

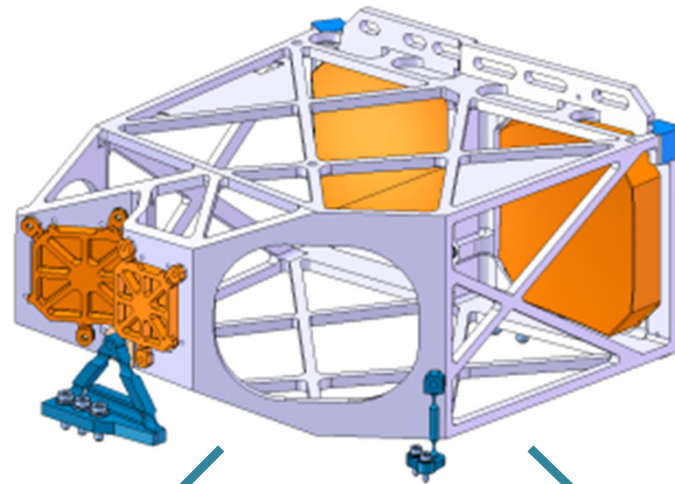
RAY TRACING ENHANCEMENT FOR SPACE THERMAL ANALYSIS: ISOCELL METHOD

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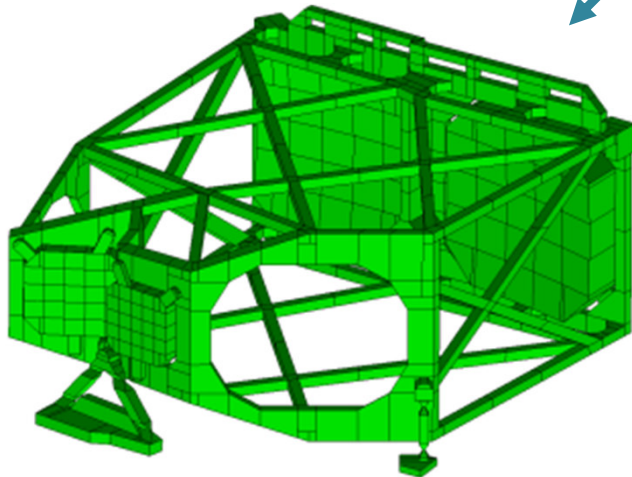
FINITE ELEMENT VS. LUMPED PARAMETER



MTG IRS BTA: strong thermal requirements

Detailed GMM and TMM necessary

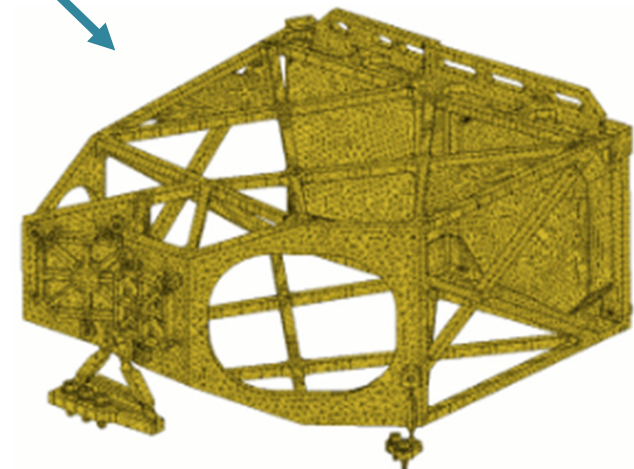
Lumped parameter method



Error-prone manual inputs: geometry & conductive links

Thermo-mechanical: map the T° on the FEM

Finite Element method



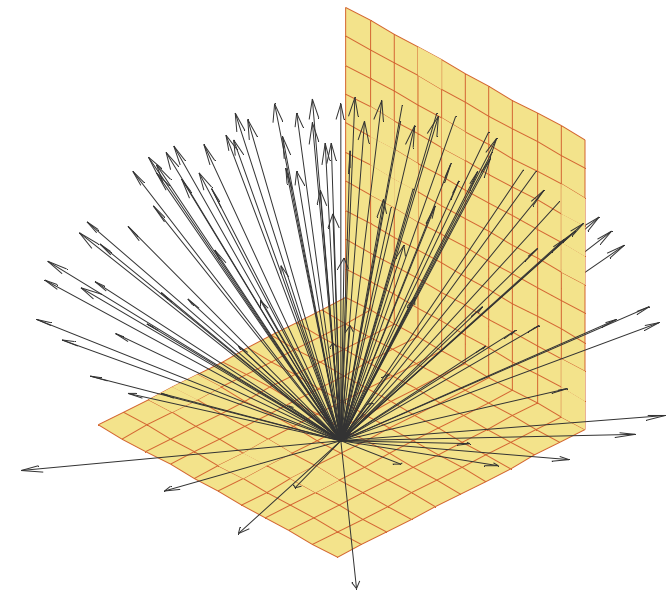
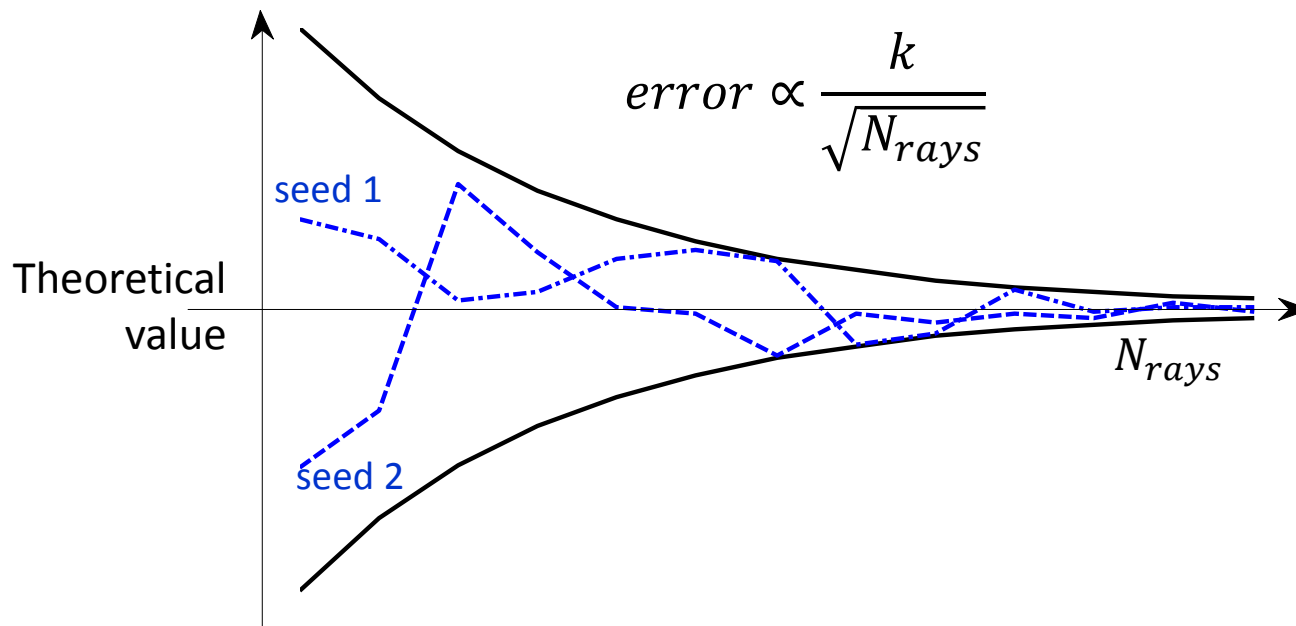
Automatic meshing & conductive links
Thermo-mechanical analyses straightforward

RADIATIVE THERMAL ANALYSIS IS EXPENSIVE

Radiative exchange factors: proportional to (# of elements)²

- × wavelength bands (infrared, visible, multispectral)
- × orbit positions & geometrical configurations

Computed mostly through Monte-Carlo ray-tracing:



HOW TO DECREASE COMPUTATION TIME?

