

MAD



Spirals in protoplanetary disks

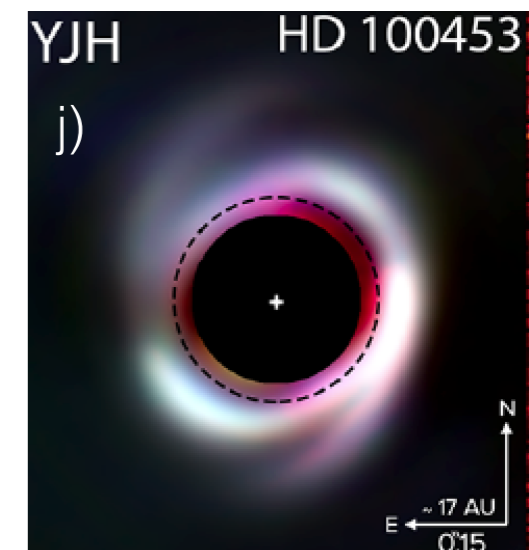
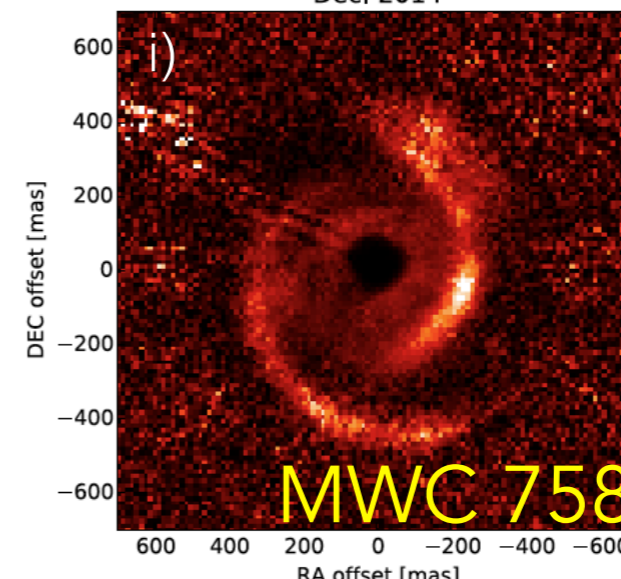
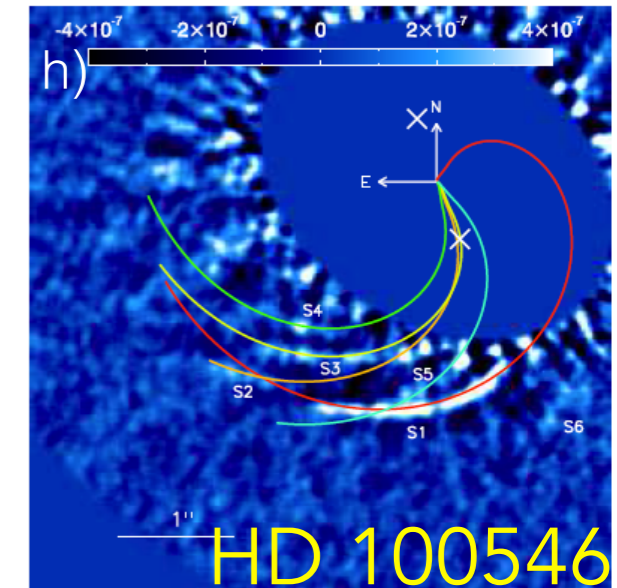
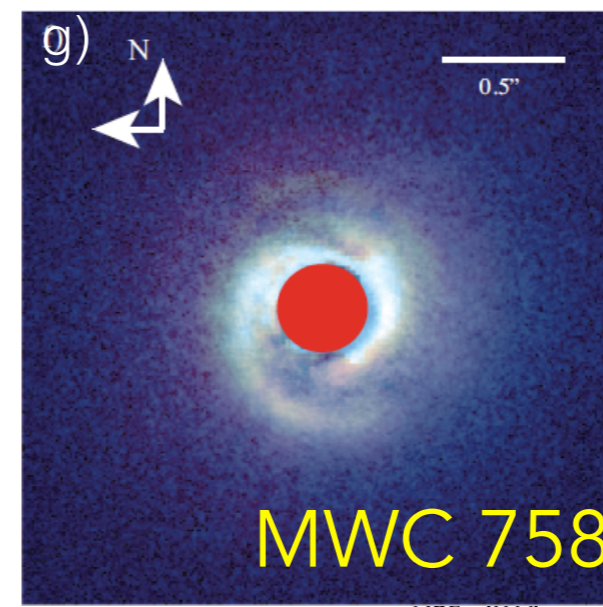
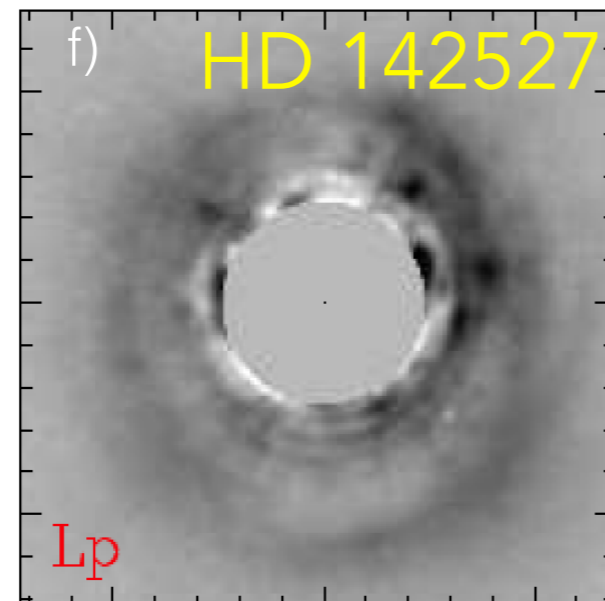
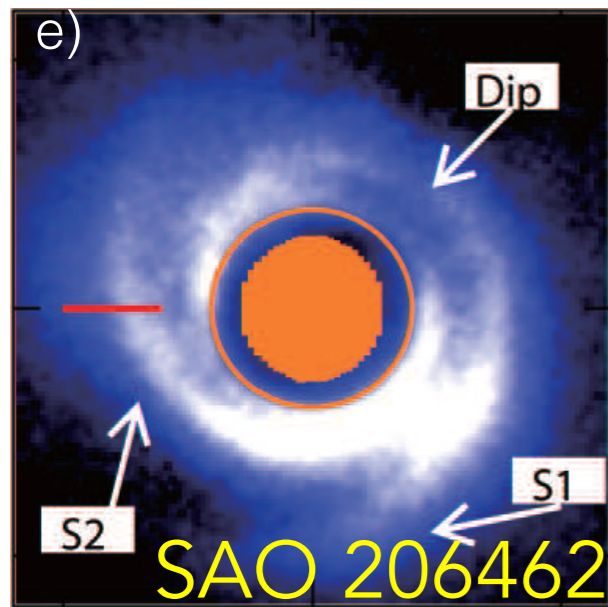
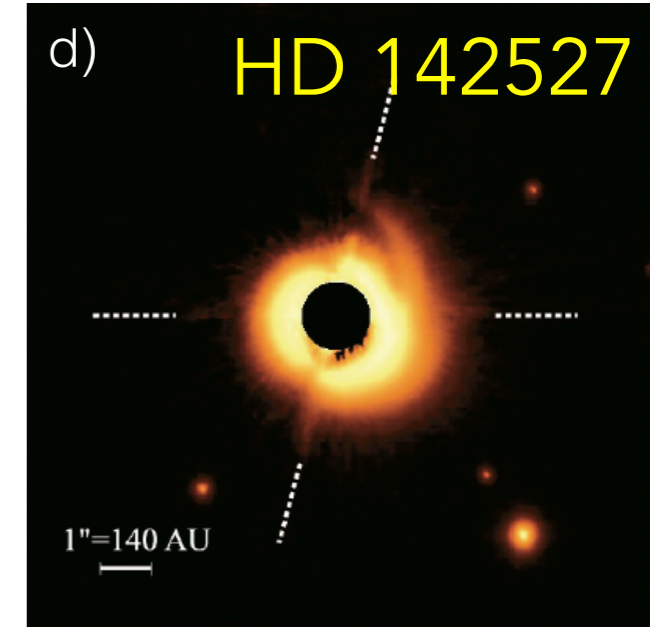
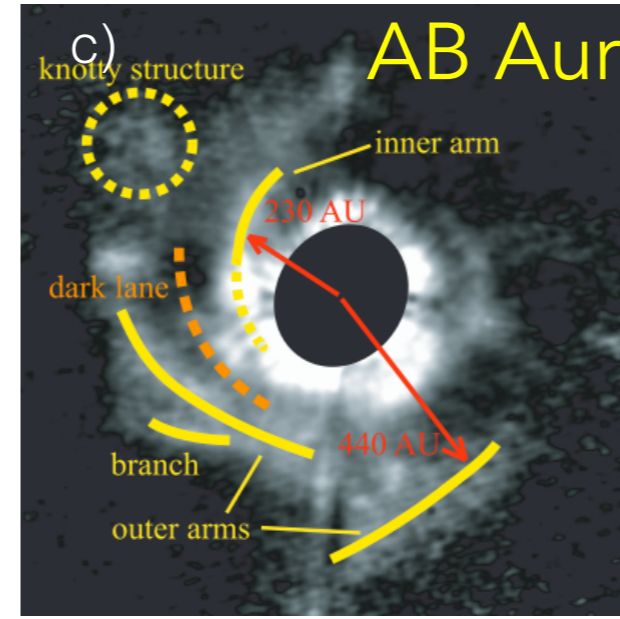
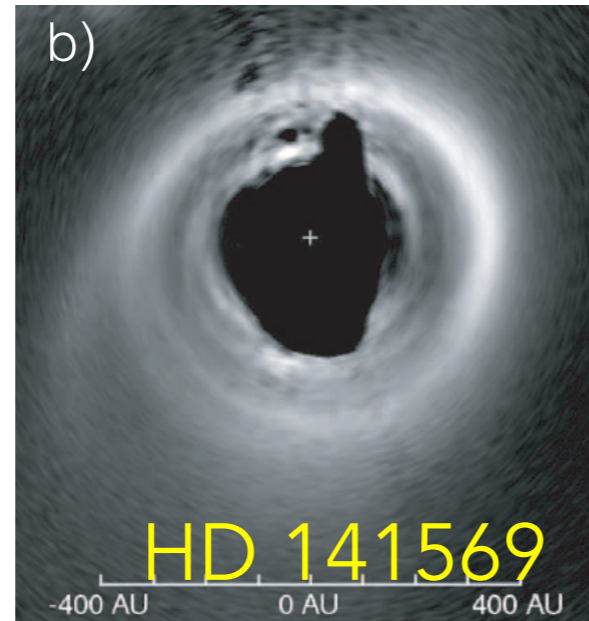
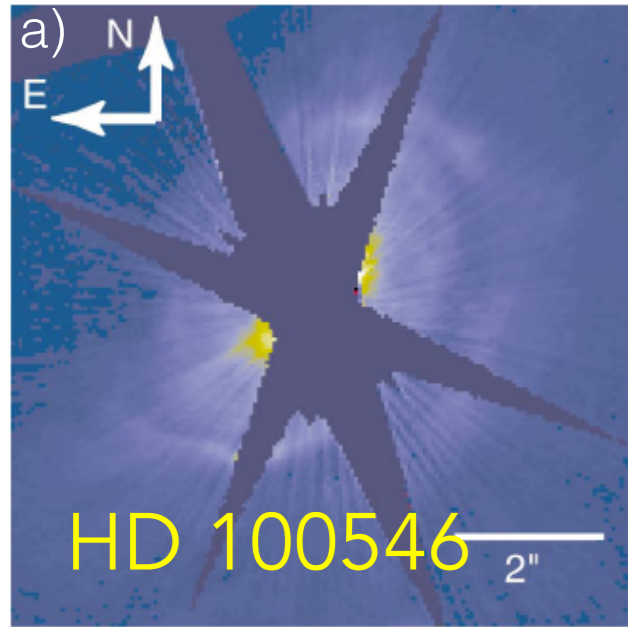
Valentin Christiaens



