

Prediction of the excavation damaged zone in Callovo-Oxfordian claystone using coupled second gradient model

F. Collin - B. Pardoën

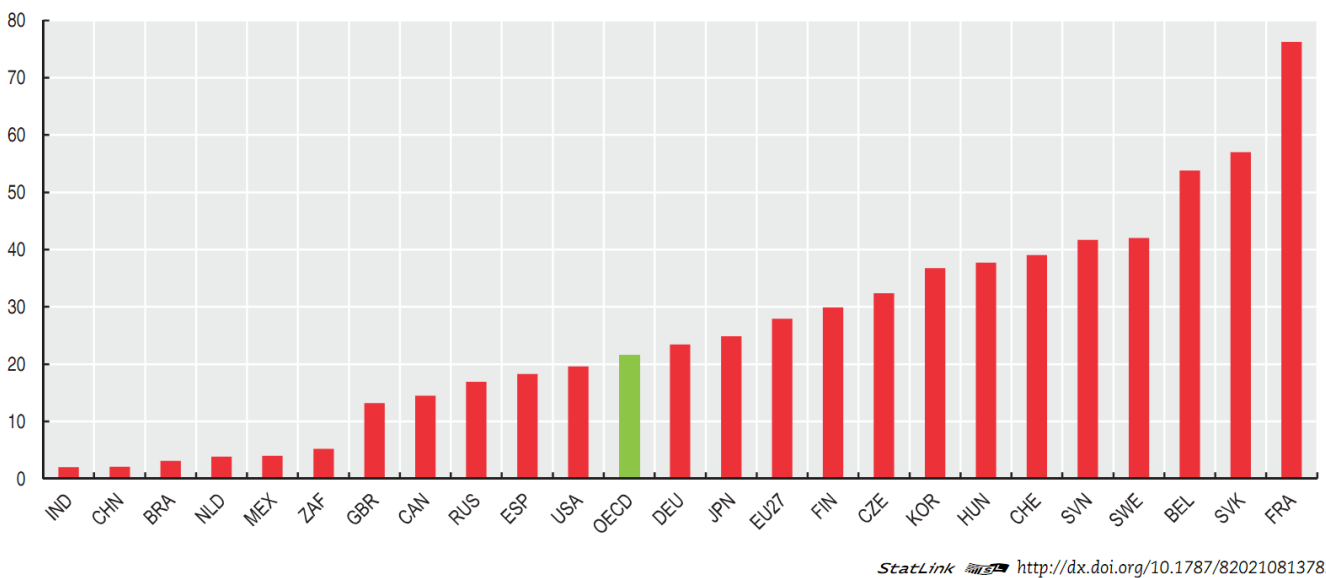
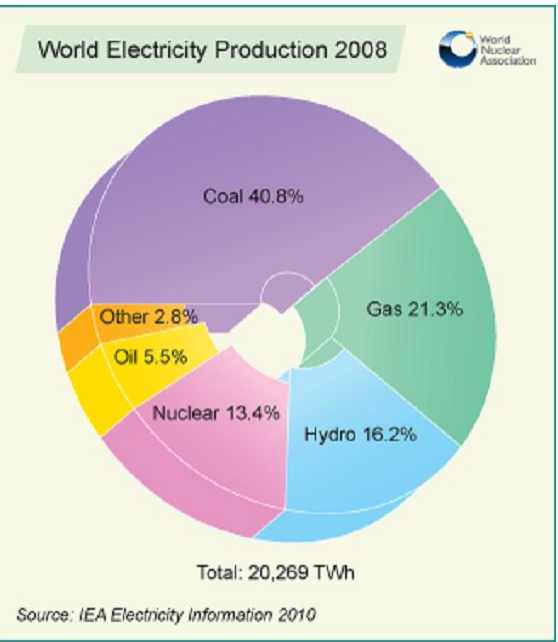
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Argenco Department
Belgium**



Introduction: Electricity production

The **nuclear electricity** corresponds to 13.4 % of the total amount of the world electricity production in 2008. However, there are some **disparities** between the countries !

(21% of the total amount in OECD countries, which represent 83% of the world production).



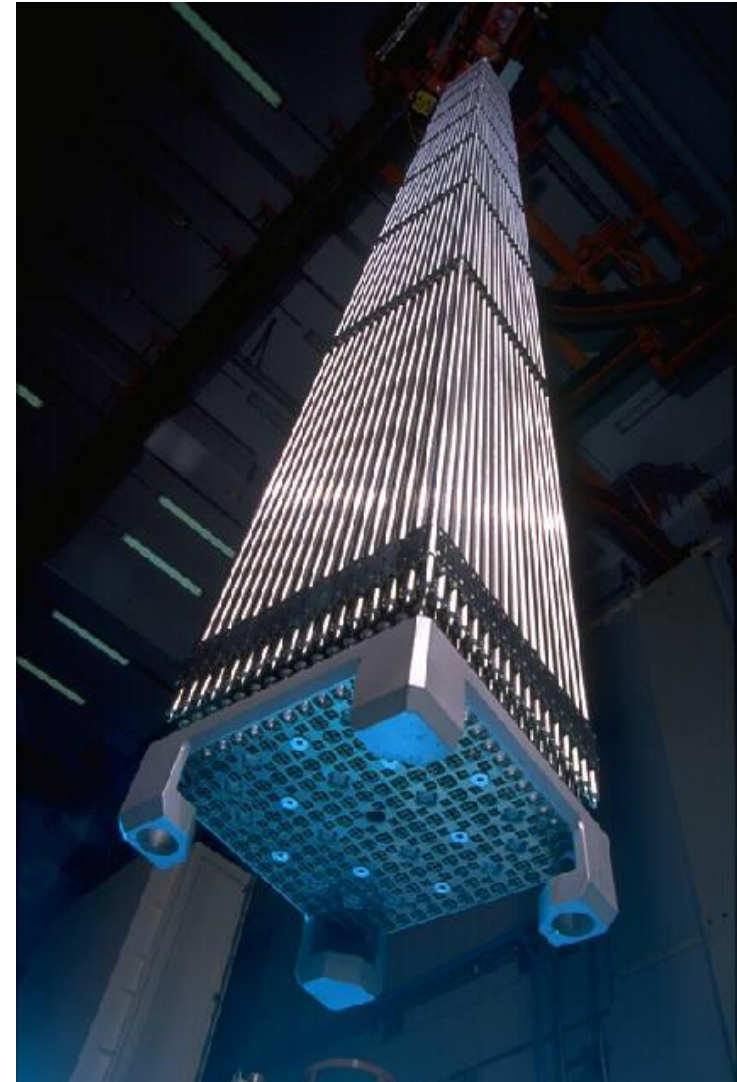
StatLink <http://dx.doi.org/10.1787/820210813782>

Nuclear electricity generation shares in each country in 2008

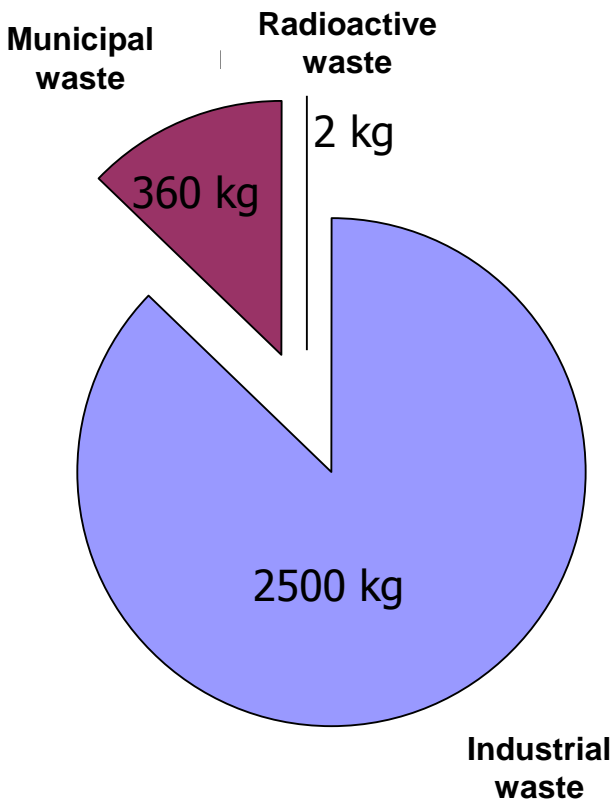
Inconvenient

Ionizing radiations

Radioactive waste production



Amount of produced waste



Produced waste in France /year /inhabitant

Source of waste?

- Fuel
- Dismantling
- Protection dress
- ...

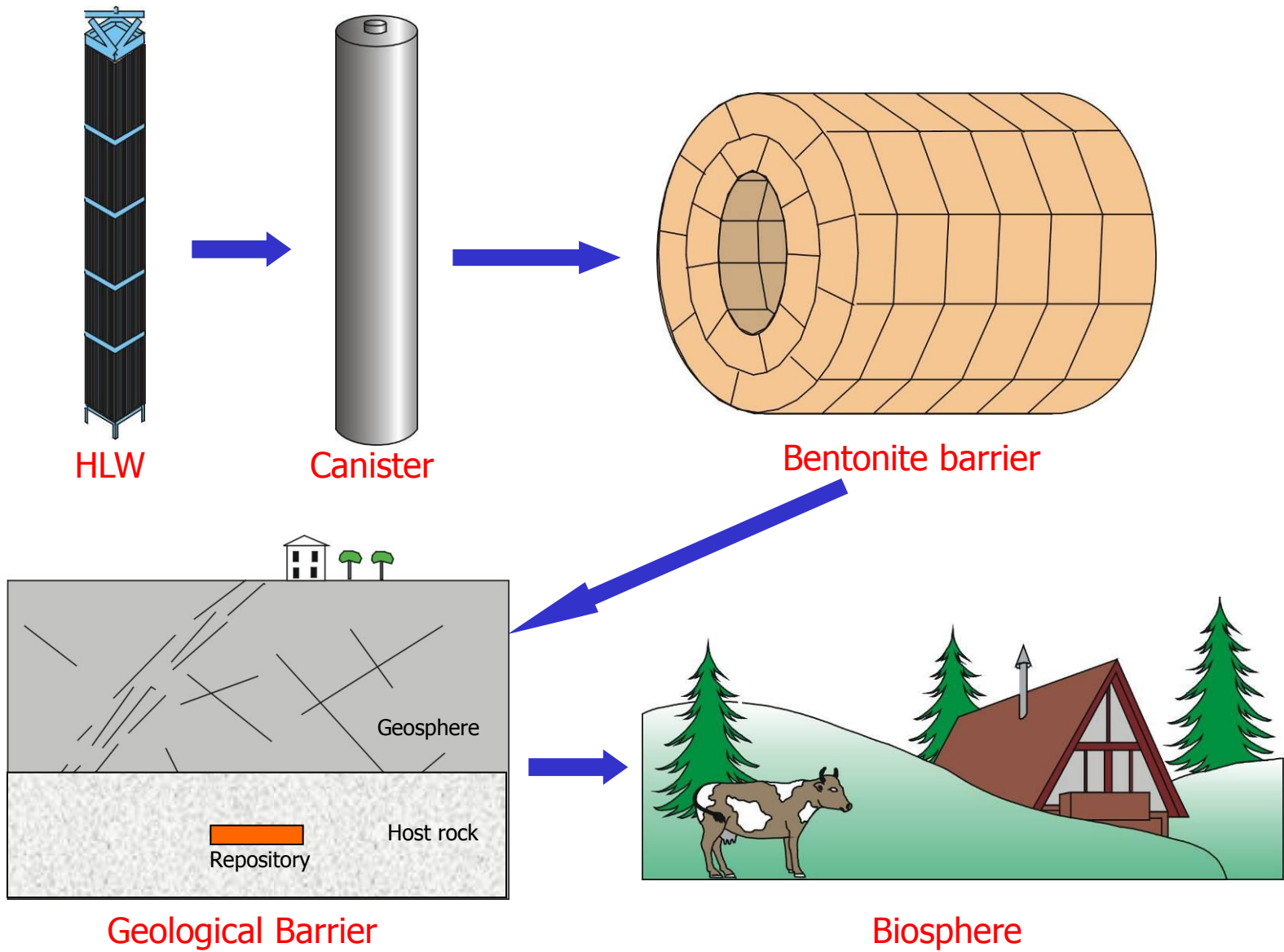


Introduction: Nuclear waste

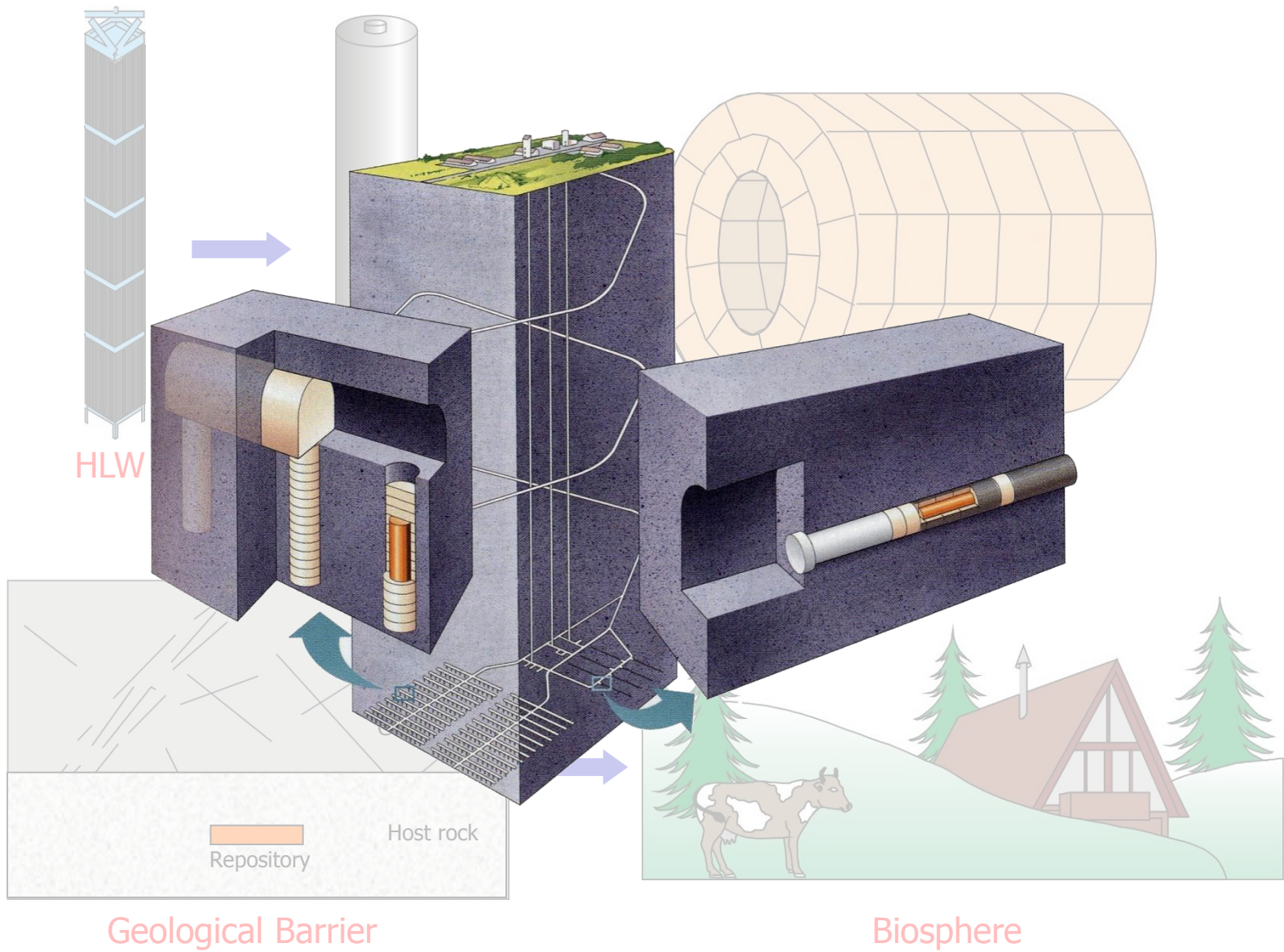
Categories of nuclear wastes

	Short life (< 30 years)	Long life (> 30 years)
Low activity	Waste A 90% Volume 1% Radioactivity 70 500 m ³ in 2070 in Belgium	
Medium activity		Waste B 8% Volume 4% Radioactivity 8900 m ³ in 2070 in Belgium
High activity		Waste C 2% Volume 95% Radioactivity 3000 m ³ in 2070 in Belgium