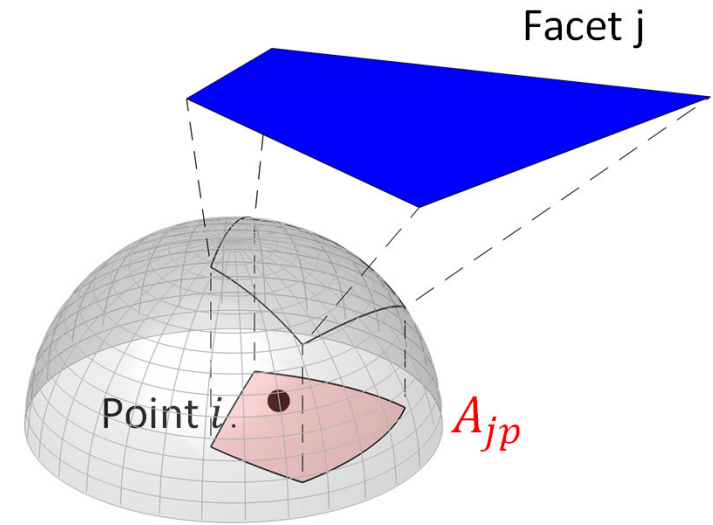
1. Decrease the number of rays: **isocell ray direction sampling**

2. Decrease the number of faces: **super-faces**

MONTE-CARLO RAY DIRECTION SAMPLING

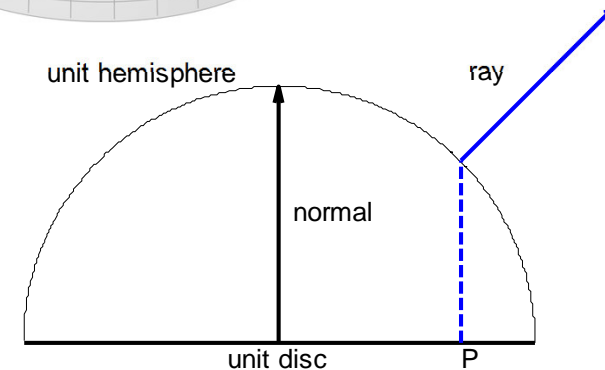
Based on Nusselt's analogy

$$F_{ij} = \frac{A_{jp}}{\pi}$$

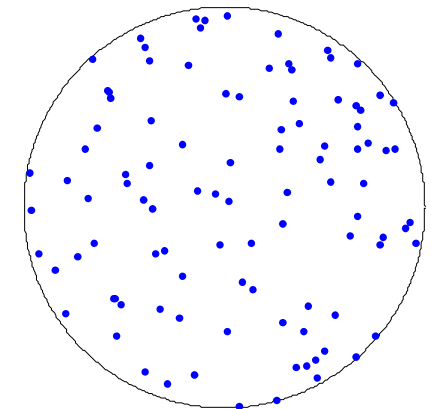


And Malley's method:

- 1 point on the unit disc defines the ray direction
- Sampling of the unit disc



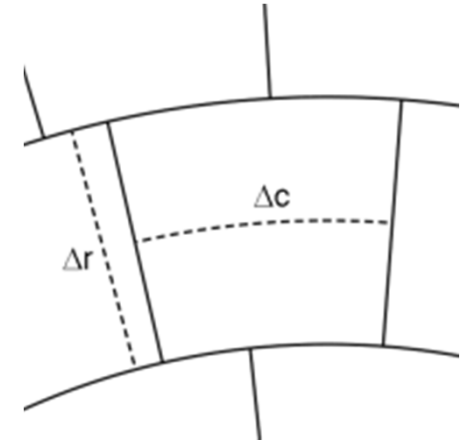
$$F_{ij} = \frac{\text{Number of rays emitted by facet i, hitting j}}{\text{total number of rays emitted by facet i}}$$



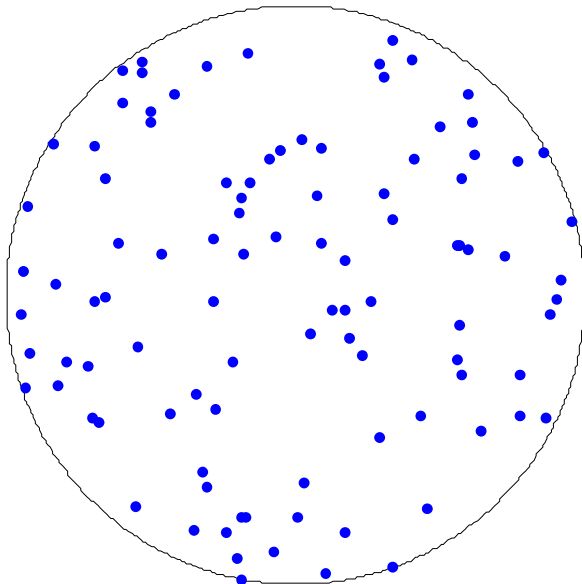
ISOCELL: MORE UNIFORM DIRECTION SAMPLING

More uniform ray direction sampling:

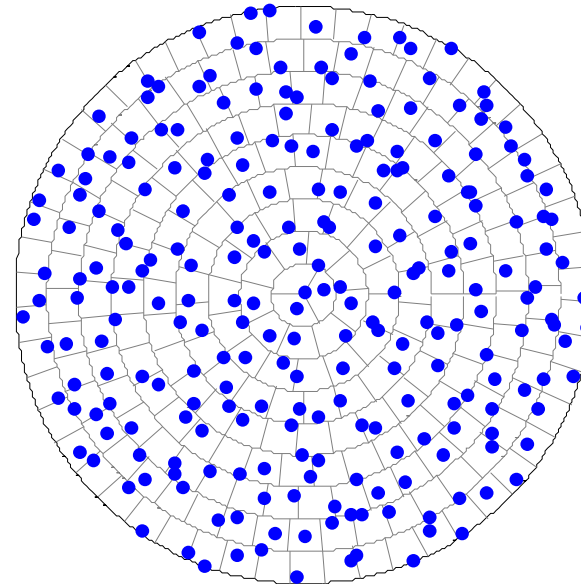
- Divide the unit disc into cells of equal area and aspect ratio $\frac{\Delta r}{\Delta c} \sim 1$
- Fire one ray per cell