Plan

1. Overview of observed spirals in protoplanetary disks
2. Theory and simulations of spiral arms
 - 2.1. Gravitational Instability
 - 2.2. Planet-disk interaction
 - 2.3. GI + planet
 - 2.4. Shadows casted by the inner disk
 - 2.5. Stellar fly-by
3. For a given spiral observation, how to untangle the origin?
4. Observational perspectives
 - 4.1. Re-observations of HD 142527 spirals with ALMA

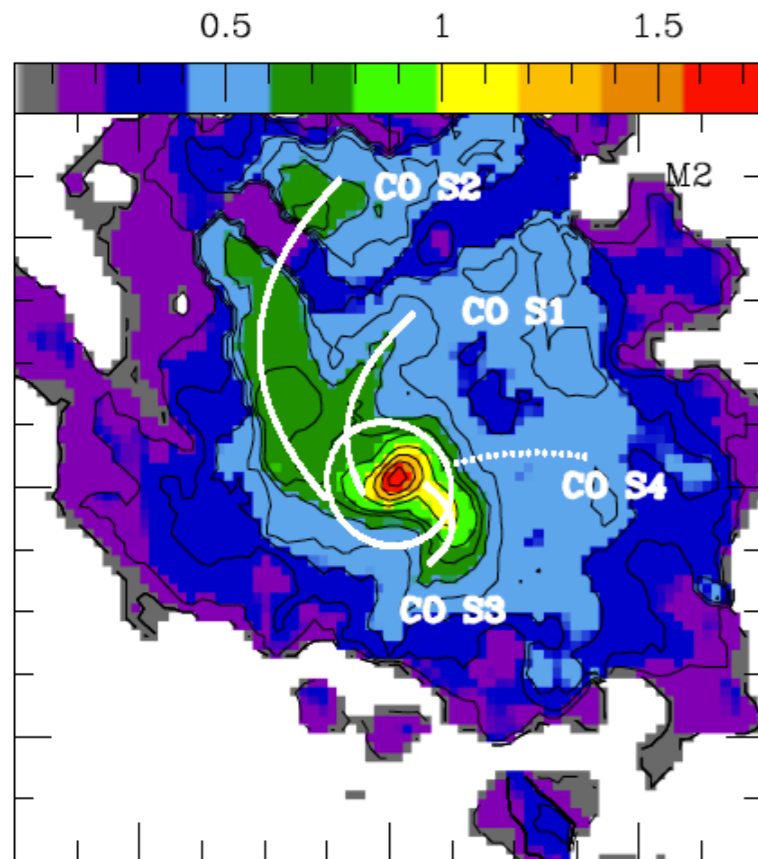
Global picture of observed spirals in disks in **Near-IR**



- a) Grady+01 (HST); b) Clampin+03 (HST);
 c) Fukagawa+04 (HiCiao); d) Fukagawa+06 (HiCiao);
 e) Muto+08 (HiCiao); f) Casassus+12 (NICI);
 g) Grady+13 (HiCiao); h) Boccaletti+13 (NICI);
 i) Benisty+15 (SPHERE); j) Wagner+2015 (SPHERE)

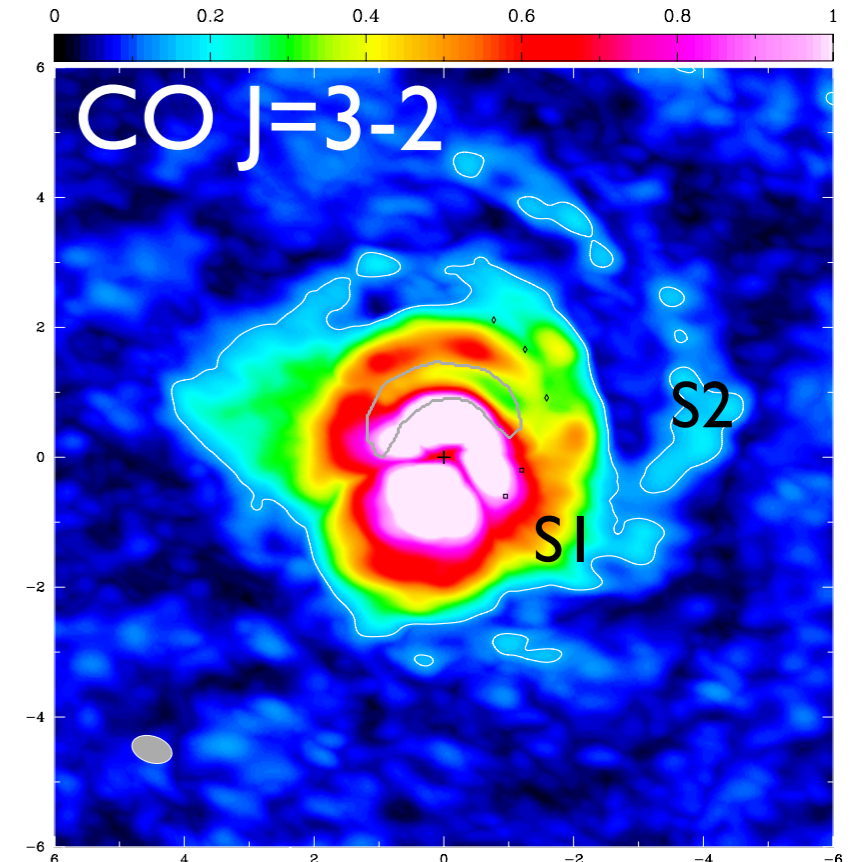
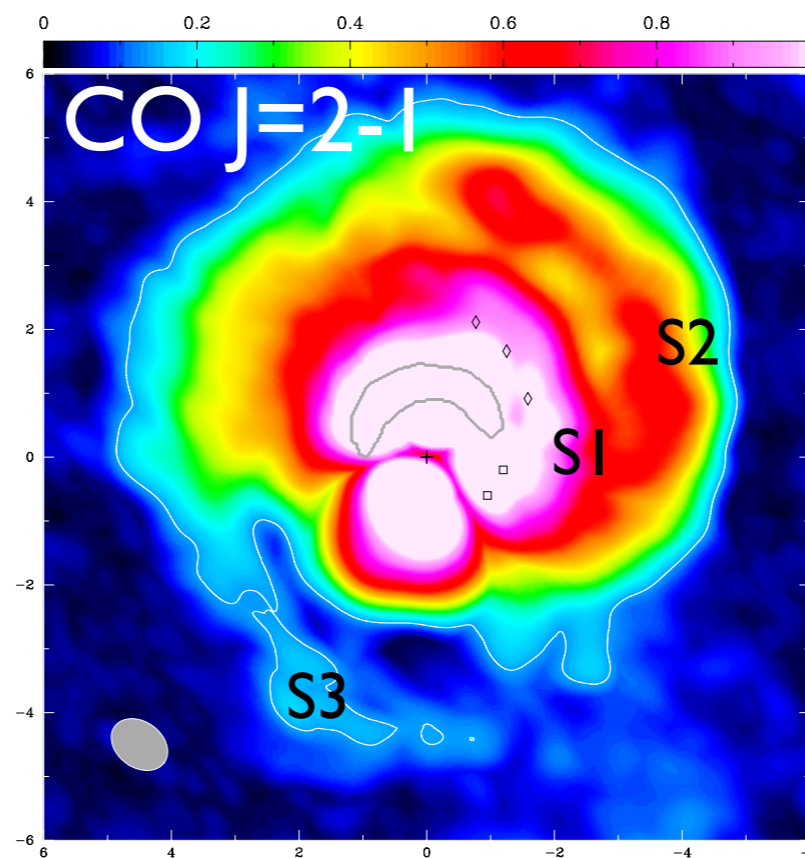
Global picture of observed spirals in disks in sub-mm

AB Aur



Tang+13

HD 142527



Christiaens+14

- In view of the diversity of spirals in protoplanetary disks, there must be different ways to launch them. What are these processes?
- What are the implications on disk evolution?