Introduction: Deep geological disposal



Introduction: Deep geological disposal



Introduction: Deep geological disposal



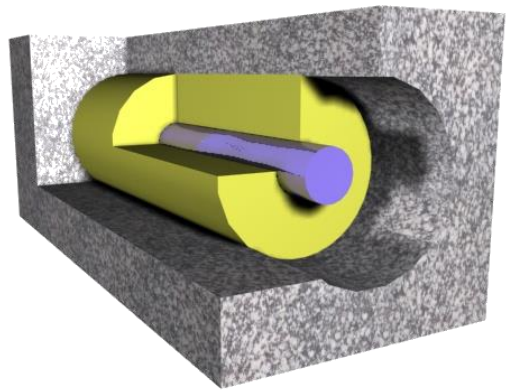
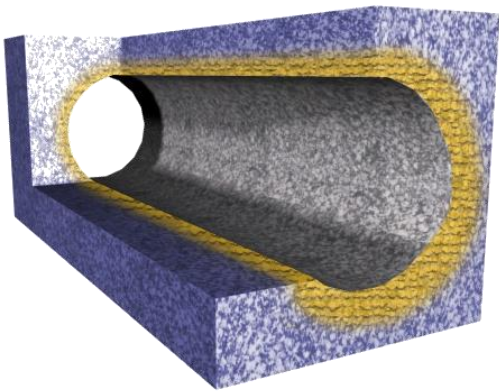
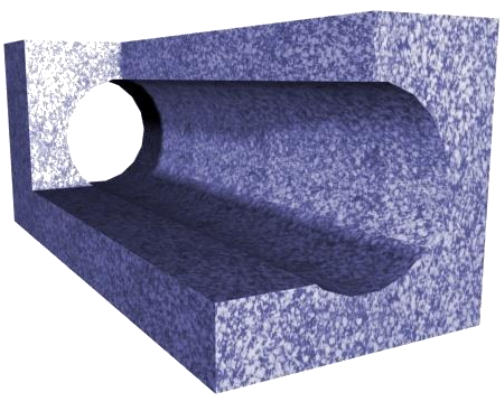
Stress redistribution

Desaturation - Consolidation

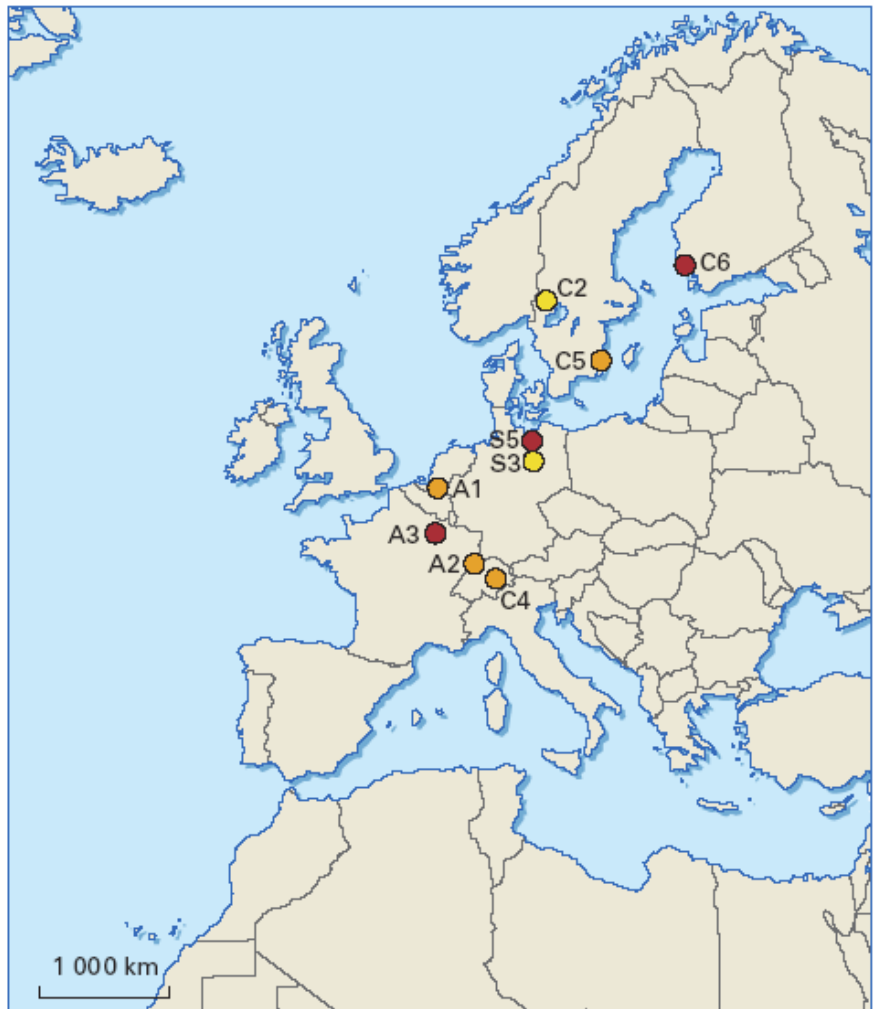
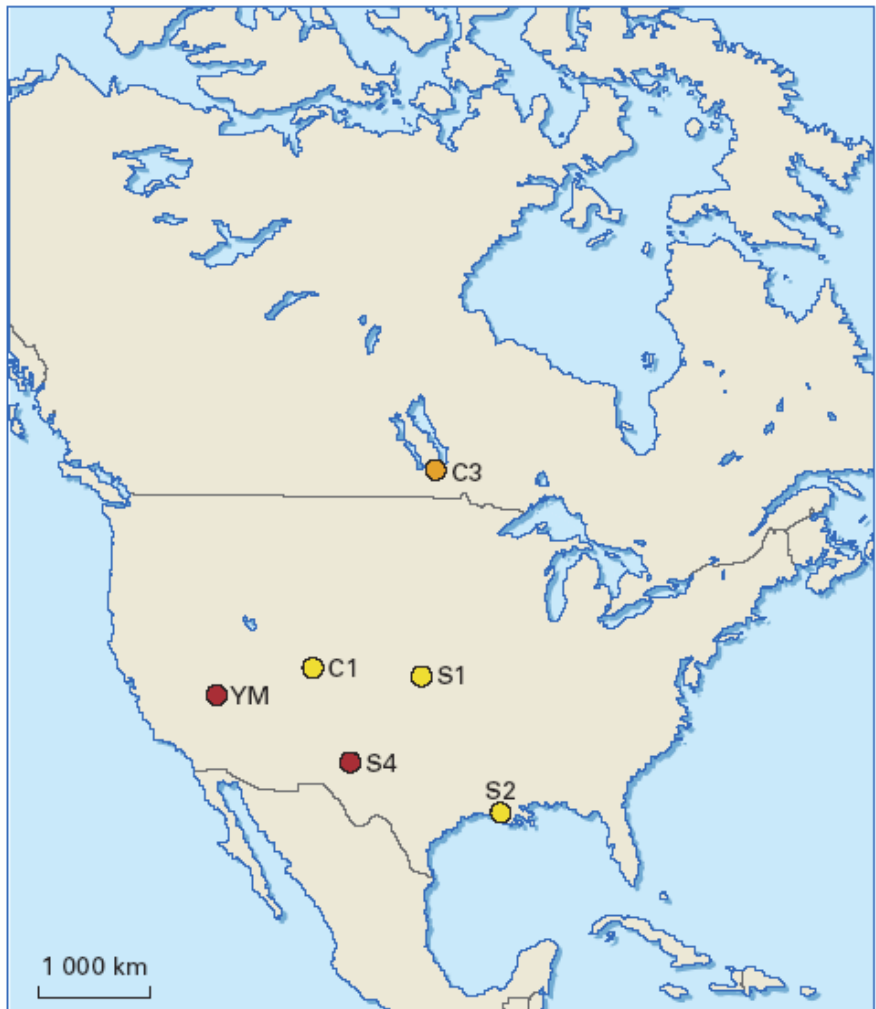
Resaturation of the engineered barrier (bentonite)

Corrosion of the metallic components

→ THM equilibrium



Introduction: Underground research facilities



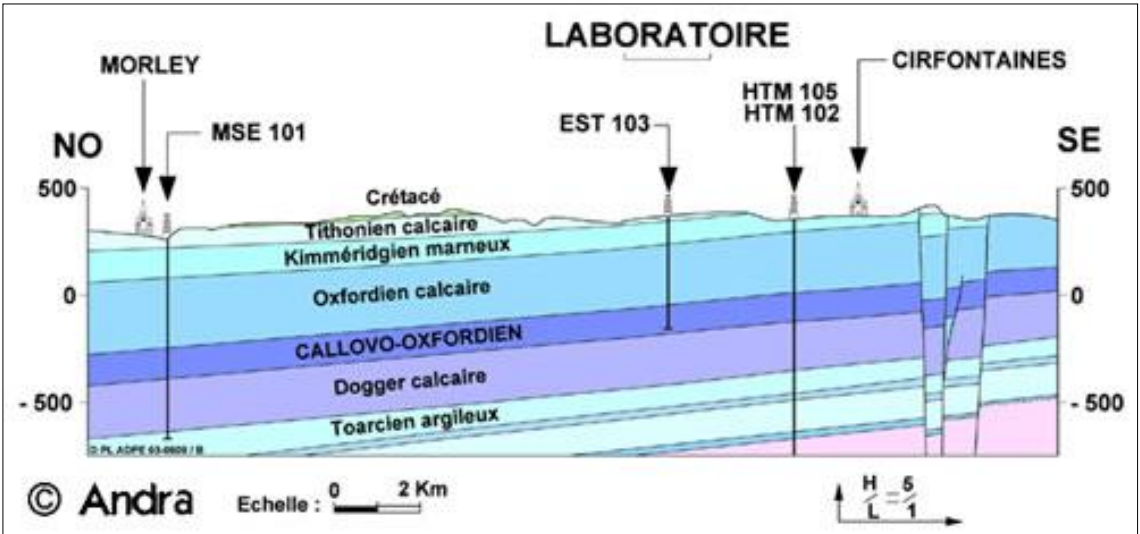
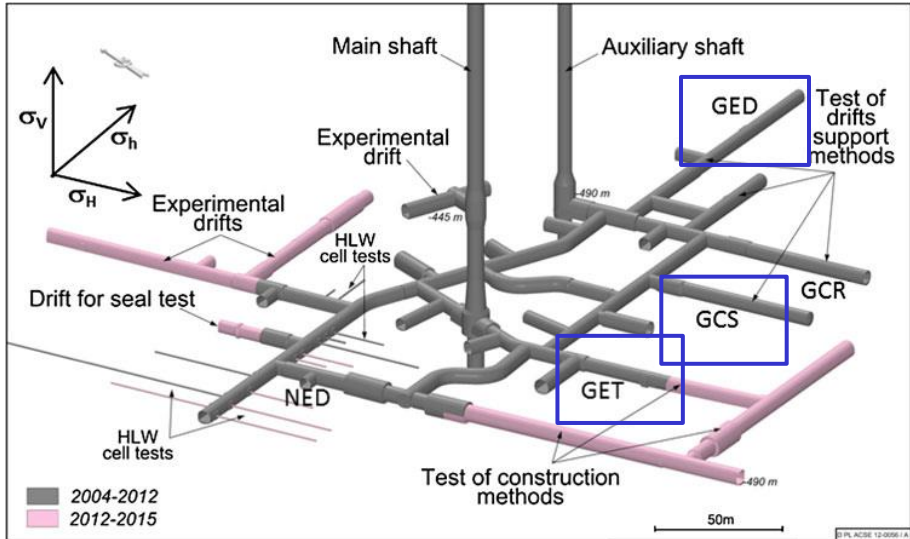
- Mines (expériences 1^{re} génération)
- Laboratoires souterrains génériques
- Laboratoires souterrains de qualification de site

- S1 Lyons
- S2 Avery Island
- S3 Asse
- S4 WIPP Carlsbad
- S5 Gorleben

- C1 Climax
- C2 Stripa
- C3 Lac du Bonnet
- C4 Grimsel
- C5 Äspö

- C6 Olkiluoto
- A1 Mol
- A2 Mont Terri
- A3 Meuse - Haute-Marne
- YM Yucca mountain

Andra – URF at Bure (France):



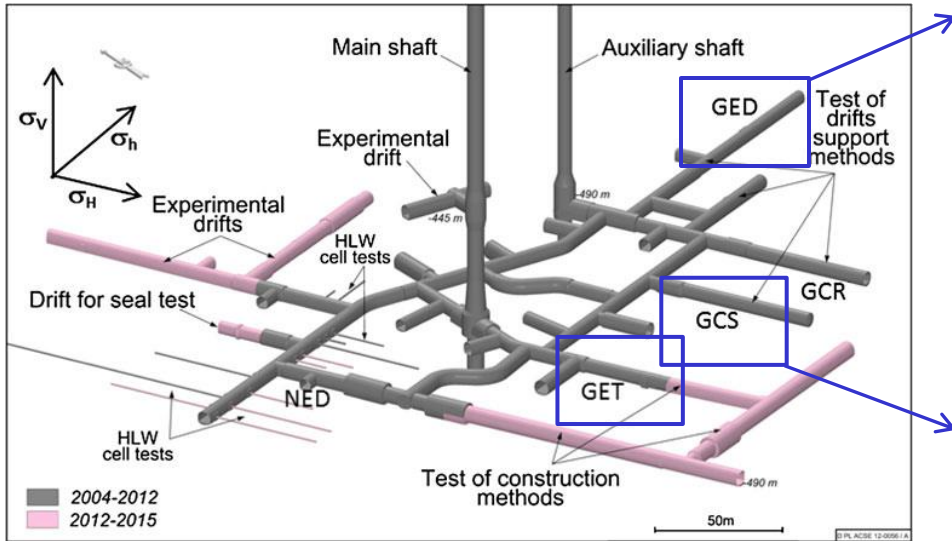
Andra – URF at Bure : In situ experiment



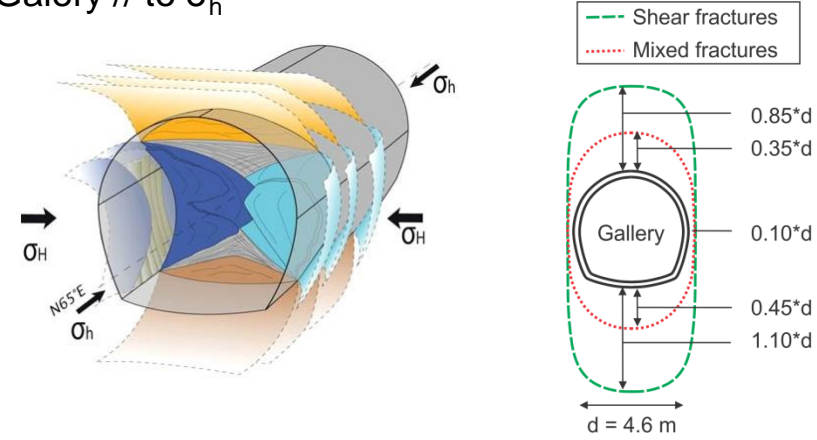
Introduction: In situ observation

In situ evidences (Andra) : (Armand et al. 2014)

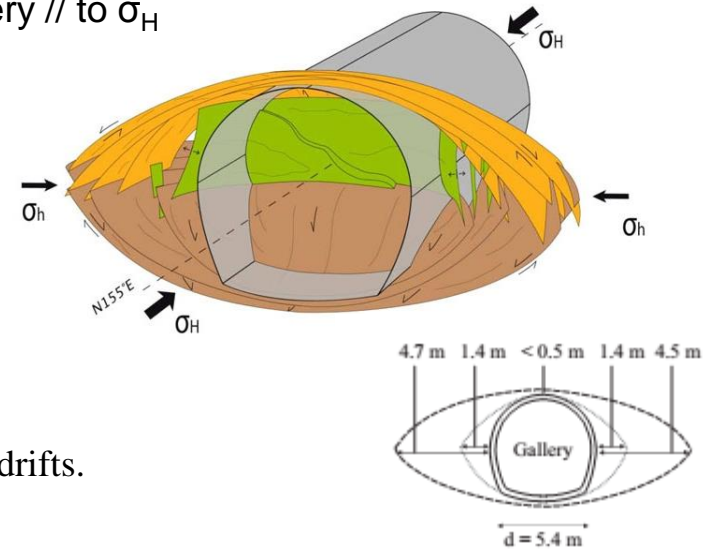
- Anisotropy: - stress : $\sigma_H > \sigma_h \sim \sigma_v$
- cross-anisotropy mechanical behaviour
 - permeability



Galery // to σ_h



Galery // to σ_H

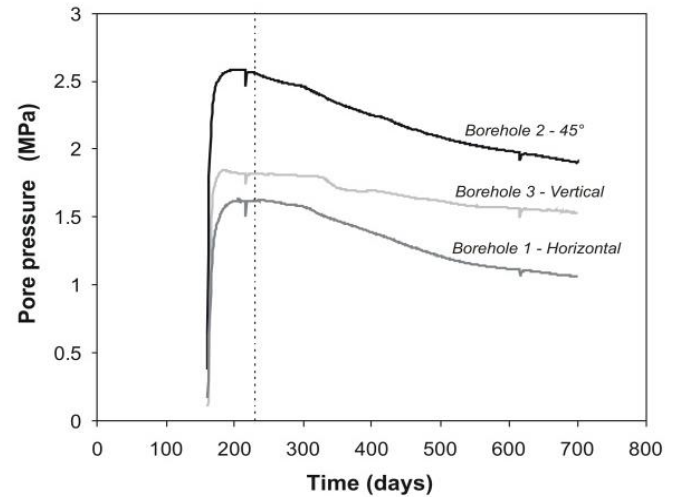
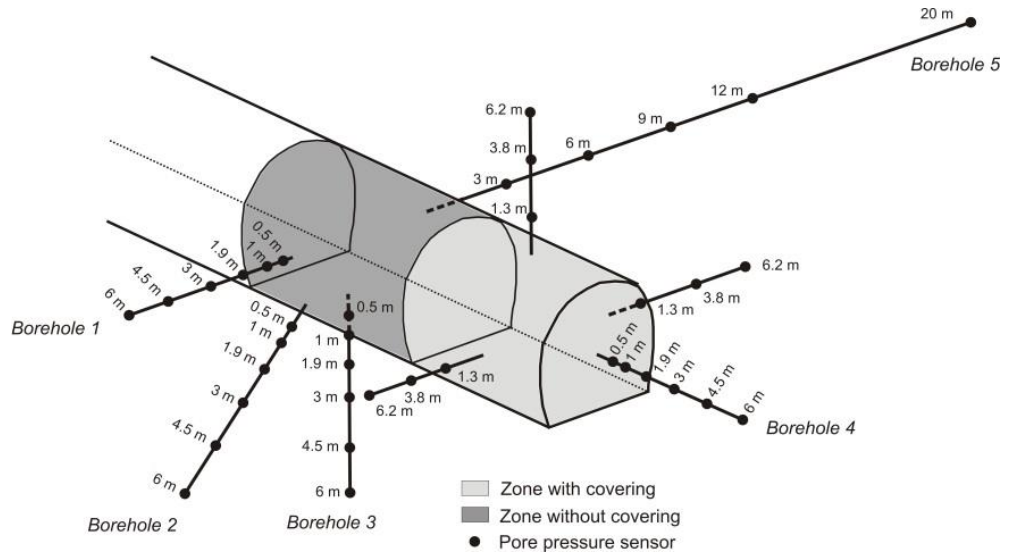


Armand, G. et al. (2014). Geometry and properties of the excavation-induced fractures at the Meuse/Haute-Marne URL drifts. *Rock Mech Rock Eng*, 47, 21–41.