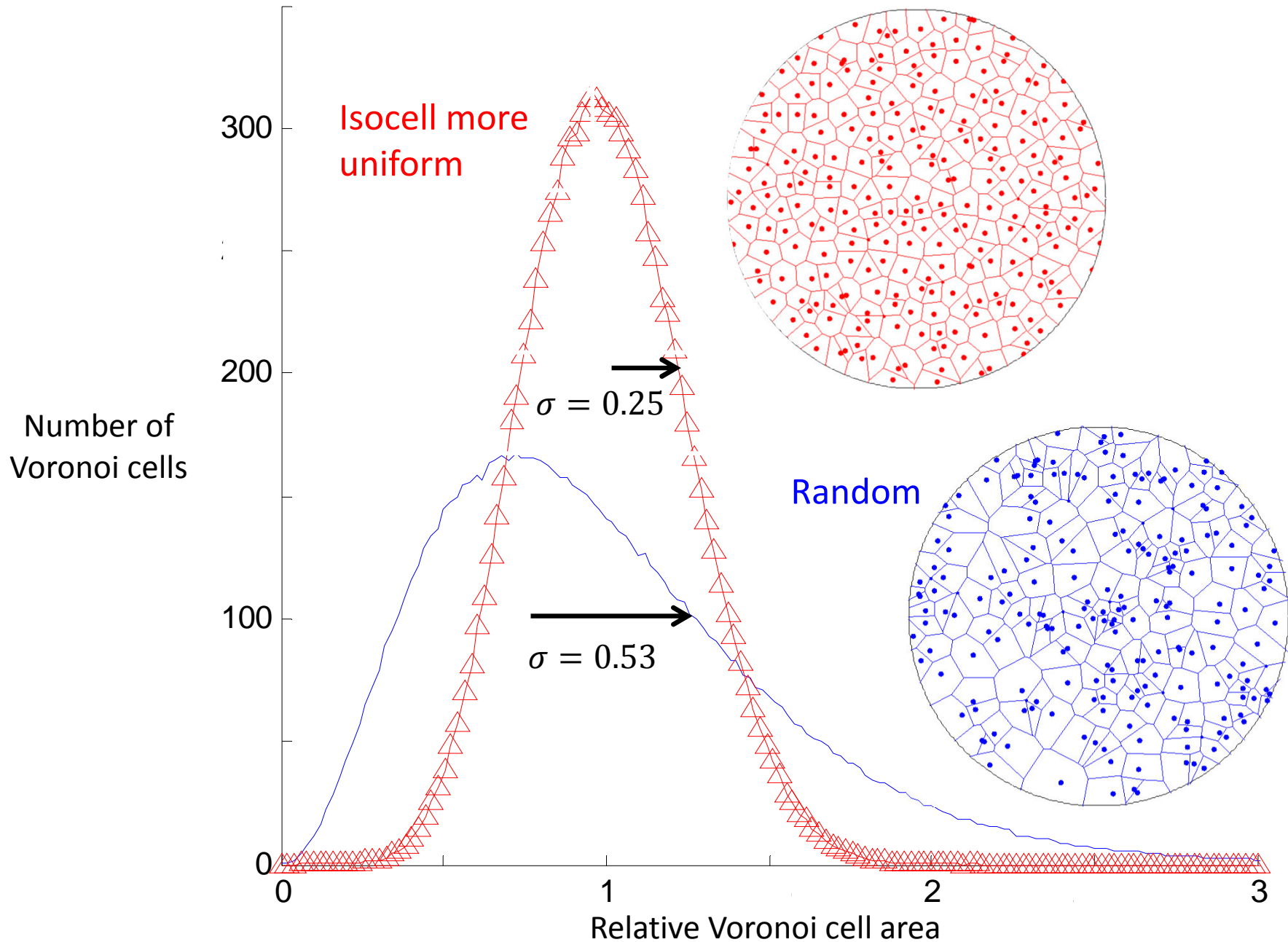
Random (classic) sampling



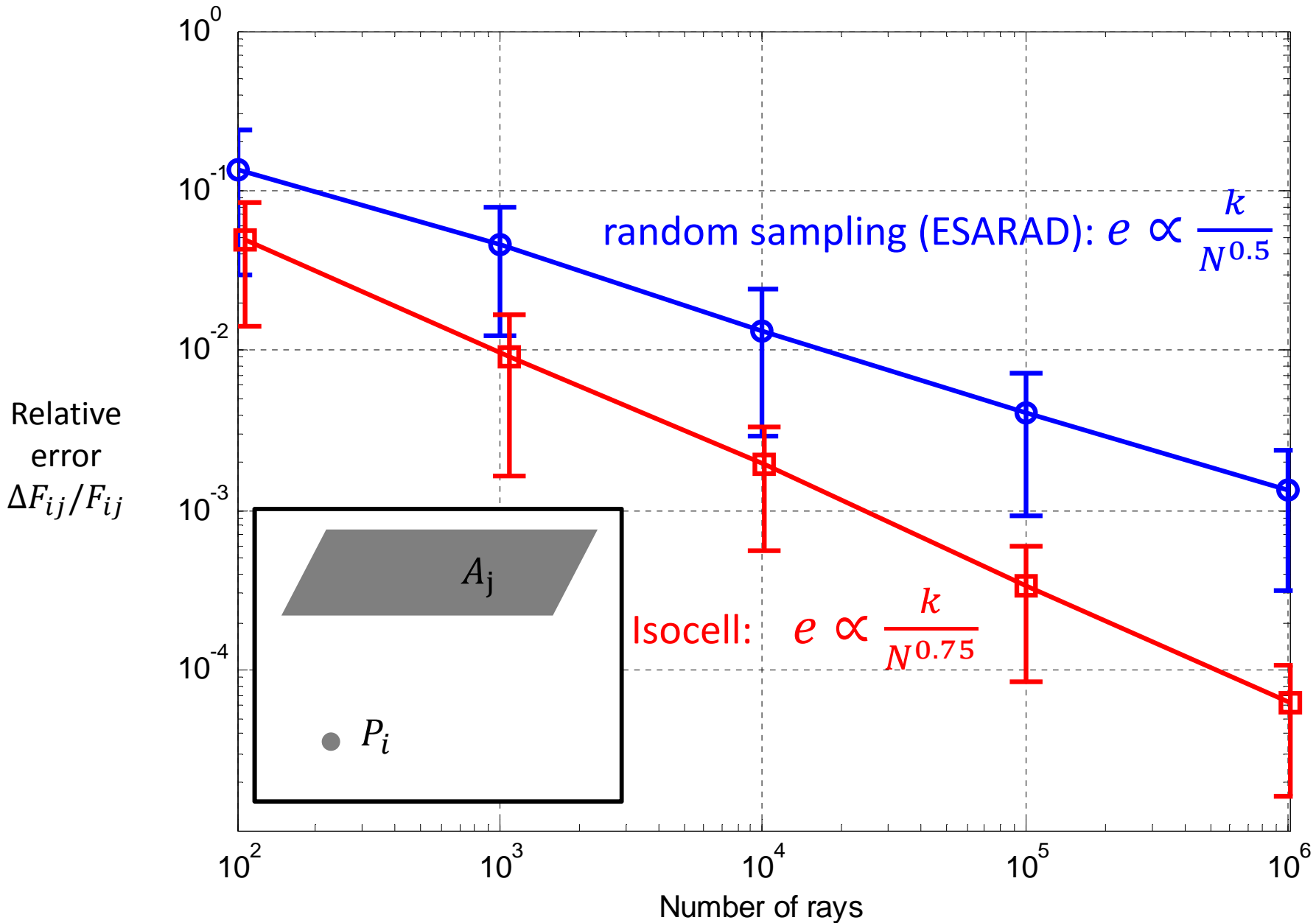
Isocell sampling



CONFIRMATION: UNIT DISC VORONOI CELL AREA



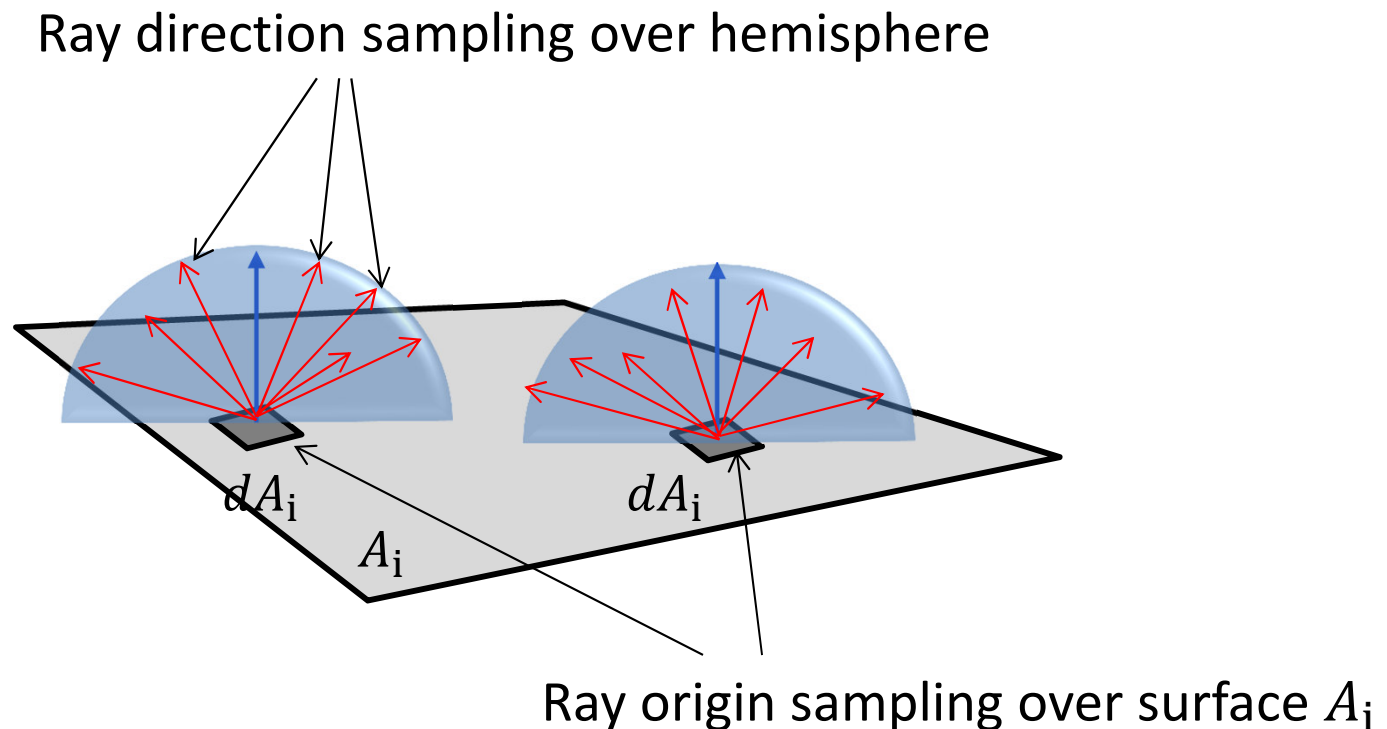
POINT-WISE VF: ISOCELL REQUIRES LESS RAYS



SURFACE & DIRECTION SAMPLING

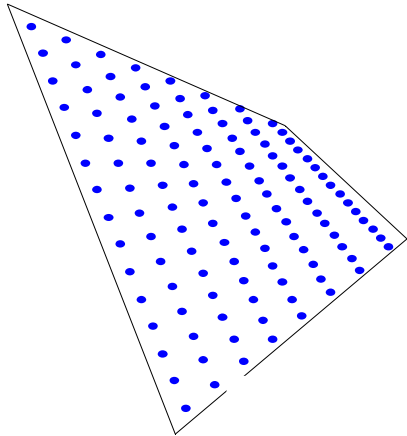
2 alternatives:

- Local direction sampling at each origin
- Global direction sampling & distribution among the origins