Gravitational Instability

If the disk is massive enough, the influence of its own gravity is non-negligible compared to the star's gravity alone

Toomre parameter: $Q = \frac{c_s \Omega}{\pi G \Sigma} \approx \frac{M_\star}{M_d} h$

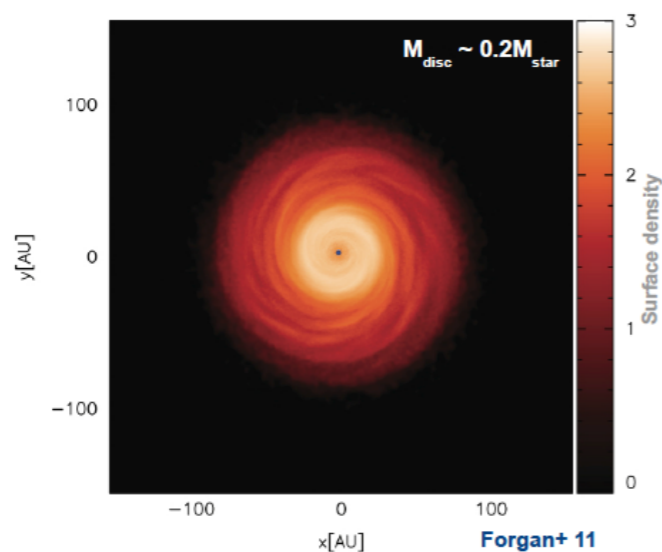
$Q > 2$: grav. stable

$Q \lesssim 2$: grav. unstable

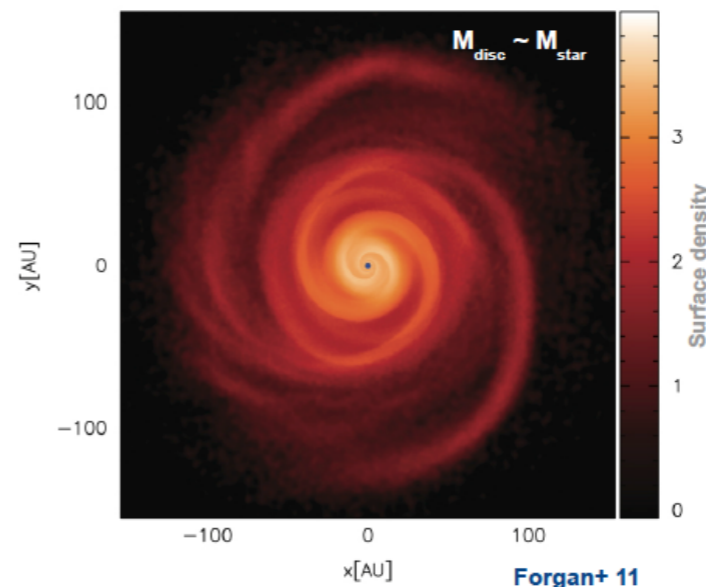
The evolution of a GI disk depends on its cooling timescale:

a/ $\tau_{\text{cool}} \Omega \leq 3 - 5 \Rightarrow$ disk **fragmentation** and possible inward clump migration (e.g. Paardekooper+11); typically outer part of large primordial disks

b/ $\tau_{\text{cool}} \Omega > 3 - 5 \Rightarrow$ no fragmentation, but creation of **spirals**, whose pattern depends on the disk mass and elapsed time:

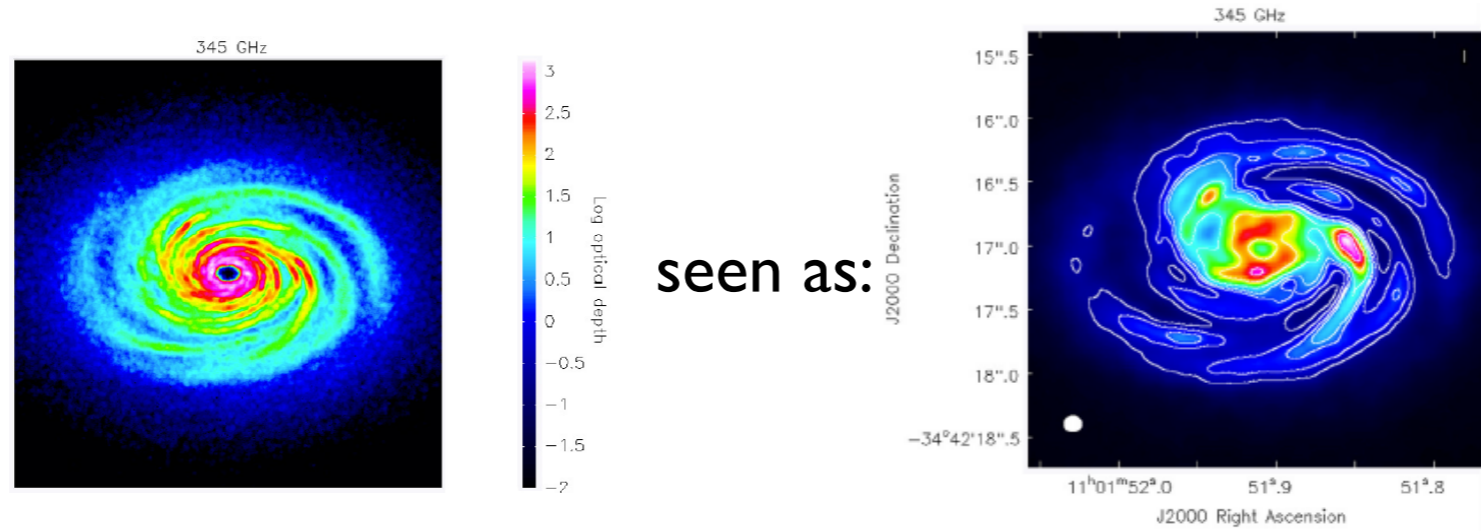


or



(Forgan+ 11)

Gravitational Instability



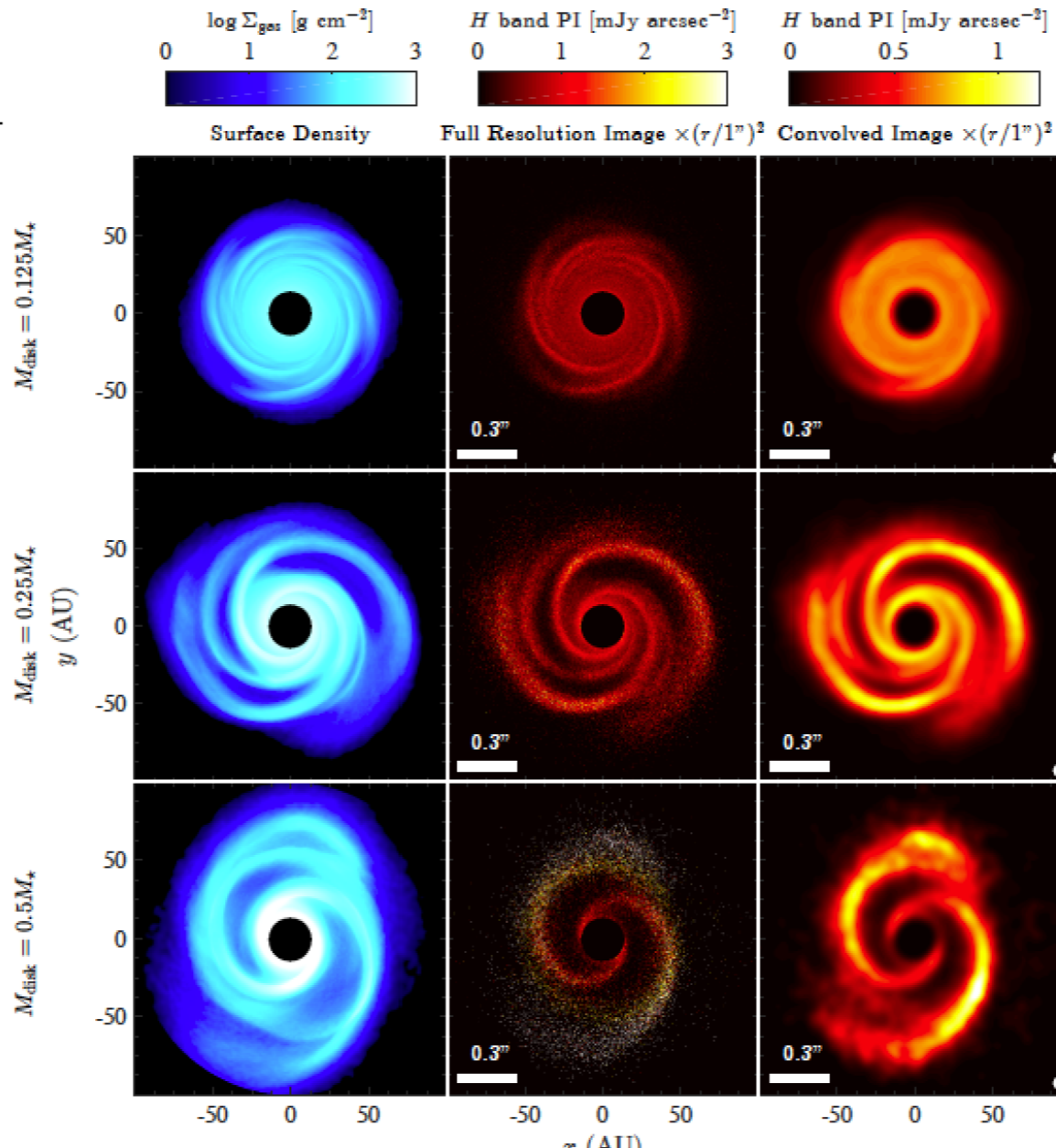
(Di Pierro+ 15)

$$q = \frac{M_d}{M_\star}$$

$q = 0.125$

$q = 0.25$

$q = 0.5$



$\Rightarrow m \sim 8$

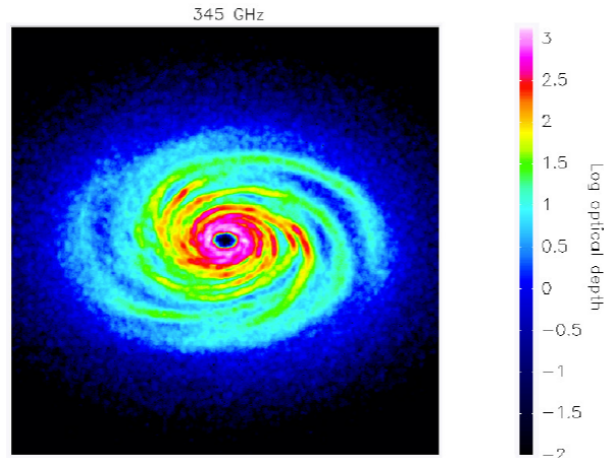
$\Rightarrow m \sim 4$

$\Rightarrow m \sim 2$

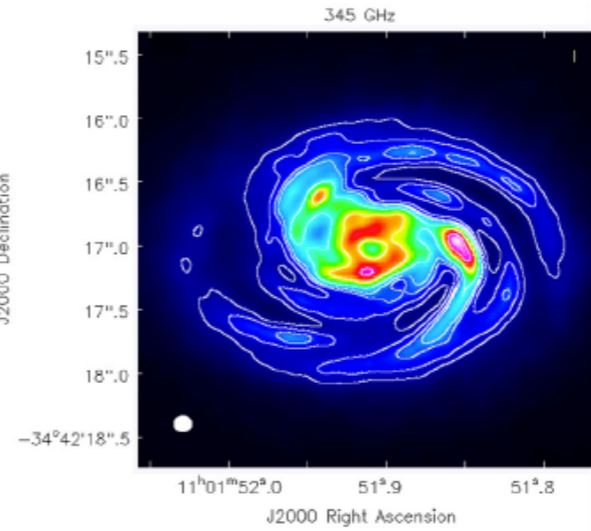
$m \sim 1/q$

(Dong+ 15)

