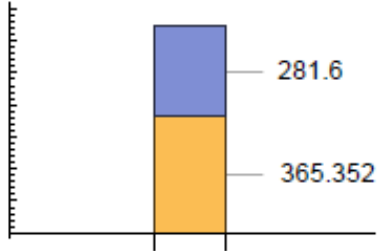
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WE shifts	0	0	0	0	0

Economical KPIs (14 days)

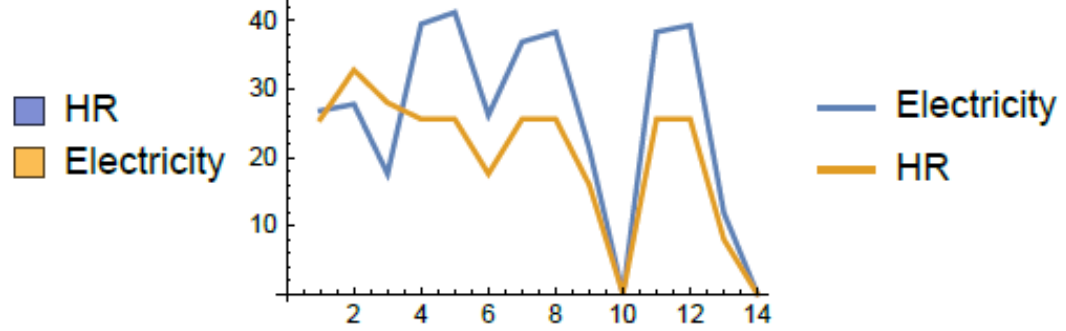
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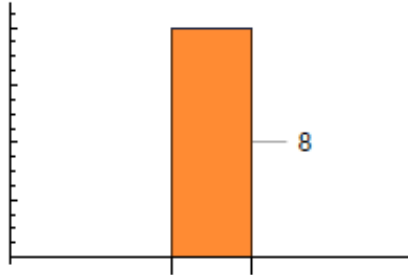
Total production cost [k€]



Production cost day by day [k€]

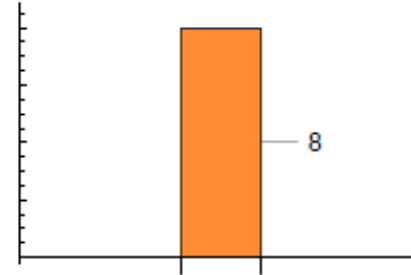


HR penalisation: including coefficients



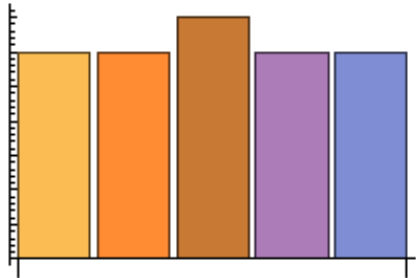
- Diff. w/ prev. sol. (c: 1000)
- Overtime (c: 500)
- Above budget
- Below budget

HR penalisation: independent terms



- Diff. w/ prev. sol.
- Overtime
- Above budget
- Below budget

Number of shifts



- Team 1
- Team 2
- Team 3
- Team 4
- Team 5

Physiological KPIs (14 days)