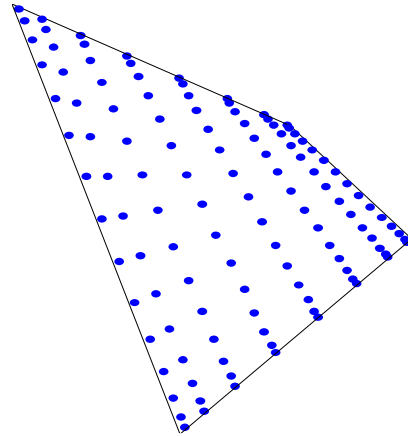


DIFFERENT SURFACE SAMPLING STRATEGIES

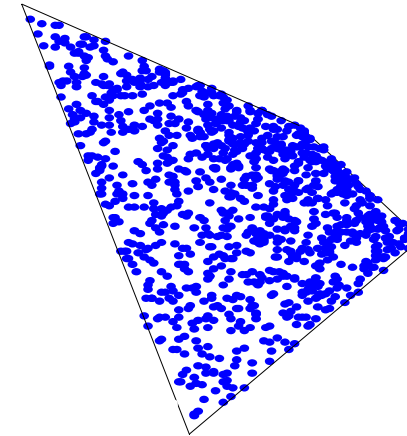
Uniform sampling



Gauss sampling

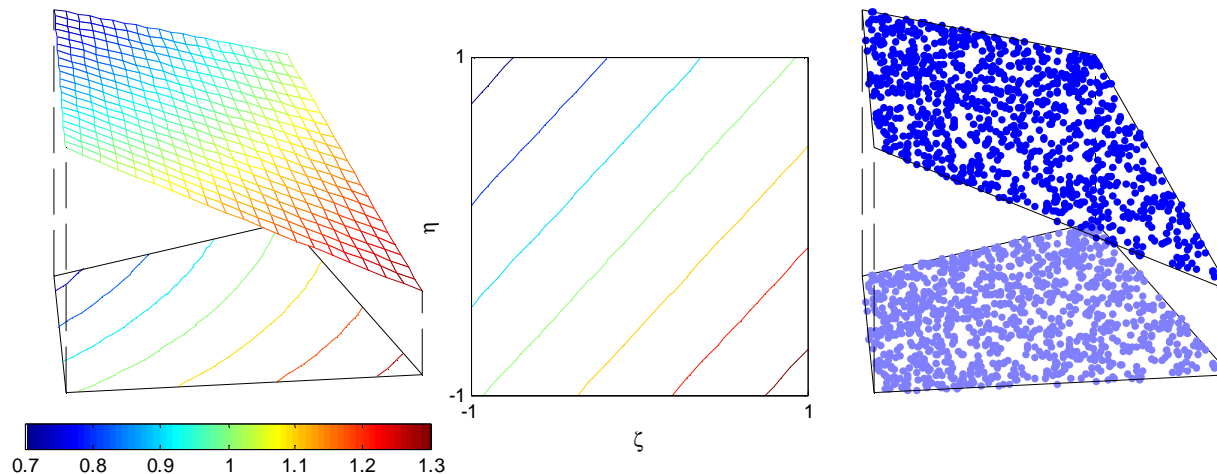


Random sampling



Problem: concentration due to non area-preserving mapping of the face

Solution: each origin is weighted by the Jacobian of the mapping (origins in denser regions less weighted and vice-versa)