Gravitational Instability



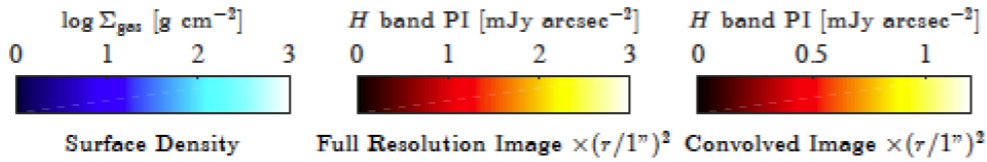
seen as:



(Di Pierro+ 15)

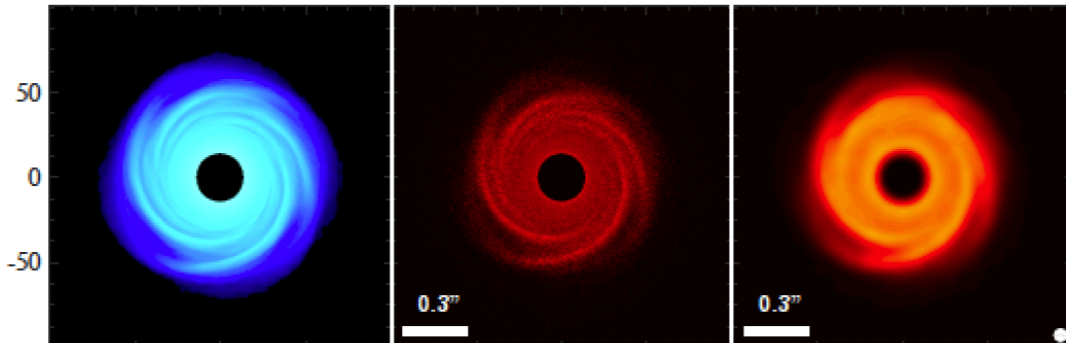
OBSERVATIONS

$$q = \frac{M_d}{M_\star}$$



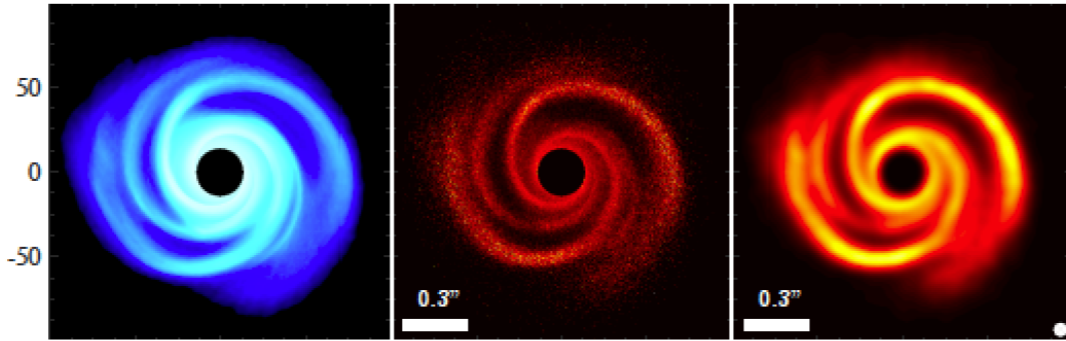
$q = 0.125$

$M_{\text{disk}} = 0.125 M_\star$



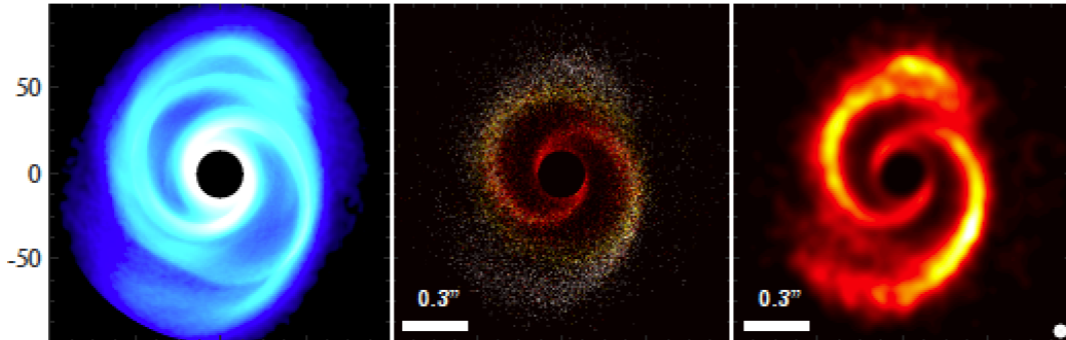
$q = 0.25$

$M_{\text{disk}} = 0.25 M_\star$



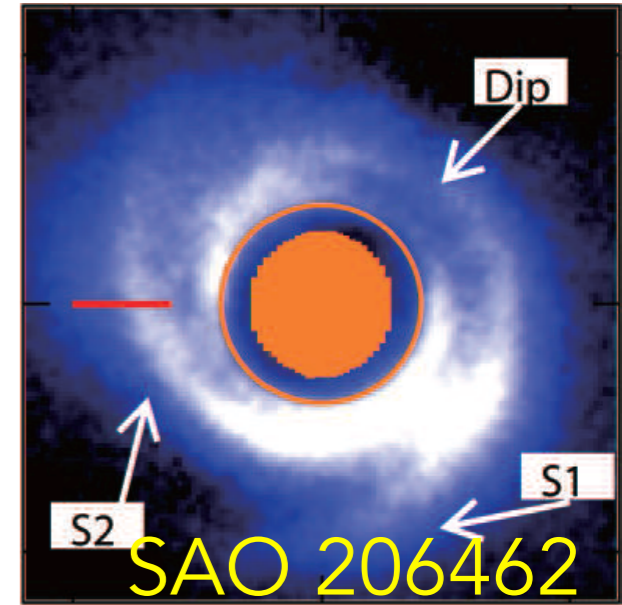
$q = 0.5$

$M_{\text{disk}} = 0.5 M_\star$

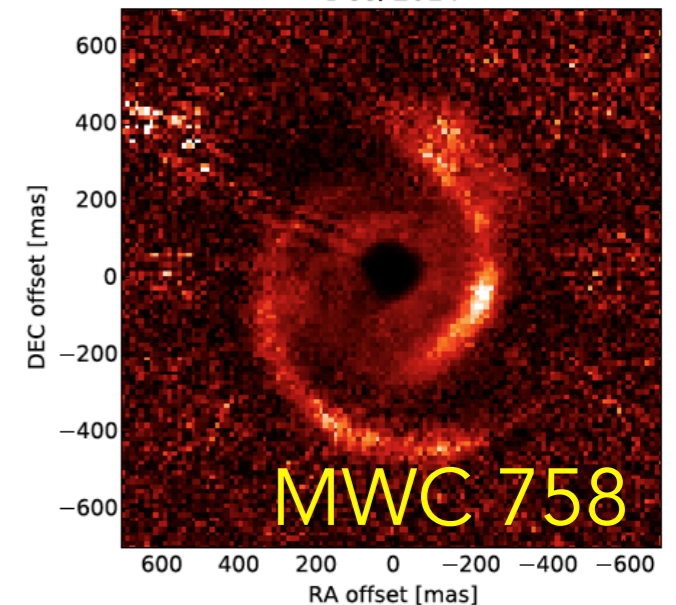


$$m \sim 1/q$$

(Dong+ 15)



Dec, 2014

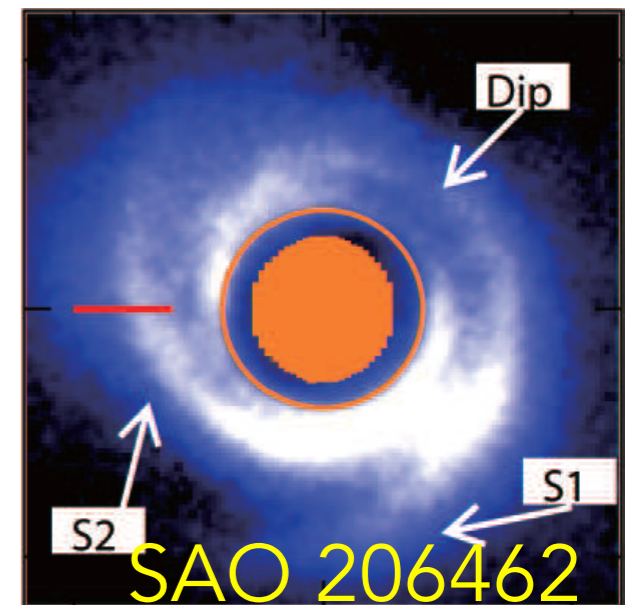


Gravitational Instability

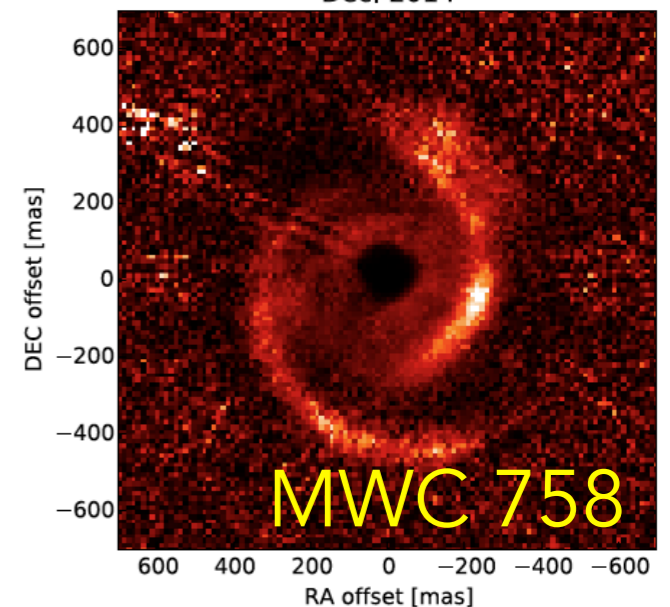
Caveats of the theory:

- q has to be > 0.25 to be prominent in NIR scattered images, and $q \sim 0.5$ to have $m=2$ spirals! This is contrary to most observations
- Requires high stellar accretion rates ($\sim 10^{-6} M_{\odot} \text{ yr}^{-1}$)
- The disk fragments with GI beyond a certain radius (typically $\sim 100\text{au}$)