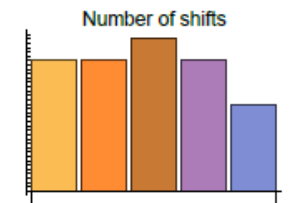
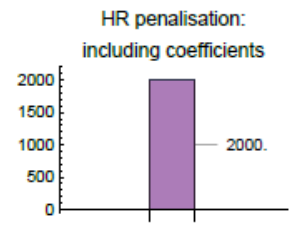
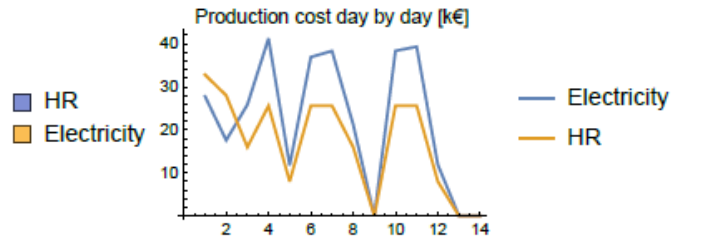
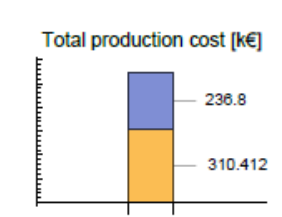
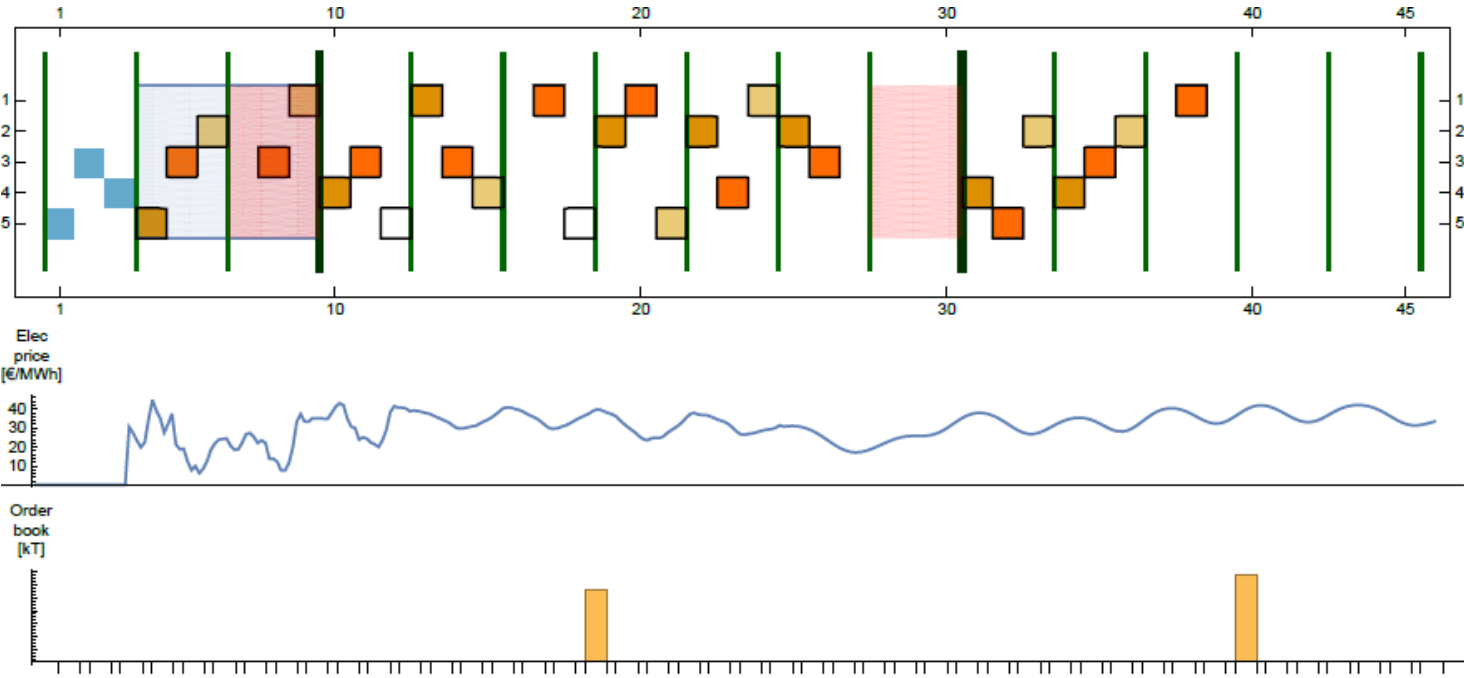
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Night shifts	2	3	0	2	3
Average hours per day	3.4	3.4	4.0	3.4	3.4

Economical KPIs (14 days)

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Hourly wage	125.	125.	125.	125.	125.

Social KPIs (14 days)

Team	#1	#2	#3	#4	#5
Morning shifts	1	3	0	3	2
WE shifts	0	0	0	0	0



Physiological KPIs (14 days)

Team	#1	#2	#3	#4	#5
Sequence night–rest	0	0	0	0	0
Sequence rest–night	0	0	0	0	0
Clockwise transitions (MA, AN, NM)	0	0	0	0	0
Counterclockwise transitions (AM, MN, NA)	0	0	0	0	0
No transition (MM, AA, NN)	1	3	3	1	0
Night shifts	2	3	0	1	1
Average hours per day	3.4	3.4	3.4	2.9	1.7

Social KPIs (14 days)

Team	#1	#2	#3	#4	#5
Morning shifts	1	3	0	3	1
WE shifts	0	0	0	0	0
Shift estimate changes: come (at most 7 days before)	0	0	0	0	0
Shift estimate changes: do not come (at most 7 days before)	0	0	0	0	2

Economical KPIs (14 days)

Team	#1	#2	#3	#4	#5
Total shifts	6	6	6	5	3
Diff. with max (%)	0.	0.	0.	16.6667	50.
Total wage	6000.	6000.	6000.	5000.	3000.
Diff. with max (%)	0.	0.	0.	16.6667	50.
Hourly wage	125.	125.	125.	125.	125.