GAUSS SAMPLING: GAUSS WEIGHTS

Constant # of rays per origin

$$F_{i \rightarrow j} = \sum_{k=1}^{N_{rays}} W_k \left(F_{di \rightarrow j}^k \right)$$

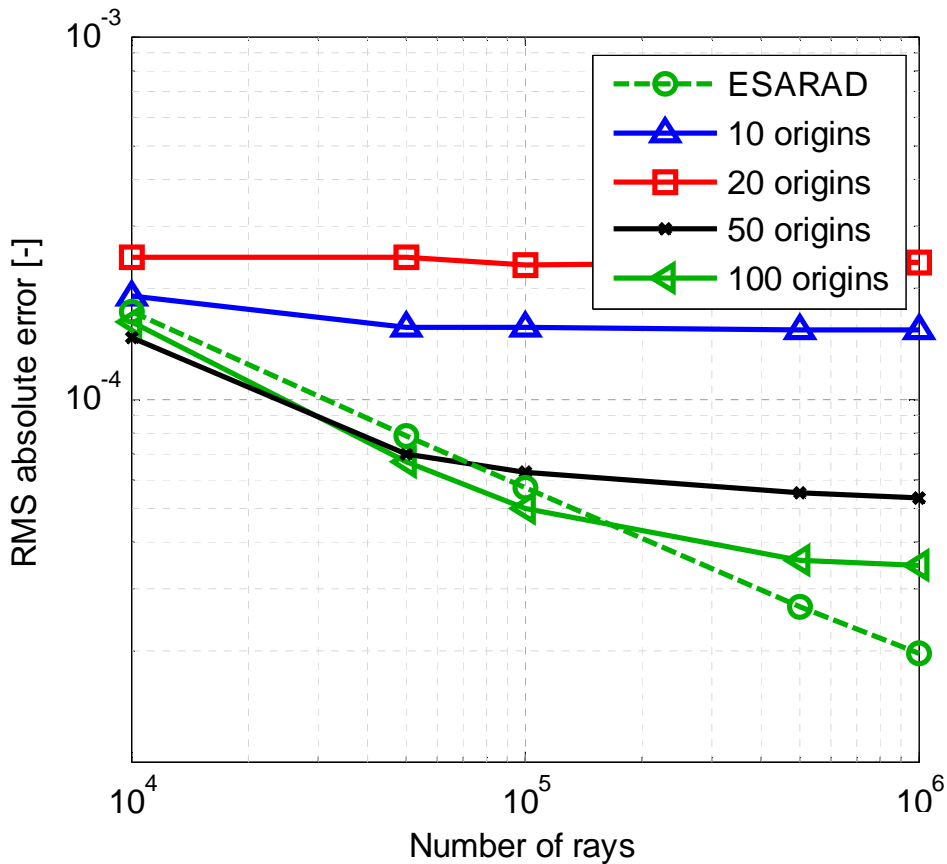
Point-wise view factor

Uniform & random sampling: $W_k = 1 \quad \forall k$

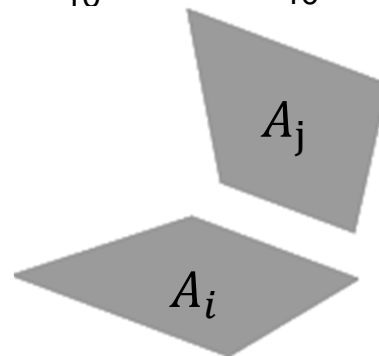
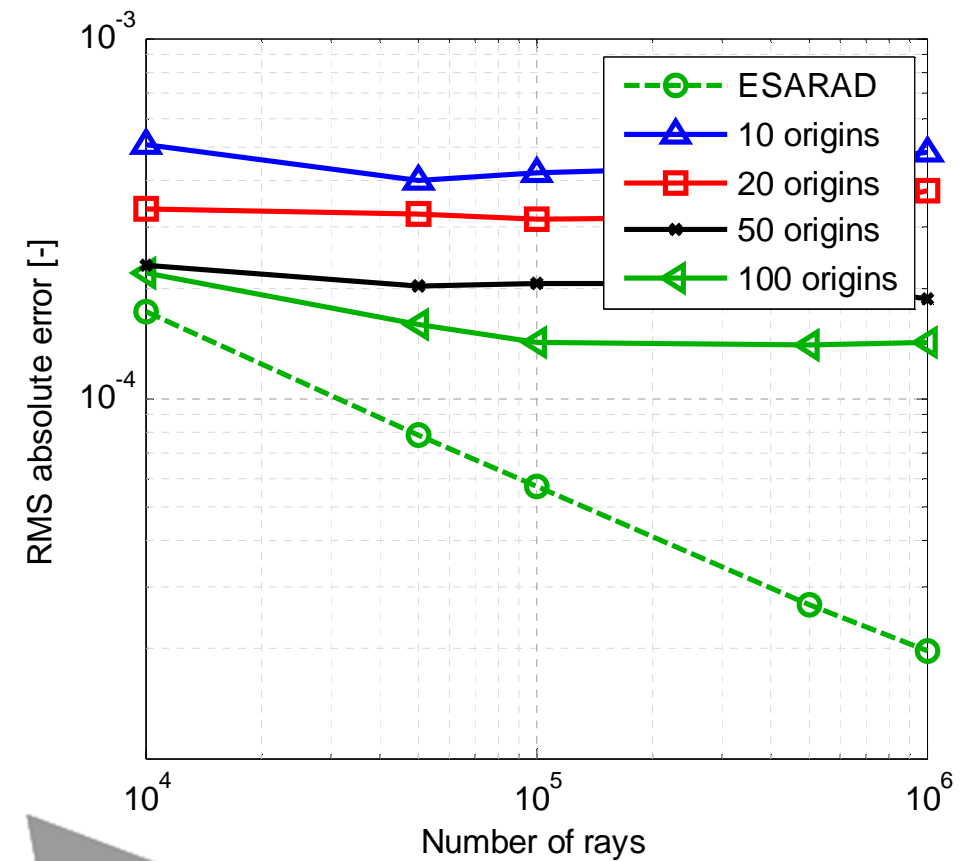
Gauss sampling: $W_k =$ Gauss-Legendre quadrature weights