OBSERVATIONS

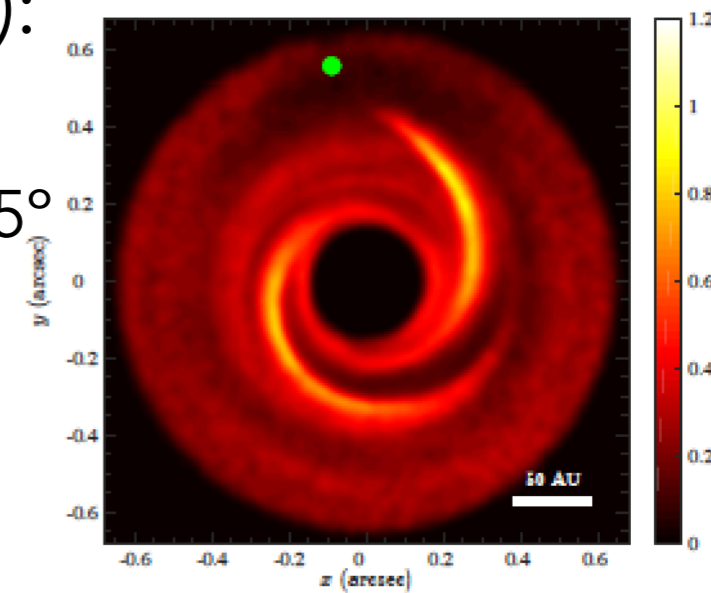
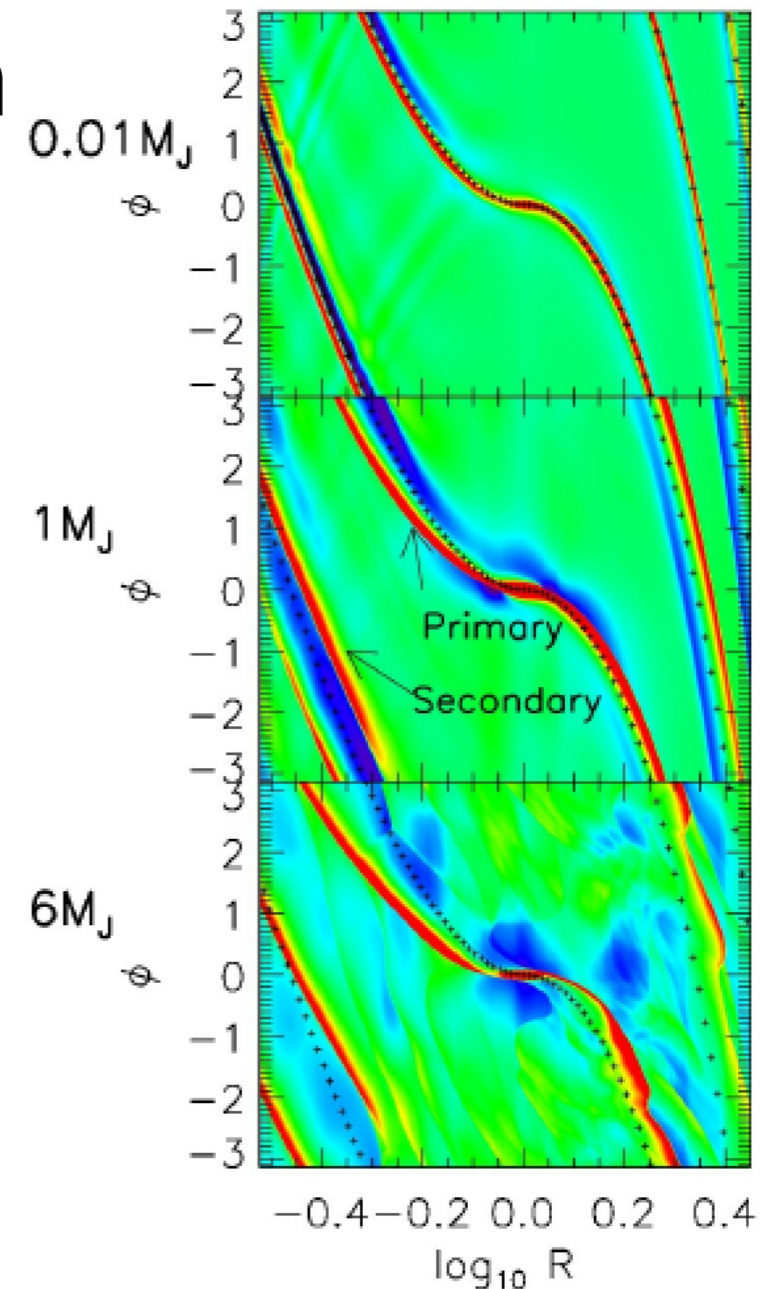


Dec, 2014



Planet-disk interaction

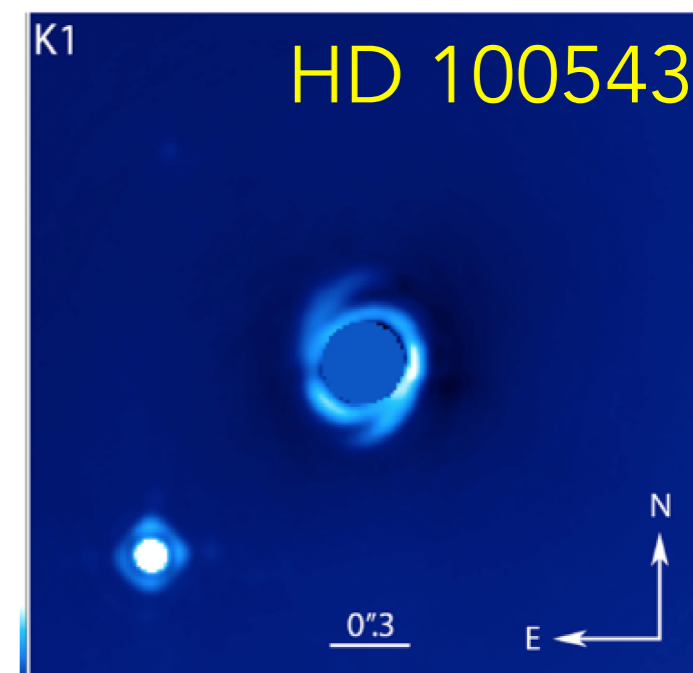
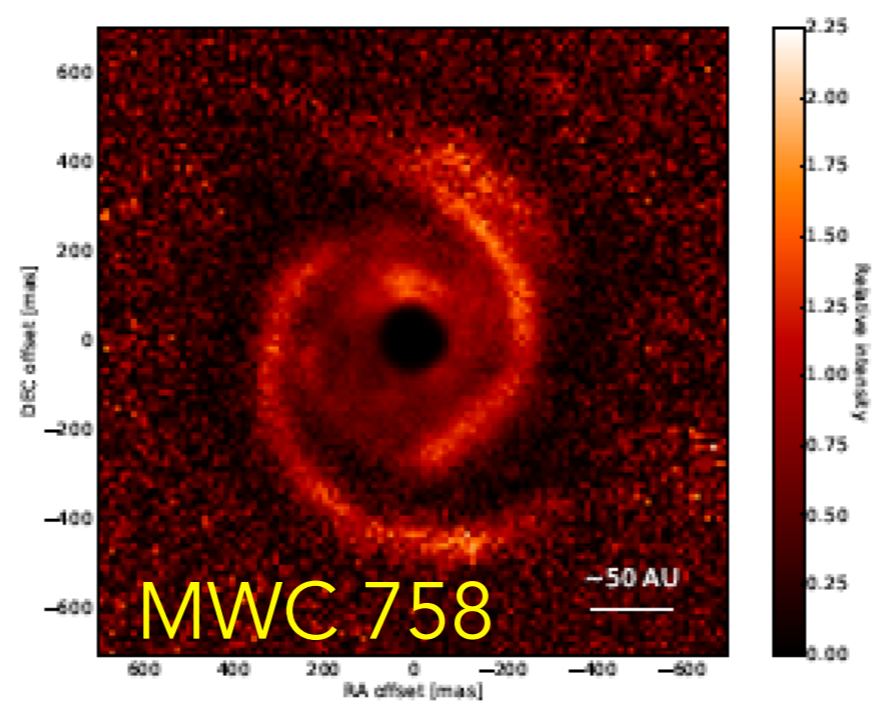
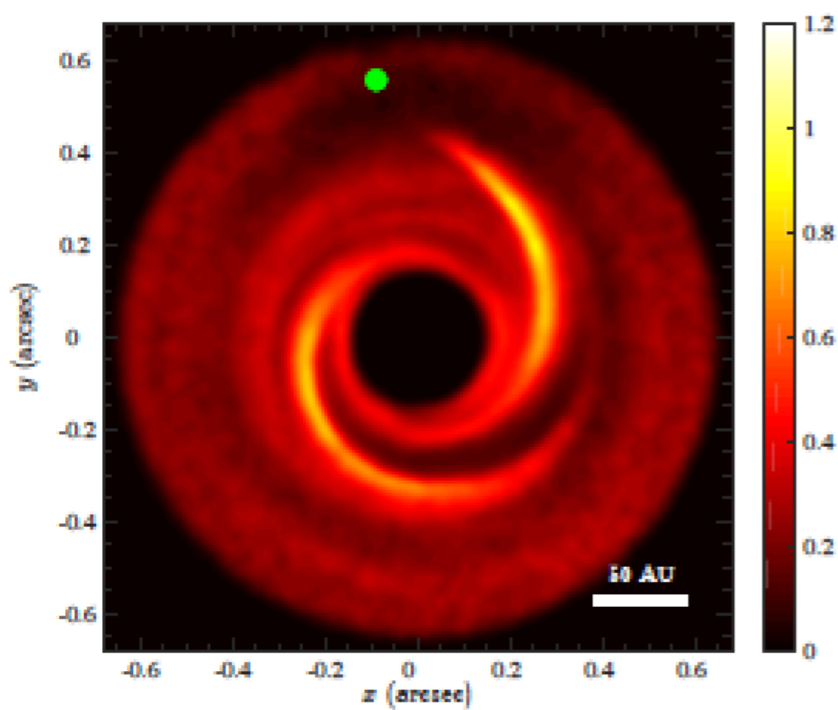
- Lessons from Zhu+15 (2D+3D hydro-simulations):
 - The more massive the planet, the larger the **pitch angle**.
 - A **secondary spiral** (or even tertiary) is excited. The more massive the planet, the larger the azimuthal separation between primary and secondary.
 - Using **3D hydro-simulations**, one can re-create more prominent spirals as can be observed in NIR, than with 2D hydro-simulations assuming hydrostatic equilibrium
 - **Inner spirals** (to the planet) usually appear more prominent than outer spirals, due to: 1/ enhanced vertical motion, 2/ sharper edges.
- Lessons from Dong+15 (radiative transfer of Zhu+15):
 - $m = 2$ symmetry
 - Inner spirals appear to have pitch angle between 10° and 15°
 - The spirals subtend 180° to 270°
 - $\sim 150\%$ brightness enhancement