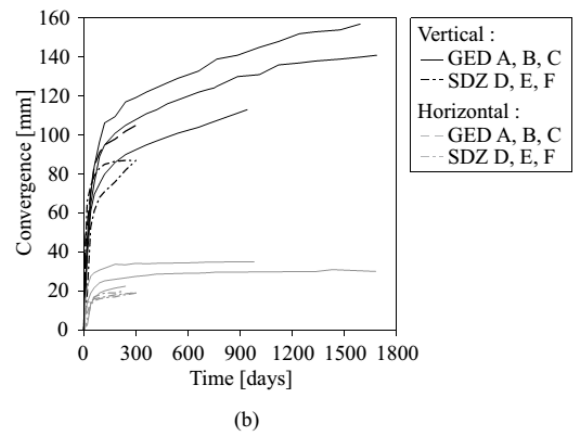
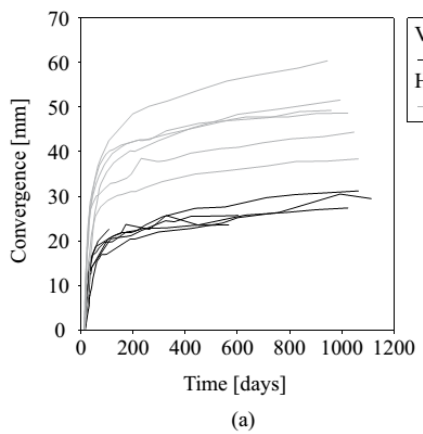
Introduction: In situ observation

In situ measurement (Andra) : (Armand et al. 2014)

Convergence + pore pressure



Pore pressure at 4.5 m (SDZ gallery)



Observation:

Modification of the mechanical and flow properties within the Excavated damaged zone (EDZ)

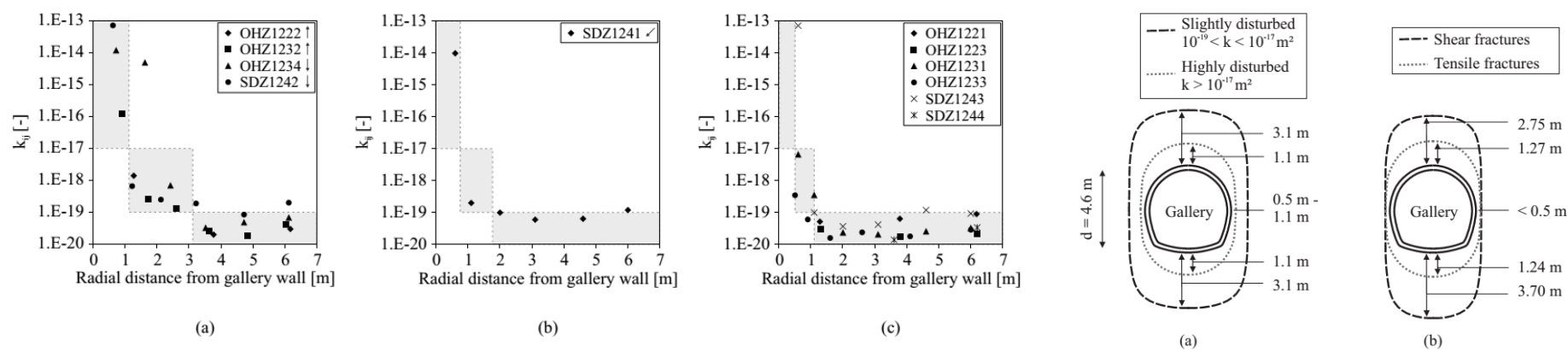


Fig. 2.7: Permeability evolution along (a) vertical, (b) oblique at 45° and (c) horizontal boreholes drilled around a gallery (GED) parallel the minor horizontal principal stress in Callovo-Oxfordian

Numerical challenges:

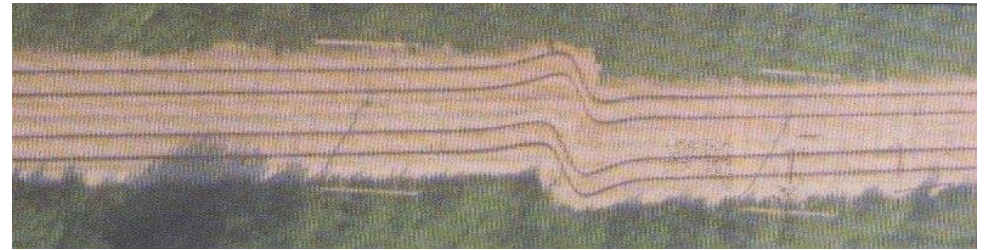
Major issues : prediction of the extension, fracturing structure and properties modifications.

- Study :
- fractures modelling with shear strain localisation
 - influence of permeability variation

1. INTRODUCTION
2. SHEAR BAND MODELLING
3. FRACTURES MODELLING
 - GALLERY // TO σ_h
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4. PERMEABILITY EVOLUTION
5. CONCLUSION

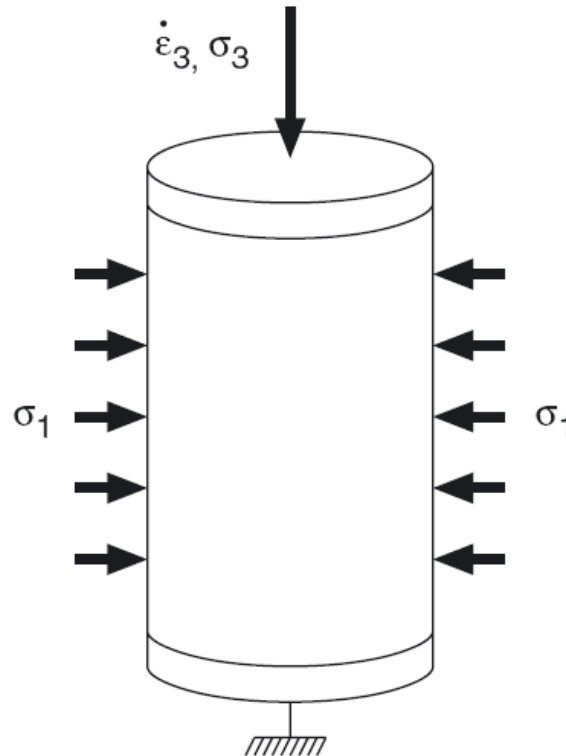
Shear banding: In situ observation

Shear banding occurs frequently and is the source of many soil and rock engineering problems. In situ observations of shear banding and/or faulting are made frequently at many scales



Large scale: railway tracks after an earthquake in Turkey

Triaxial test:



In triaxial tests (and more generally in axi-symmetric tests), the localization zone may remain more or less hidden inside the sample (need for special techniques to see the process)

Shear banding: experimental evidences



Localized rupture in sandstone samples under different confining pressures (Bésuelle et al., 2000)

Experimental characterisation of the localisation phenomenon inside a Vosges sandstone in a triaxial cell

P. BESUELLE, J. DESRUES, S. RAYNAUD, International Journal of Rock Mechanics & Mining Sciences 37 (2000) p. 1223-1237

Shear banding: experimental evidences

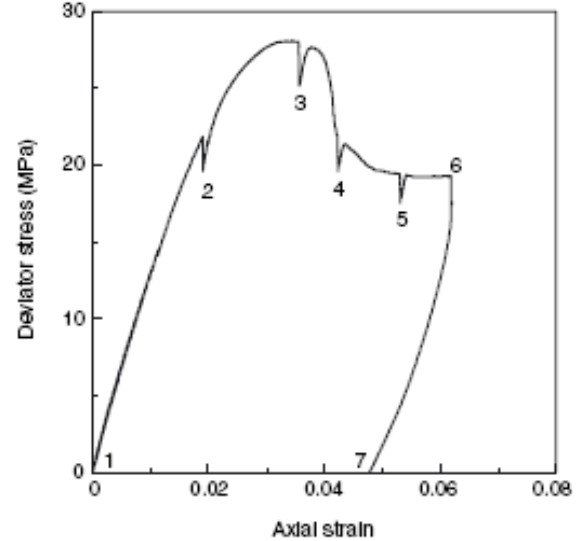
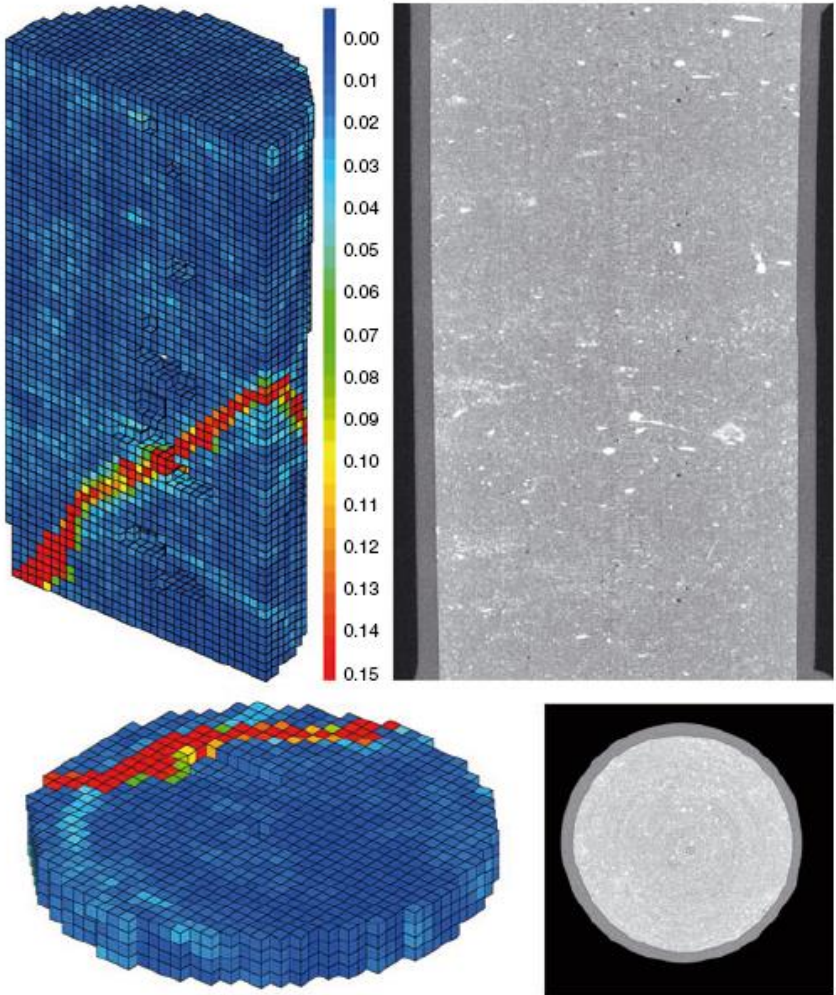
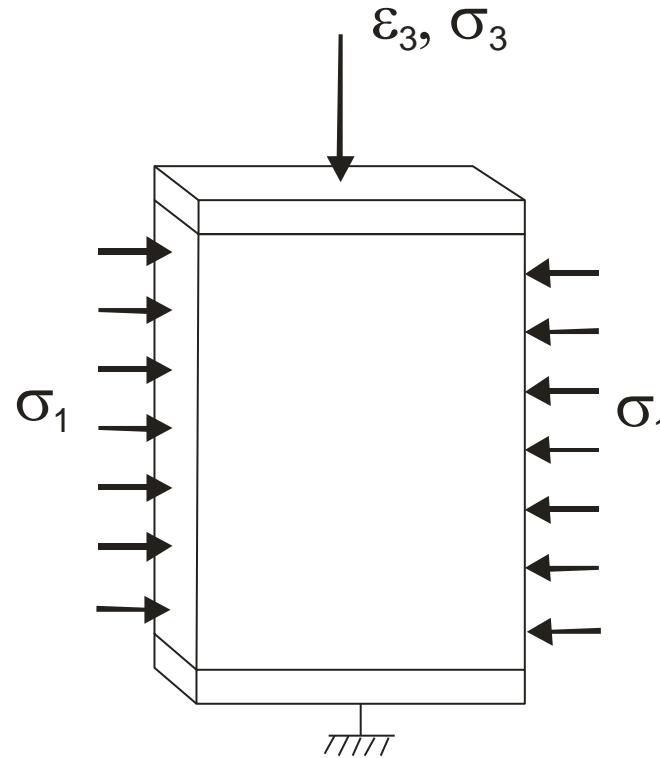


Figure 6: Deviator stress versus axial strain response recorded during test ESTSYN01 (10 MPa confining stress)

Increment 4-5

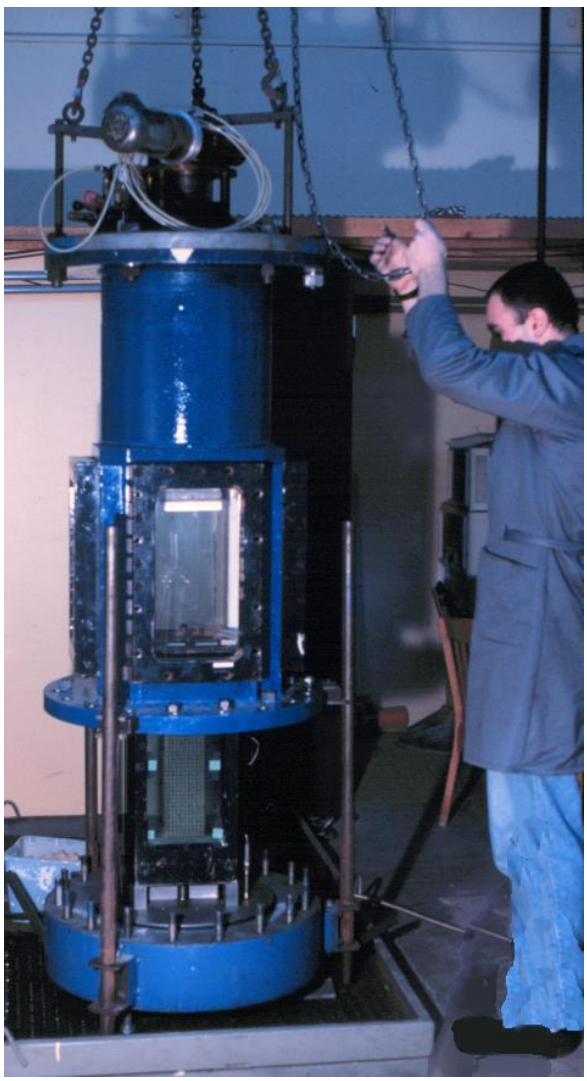
3D digital image correlation applied to X-ray micro tomography images from triaxial compression tests on argillaceous rock *LENOIR N*, *BORNERT M*, *DESRUES J*, *BESUELLE P*, *VIGGIANI G* *Strain* vol:43 No 3 pp.193-205

Biaxial test:

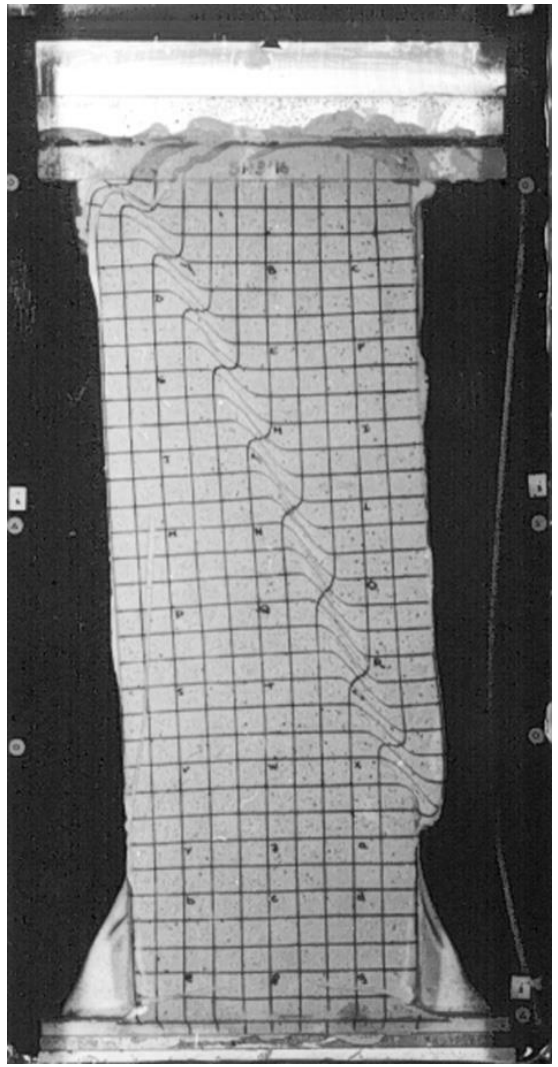
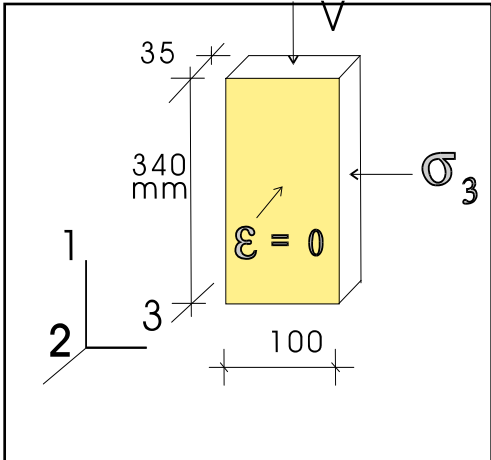


As in triaxial tests (and more generally in axi-symmetric tests), the localization zone may remain more or less hidden inside the sample, most of the experimental campaigns on localization have been performed in biaxial apparatus

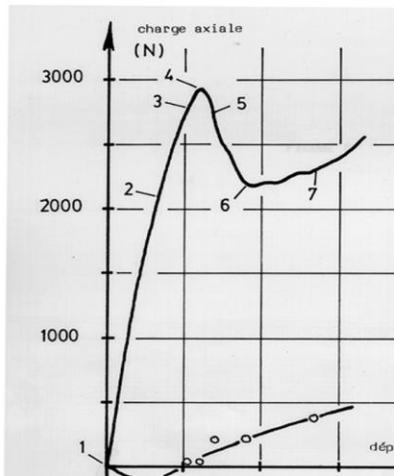
Shear banding: experimental evidences



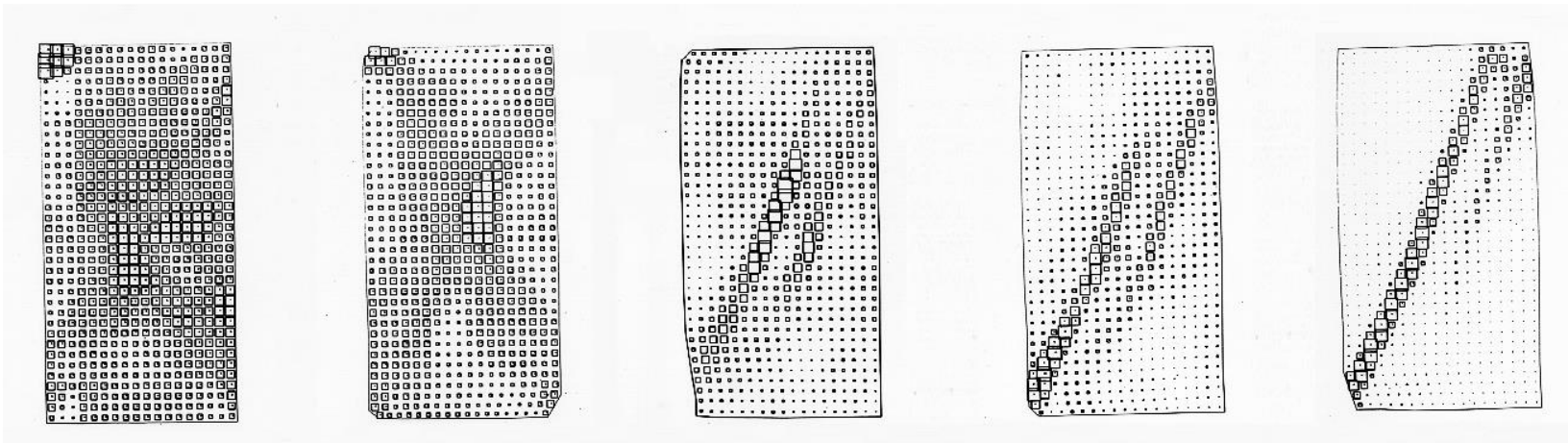
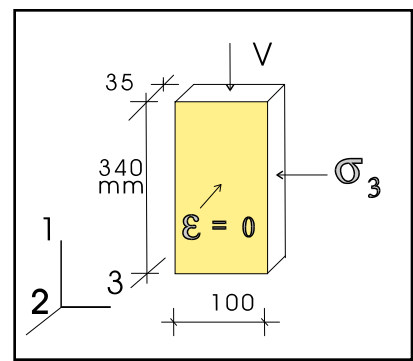
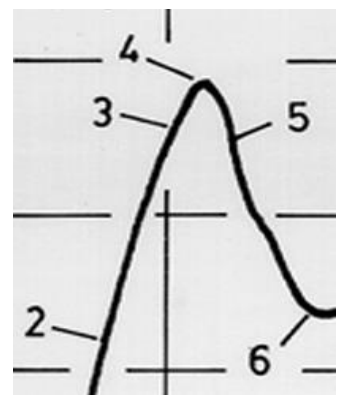
Experimental set-up & a typical test



Shear banding: experimental evidences



Localization and Peak



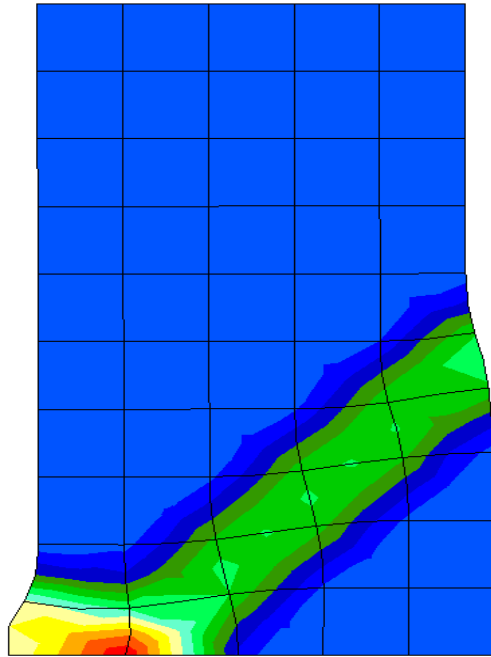
1-2

2-3

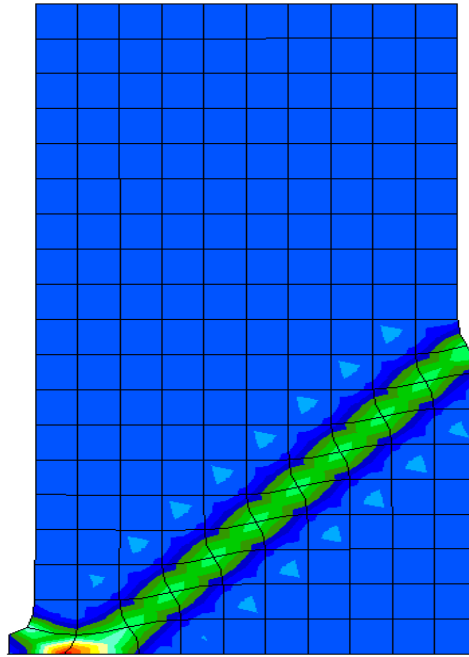
3-4

4-5

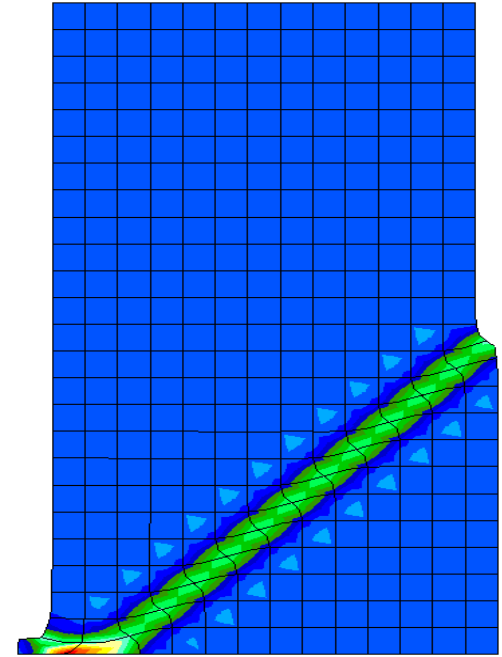
5-6



50 elements



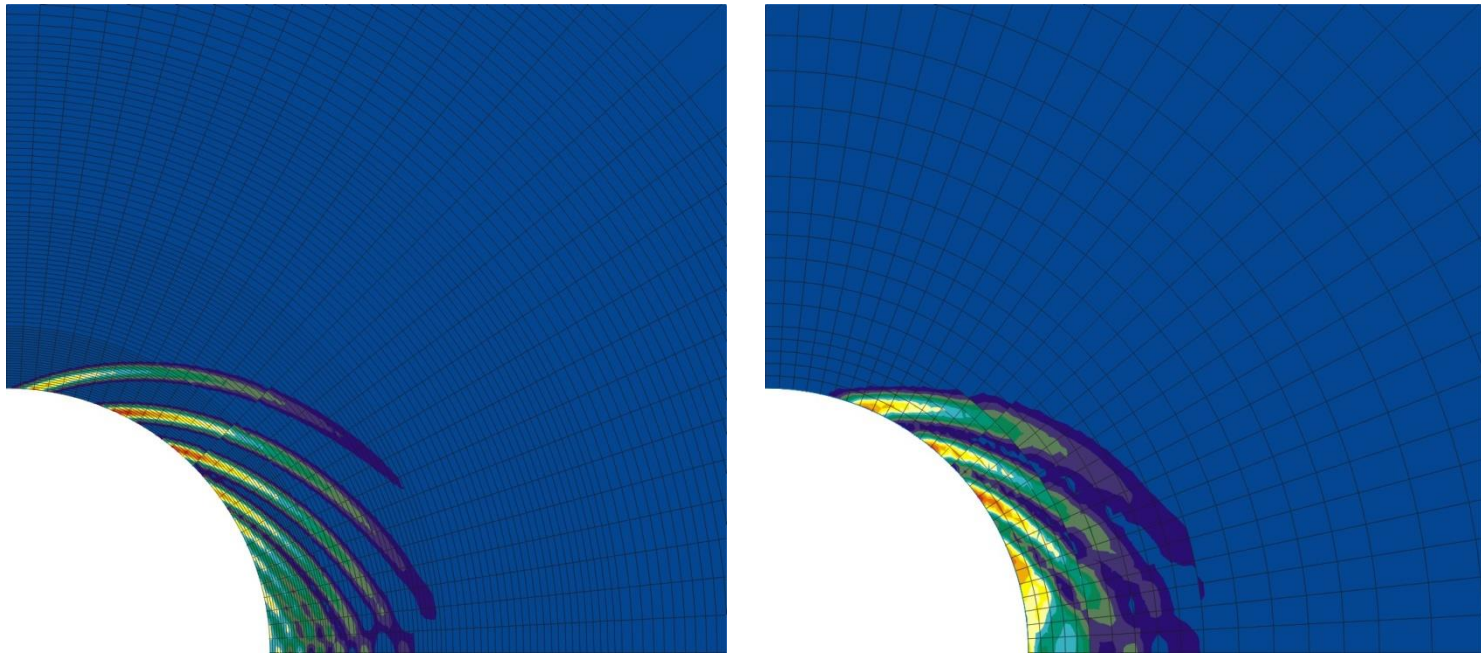
200 elements



300 elements

The post peak behaviour depends on the mesh size !

Coupled modelling – Comparison Coarse mesh / Refined mesh



Deviatoric strains

- Classical FE formulation: mesh dependency
- Different regularization methods

Gradient plasticity

Enrichment of the law

Non-local approach

Microstructure continuum

Enrichment of the kinematics

Cosserat model

Second gradient local model

Strain localisation with regularization - Coupled 2^d gradient model : (Chambon *et al.*, 1998 and 2001)

The continuum is enriched with microstructure effects. The kinematics include the classical one (macro) and the microkinematics (Toupin 1962, Mindlin 1964, Germain 1973).

Biphasic porous media : solid + fluid (Collin *et al.*, 2006)

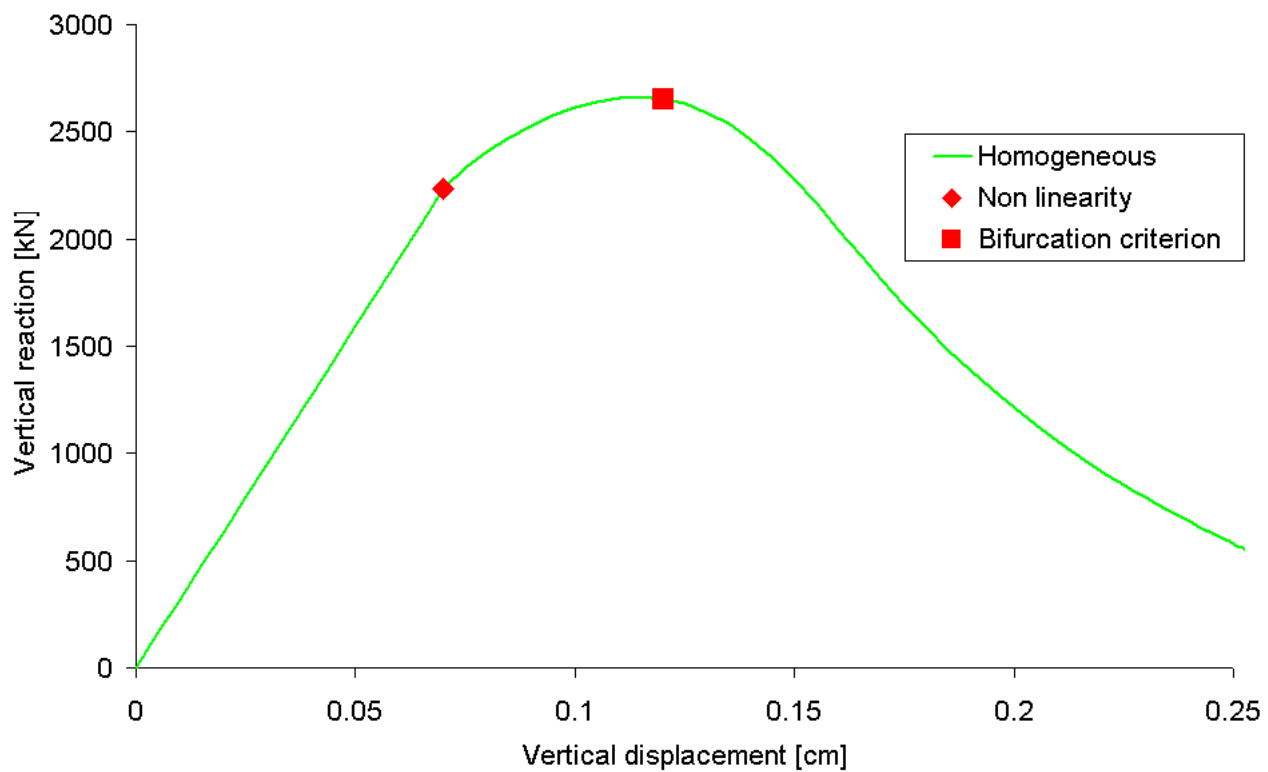
Balance equations for biphasic porous media :

$$\int_{\Omega} \left(\sigma_{ij} \frac{\partial u_i^*}{\partial x_j} + \underline{\Sigma_{ijk} \frac{\partial^2 u_i^*}{\partial x_j \partial x_k}} \right) d\Omega = \int_{\Omega} G_i u_i^* d\Omega + \int_{\Gamma_\sigma} \left(\bar{t}_i u_i^* + \underline{\bar{T}_i D u_i^*} \right) d\Gamma$$

$$\int_{\Omega} \left(\frac{\partial M}{\partial t} p_w^* - m_{w,i} \frac{\partial p_w^*}{\partial x_i} \right) d\Omega = \int_{\Omega} Q p_w^* d\Omega + \int_{\Gamma_q} \bar{q} p_w^* d\Gamma$$

Effective stress : $\sigma_{ij} = \sigma'_{ij} + b_{ij} S_{rw} p_w$ Double stress : $\tilde{\Sigma}_{ijk} = f \left(B, \frac{\partial^2 u_i^*}{\partial x_j \partial x_k} \right)$

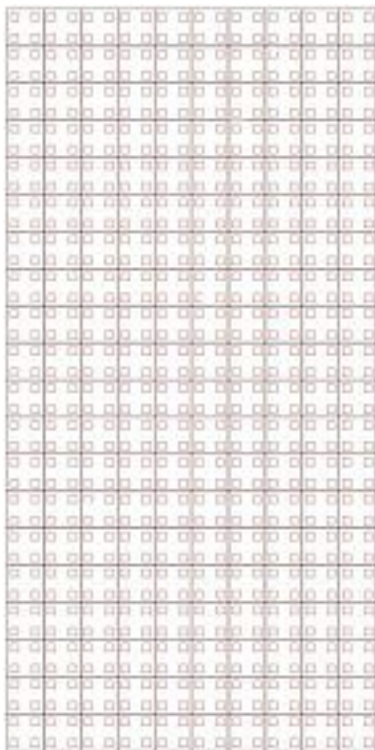
Modelling of a compression biaxial test (softening plasticity)