SURFACE SAMPLING IS CRITICAL

Uniform origin sampling &
Local Isocell direction sampling

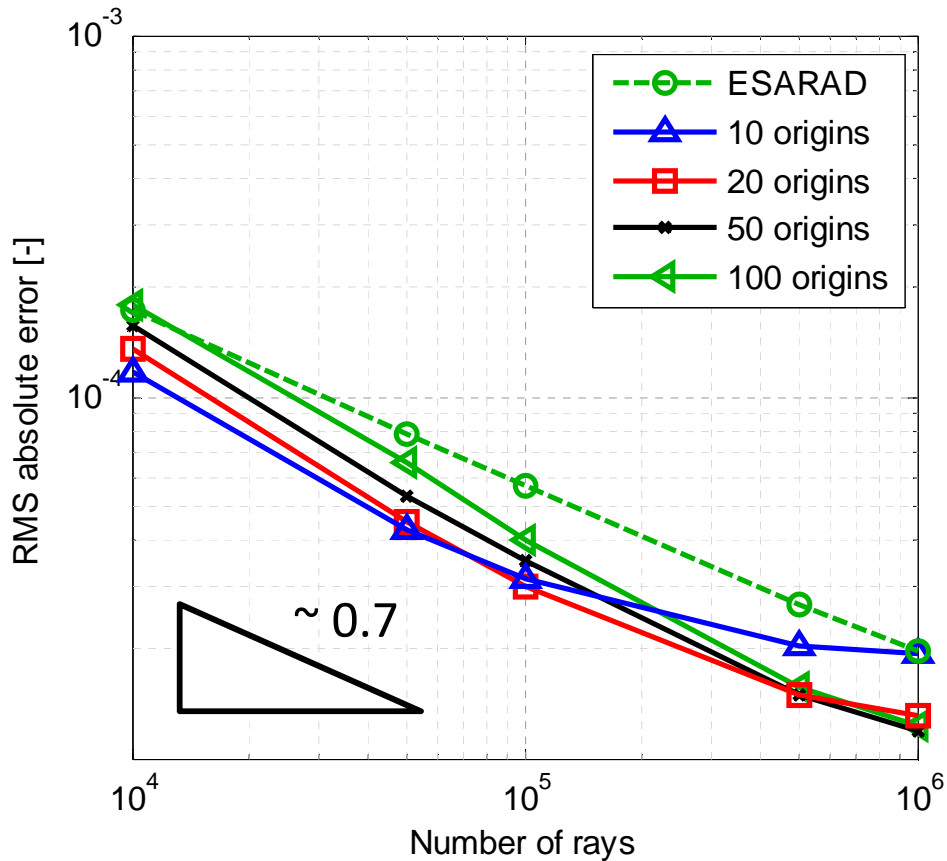


Random origin sampling &
Local Isocell direction sampling

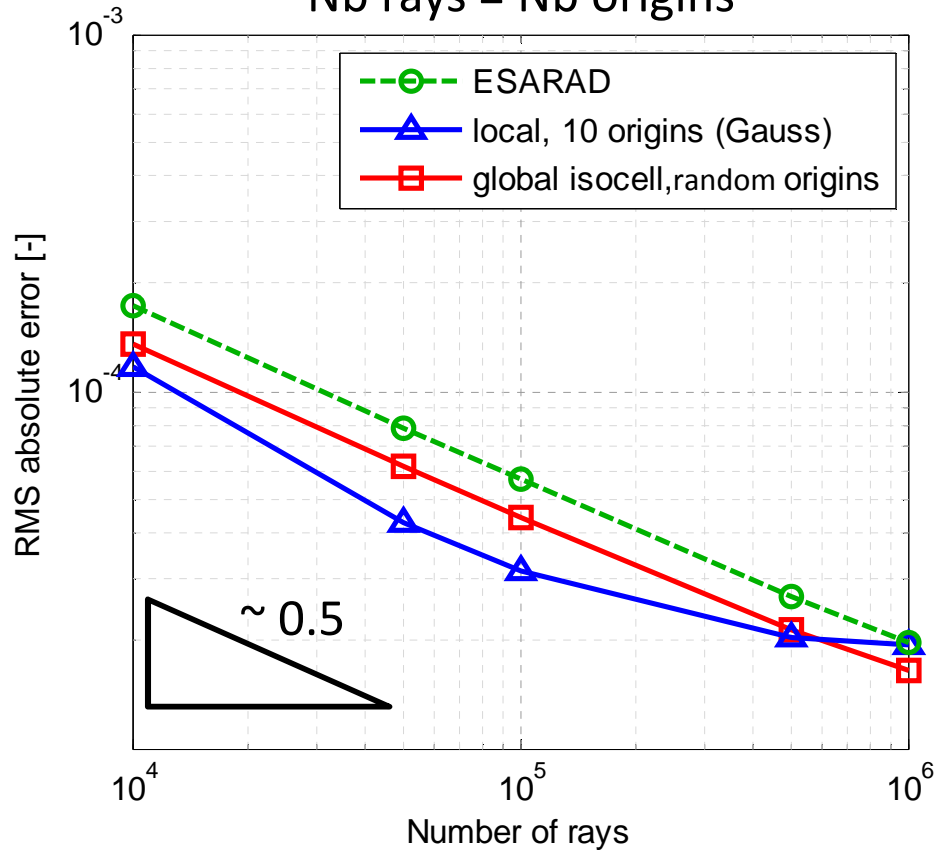


GAUSS SAMPLING GIVES BETTER RESULTS

Gauss origin sampling &
Local Isocell direction sampling



Random origin sampling &
Global Isocell direction sampling
Nb rays = Nb origins



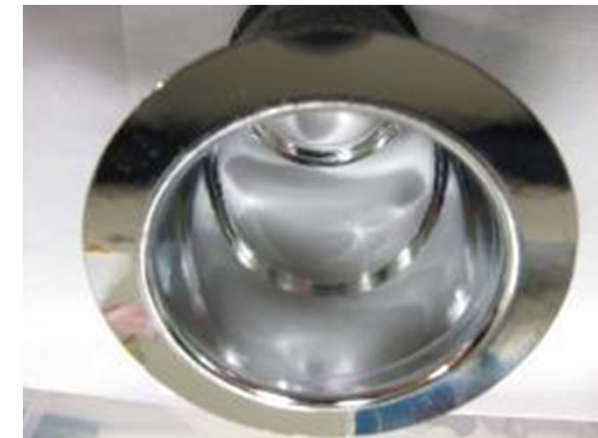
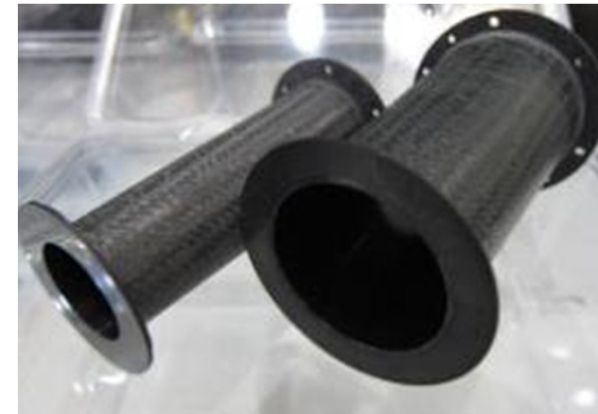
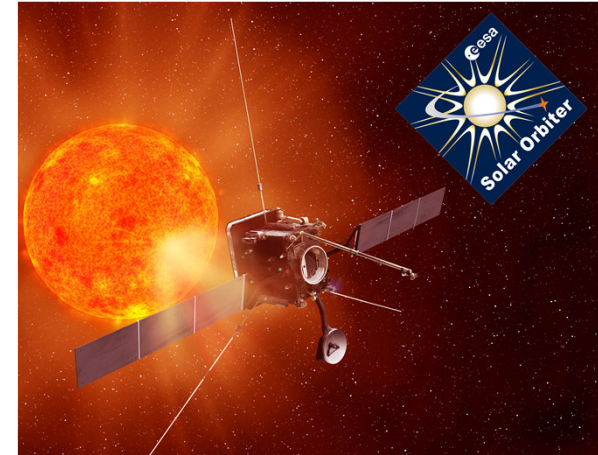
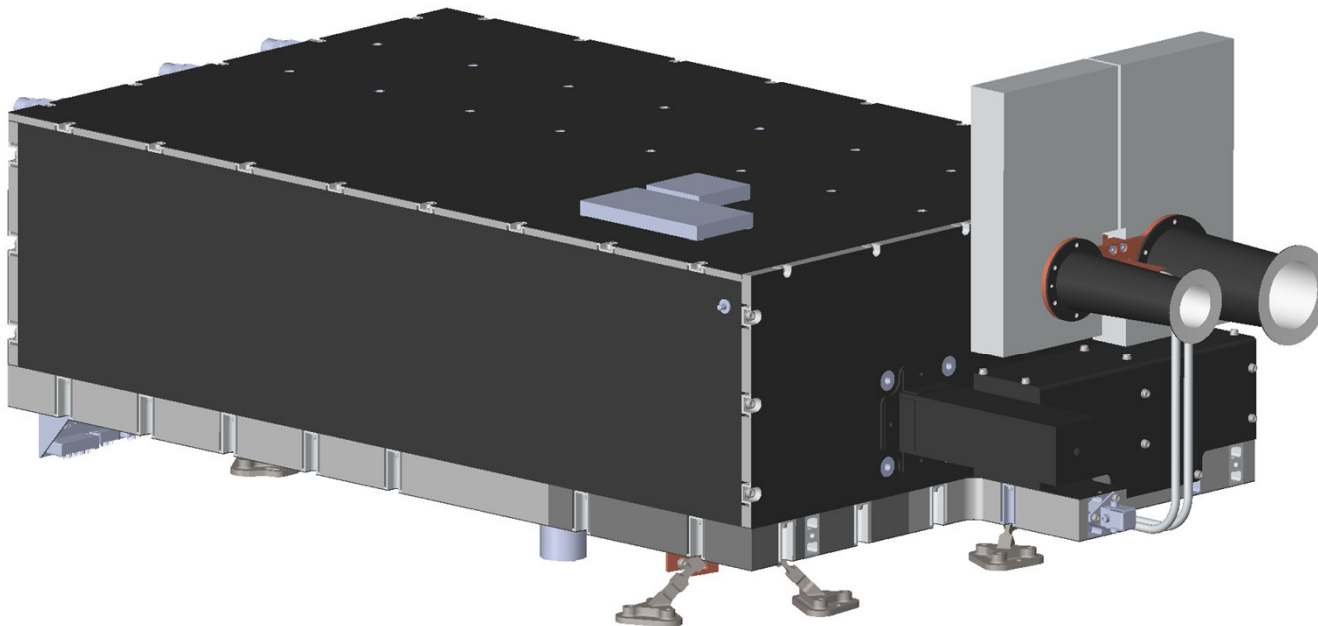
Global direction sampling:

- Still $\sim 2x$ better than ESARAD
- Does not need to specify a number of origins

EUI ENTRANCE BAFFLE ON SOLAR ORBITER

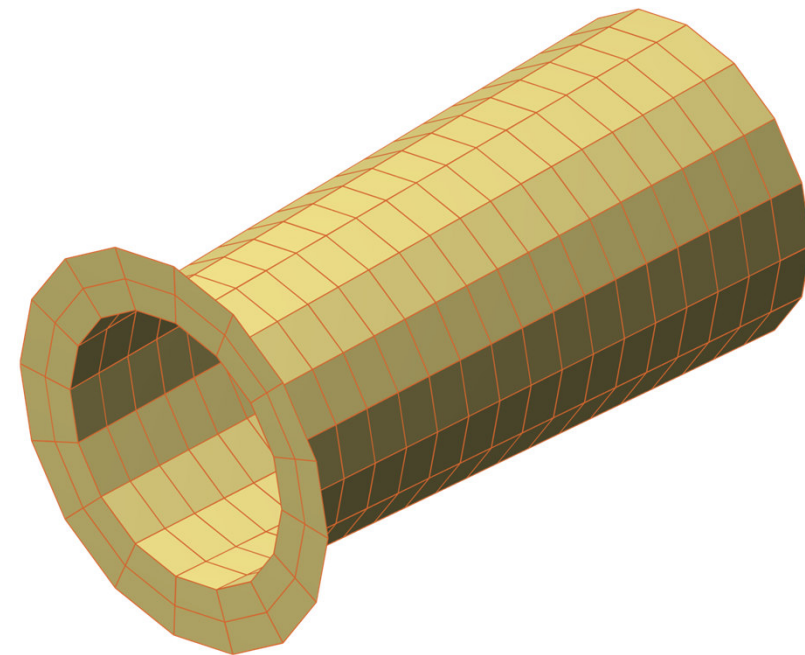
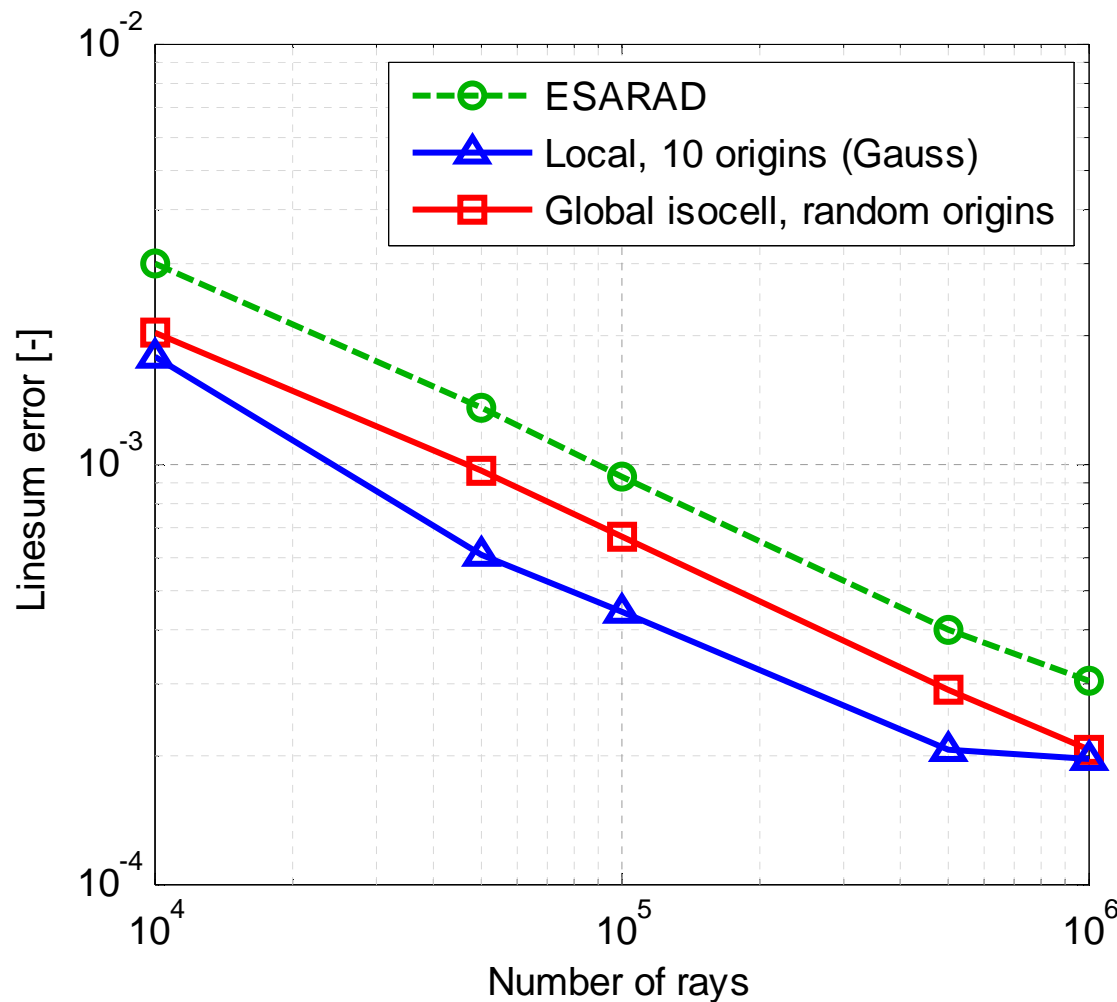
0.28 AU perihelion: $17.5\text{kW}/\text{m}^2$