Planet-disk interaction

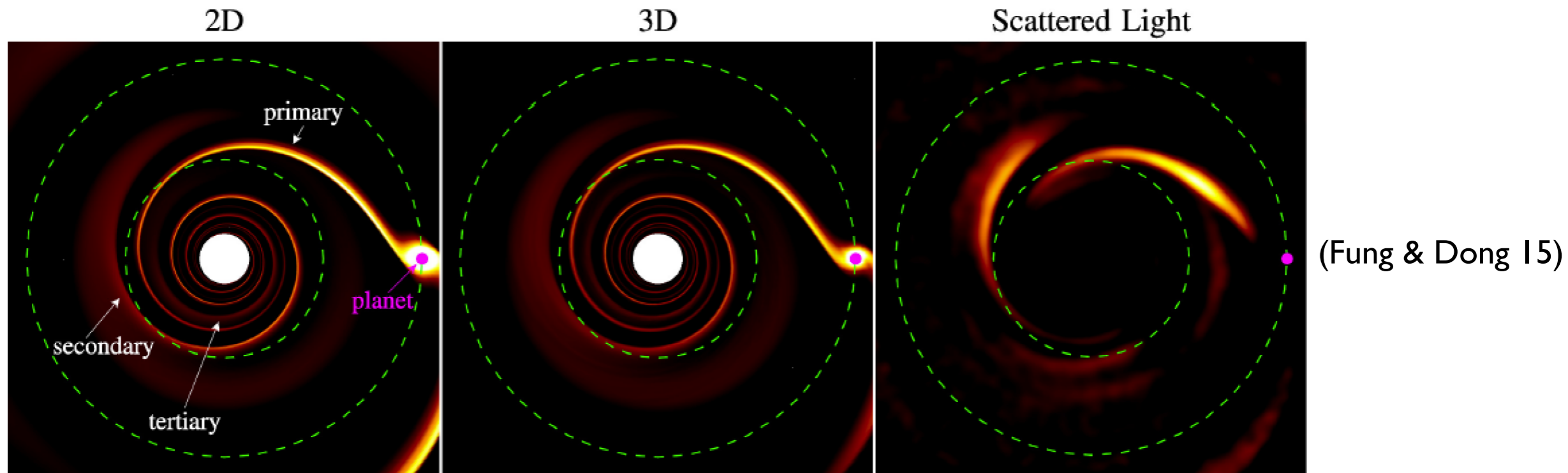
- Dong+15 (radiative transfer of Zhu+15):

=> VERY SIMILAR TO SOME OBSERVED SPIRALS:



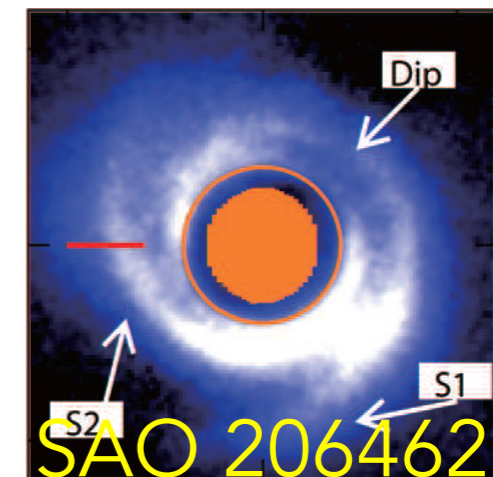
Planet-disk interaction

“The more massive the planet, the larger the azimuthal separation between primary and secondary.”



- From $1M_{\text{Nep}}$ to $16M_{\text{Jup}}$ planetary companions: $\phi_{\text{sep}} = 102^\circ \left(\frac{q}{0.001}\right)^{0.2}$
- For brown dwarf companions: $\phi_{\text{sep}} = 180^\circ$

- Application to SAO 206462 $\Rightarrow M_{\text{pl}} \sim 6 M_{\text{Jup}}$



Planet in a marginally gravitationnally stable disk

- Lessons from Juhasz+15 (2D hydro-simulations+ rad. transfer):
 - A surface density relative change of a factor 3.5 is necessary to be detectable
 - A pressure scale height variation of only 0.2 is enough to be detectable
- Lessons from Pohl+15 (2D hydro-simulations+ rad. transfer):
 - Scale height perturbations due to either 1/ accretion heating of the planet or 2/ local heating by GI can create enough spiral contrast to be detectable
 - A large variety of planetary gap + spiral morphologies can be created depending on planet and disk mass
 - The disk is not GI itself, but the massive planet is working as a trigger for GI

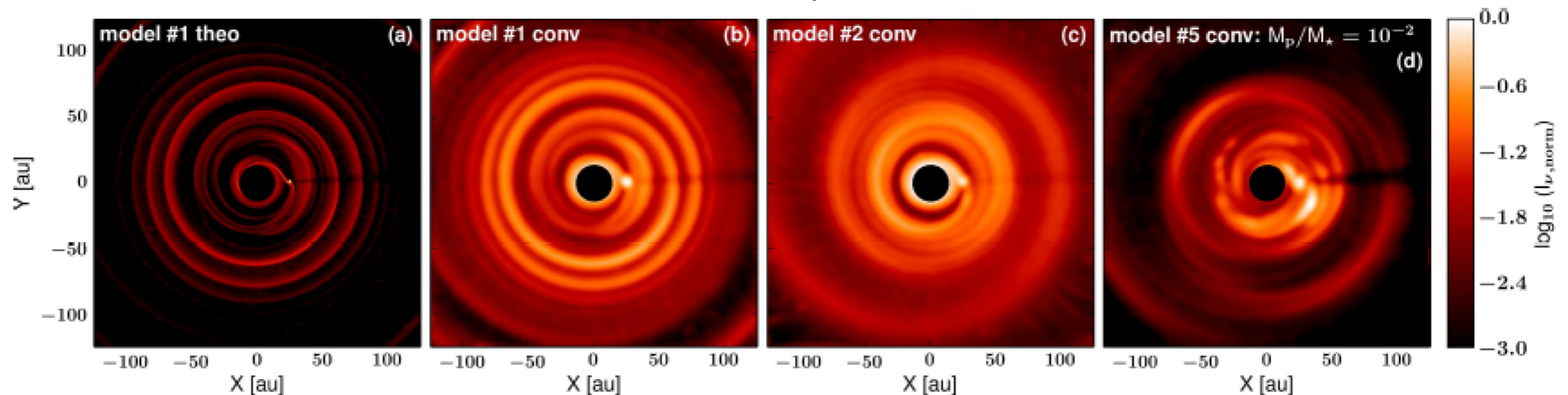
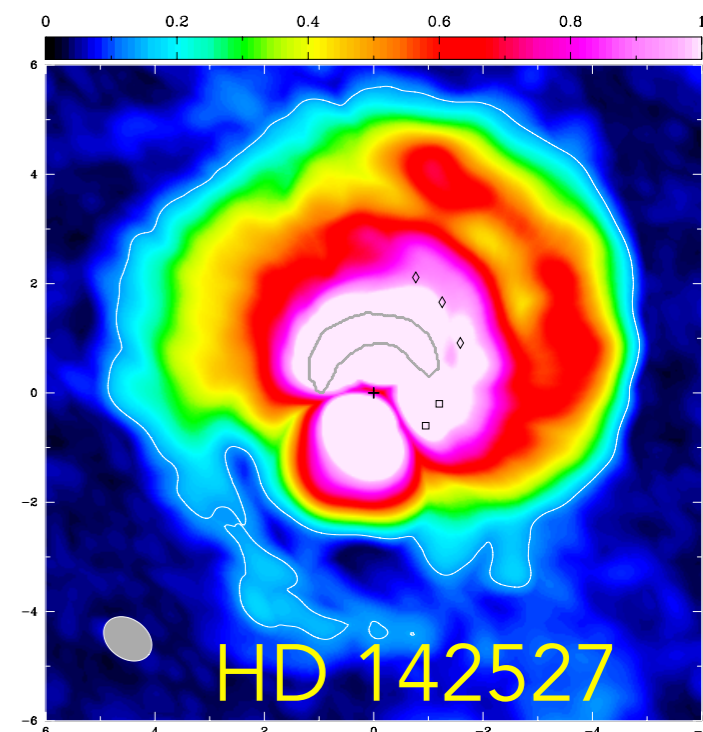
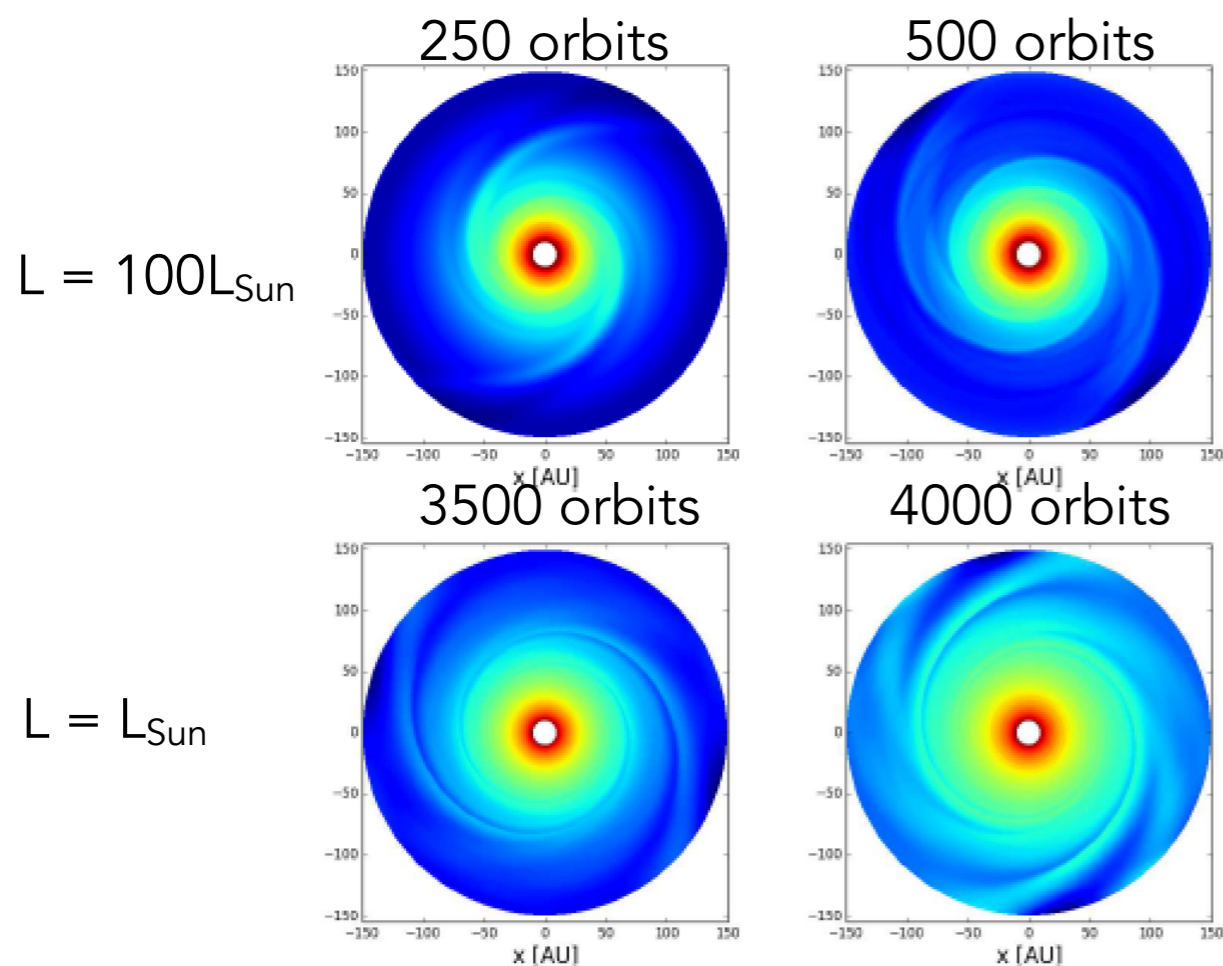
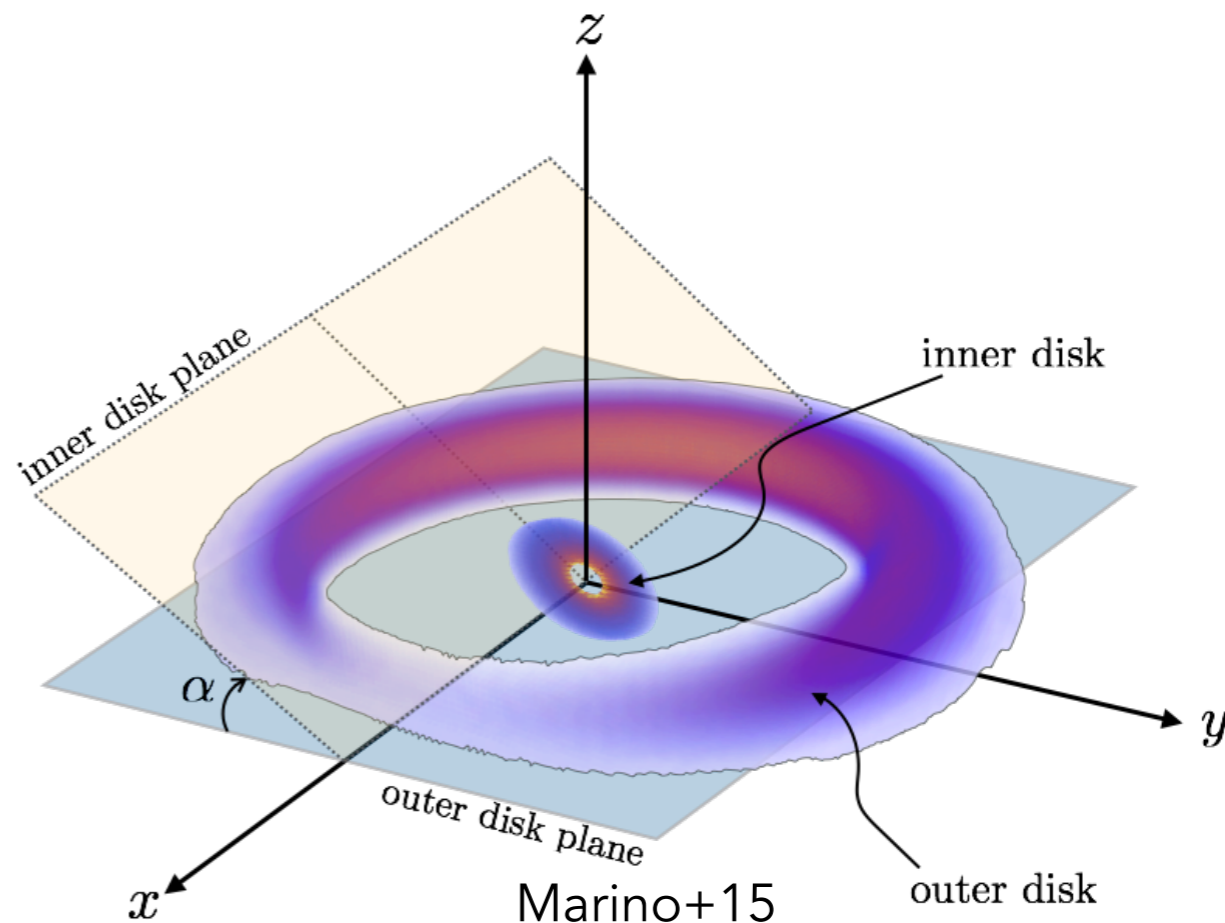