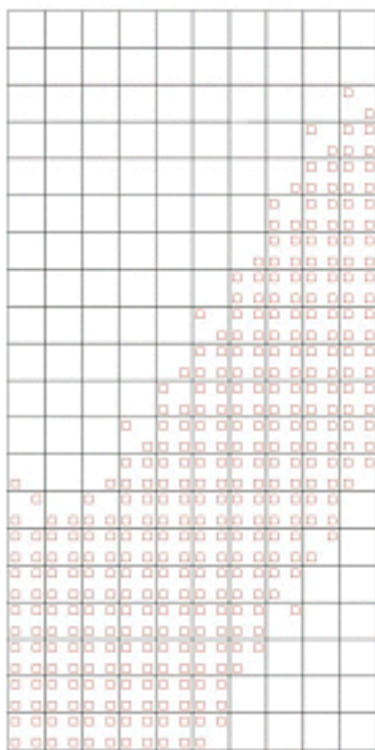
First modelling: no HM coupling (no overpressure)

Plastic loading point

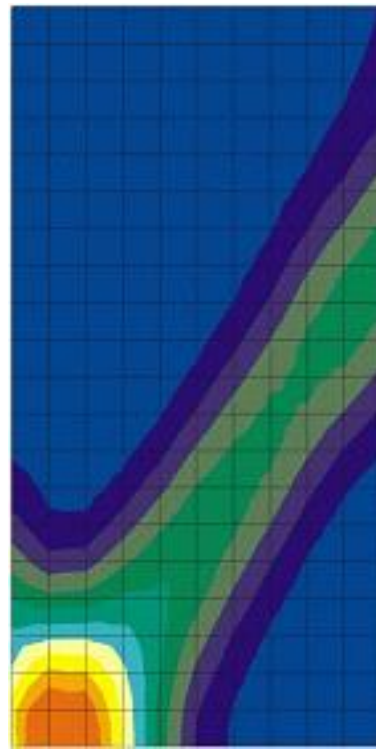
(Regularization : Second gradient)



Before



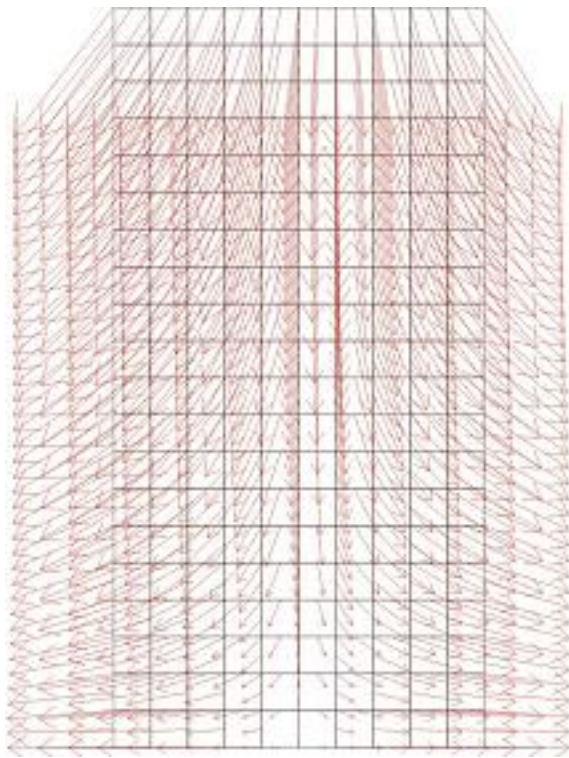
After



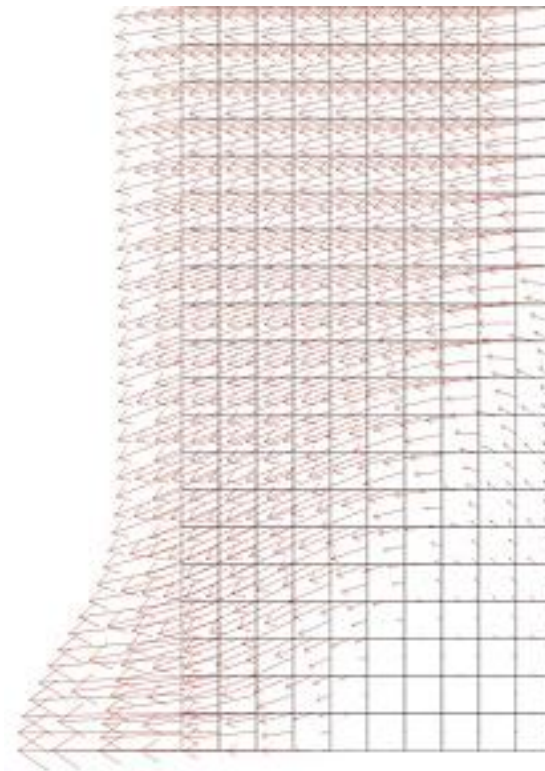
First modelling: no HM coupling (no overpressure)

Velocity field

(Regularization : Second gradient)

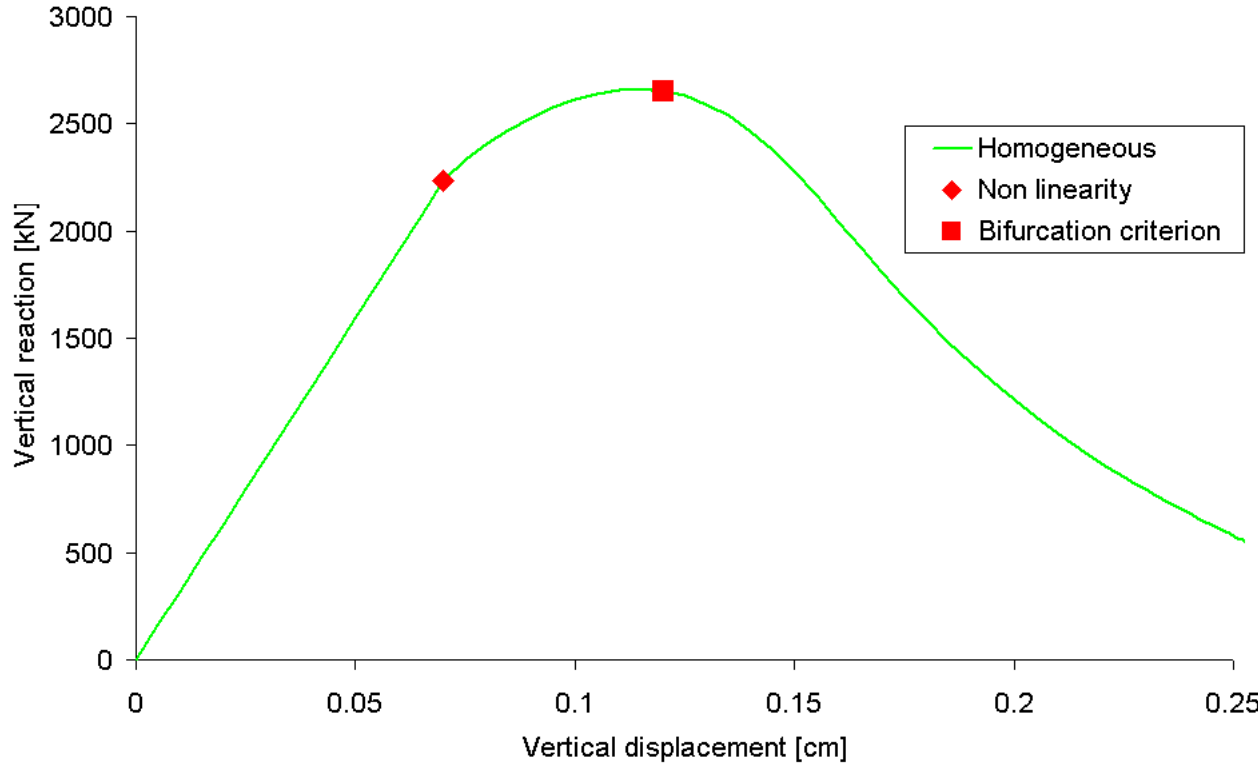


Before



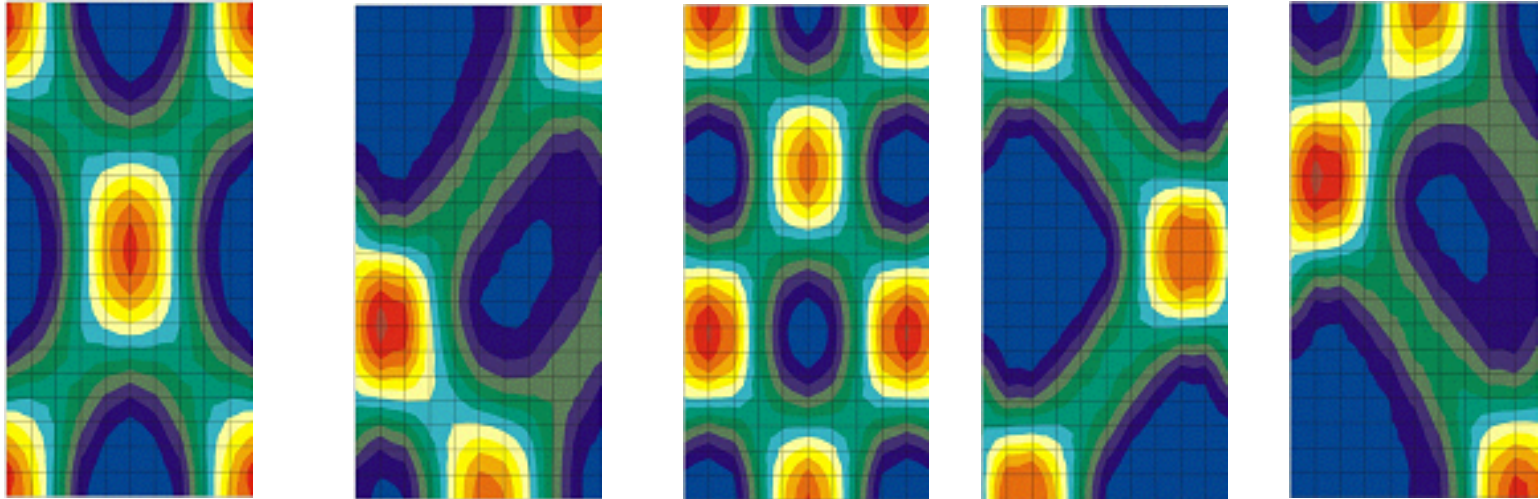
After

Initiation of localization (Directional research)



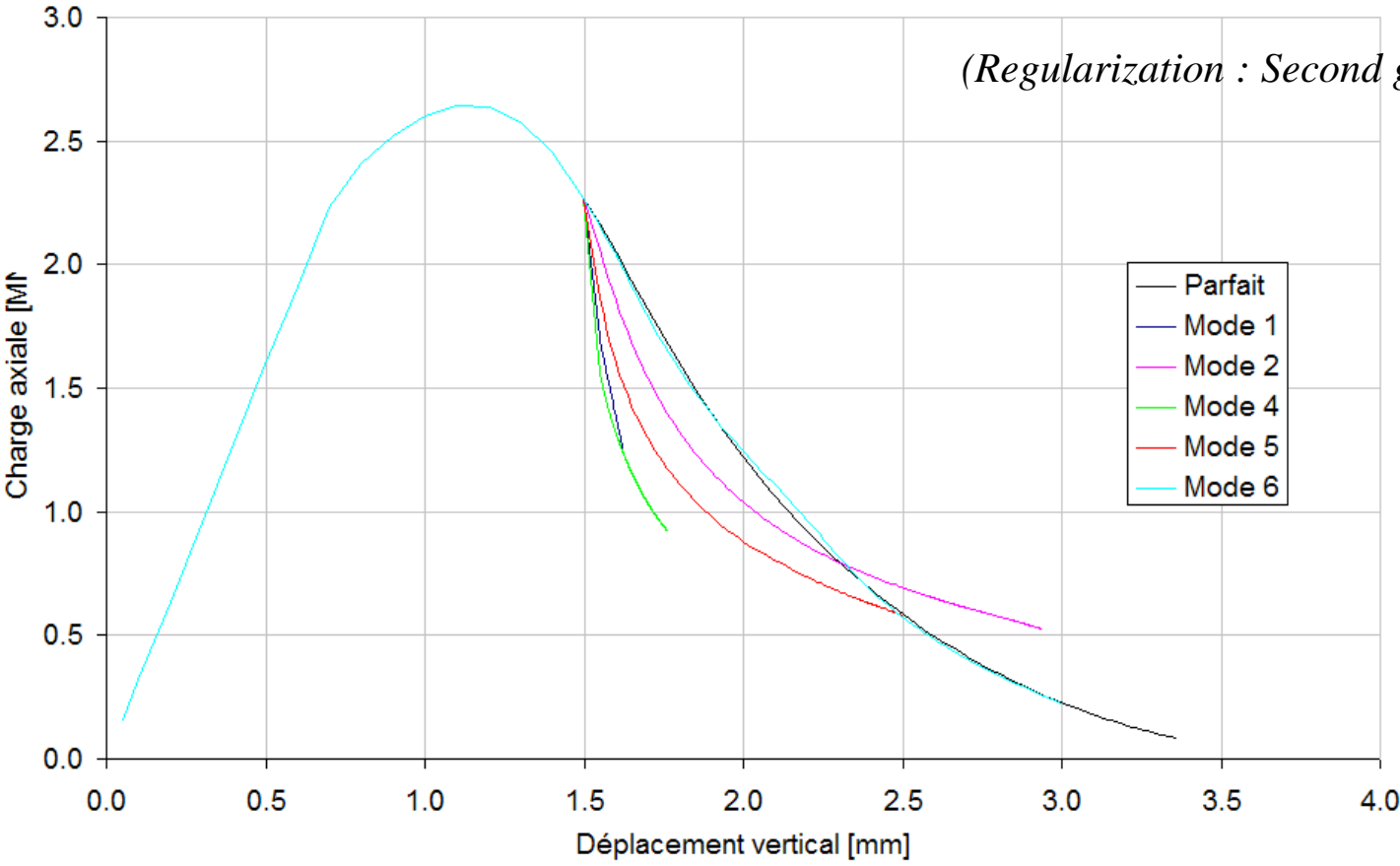
Initiation of localization (Directional research)

(Regularization : Second gradient)



Non uniqueness of the solution

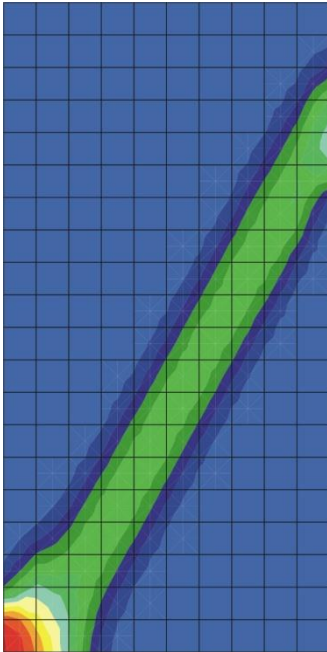
Initiation of localization (Directional research)



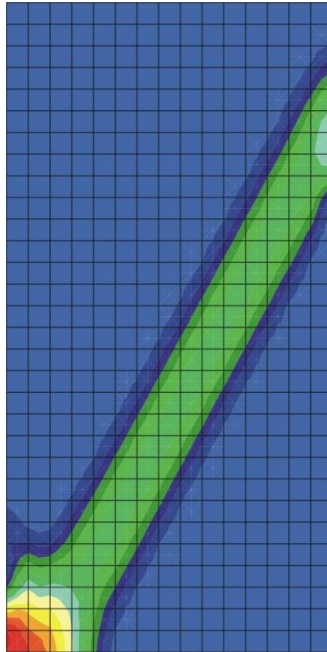
Non uniqueness of the solution

Undrained biaxial compression test

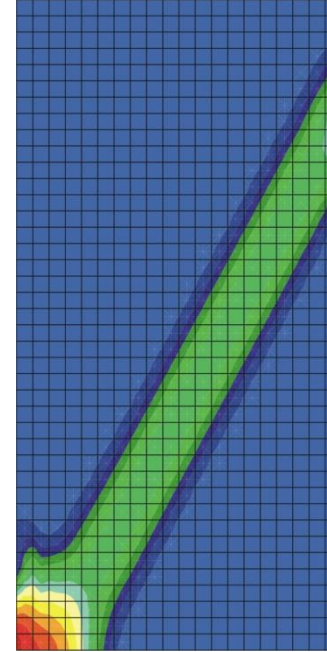
(20 x 10)



(30 x 15)



(40 x 20)



Deviatoric strain

1. INTRODUCTION
2. SHEAR BAND MODELLING
3. FRACTURES MODELLING
 - GALLERY // TO σ_h
 - GALLERY // TO σ_H
4. PERMEABILITY EVOLUTION
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Flow model :