Coated CFRP entrance baffle and filter to reject unwanted light



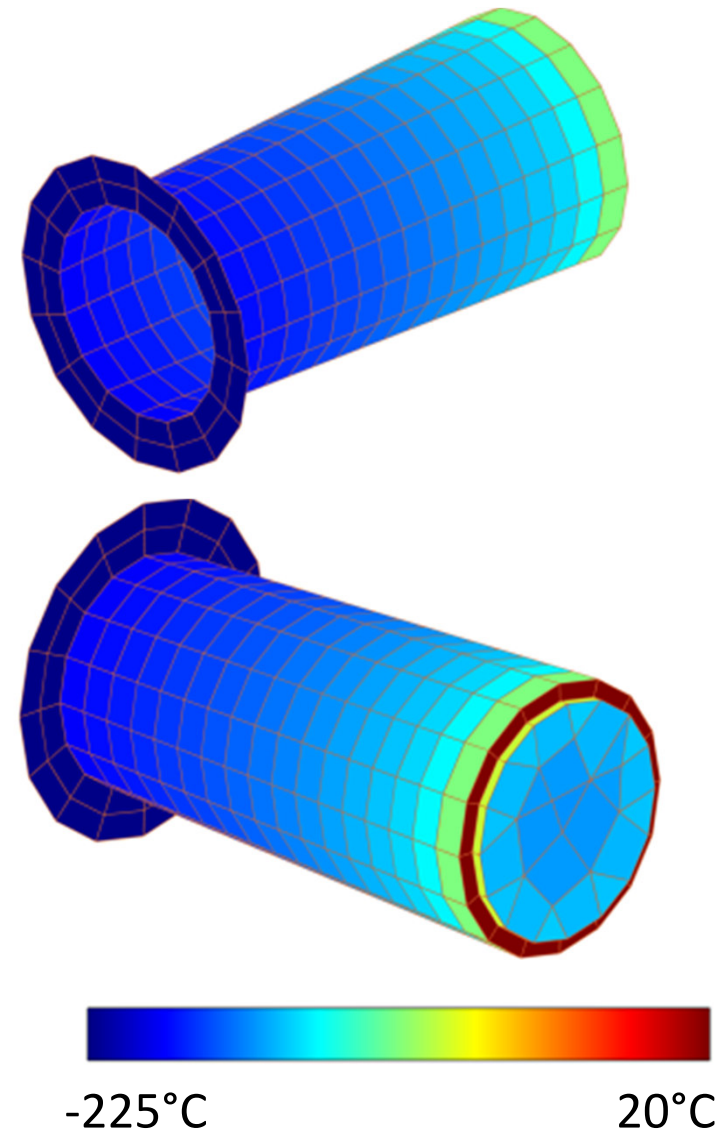
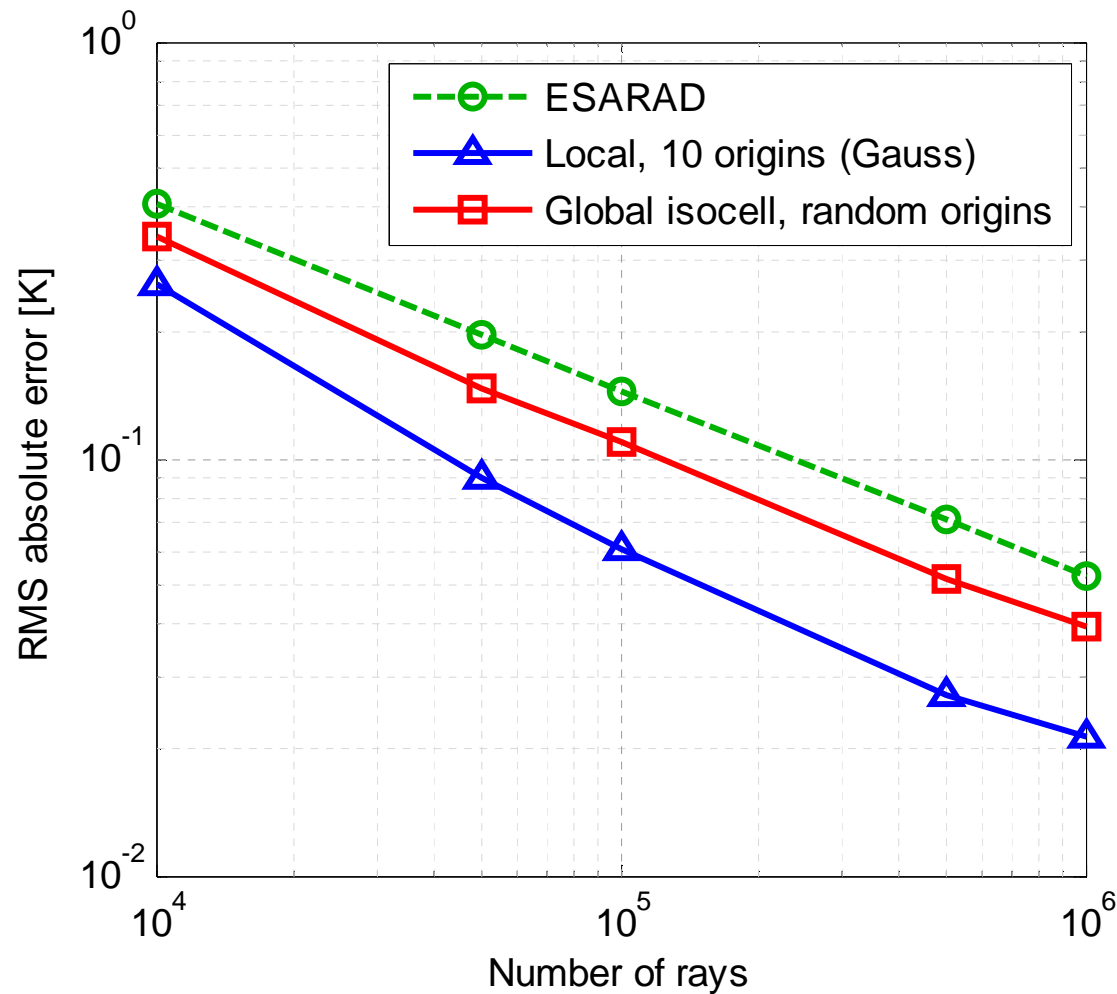
RADIATIVE EXCHANGE FACTORS GLOBAL ERROR

$$LSE_{RMS} = \sqrt{\frac{1}{N} \sum_i LSE_i^2} = \sqrt{\frac{1}{N} \sum_i \left(1 - \sum_j F_{ij}\right)^2}$$



CONVERGENCE ON TEMPERATURES

Benchmark: pure radiative equilibrium
3K environment, 293K boundary



CONCLUSIONS

Isocell direction sampling offers significant improvement

Surface sampling is critical

50% reduction of number of rays with global direction sampling

Same performances on simple case and real-life space structure

First step to bridge the gap between structural and thermal analysis



Thank you for your attention...

Any question?

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