

# Estimation of dominance variance with sire-dam subclass effects in a crossbred population of pigs

M. Dufrasne<sup>1,2</sup>, P. Faux<sup>1</sup>, M. Piedboeuf<sup>3</sup>, J. Wavreille<sup>4</sup> and N. Gengler<sup>1</sup>

<sup>1</sup> Animal Science Unit, Gembloux Agro-Bio Tech, University of Liège, B-5030 Gembloux, Belgium

<sup>2</sup> Fonds pour la formation à la Recherche dans l'Industrie et dans l'Agriculture, B-1000 Brussels, Belgium

<sup>3</sup> Walloon Pig Breeders Association, B-5590 Ciney, Belgium

<sup>4</sup> Production and Sectors Department, Walloon Agricultural Research Center, B-5030 Gembloux, Belgium

## Background

- ❖ Nonadditive genetic effects (e.g. dominance) not negligible but often ignored in genetic evaluations
- ❖ Dominance = interaction of paternal and maternal alleles at the same locus
- ❖ Prediction of dominance effects → More precise estimation of totale genetic merit  
→ Beneficial for mate selection programs
- ❖ Inversion of dominance relationship matrix ( $D^{-1}$ ) difficult with large dataset
- ❖  $D^{-1}$  can be deduced from  $F^{-1}$ , the inverted sire-dam subclasses relationship matrix

## Objective

To estimate dominance variance for longitudinal measurements of body weight in a crossbred population of pigs

## Conclusions

- ❖ Dominance variance exists for growth traits in pigs and may be relatively large
- ❖ Additive genetic variance slightly decreases when dominance is added in the model

## Data

- ❖ Recorded in test station between 2007 and 2012 on crossbred pigs (Piétrain x Landrace K+)
- ❖ 20,120 records of body weight between 50 and 210 days of age from 2,341 different pigs
- ❖ 89 Piétrain boars and 169 Landrace K+ sows
- ❖ Standardization and pre-adjustment of data at 210 days due to variance heterogeneity

## Model

Random regression animal model with linear splines (knots at 50, 100, 175, and 210 days)

❖ Model 1: additive

$$y = Xb + Q(Za + Zp) + e$$

❖ Model 2 : additive + dominance

$$y = Xb + Q(Za + Wf + Zp) + e$$

$$\text{with } \text{Var}(f) = I\sigma_f^2$$

❖ Model 3 : additive + dominance

$$y = Xb + Q(Za + Wf + Zp) + e$$

$$\text{with } \text{Var}(f) = F\sigma_f^2$$

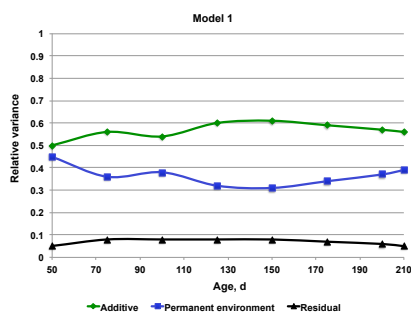
F = sire-dam subclasses relationship matrix

y=observations; b=fixed effects (sex, day of test, and heterosis); a=random additive genetic effect; p=random permanent environment; f=random parental dominance; e=residual; X, Z, W=incidence matrices; Q=matrix of linear splines coefficients

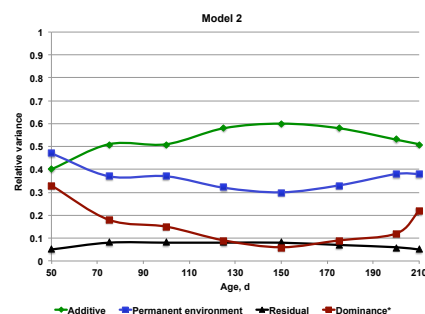
## Results

Relative variance components for body weight between 50 and 210 days

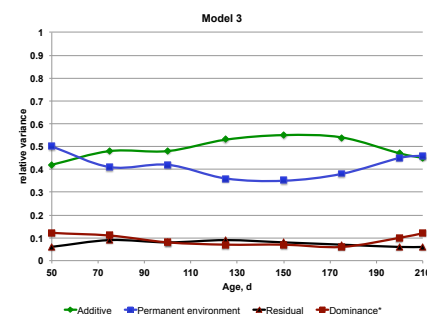
(\* $\sigma_d^2=4\sigma_f^2$ )



- ❖  $h^2$  varies between 0.50 and 0.60 and slightly increases with age



- ❖  $h^2$  varies between 0.40 and 0.60
- ❖ Dominance variance represents:
  - ✓ 10 to 83% of additive variance
  - ✓ 6 to 30% of total variance



- ❖  $h^2$  varies between 0.42 and 0.55
- ❖ Dominance variance represents:
  - ✓ 11 to 30% of additive variance
  - ✓ 7 to 9% of total variance

$h^2$  slightly decreases when dominance effect is added in the model (Model 1 vs. Model 2 and 3)

Changes in variance estimates are small between model 2 and 3, except at the beginning and at the end → Border effect?