Figure 6. Simulated NIR scattered light images in H -band polarized intensity ($\lambda = 1.65 \mu\text{m}$). All models consider a disc mass of $0.15 M_*$. (a) corresponds to the reference model 1 without self-gravity and shows the image at original resolution as calculated with the radiative transfer code RADMC-3D. All other images (b-d) are convolved with a Gaussian beam using a FWHM of $0''.04$ (at 140 pc distance), which is representative for observations with SPHERE/VLT in the H -band. The central $0''.1$ of the image were masked to mimic the effect of a coronagraph similar to real observations.

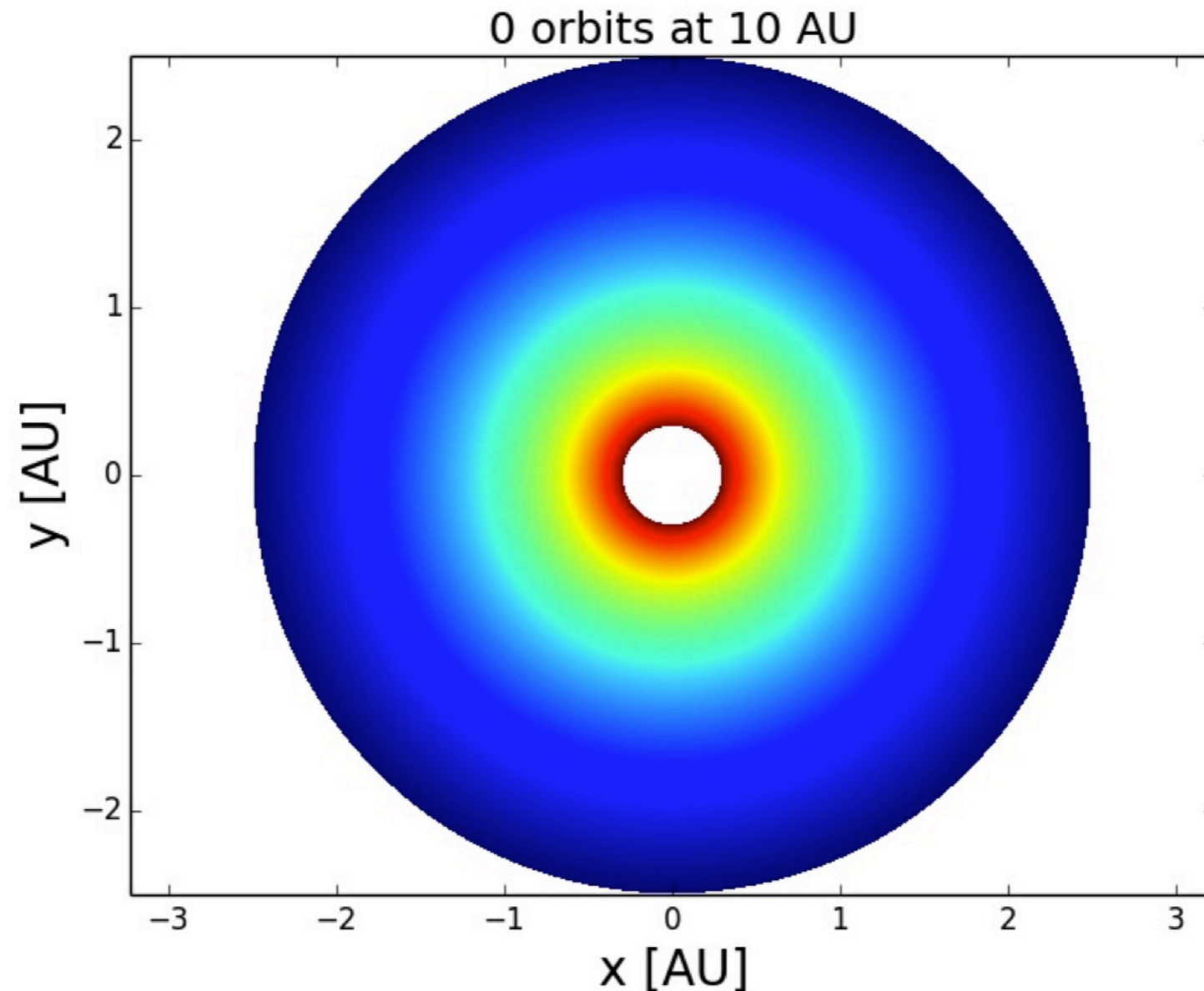
Inner disk casting shadows on the outer one

- Periodical density and temperature perturbations created by the shadows cast on the outer disk
- 2D hydrodynamical simulations show it can create spiral arms as well (Montesinos+ almost subm.):