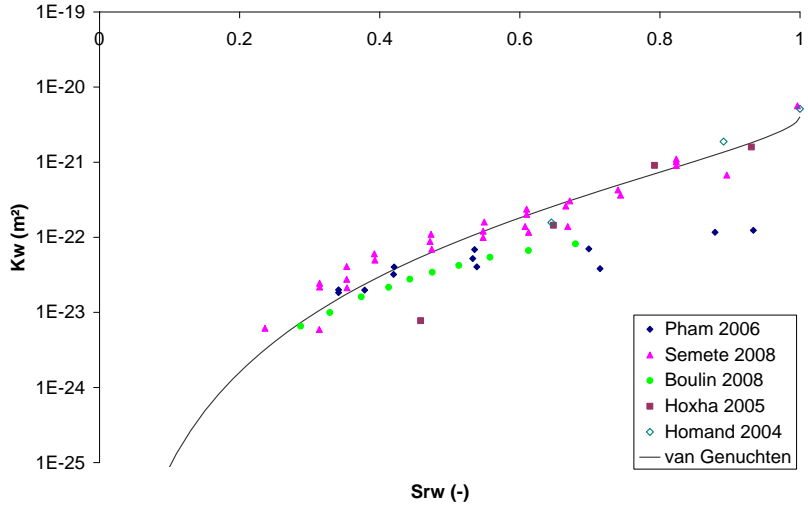
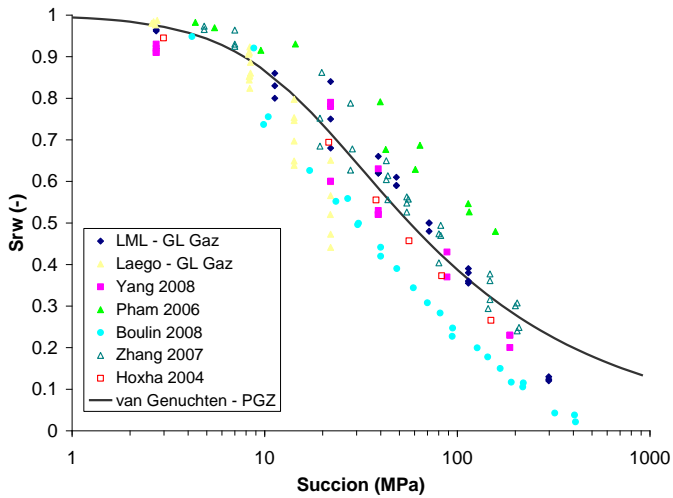
Advection of liquid phase (Darcy's flow) :

$$m_{w,i} = -\rho_w \frac{k_{ij} k_{r,w}}{\mu_w} \frac{\partial p_w}{\partial x_j}$$

Water retention and permeability curves (Van Genuchten's model) :

$$S_{r,w} = S_{res} + (S_{max} - S_{res}) \left[1 + \left(\frac{p_c}{P_r} \right)^n \right]^{-m}$$

$$k_{r,w} = \sqrt{S_{r,w}} \left[1 - (1 - S_{r,w}^{1/m})^m \right]^2$$



Modelling the EDZ structure

Gallery // to σ_h :

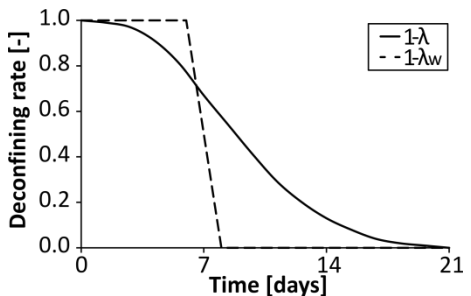
Initial anisotropic stress state(Andra URL) :

$$\begin{aligned}
 p_{w,0} &= 4.5 \text{ [MPa]} \\
 \sigma_{v,0} &= \sigma_{h,0} = 12 \text{ [MPa]} \\
 \sigma_{H,0} &= 1.3 \sigma_{v,0} = 15.6 \text{ [MPa]}
 \end{aligned}$$

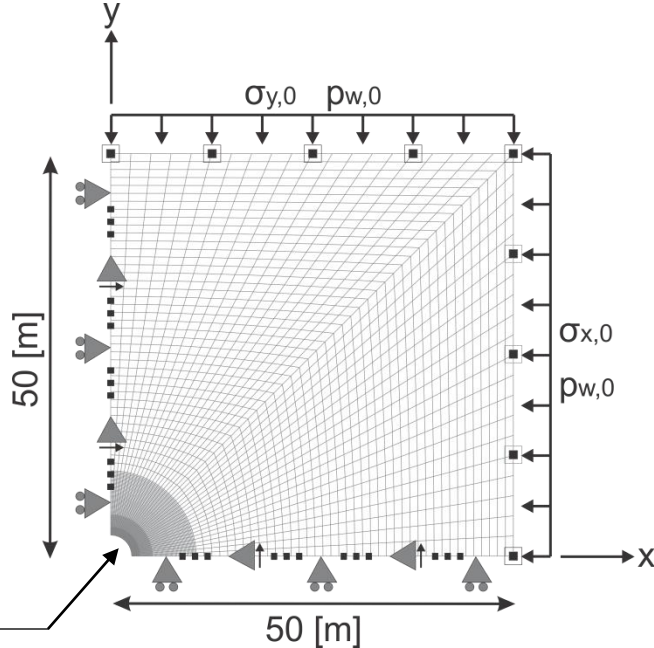
HM modelling in 2D plane strain state (LAGAMINE-Ulg)

Excavation :

$$\begin{aligned}
 \sigma_r^\Gamma &= (1 - \lambda) \sigma_{r,0}^\Gamma \\
 p_w^\Gamma &= (1 - \lambda_w) p_{w,0}^\Gamma
 \end{aligned}$$



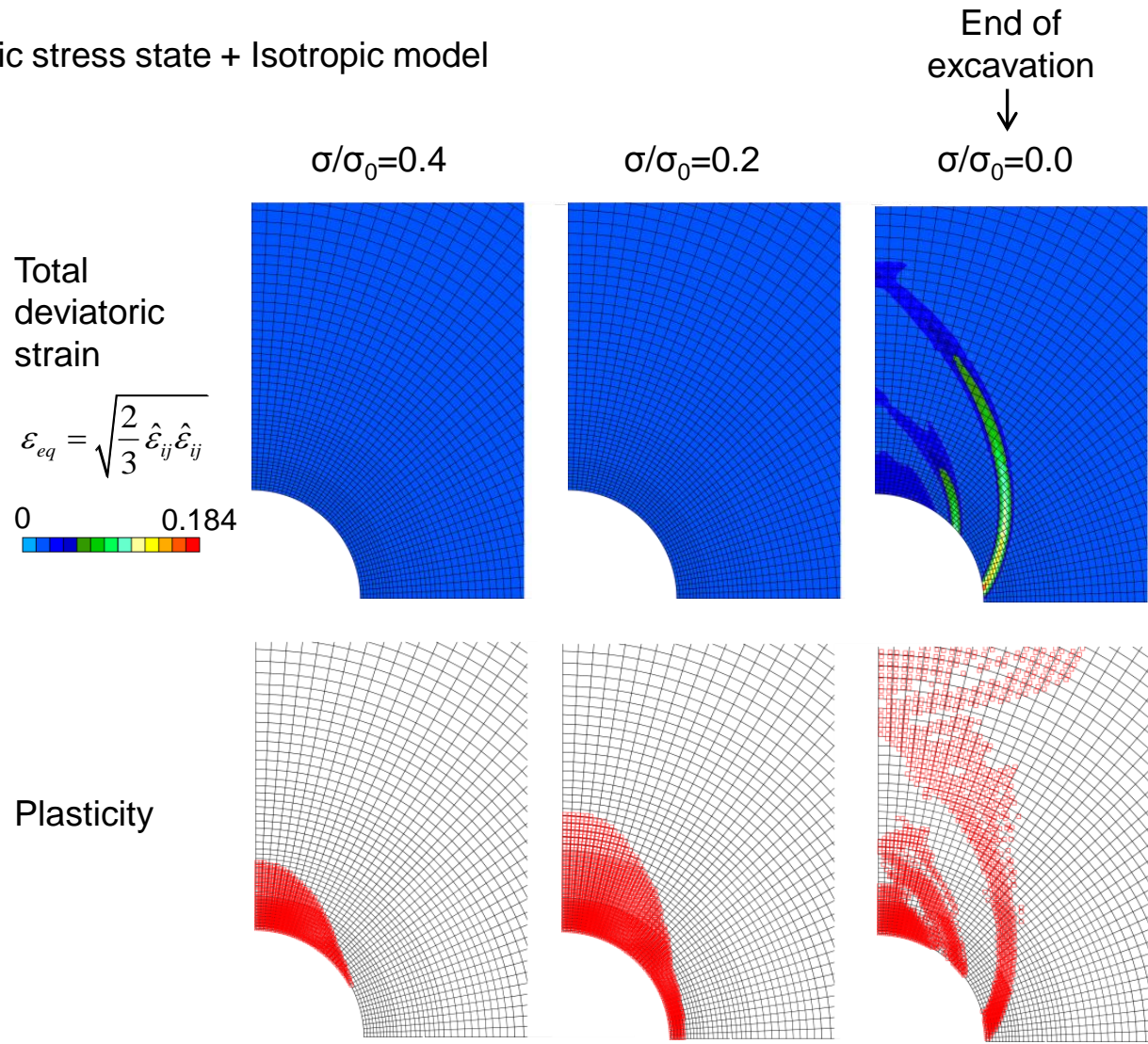
- ▣ Constant pore water pressure ($p_{w,0}$)
- ← Constant total stress ($\sigma_{y,0} / \sigma_{x,0}$)
- ▶ Constrained displacement perpendicular to the boundary
- ▲ Constrained normal derivative of the radial displacement
- Impervious boundary



Modelling the EDZ structure

Gallery // to σ_h :

1. Anisotropic stress state + Isotropic model



Modelling the EDZ structure

Gallery // to σ_h :

1. Anisotropic stress state + Anisotropic model

End of excavation
↓

3 days

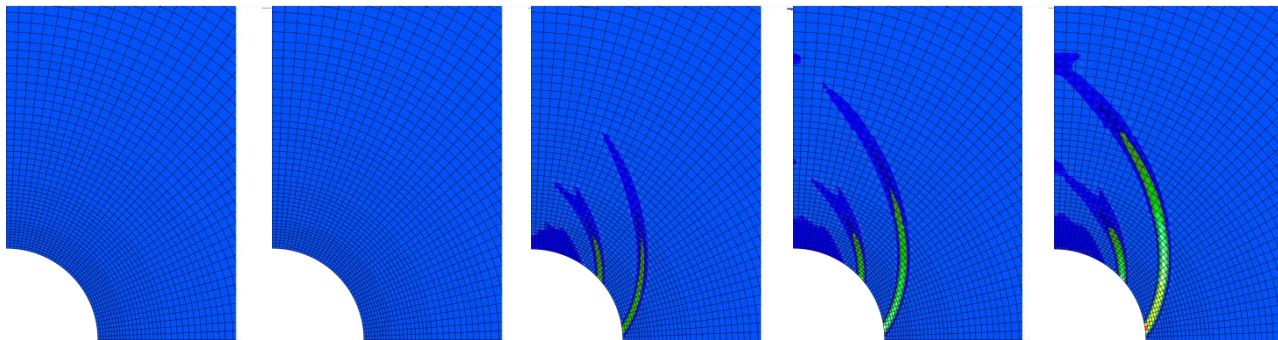
4 days

21 days

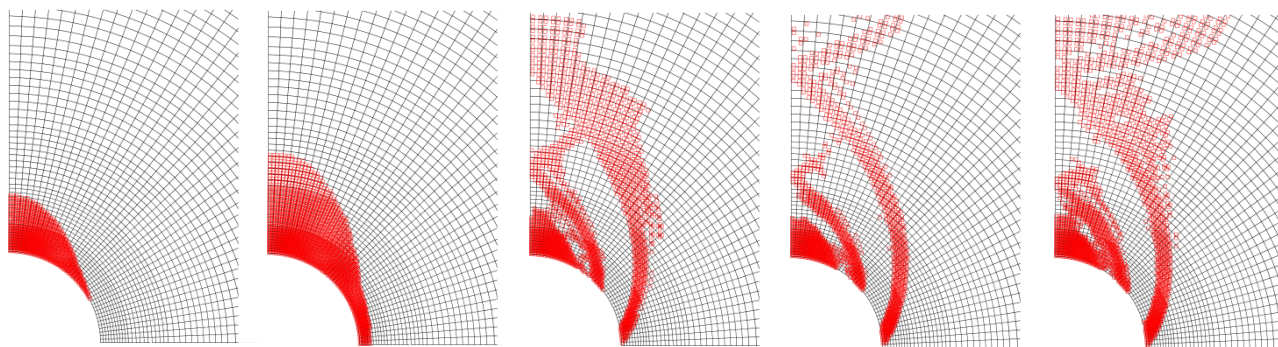
100 days

1000 days

Total deviatoric strain

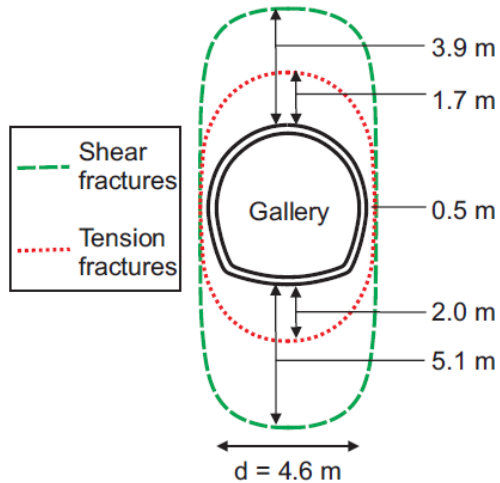


Plasticity

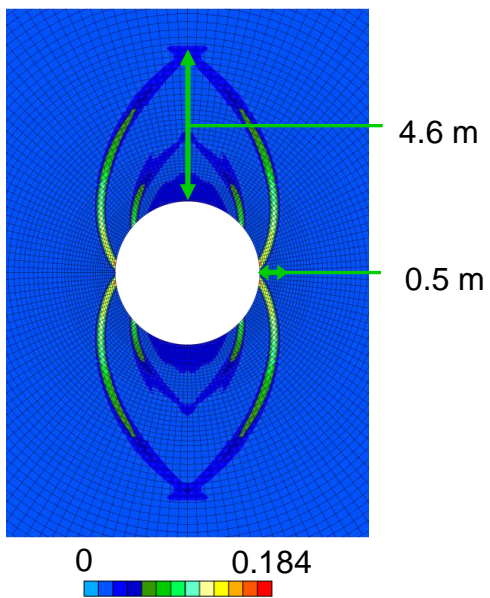


Modelling the EDZ structure

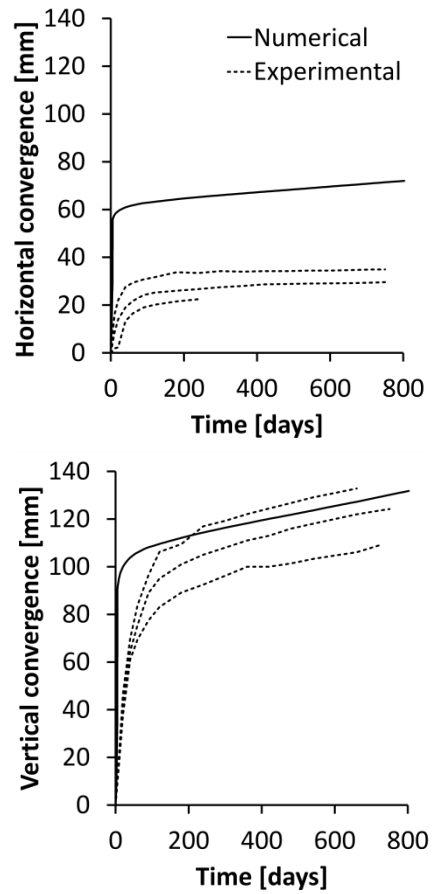
Fractures



Total deviatoric strain



Convergence



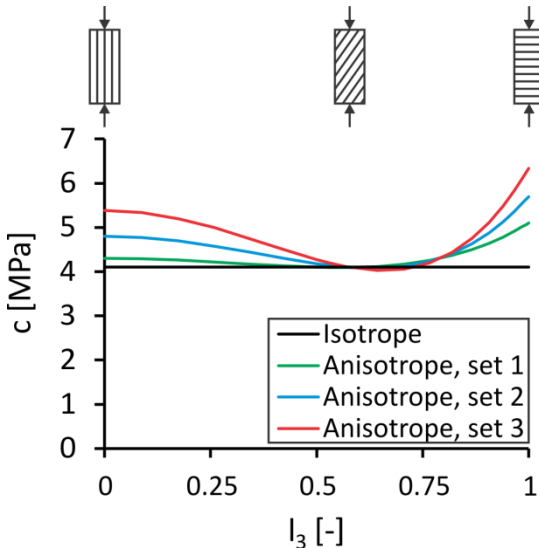
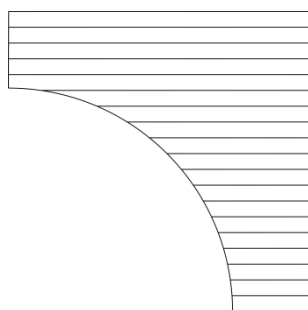
σ anisotropy is the predominant factor leading to strain localisation and to the elliptical shape of the damaged zone.

Modelling the EDZ structure

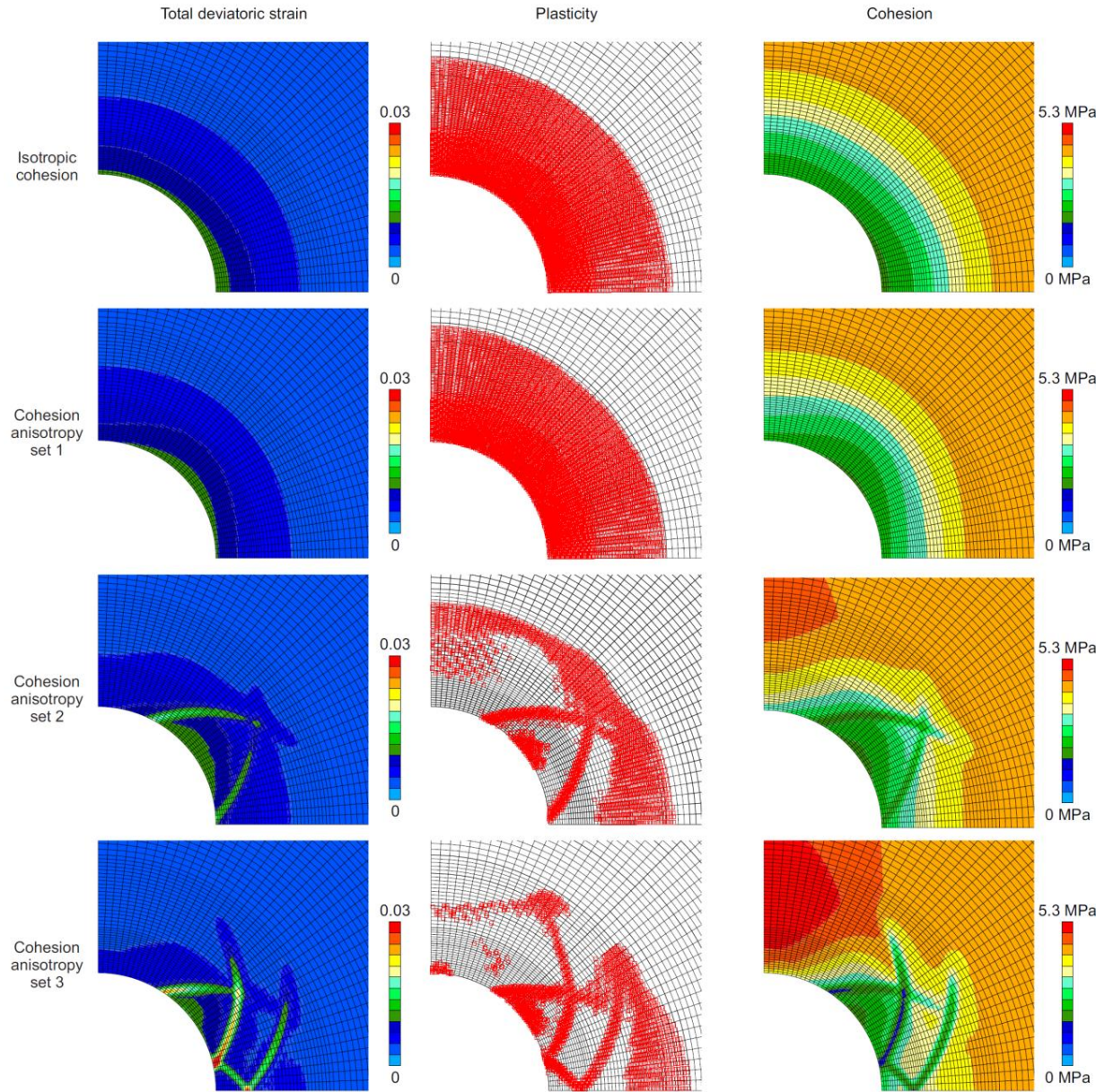
Gallery // to σ_H :

Isotropic stress state ($\sigma=12$ MPa),
anisotropic model

HM modelling in 2D plane
strain state



End of excavation



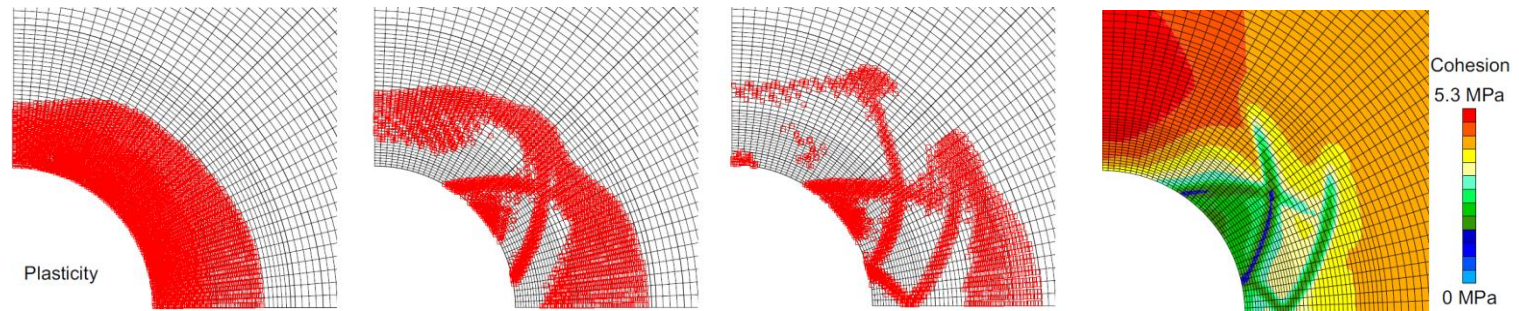
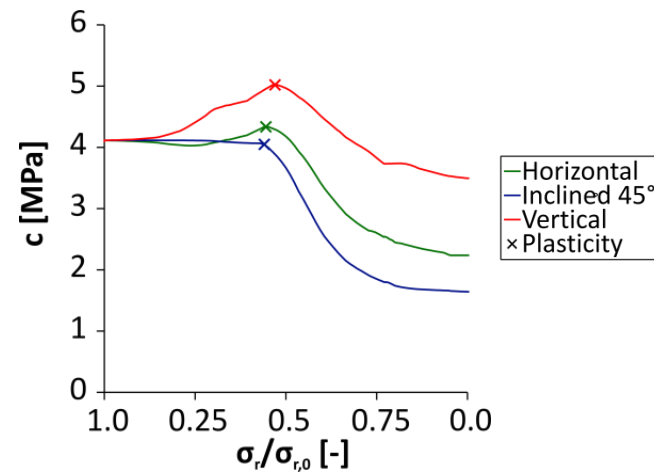
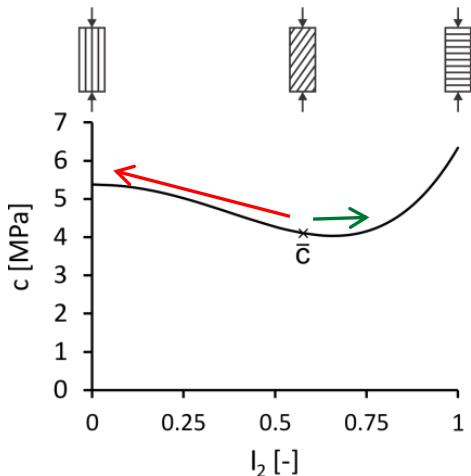
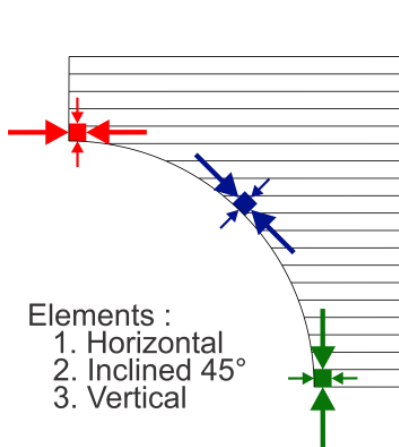
Modelling the EDZ structure

Cohesion evolution :

Anisotropy: $c = a_{ij} l_i l_j = \bar{c} (1 + A_{11}(1 - 3l_2^2) + b_1 A_{11}^2 (1 - 3l_2^2)^2 + \dots)$ $l_i = \sqrt{\frac{\sigma_{i1}^2 + \sigma_{i2}^2 + \sigma_{i3}^2}{\sigma_{ij} \sigma_{ij}}}$

Initially : isotropic $\sigma_{ij} \rightarrow c = \bar{c}$ $l_2 = \sqrt{3} / 3 = 0.58$

Excavation : $\sigma_r \downarrow$ and $\sigma_{ort} \uparrow$



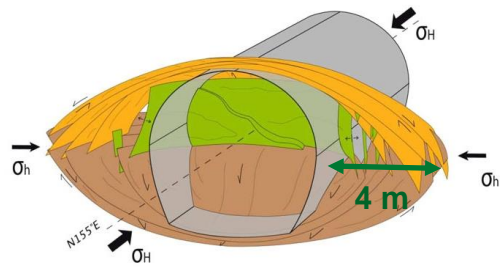
Modelling the EDZ structure

Gallery // to σ_H :

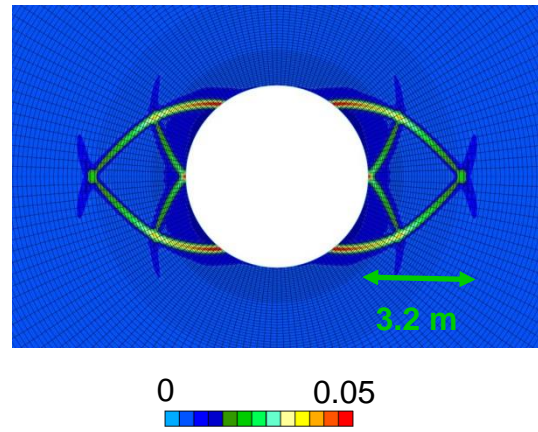
Anisotropic stress state, anisotropic model

$$\sigma_{H,0} = 1.3 \sigma_{v,0} > \sigma_{v,0} = \sigma_{h,0} = 12 \text{ [MPa]}$$

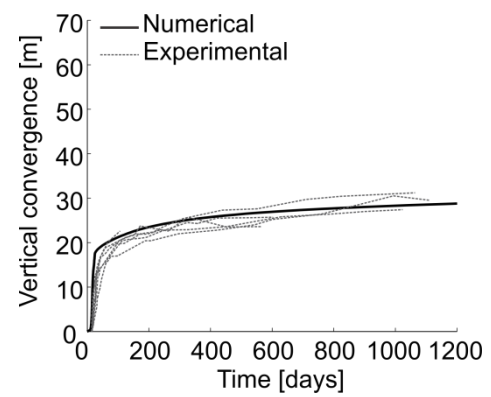
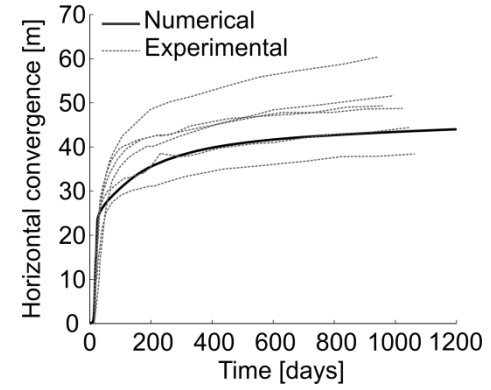
Fractures



Total deviatoric strain



Convergence



Isotropic stress state in the gallery section does not lead to shear strain localisation unless the material anisotropy is considered.

Material anisotropy seems to be the predominant factor leading to strain localisation and to the elliptical shape of the damaged zone.

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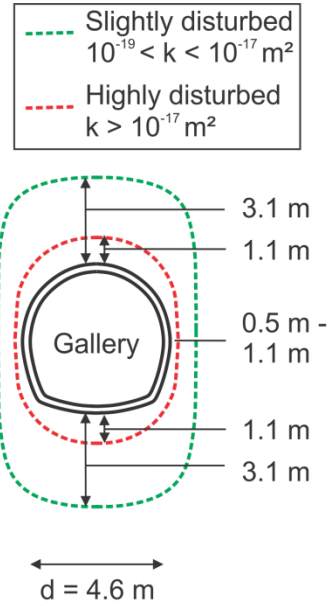
Permeability evolution

In situ evidences :

Hydraulic properties are not homogeneous in the damaged zone.

Influence of rock fracturing on intrinsic permeability.

In situ permeability in Callovo-Oxfordian claystone
(Armand et al. 2014, Cruchoudet et al. 2010b)



Permeability variation :

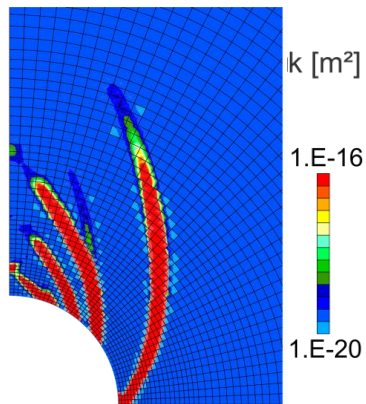
Total deviatoric strain (if $\epsilon_{eq} > \epsilon_{eq}^{min}$)

End of excavation

$$\frac{k_{ij}}{k_{ij,0}} = 1 + \alpha(\epsilon_{eq} - \epsilon_{eq}^{min})^\beta$$

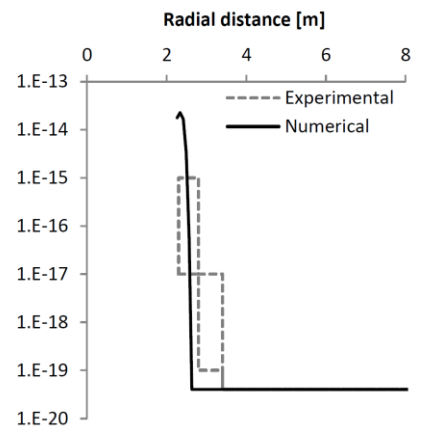
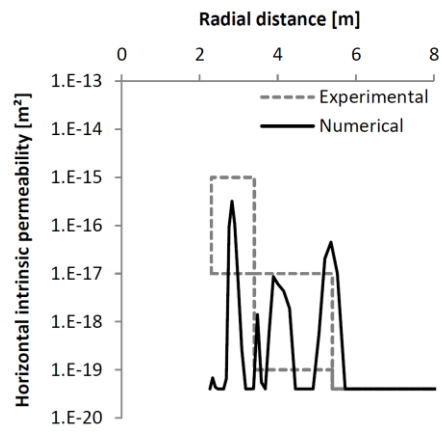
$$\epsilon_{eq} = \sqrt{\frac{2}{3} \hat{\epsilon}_{ij} \hat{\epsilon}_{ij}}$$

$$\alpha = 2 \times 10^8, \beta = 3$$



Vertical y-axis

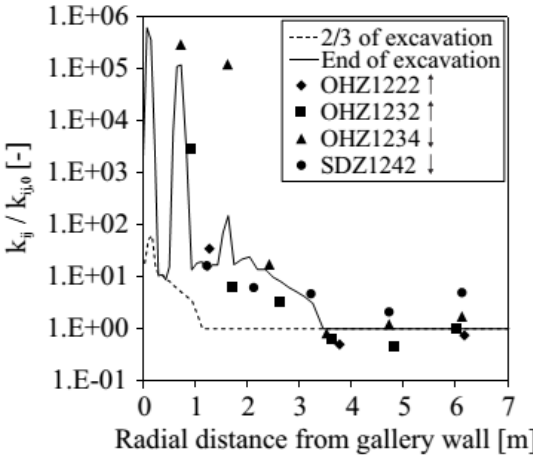
Horizontal x-axis



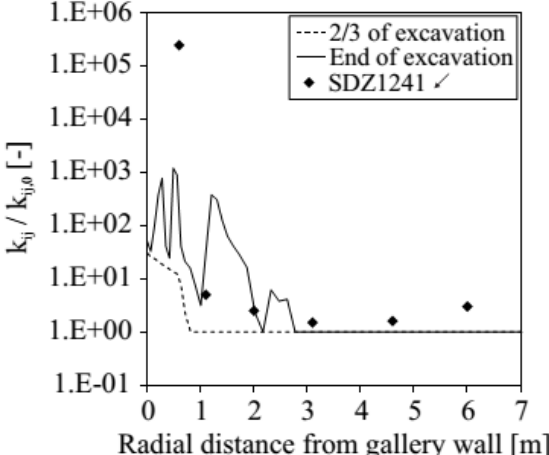
Permeability evolution

Permeability variation:

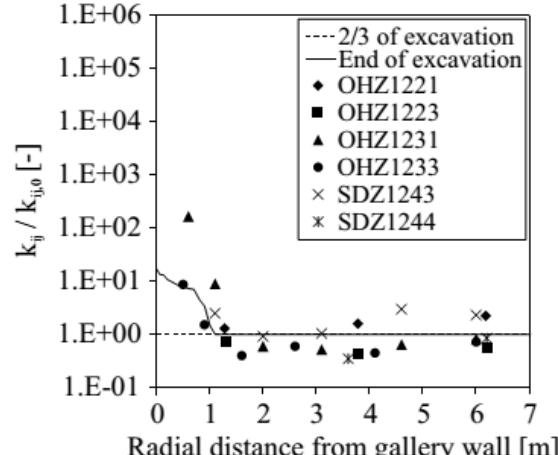
$$k_{ij} = k_{ij,0} (1 + \beta \langle YI - YI^{thr} \rangle \hat{\epsilon}_{eq}^3) \quad YI = \frac{II_{\hat{\sigma}}}{II_{II}^p}$$