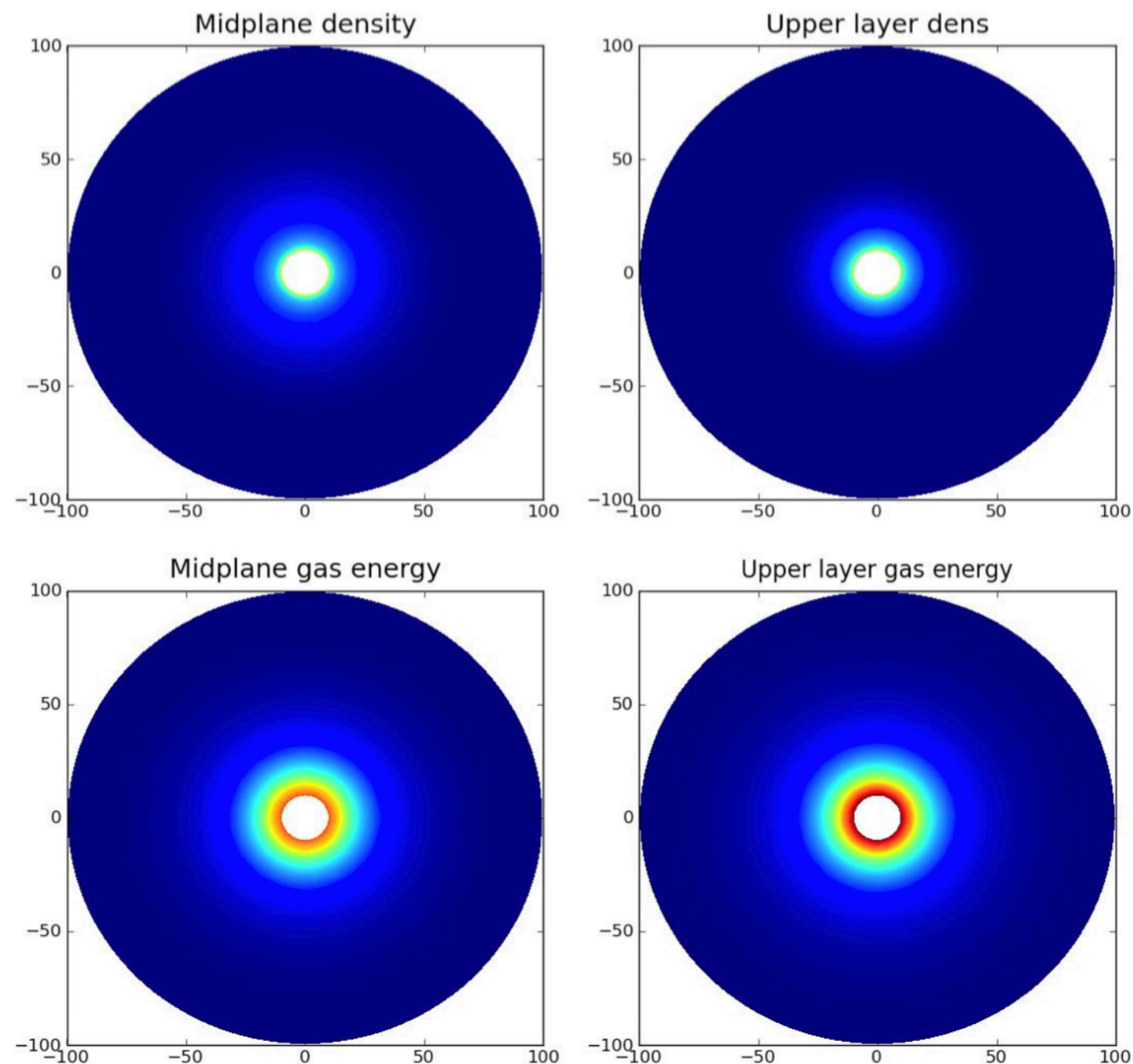
Inner disk casting shadows on the outer one

- Periodical density and temperature perturbations created by the shadows cast on the outer disk
- [2D hydrodynamical simulations](#) show it can create spiral arms as well (Montesinos+ almost subm.):



Inner disk casting shadows on the outer one

- Periodical density and temperature perturbations created by the shadows cast on the outer disk
- [3D RT hydrodynamical simulations](#) ALSO show it can create spiral arms as well (Perez+ in prep.):

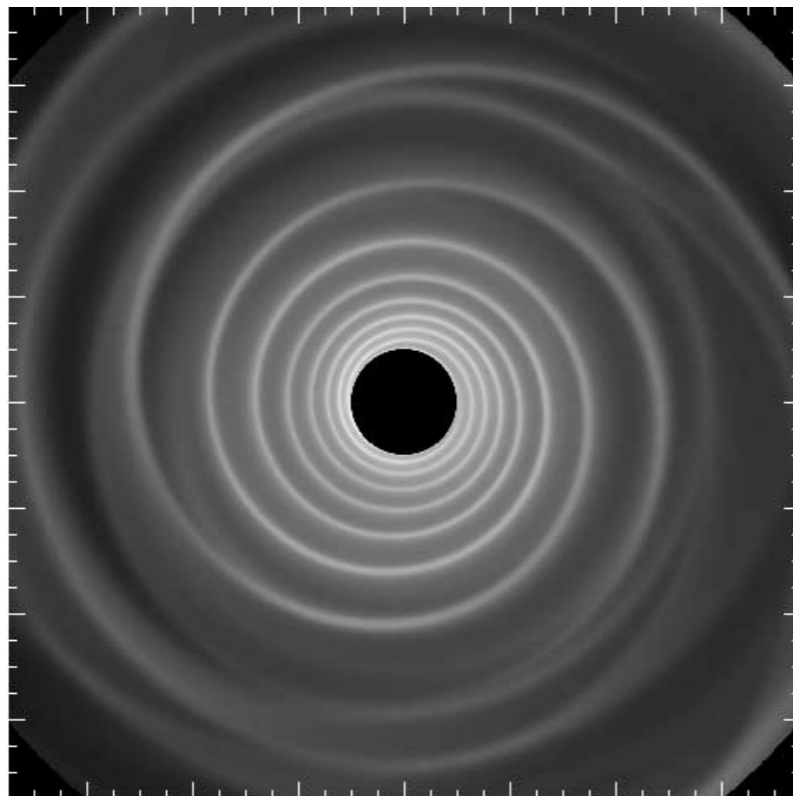


Stellar fly-by

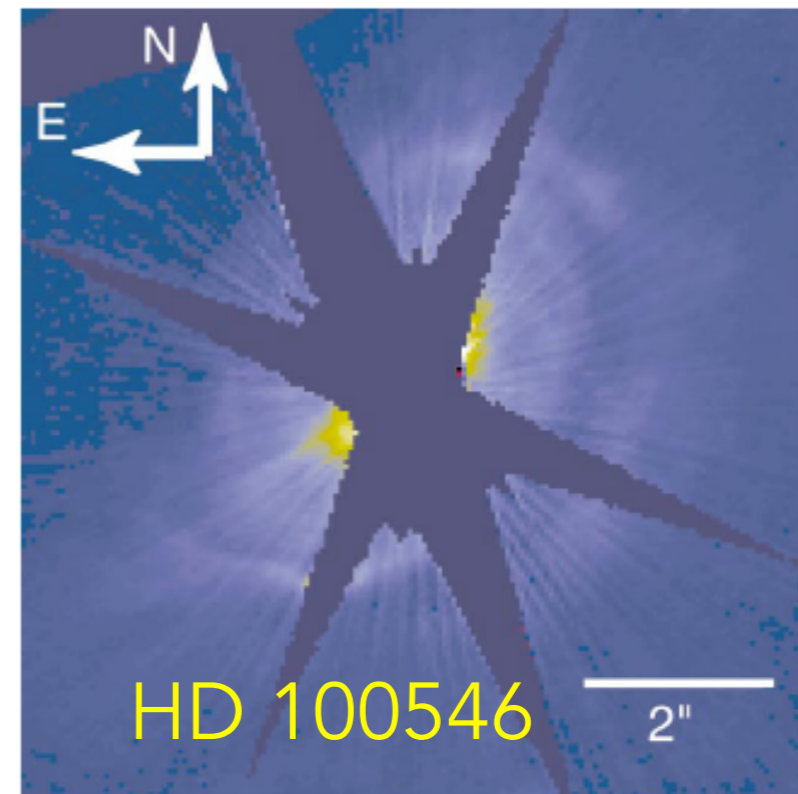
- Tidal interaction by a past stellar encounter?

(e.g. Larwood+ 01, Augereau+ 04, Quillen+ 05)

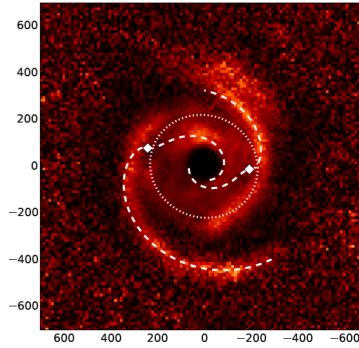
- > Transient spirals (a few dynamical timescales $\sim 10^3$ years)
- > Requires the perturber star to still be found in the neighbourhood
- > Can excite very large scale spirals



Quillen+ 05



What is the effect of spirals on the disk itself?



- Linear theory of spiral waves have trouble to match observations:

- Predicted disks are too hot
- They require too large h

$$\theta(r) = \theta_0 - \frac{\text{sgn}(r - r_c)}{h_c} \times \left[\left(\frac{r}{r_c} \right)^{1+\beta} \left\{ \frac{1}{1+\beta} - \frac{1}{1-\alpha+\beta} \left(\frac{r}{r_c} \right)^{-\alpha} \right\} - \left(\frac{1}{1+\beta} - \frac{1}{1-\alpha+\beta} \right) \right]$$

Rafikov 02, Muto+12

- Non-linear propagation of tidal waves: (Goodman & Rafikov 01, Rafikov 02)
 - Tidal interactions between planet and disk generate density waves.
 - Density waves carry angular momentum (AM)
 - => 1/ Planet migration or clump migration
 - 2/ Evolution of the disk itself, but how is the AM transferred to the disk?
 - Linearly? Viscosity does not seem efficient enough
 - Non-linear dissipation (shock formation) seems inevitable
- Consequences on the evolution of the disk (Rafikov 16)
 - Spirals drive significant **mass accretion** (> than the one due to viscous stress)
 - Shock AM transport drives **significant and quick surface density evolution**
 - It could proceed in an **inside-out** fashion, first clearing the inside cavity
 - => **naturally explain the transition morphology of many spiral-bearing systems**

For a given spiral observation, how to untangle the origin?

Diagnostics:

1. Estimate either the **global Q** (e.g. with rad. transfer modelling to get M_d) or **local Q** under the spirals (with sub-mm continuum or line observations for the surf. density)
 - $Q \lesssim 2$: strong indicator of GI
 - $Q \sim 2$: could still be the case of marginal stability+massive planet
2. Small or large **scale**?
 - $< 100\text{au}$: GI or planet
 - $> 100\text{au}$: Stellar fly-by, external companion, late envelope infall
3. Get **kinematics/dynamics** of the disk (e.g. velocity map/dispersion of line observations):
 - Non-keplerian speeds under the spirals: late-envelope infall
4. **Number of spirals** and their symmetry:
 - $m = 1$: single low-mass sub-stellar companion
 - $m = 2$: stellar fly-by, (sub-)stellar companion within or external to the disk, GI, or shadows
 - Apply Fung&Dong15 empirical relation to estimate the mass of the possible companion
 - $m > 2$: GI or shadows
5. **Pitch angle** of the spirals:
 - Pitch angle $\sim 10\text{-}15^\circ$: compatible with GI, planets or shadows
 - Pitch angle $\sim 15^\circ\text{-}30^\circ$: compatible with external companions or fly-by
6. Check **surroundings**:
 - Within a few arcsec: low-mass bound companion external to the disk?
 - Within a few arcmin: star with similar proper motion?

Observational perspectives

- Waiting for ALMA cycle 3 data on the spirals of HD 142527:
 - Confirm the temperature of 10-15K under S2 (below freeze-out)
 - Observe at better continuum sensitivity to confirm the lack of dust under S2 that could explain T below freeze-out.
 - More stringent constraints on the origin of these spirals; test of the shadows theory.