Vertical



Oblique at 45°

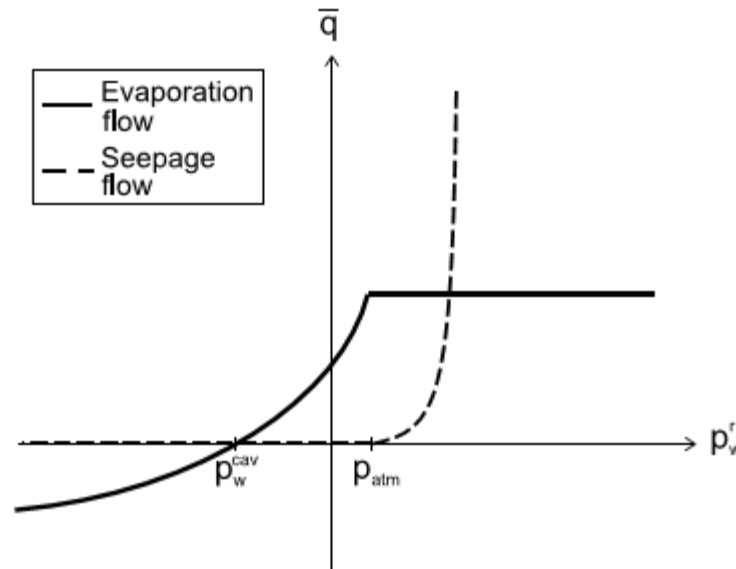


Horizontal

Impact of ventilation:

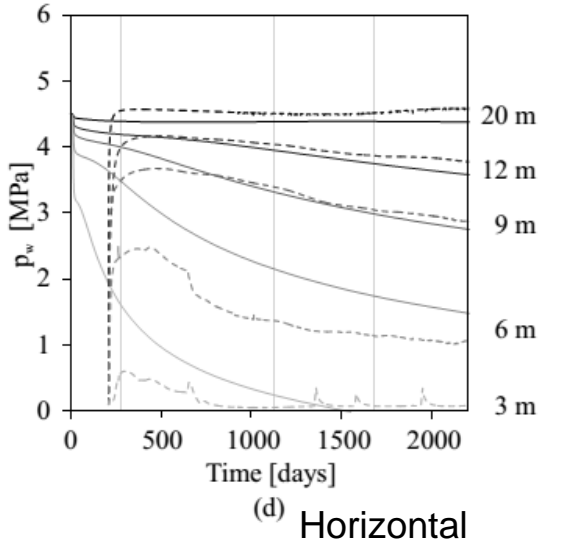
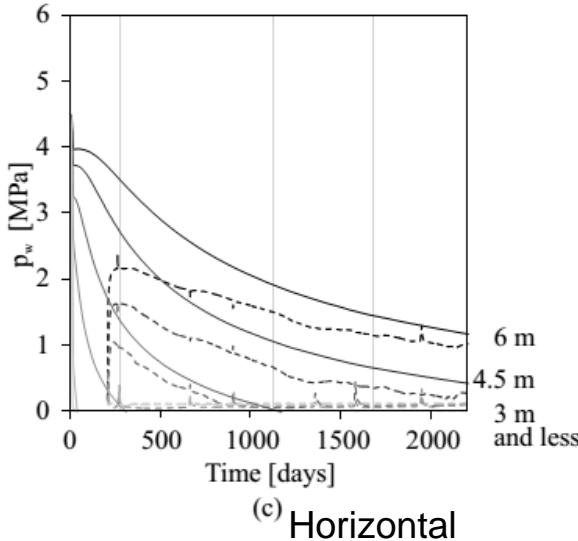
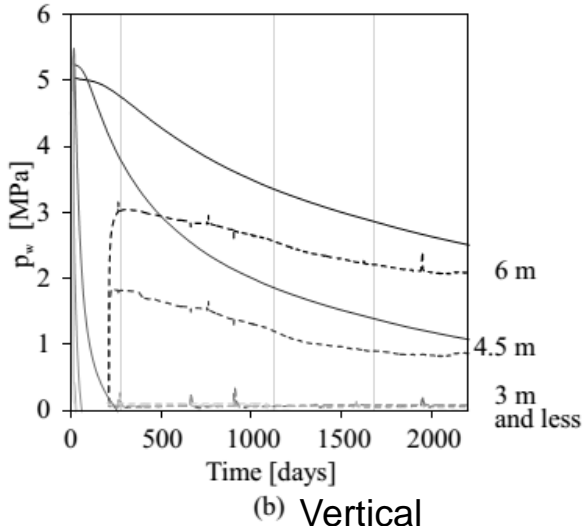
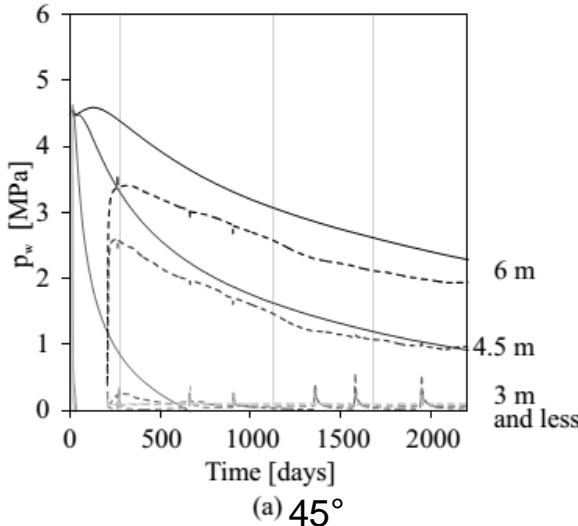
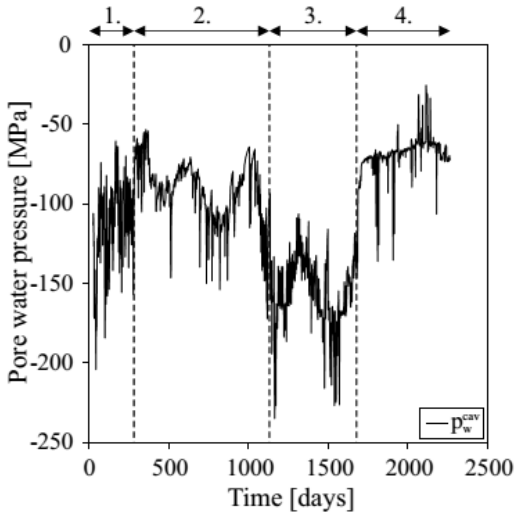
Two exchange modes can occur at the gallery wall:

- Seepage flow
$$\begin{cases} \bar{S} = K^{pen} (p_w^r - p_{atm})^2 & \text{if } p_w^r \geq p_w^{cav} \text{ and } p_w^r \geq p_{atm} \\ \bar{S} = 0 & \text{if } p_w^r < p_w^{cav} \text{ or } p_w^r < p_{atm} \end{cases}$$
- Evaporation flow
$$\bar{E} = \alpha (\rho_v^r - \rho_v^{cav})$$



Permeability evolution

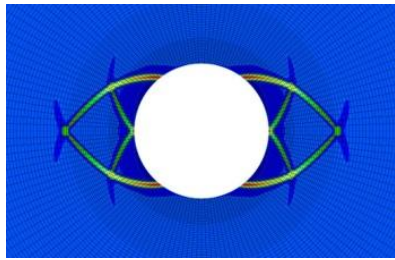
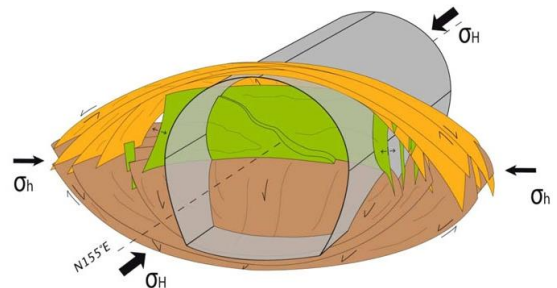
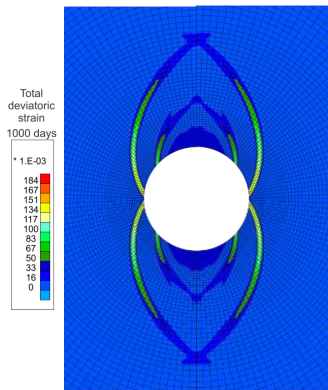
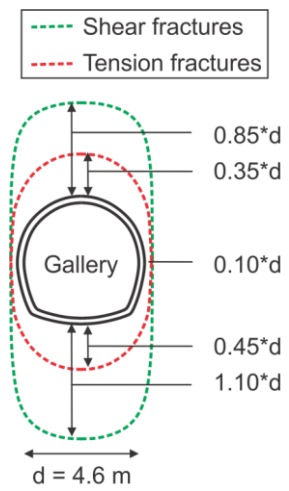
Rock-atmosphere interaction (gallery air ventilation) :



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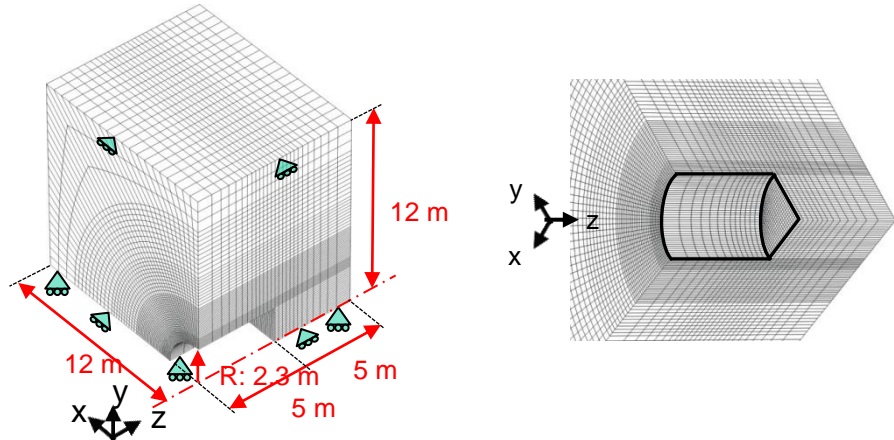
Conclusions

- Damaged zone → strain localisation zone similar to *in situ* measurements
- modelling provide information about the rock structure and evolution within this zone, as observed *in situ*.
- rock anisotropy and properties modification



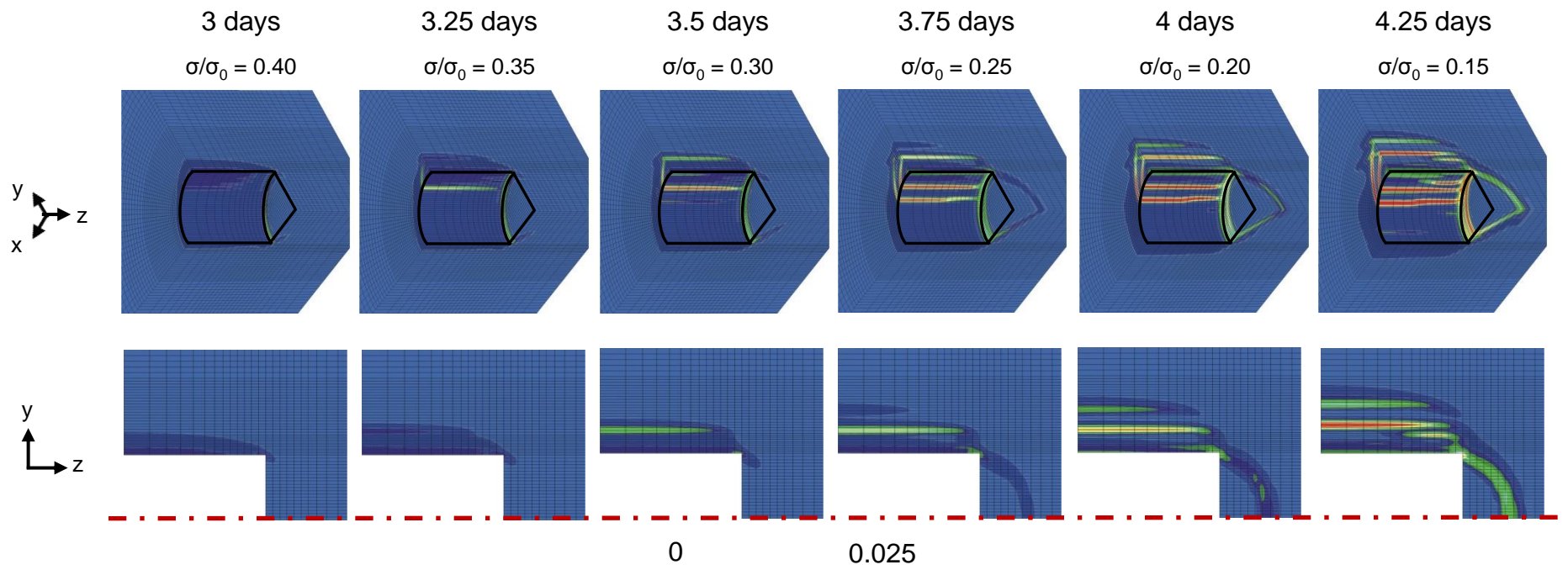
Numerical modelling (LAGAMINE-ULg) :

Mechanical modelling in 3D state.
 Classical FE, no second gradient !



Equivalent deformation ϵ_{eq} :

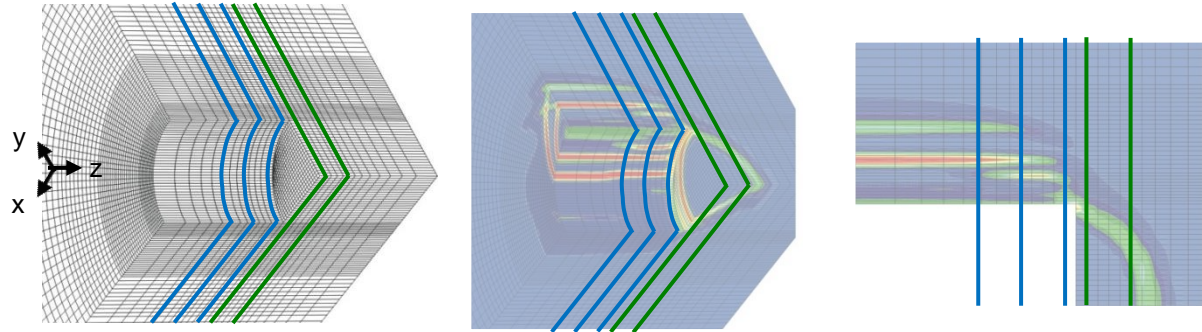
ϵ_{eq} during boring :



Equivalent deformation ϵ_{eq} :

ϵ_{eq} for 4.25 days of excavation ($\sigma/\sigma_0 = 0.15$) :

$z < 0$: excavation zone
 $z = 0$: gallery front
 $z > 0$: rock mass



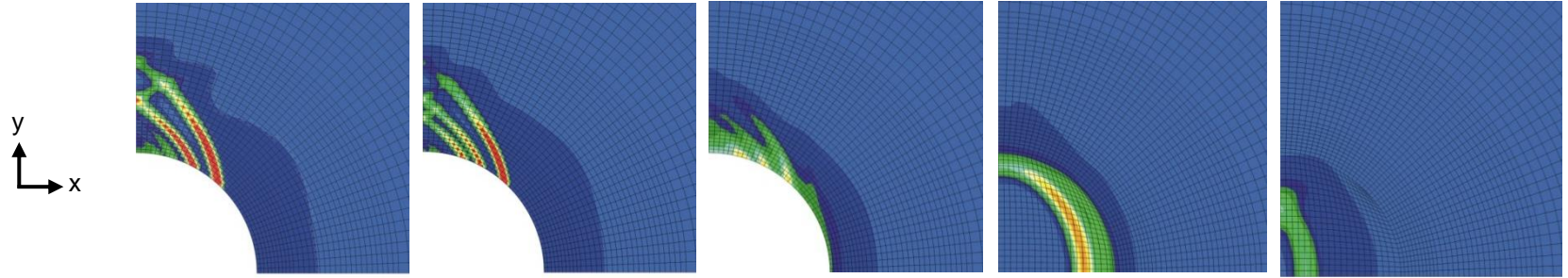
$z = -2.25m$

$z = -1.25m$

$z = -0.25m$

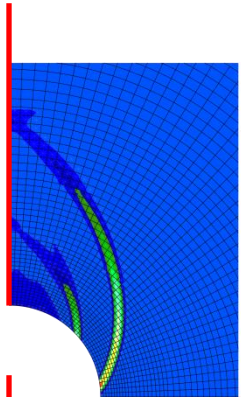
$z = +0.25m$

$z = +1.25m$

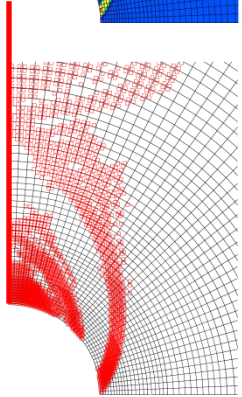


0 0.025

Cross sections :



Pore water pressure



Degree of saturation

